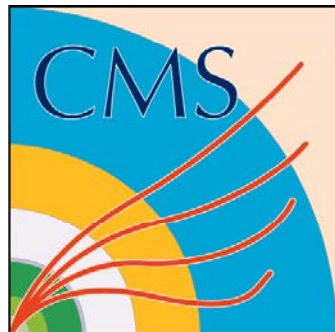


Aspects of Missing Energy at the LHC

R. Cavanaugh
University of Florida



- Physics Motivation
- Traditional Calorimetric Methods
- Environmental Challenges at the LHC
- Outlook: Energy Flow Methods

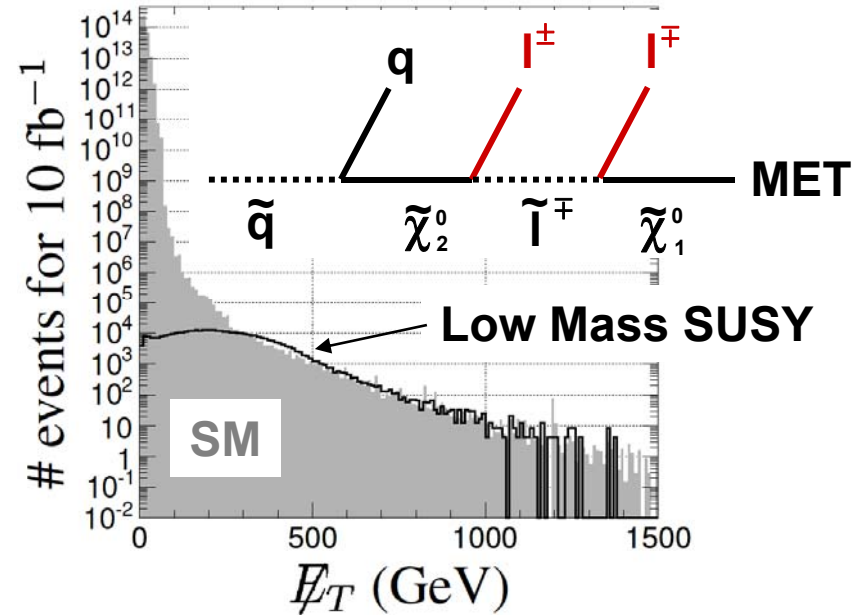
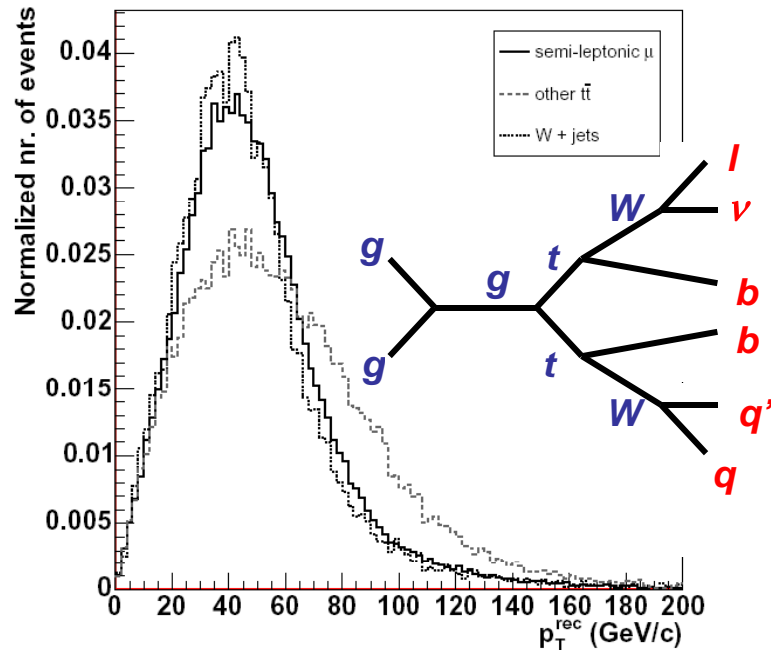


LHC Early Phase for the ILC, Fermilab, 13 April 2007

Physics Motivation



- “Small” Missing Energy
 - Standard Model Physics
- Experimental Challenge
 - Understanding QCD and other environmental bkg.
 - good low-energy resolution



- “Large” Missing Energy
 - New Physics
- Experimental Challenge
 - Understanding Tails!



- H → ττ Mass Reconstruction**

Slide from B.Mellado

Assume tau decay products are collinear to tau direction

Fraction of τ momentum carried by visible τ decay

$$\vec{P}_\tau = \frac{\vec{P}_l}{x_\tau}$$

$$M_{\tau\tau} \approx \frac{M_{ll}}{\sqrt{x_{\tau 1} x_{\tau 2}}}$$

$$\vec{P}_{T\tau 1} + \vec{P}_{T\tau 2} = \vec{P}_{Tl 1} + \vec{P}_{Tl 2} + \vec{P}_{Tmiss}$$

$$x_{\tau 1} = \frac{p_{Tlep1,x} \cdot p_{Tlep2,y} - p_{Tlep1,y} \cdot p_{Tlep2,x}}{p_{THiggs,x} \cdot p_{Tlep2,y} - p_{THiggs,y} \cdot p_{Tlep2,x}}$$

$$x_{\tau 2} = \frac{p_{Tlep1,x} \cdot p_{Tlep2,y} - p_{Tlep1,y} \cdot p_{Tlep2,x}}{p_{THiggs,y} \cdot p_{Tlep1,x} - p_{THiggs,x} \cdot p_{Tlep1,y}}$$

- $x_{\tau 1}$ and $x_{\tau 2}$ can be calculated if the Missing E_T is known
- Good Missing E_T reconstruction (response & resolution) essential

Missing Transverse Energy



- **Definition**

- $\mathbf{E}_T^{\text{miss}} = \sum (E_n \sin \theta_n \cos \phi_n \hat{\mathbf{i}} + E_n \sin \theta_n \sin \phi_n \hat{\mathbf{j}}) = E_x^{\text{miss}} \hat{\mathbf{i}} + E_y^{\text{miss}} \hat{\mathbf{j}}$

