

# Upgrade of the ATF Damping Ring BPMs & Beam Tests

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*for the ATF DR BPM Upgrade Collaboration*



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...and many others!

- **ILC damping ring R&D at KEK's Accelerator Test Facility (ATF):**
  - Investigation of the beam damping process (damping wiggler, minimization of the damping time, etc.)
  - Goal: generation and extraction of a low emittance beam ( $\epsilon_{\text{vert}} < 2 \text{ pm}$ ) at the nominal ILC bunch charge
- **A major tool for low emittance corrections:  
a high resolution BPM system**
  - Optimization of the closed-orbit, beam-based alignment (BBA) studies to investigate BPM offsets and calibration.
  - Correction of non-linear field effects, i.e. coupling, chromaticity,...
  - Fast global orbit feedback(?)
  - Necessary: a state-of-the-art BPM system, utilizing
    - a broadband turn-by-turn mode ( $< 10 \text{ }\mu\text{m}$  resolution)
    - a narrowband mode with high resolution ( $\sim 100 \text{ nm}$  range)



# The ATF Damping Ring



## Machine and Beam Parameters

beam energy  $E = 1.28 \text{ GeV}$

beam intensity, single bunch  $\approx \sim 1.6 \text{ nC} \equiv 10^{10} \text{ e}^- (\equiv I_{\text{bunch}} \approx 3.46 \text{ mA})$

beam intensity, multibunch (20)  $\approx \sim 22.4 \text{ nC} \equiv 20 \times 0.7 \cdot 10^{10} \text{ e}^- (\equiv I_{\text{beam}} \approx 48.5 \text{ mA})$

accelerating frequency  $f_{\text{RF}} = 714 \text{ MHz}$

revolution frequency  $f_{\text{rev}} = f_{\text{RF}} / 330 = 2.1636 \text{ MHz} (\equiv t_{\text{rev}} = 462.18 \text{ ns})$

bunch spacing  $t_{\text{bunch}} = t_{\text{RF}} / 2 = 2.8011 \text{ ns}$

batch spacing  $t_{\text{batch}} = t_{\text{rev}} / 3 = 154.06 \text{ ns}$

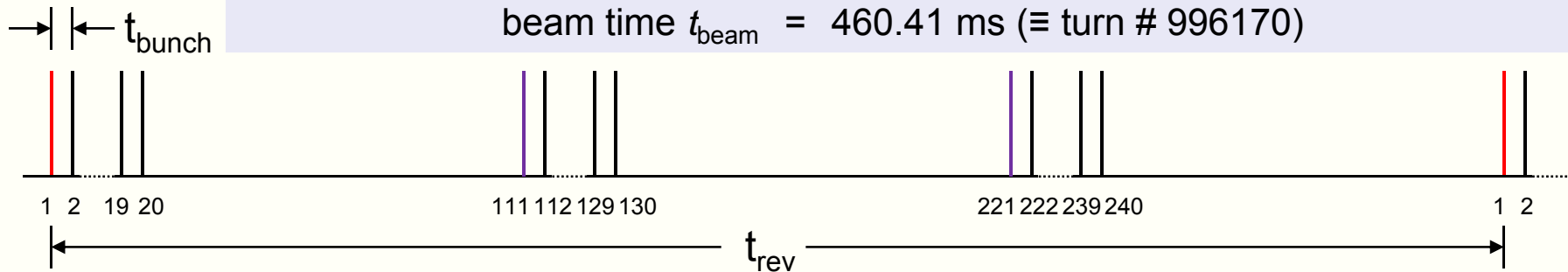
horizontal betatron tune  $\approx 15.204 (\equiv f_h \approx 441 \text{ kHz})$

