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Automatic Optimization of Final Focus Systems with Local Chromaticity Correction

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Outline

- Final Focus System
- Final Focus Optimization
 - Final Focus Matching
 - Luminosity Optimization
- Conclusions

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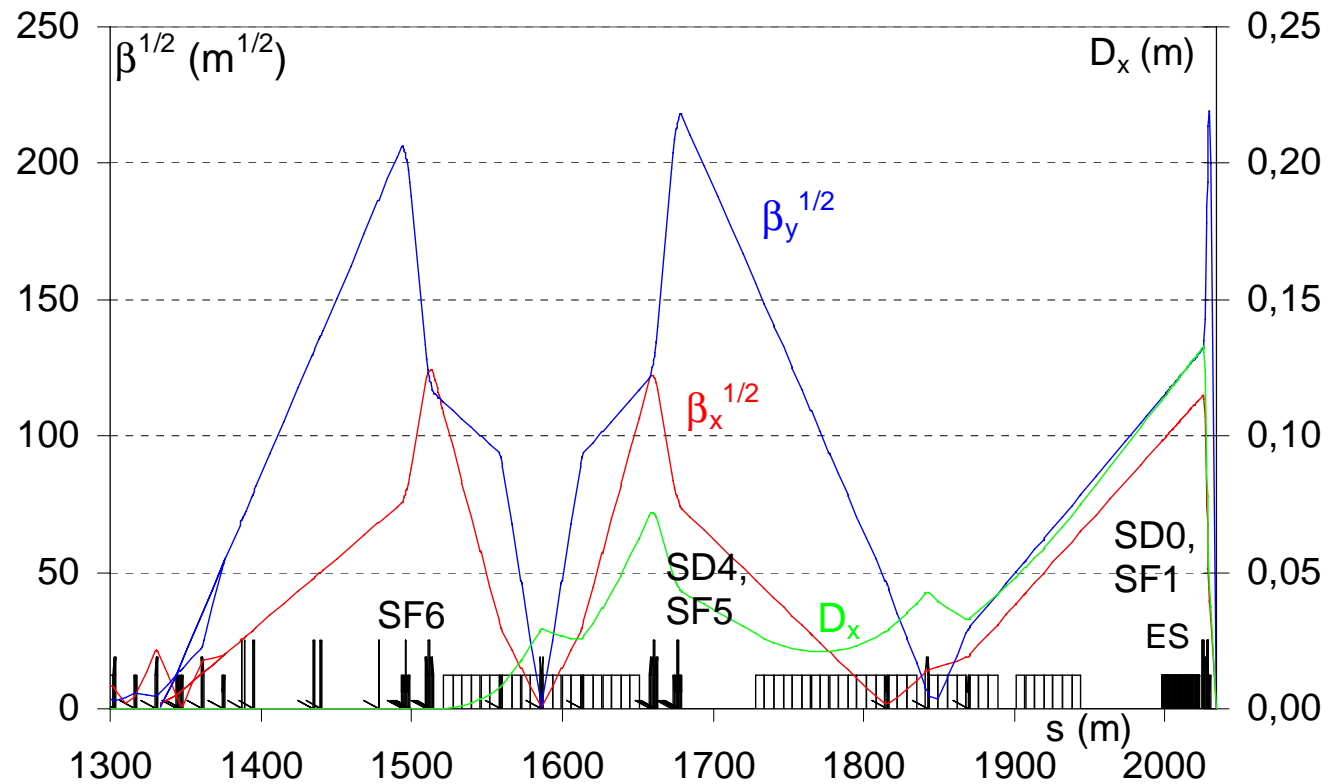
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Final Focus System

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- Combine the Final Focalization and the Chromatic Correction functions

Final Focus Matching

- A recipe for the FFS matching was presented by A. Seryi and al. [1], and we adapted it to the luminosity optimization procedure.
- The Final Focus Matching is performed by 6 stages :
 - From the IP to the FFS entry
 - Tuning of the Twiss functions, α_x , α_y , at the FD entrance
 - Tuning of the phase advances between paired sextupoles and double waist at QF7 adjustment
 - Virtual waist near the FFS entry fitting
 - Dispersion and BDS deviation matching
 - Twiss functions matching at FFS entrance
 - From the BDS entrance to the IP
 - 2nd order terms minimization with the sextupoles
- All these steps are automatically launched
- At the end, we get a first FFS tuning and we have to perform the Luminosity Optimization.