- **Traditional Approach**

- Sum over Calibrated Calorimeter Objects
 - Apply Corrections *a posteriori*

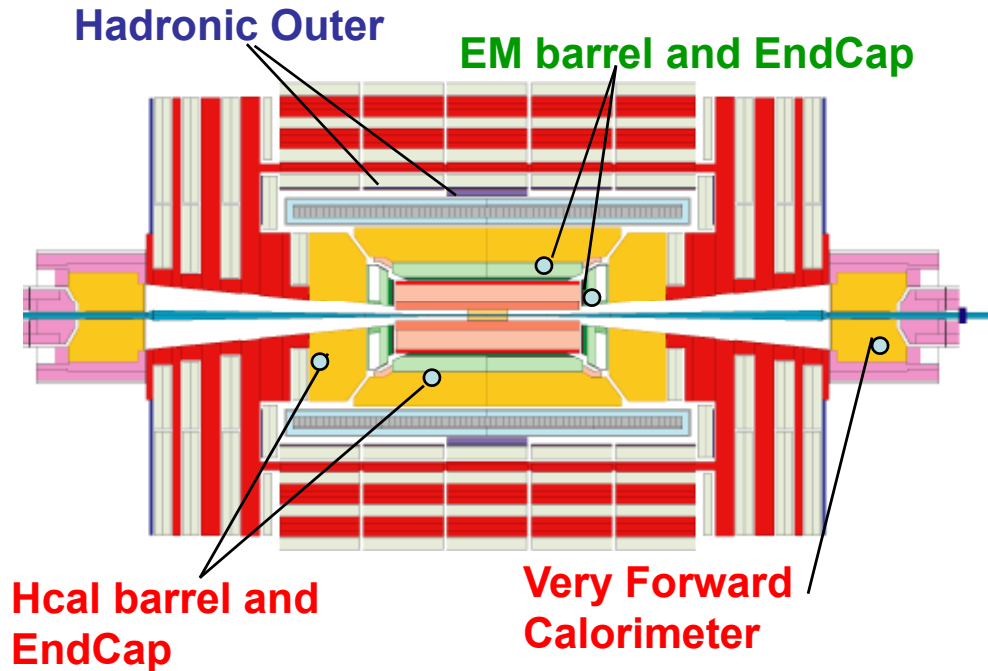
- **MET Resolution** $\frac{\sigma}{E} = \frac{A}{\sqrt{E}} \oplus \frac{B}{E} \oplus C$ (E = “Scalar Sum ET”)

- **A = “Stochastic” Term; B = “Noise” Term; C = “Constant” Term**

- **Important considerations**

- **A: Good Hermitic coverage, Energy Resolution**
 - **A: Compensating Calorimeter Response**
 - **B: Electronic Noise**
 - **B: Pile-up and Underlying event**
 - **B: High Magnetic Field (sweeps out low pt particles)**
 - **C: Energy loss due to inactive material and punch through**
 - **C: Other residual non-linearities**

The CMS Calorimeters



EM calorimeter $|\eta| < 3$:

PbWO₄ crystals (forward)
 1 longitudinal section/preshower 1.1λ
 $\Delta\eta \times \Delta\phi = 0.0174 \times 0.0174$

Central Hadronic $|\eta| < 1.7$:

Brass/scintillator
 2 + 1 Hadronic Outer – long. sections
 $5.9 + 3.9 \lambda$ ($|\eta| = 0$)
 $\Delta\eta \times \Delta\phi = 0.087 \times 0.087$

Forward calorimeter $2.9 < \eta < 5$:

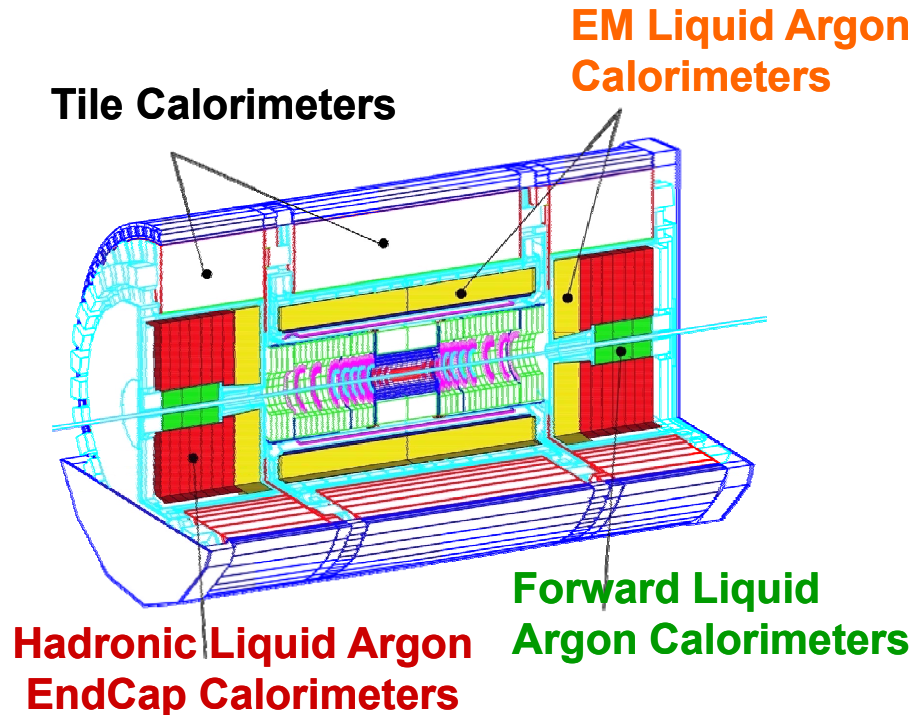
Fe/quartz fibers $\Delta\eta \times \Delta\phi = \sim 0.175 \times 0.17$

Long fibers collect light from the entire length of the calorimeter,
sensitive to both EM & hadronic components
Short fibers begin further inside calorimeter,
sensitive to hadronic component

Endcap Hadronic $1.3 < |\eta| < 3$:

Brass/scintillator +WLS
 2/3 longitudinal sections 10λ
 $\Delta\eta \times \Delta\phi = \sim 0.15 \times 0.17$

The ATLAS calorimeters



EM accordion $|\eta| < 3.2$:

Pb/LAr 3 longitudinal sections 1.2λ
+ preshower

$\Delta\eta \times \Delta\phi = 0.025 \times 0.025$ and higher

Central Hadronic $|\eta| < 1.7$:

Fe / scintillator

3 longitudinal sections 7.2λ

$\Delta\eta \times \Delta\phi = 0.1 \times 0.1$ and higher

Forward calorimeter $3.1 < \eta < 4.9$:

EM Cu/LAr – HAD W/Lar

3 longitudinal sections – 9λ

$\Delta\eta \times \Delta\phi = 0.2 \times 0.2$

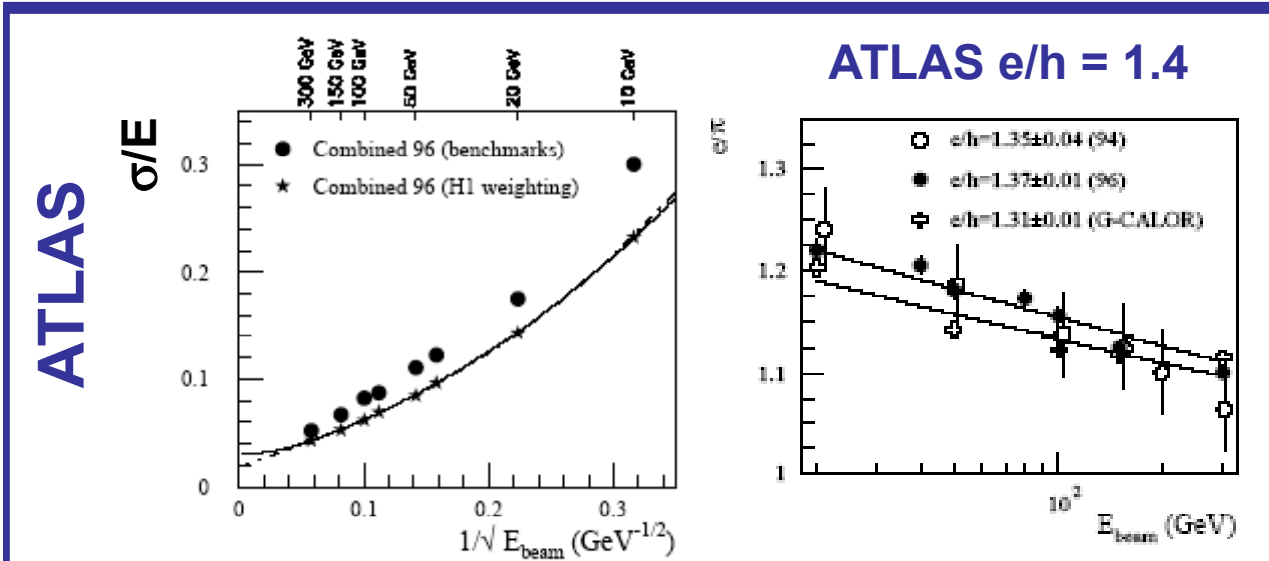
End Cap Hadronic $1.5 < \eta < 3.2$

Cu/LAr – 12λ

4 longitudinal sections

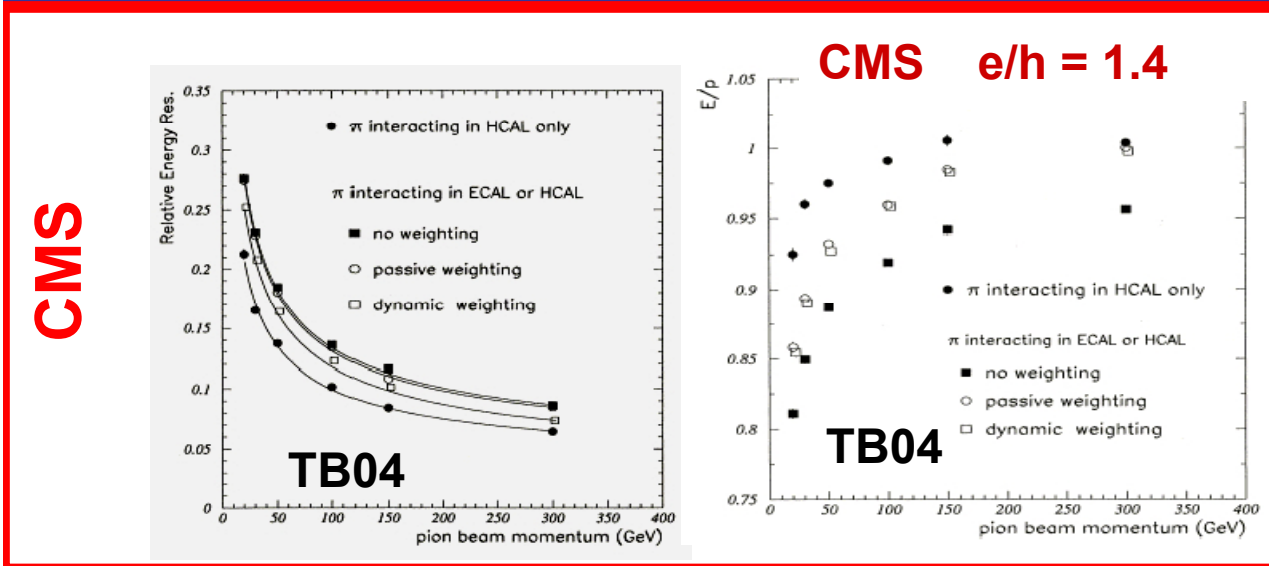
$\Delta\eta \times \Delta\phi < 0.2 \times 0.2$

Calorimeter Calibration & Performance



$$\frac{\sigma}{E} \approx \frac{42\%}{\sqrt{E}} \oplus 2\%$$

Both calorimeter systems reach the design performances after calibrating for non-compensation (e/h)



$$\frac{\sigma}{E} \approx \frac{90\%}{\sqrt{E}} \oplus 7\%$$

Latest from **TB06**
(additional improvements being studied)



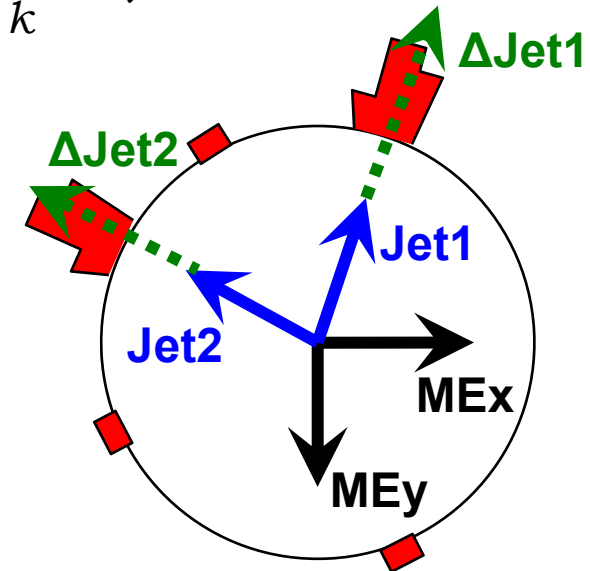
- Correct for Jet Energy Scale and (optionally) muons:

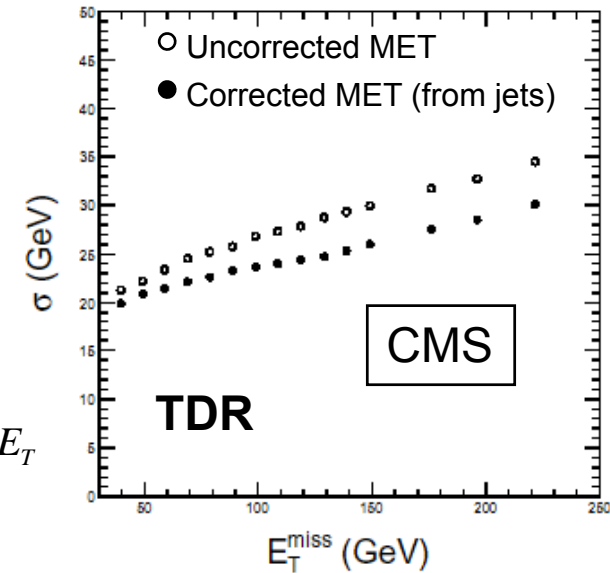
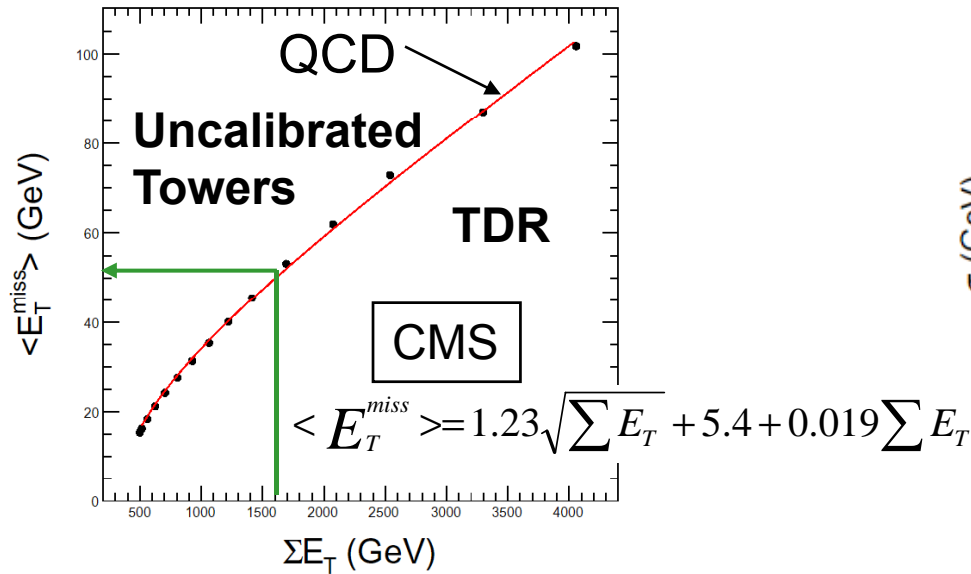
$$\mathbf{E}_T^{\text{miss}} = -\sum_i \mathbf{E}_{T,i}^{\text{tower}} - \sum_j (\mathbf{p}_{T,j}^{\text{corr},jet} - \mathbf{p}_{T,j}^{\text{raw},jet}) - \sum_k \mathbf{p}_{T,k}^{\mu}$$

- Raw MET calculation based on sum over calibrated cells or towers

- Clustered (Jets) and Unclustered Energy Calibrations

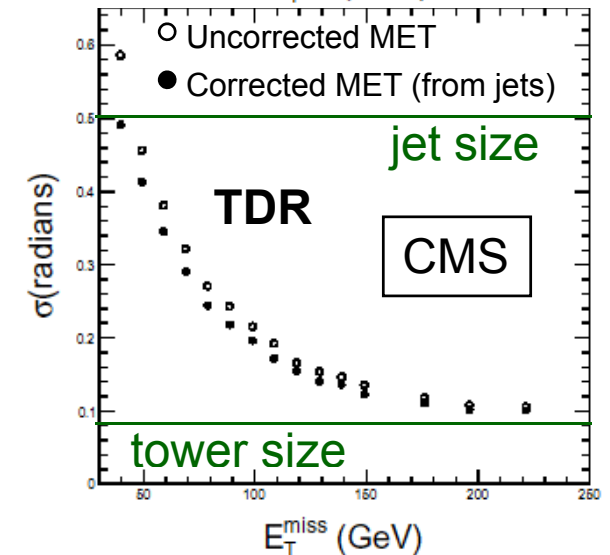
- **Type-1 (most commonly used)**
 - Calibrated Jets + Unclustered Towers
 - Jet Energy Scale
- **Type-2**
 - Calibrated Jets + Calibrated Unclustered Towers
 - Include Pile-up and Underlying Event





- Missing Transverse Energy

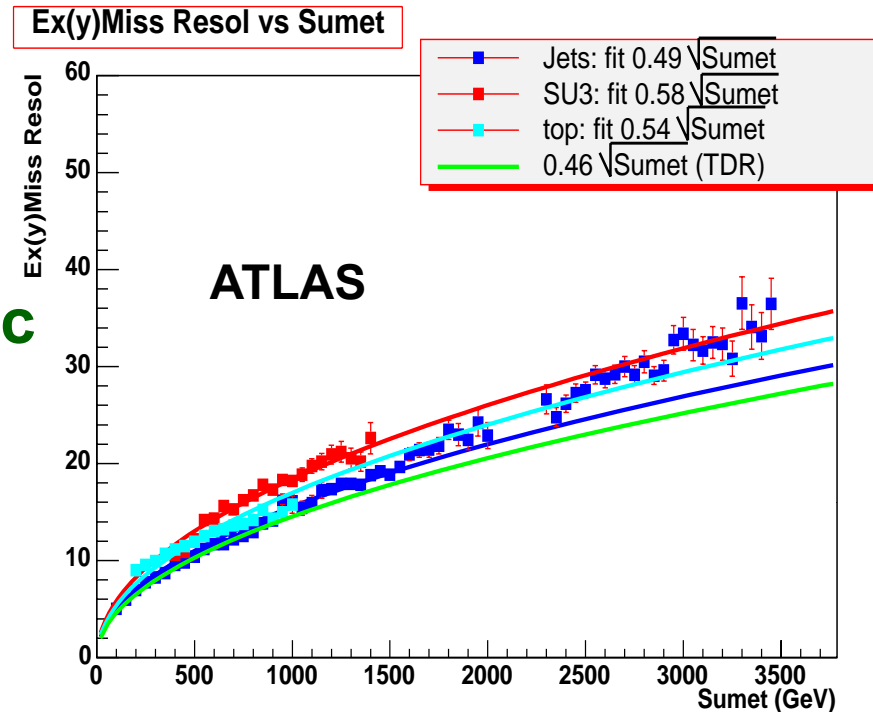
- Low luminosity Pileup included
- <MET> from QCD
 - Stochastic term $\approx 123\%\sqrt{\Sigma E_T}$
 - ≈ 1700 GeV $\Sigma E_T \rightarrow$
 - ≈ 700 GeV P_T dijets \rightarrow
 - ≈ 50 GeV observed MET
- MET ϕ Resolution
 - Low MET : approaches Jet size
 - High MET : approaches calo cell size