vertical betatron tune  $\approx 8.462 (\equiv f_v \approx 1000 \text{ kHz})$

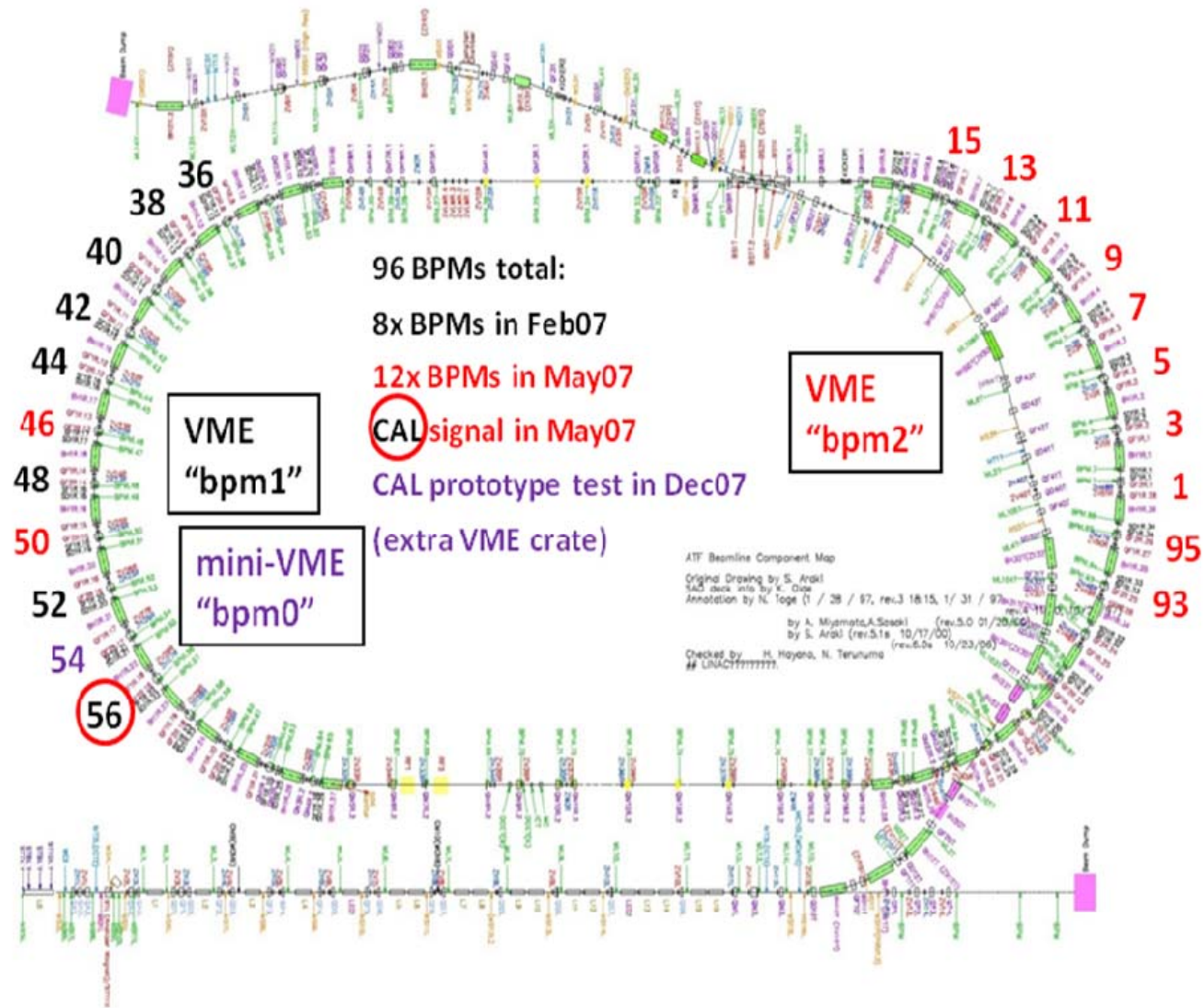
synchrotron tune  $\approx 0.0045 (\equiv f_s \approx 9.7 \text{ kHz})$