[1] A. Seryi, M. Woodley, P. Raimondi, A RECIPE FOR LINEAR COLLIDER FINAL FOCUS SYSTEM DESIGN, PAC 2003

Luminosity Optimization

- Once the 1st order matching and the 2nd order minimization was realized one have to perform the Luminosity Optimization
- This is done by varying the quadrupoles, in order to adjust the sextupole phase advances, and by varying the sextupole strengths
- As shown by R. Thomas [2], one can use an optimization algorithm that takes as figure of merit the rms beam sizes at the end of the beam line to increase the luminosity
- We adopt this strategy and we use two tools for the luminosity optimization:
 - The LUMOPT code (S. Auclair) which calculates analytically the rms beam sizes expressed as function of the transfer matrix high order terms
 - The TRACEWIN code (D. Uriot) which tracks a particle cloud

[2] R. Tomas, NON-LINEAR OPTIMIZATION OF BEAM LINES, CERN-AB Division CLIC Note 659

Luminosity Optimization : analytic

- We want to minimize the rms beam size product at IP : $\overline{(x_1 - \bar{x}_1)^2} \overline{(x_3 - \bar{x}_3)^2}$
- We express the particle coordinates as function of the initial coordinates and the high order transfer matrix terms :

$$x_i = \sum_j R_{ij} x_j^{(0)} + \sum_{jk} T_{ijk} x_j^{(0)} x_k^{(0)} + \sum_{jkl} U_{ijkl} x_j^{(0)} x_k^{(0)} x_l^{(0)} + \sum_{jklm} V_{ijklm} x_j^{(0)} x_k^{(0)} x_l^{(0)} x_m^{(0)} + ..$$

- For the initial beam, we assume that :
 - All the odd moments are null : $\overline{x_j^{(0)}} = 0, \overline{x_j^{(0)} x_k^{(0)} x_l^{(0)}} = 0, ..$
 - We can express the high even moments with the 2nd order moments :

$$\overline{x_j^{(0)} x_k^{(0)} x_{j'}^{(0)} x_{k'}^{(0)}} = \overline{x_j^{(0)} x_k^{(0)}} \overline{x_{j'}^{(0)} x_{k'}^{(0)}} + \overline{x_j^{(0)} x_{j'}^{(0)}} \overline{x_k^{(0)} x_{k'}^{(0)}} + \overline{x_j^{(0)} x_{k'}^{(0)}} \overline{x_k^{(0)} x_{j'}^{(0)}}$$

- With these assumptions we write the mean values as :

$$\bar{x}_i = \sum_{jk} T_{ijk} \overline{x_j^{(0)} x_k^{(0)}} + \sum_{jklm} V_{ijklm} \overline{x_j^{(0)} x_k^{(0)} x_l^{(0)} x_m^{(0)}} + ..$$

- And then we write the rms beam size as :