- **Resolution**

- **Low SumET**
 - Noise & Stochastic Terms dominate
- **High SumET**
 - Constant Term dominates



- **Performance depends on event content**

- **Different resolution for different objects**
 - e/ γ , charged hadrons, neutral hadrons
- **non-linearity, non-uniformity, etc**

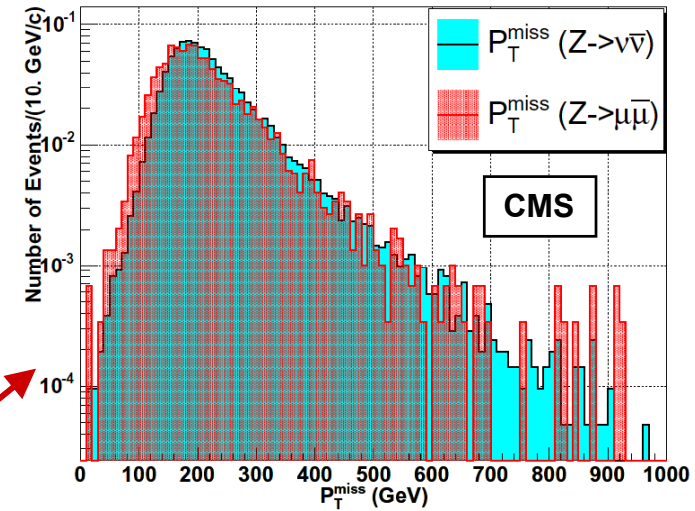
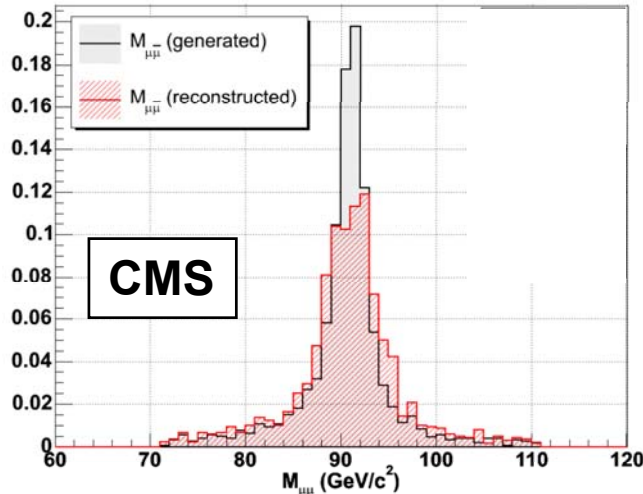


Slide adapted from C. Roda

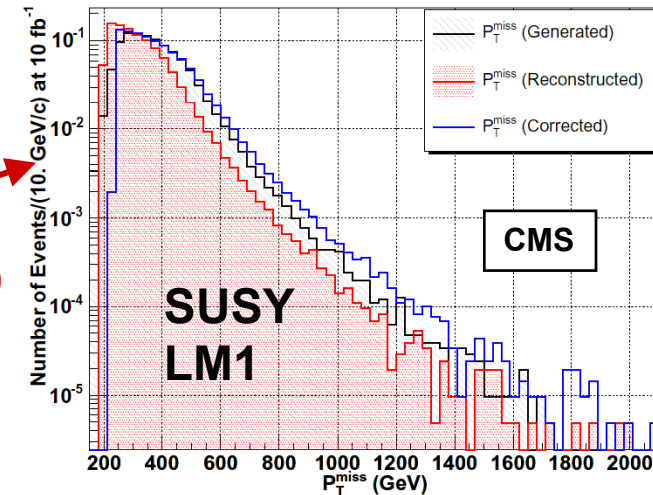
	ATLAS	CMS
Ecal+Hcal pion resolution	$\frac{\sigma}{E} = \left(\frac{41.9\%}{\sqrt{E}} + 1.8\% \right) \oplus \frac{1.8}{E}$	$\frac{\sigma}{E} = \frac{90\%}{\sqrt{E}} \oplus 7\%$ <i>e/h calibrated</i>
MET resolution (TDR)	$\sigma(\cancel{E}_T) / \Sigma E_T \approx 53\% / \sqrt{\Sigma E_T}$ <i>e/h calibrated</i>	$\sigma(\cancel{E}_T) / \Sigma E_T \approx 120\% / \sqrt{\Sigma E_T} + 2\%$ <i>e/h uncalibrated</i>
Inner tracker resolution (TDR)	$\sigma(p_T) / p_T = 1.8\% + 60\% p_T$ (p_T in TeV)	$\sigma(p_T) / p_T = 0.5\% + 15\% p_T$ (p_T in TeV)
B field inner region	2 Tesla : p_T swept < 350 MeV	4 Tesla : p_T swept < 700 MeV

Significant improvement in CMS MET resolution expected by using calibrated calorimeter towers (e/h) and inner detector (tracks)...
...work in progress!

Use Track and Muon System to Calibrate Calorimeter (MET)



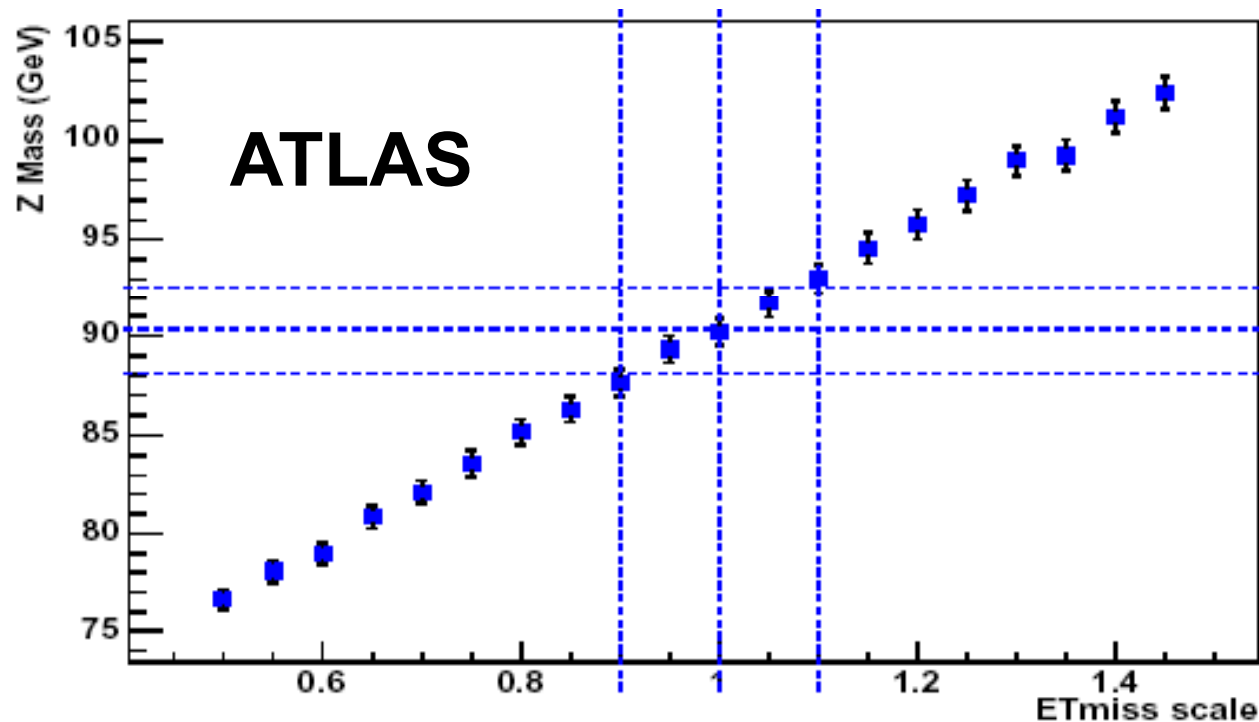
- Use $Z \rightarrow \mu\mu$ Candle
 - Derive calorimeter MET corrections from di-muon system
 - Apply to SUSY Sample (to test)
- Some fine tuning required
 - But basically works