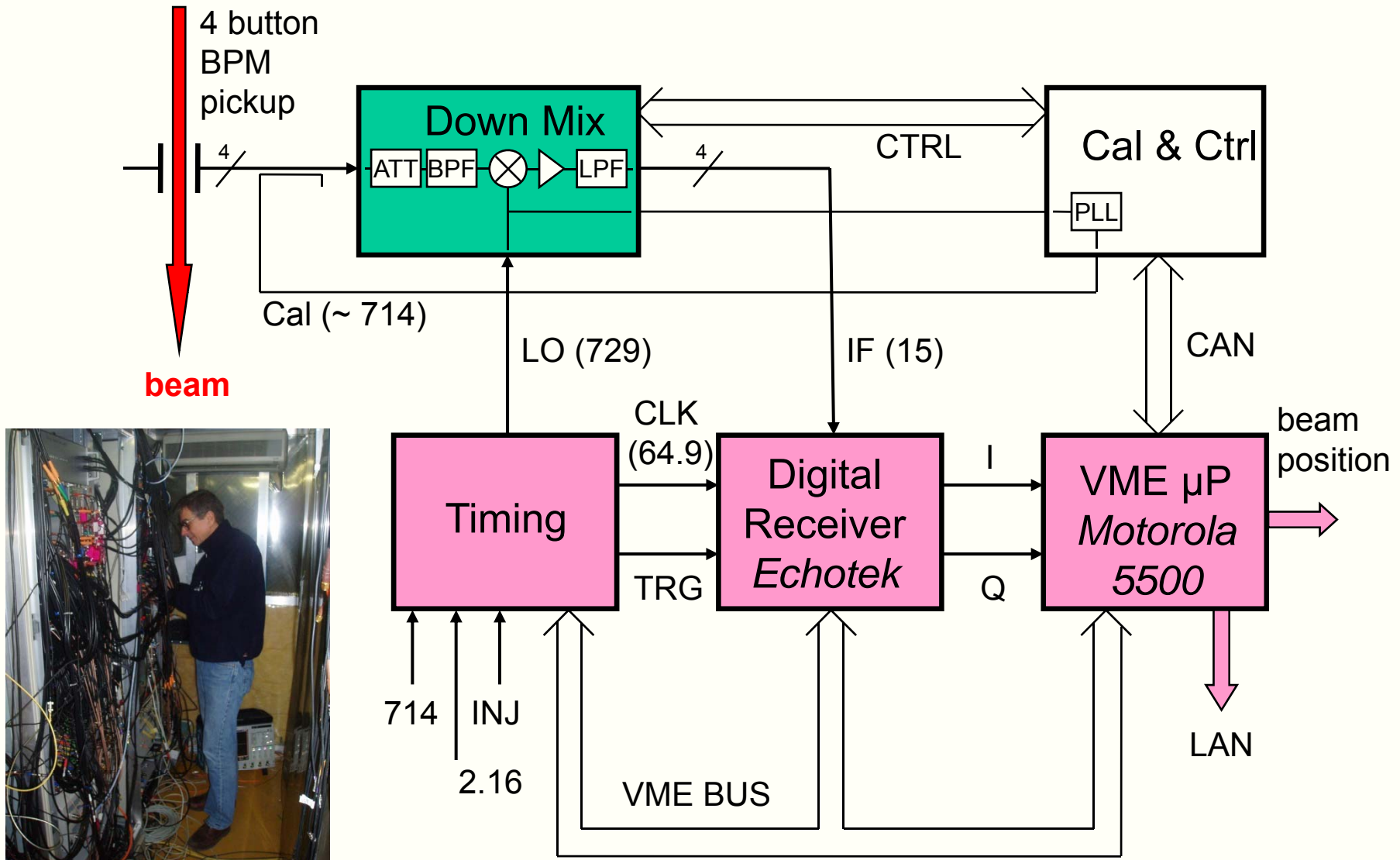
repetition frequency  $f_{\text{rep}} = 1.56 \text{ Hz} (\equiv t_{\text{rep}} = 640 \text{ ms})$