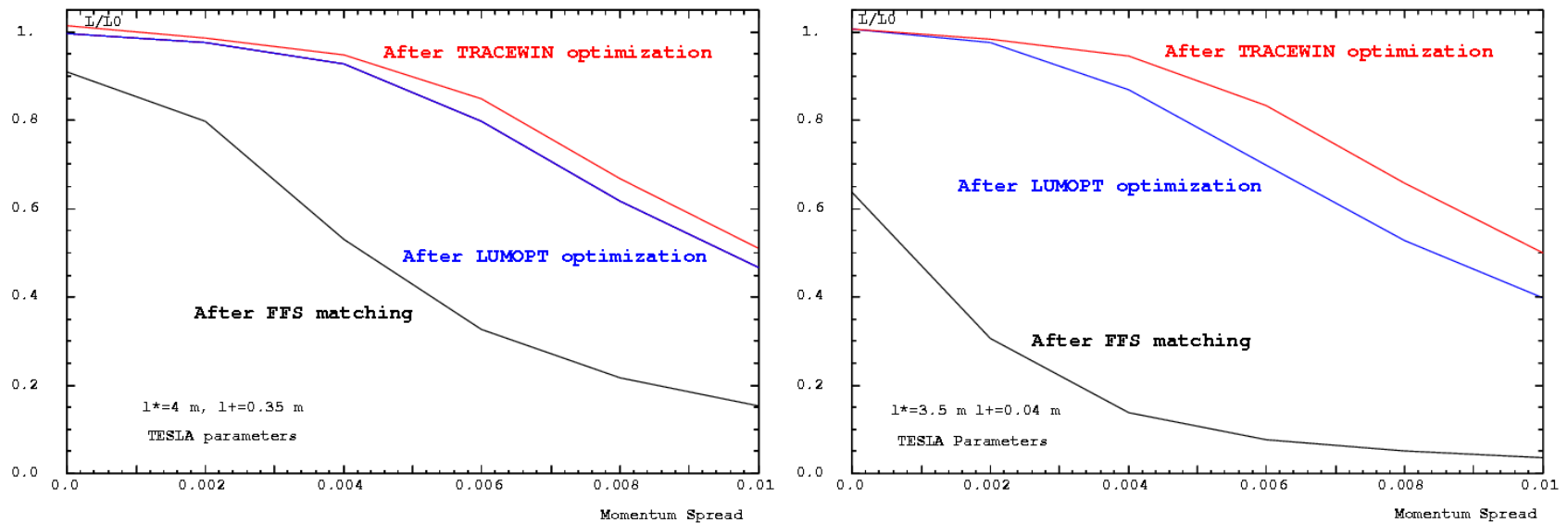
$$\begin{aligned} \overline{(x_i - \bar{x}_i)^2} &= \sum_{jj'} R_{ij} R_{ij'} \overline{x_j^{(0)} x_{j'}^{(0)}} + \sum_{jkj'k'} T_{ijk} T_{ij'k'} (\overline{x_j^{(0)} x_k^{(0)} x_{j'}^{(0)} x_{k'}^{(0)}} - \overline{x_j^{(0)} x_k^{(0)}} \overline{x_{j'}^{(0)} x_{k'}^{(0)}}) \\ &+ 2 \sum_{jklj'} U_{ijkl} R_{ij'} \overline{x_j^{(0)} x_k^{(0)} x_l^{(0)} x_{j'}^{(0)}} + \sum_{jklj'k'l'} U_{ijkl} U_{ij'k'l'} \overline{x_j^{(0)} x_k^{(0)} x_l^{(0)} x_{j'}^{(0)} x_{k'}^{(0)} x_{l'}^{(0)}} \\ &+ 2 \sum_{jklmj'k'} V_{ijklm} T_{ij'k'} (\overline{x_j^{(0)} x_k^{(0)} x_l^{(0)} x_m^{(0)} x_{j'}^{(0)} x_{k'}^{(0)}} - \overline{x_j^{(0)} x_k^{(0)}} \overline{x_{j'}^{(0)} x_k^{(0)} x_l^{(0)} x_m^{(0)}}) + .. \end{aligned}$$

Luminosity Optimization (2)

- To perform a quick luminosity optimization we have developed the code LUMOPT (S. Auclair) :
 - the variables are the FFS magnetic elements
 - minimize the beam sizes (applying the previous formulae)
 - to obtain the high order matrix terms it launch :
 - TRANSPORT (SLAC) which gives the matrix terms up to 3rd order
 - or MADX with PTC extension (CERN), up to 7th order and more
 - or maximize the luminosity (particle cloud analysis)
 - to transport the particle cloud it launch DIMAD
 - and use LUMTRAK (Saclay) to compute the luminosity
 - different minimization algorithms are available (“classic”, simplex, least square)
 - A final optimization (if needed) is performed with TRACEWIN code (D. Uriot)
 - transport a particle cloud through the beam line and maximize the luminosity at IP by varying the magnetic elements.