Calibrate MET using $Z \rightarrow \tau\tau$



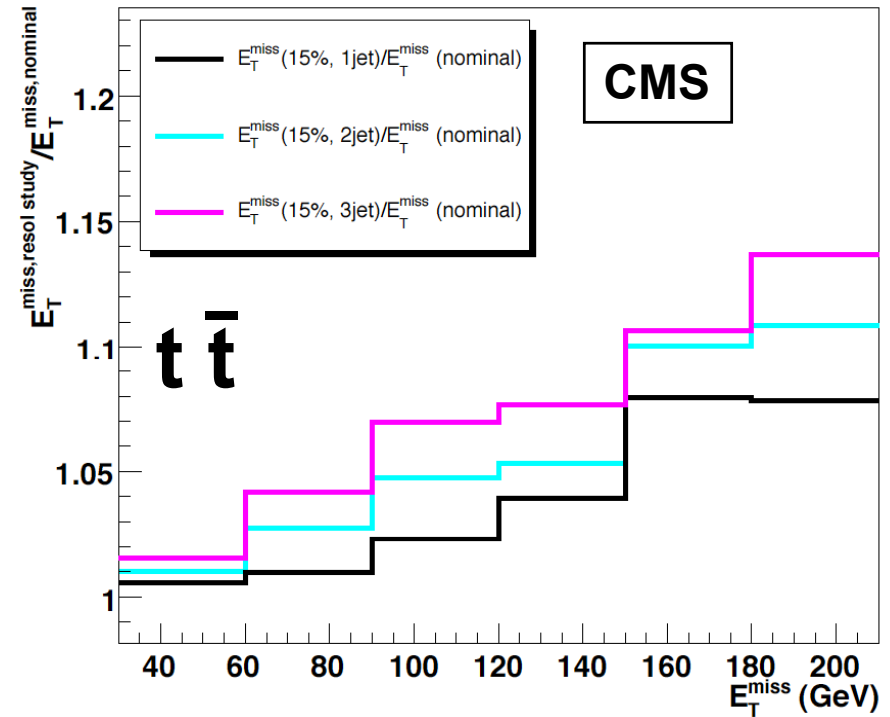
- Z mass from $Z \rightarrow \tau\tau \rightarrow lept-had$ events
- Z mass measured to 3% will result in an error of 10% on Missing ET



⇒ Plotted errors correspond to ~ 1000 evts
 ⇒ Signal only, background not added

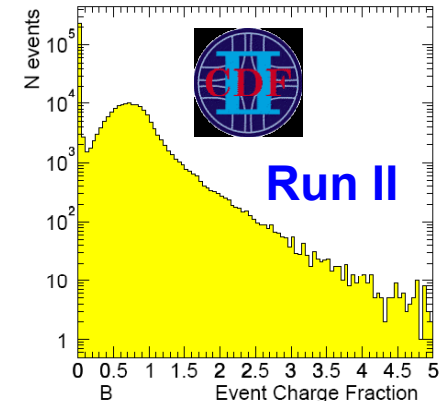
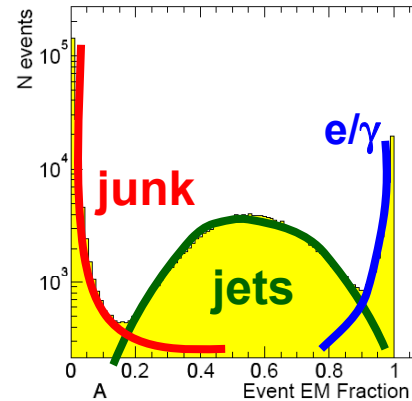
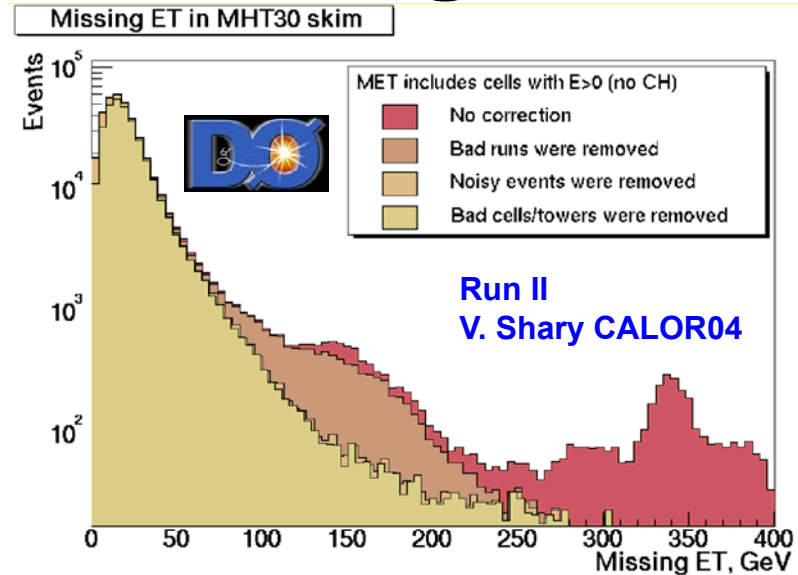