beam time  $t_{\text{beam}} = 460.41 \text{ ms} (\equiv \text{turn} \# 996170)$

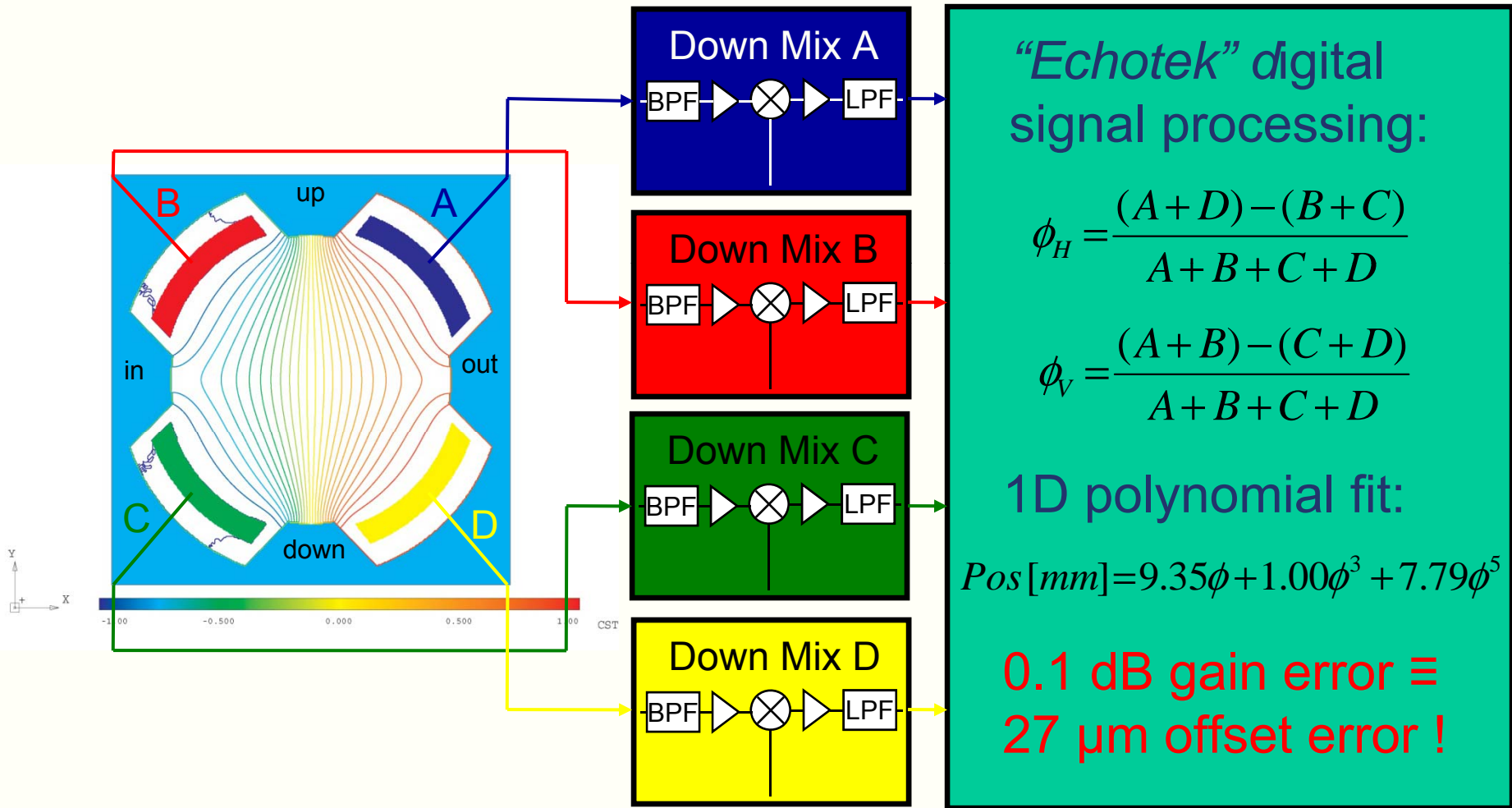


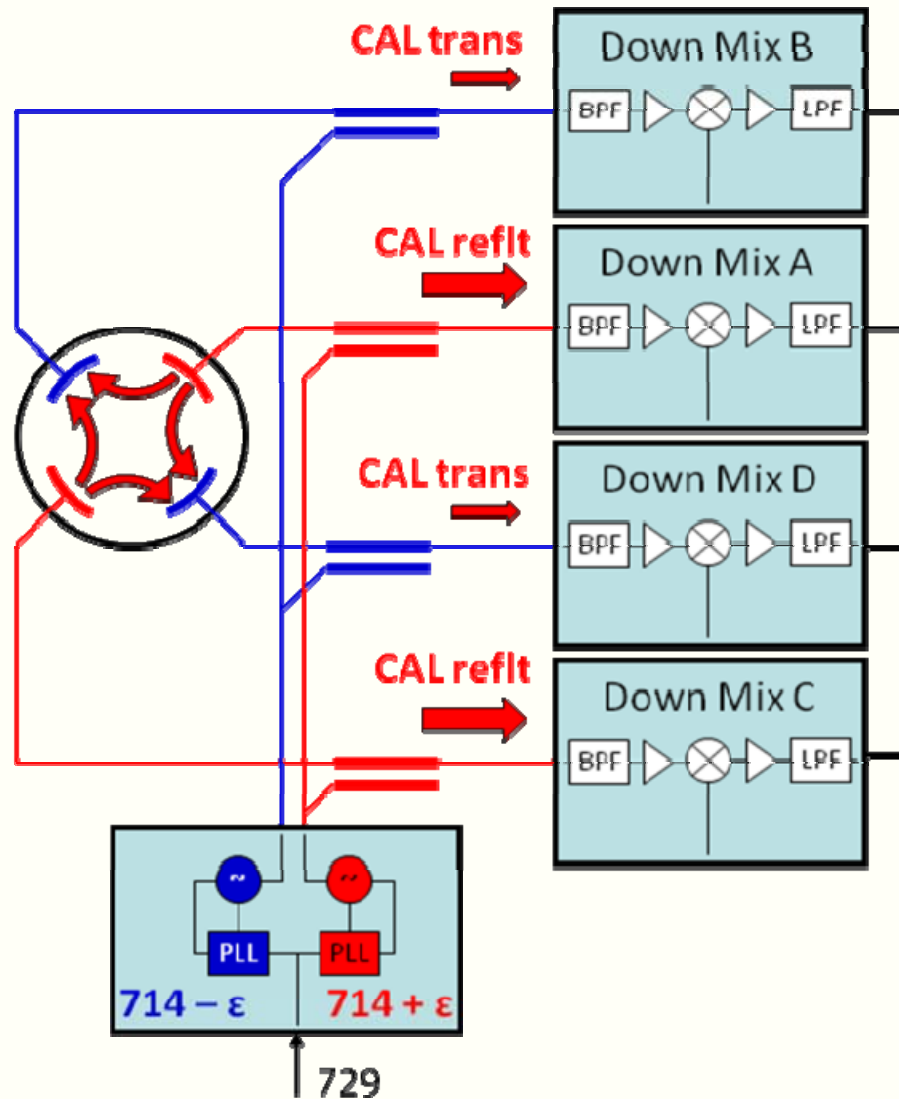
# The ATF Damping Ring











- **2 calibration tones:**
  - **714 + ε MHz**
  - **714 - ε MHz**
  - In passband of the downconverter
  - Coupled through the button BPM
  - Alternative: Reflected CAL signal
- **On-line calibration**
  - In presents of beam signals
  - Available only in narrowband mode
  - Using separate *Graychip* channels