Luminosity Optimization (3) : Luminosity result

BDS Normalized Luminosity v.s Momentum Spread



- LUMOPT with TRANSPORT and a classic minimization algorithm gives quickly (15mn) a good starting point, and some time it is sufficient.
 - The TRACEWIN optimization time is decreased (~3 h compare to 1 night)
- ⇒ To perform a full optimization we need about 1/2 -1 day

Conclusions

- The BDS optimization are now automatic for a large part
- The time needed to optimize a line is strongly reduced
- The obtained luminosity curves are quite flat in the useful area

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Parameter Space for $E=250 \text{ GeV } L=2 \cdot 10^{34} \text{ cm}^{-2}\text{s}^{-1}$

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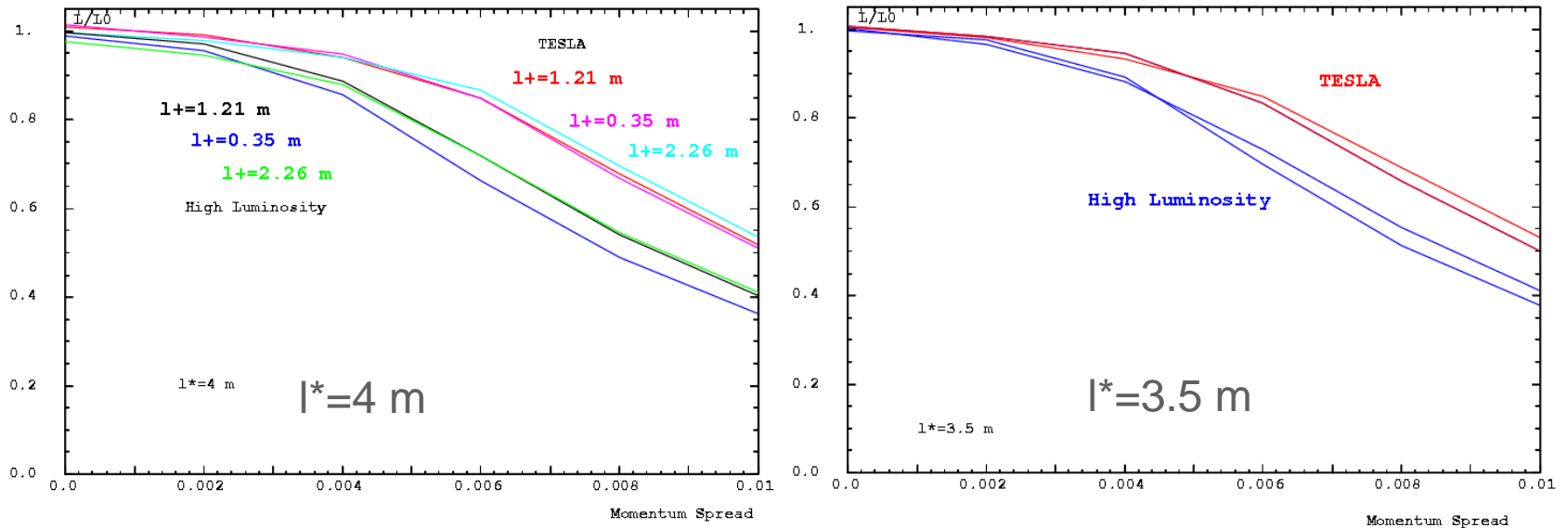
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		Nominal	Large Y	Low P	High L	TESLA	Med Q P
N	$\times 10^{10}$	2	2	2	2	2	1.3
n_b		2820	2820	1330	2820	2820	2820
$\epsilon_{x,y}$	$\mu\text{m}, \text{nm}$	9.6, 40	12, 80	10, 35	10, 30	10, 30	9.6, 30
$\beta_{x,y}$	cm, mm	2, 0.4	1, 0.4	1, 0.2	1, 0.2	1.5, 0.4	1, 0.2
$\sigma_{x,y}$	nm	626.5, 5.7	495.3, 8.1	452.1, 3.8	452.1, 3.5	553.7, 5	443, 3.5
σ_z	μm	300	500	200	150	300	200
Bunch space	ns	308.5	308.5	462.4	308.5	308.5	308.5
D_y		19.12	28.30	26.72	21.66	24.98	19.16
δ_{BS}	%	2.2	2.2	5.1	6.2	2.7	2.5
P	MW	11.3	11.3	5.3	11.3	11.3	7.3

BDS : Luminosity

Luminosity vs. Momentum spread



- Full optimization for the TESLA case.
- Matching with QM15-QM11 and luminosity optimization for High Lum. case.
- The “best” luminosity curves are obtained for the largest free drift.
- The luminosity curves are very similar for $l^* = 4$ m and $l^* = 3.5$ m.