- Study effect of non-Gaussian tails in jet E_T resolution contributing to fake MET
 - ~ 15% of all jet are badly under measured
- Exaggerate non-Gaussian Tails
 - Weight each jet (up to 3) in the tails
- Three different scenarios
 - 3 jets under measured
 - 2 jets under measured
 - 1 jet under measured
- Overall Effect :
 - ~ 7% increase in background acceptance for MET > 100 GeV





- **MET is very powerful discriminator for New Physics**
 - **Difficult part is to convince yourself that there is a real excess!**
- **Tevatron teaches us**
 - **MET is not easily understood!**
- **Collisional backgrounds**
 - **Pile-up**
 - **Underlying Event**
- **Non-collisional backgrounds**
 - **Beam halo**
 - **Cosmic muons**
- **Detector Effects**
 - **Instrumental Noise**
 - **Hot/dead channels (DQM)**
 - **Inter-module calibration**

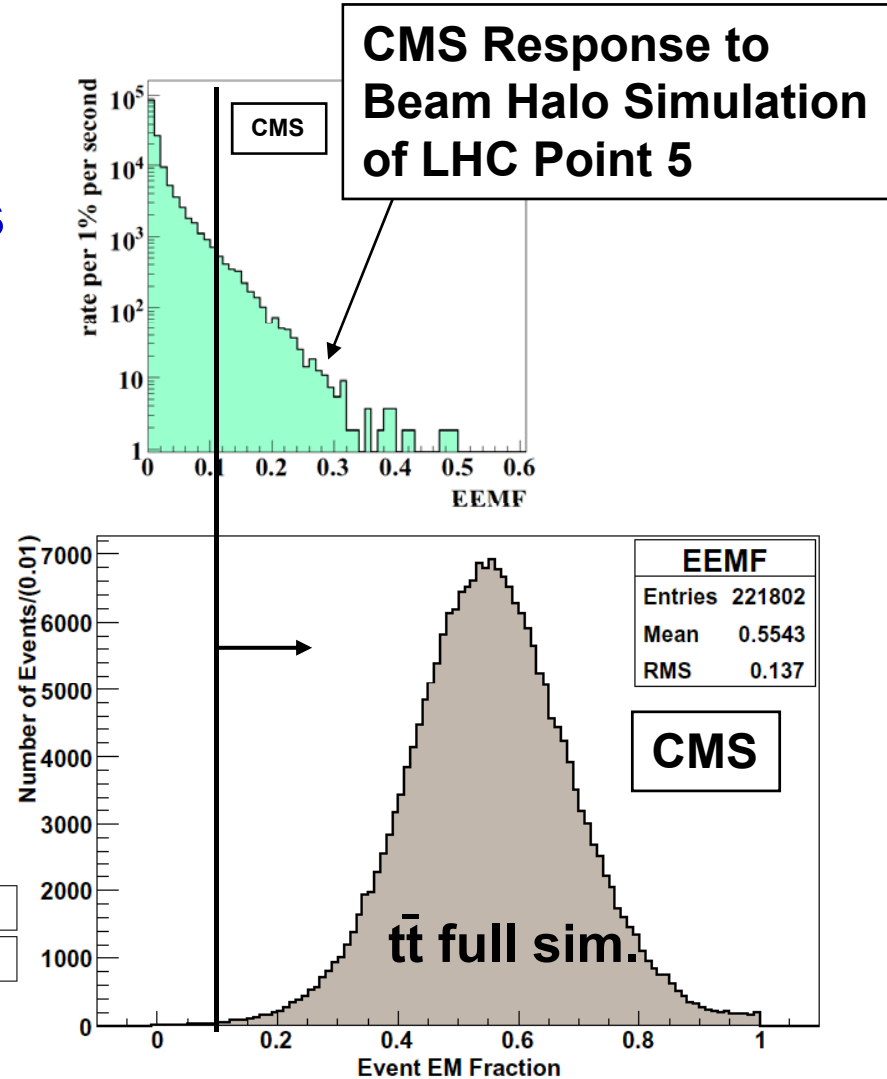


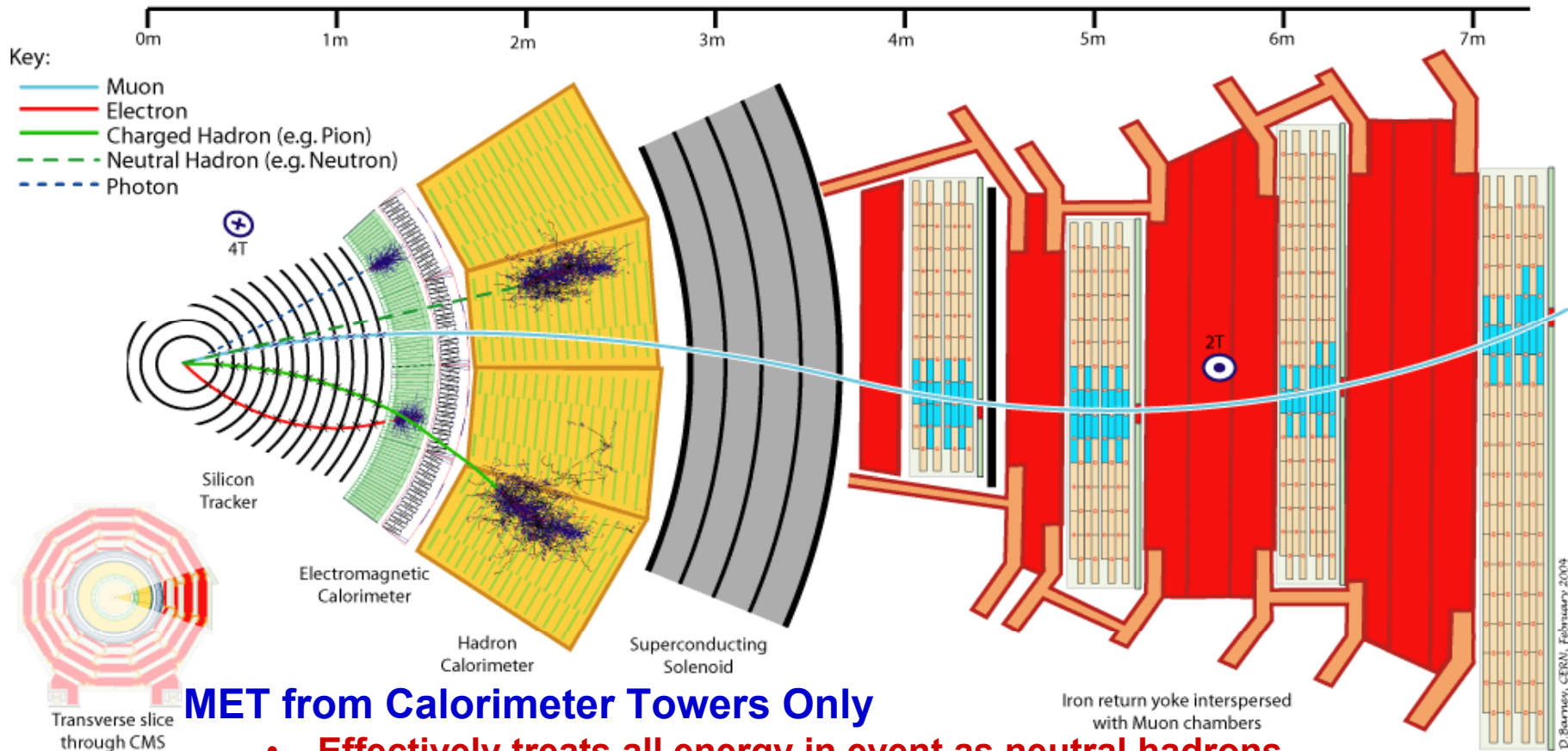
D. Tsybychev, Fermilab-thesis-2004-58



- Apply clean up cuts to remove fake high MET events (inspired by CDF & D0)
 - ≥ 1 central jet ($|\eta| < 1.7$) with ≥ 4 tracks
 - ≥ 1 vertex
 - $F_{em} > 0.1$ (Event Electromagnetic Frac.)
 - $F_{ch} > 0.175$ (Event Charged Fraction)
- Effect on SUSY Signal

Sample/Requirement	$F_{em} > 0.1$	$F_{ch} > 0.175$	Both(%)
LM1	99.88%	91.32%	91.24%





MET from Calorimeter Towers Only

- Effectively treats all energy in event as neutral hadrons
- Does not exploit richness of detector design, in particular tracker

Reconstruct and identify all particles

- γ , e , μ , charged hadrons, neutral hadrons, pileup particles, converted photons & nuclear interactions
- optimally estimate of E, angle, particle ID by combining all CMS detectors

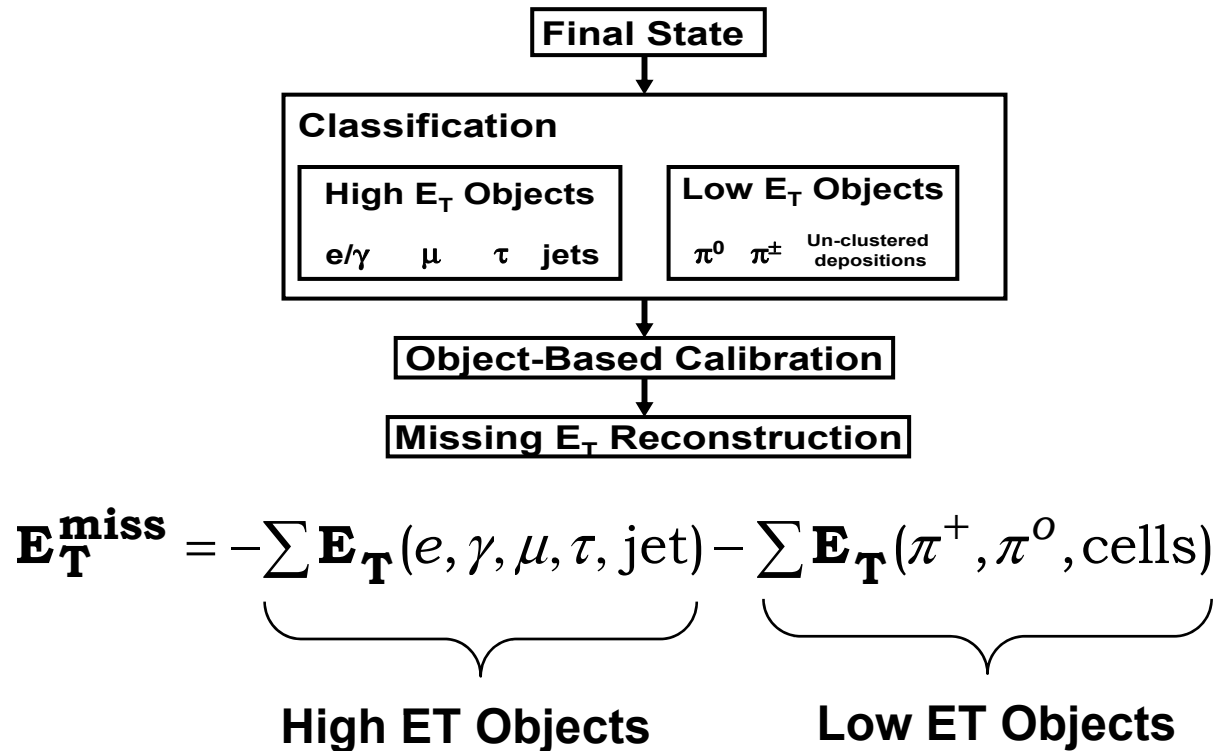


- **Motivation: The energy of a typical jet consists roughly of**
 - **Charged particles : ~60%**
 - Mostly charged pions, kaons and protons, but also some electrons and muons
 - **Photons : ~25%**
 - Mostly from π^0 's, but also some genuine photons (brems,...)
 - **Long-lived neutral hadrons : ~10%**
 - K_L^0 , neutrons
 - **Short-lived neutral hadrons, “ V^0 ’s” : ~5%**
 - $K_S^0 \rightarrow \pi^+\pi^-$, $\Lambda \rightarrow \pi^-p$, ..., but also γ conversions, and (more problematic) nuclear interactions in the detector material.
- **Energy resolution determined (ideally) mostly by**
 - the 10% neutral hadrons
 - inefficiencies in charged hadron reconstruction
- **Attempt to use Full Detector/Event Information in MET reconstruction**
 - **Determine MET from calibrated, reconstructed particles**

$$\mathbf{E}_T^{\text{miss}} = -\sum \mathbf{p}_T(e^\pm, \mu^\pm, \pi^\pm, \gamma, N^0, V^0, \text{etc})$$



- **Similar in some ways to CMS Approach**
 - **but also uses higher level objects (τ , jets, etc)**
- **Use all reconstructed particles (calibrated)**



MET at LHC Summary



- **Important signature of new physics!**
- **Global Object – Very challenging to get “right”**
 - **Hadron Environment**
 - **New Detectors**
 - **New Energy Regime**
 - **Hard work to have MET ready for early LHC Physics!**
- **CMS and ATLAS**
 - **Well designed to exploit MET as an object for Physics**
 - **Simple, Robust Calorimeter Methods**
 - **Advanced Energy Flow Methods**
- **Special thanks to:**
 - **CMS: M. Spiropulu, T. Yetkin, B. Scurlock**
 - **ATLAS: N. Kanaya, D. Cavalli, C. Roda**