- **Calibration tone frequencies:**

- $f_{\text{CALx}} = 713.6 \text{ MHz}$

- $f_{\text{CALy}} = 714.4 \text{ MHz}$

- **Calibration procedure:**

- **Correction values:**

$$A_{\text{Corr}} = \frac{A_{\text{CAL}} + B_{\text{CAL}} + C_{\text{CAL}} + D_{\text{CAL}}}{4A_{\text{CAL}}}$$

$$B_{\text{Corr}} = \frac{A_{\text{CAL}} + B_{\text{CAL}} + C_{\text{CAL}} + D_{\text{CAL}}}{4B_{\text{CAL}}}$$

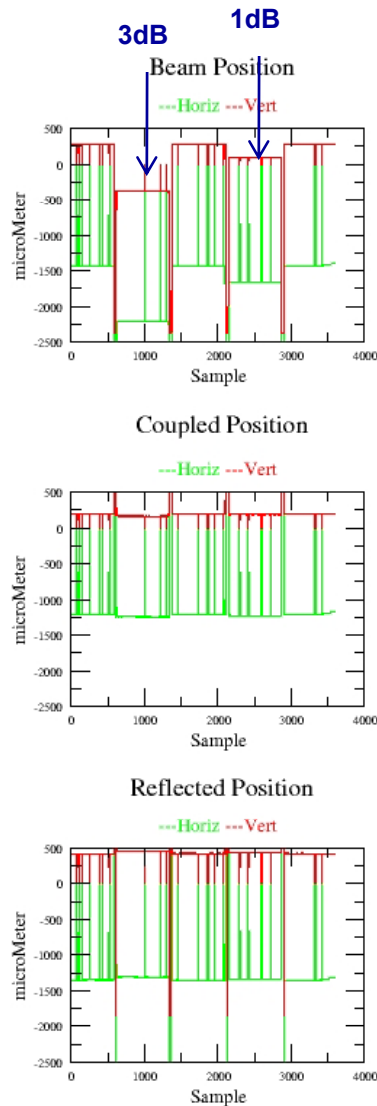
$$C_{\text{Corr}} = \frac{A_{\text{CAL}} + B_{\text{CAL}} + C_{\text{CAL}} + D_{\text{CAL}}}{4C_{\text{CAL}}}$$

$$D_{\text{Corr}} = \frac{A_{\text{CAL}} + B_{\text{CAL}} + C_{\text{CAL}} + D_{\text{CAL}}}{4D_{\text{CAL}}}$$

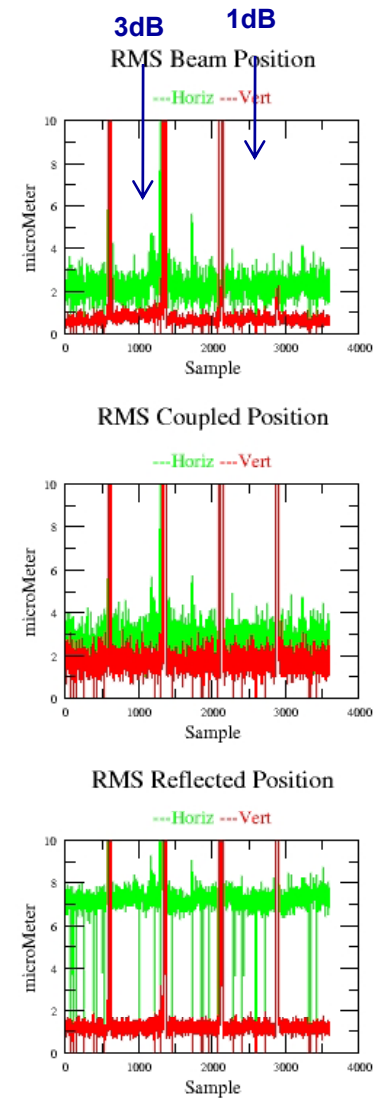
- **Corrected beam positions:**

$$\phi_{\text{Hcorr}} = \frac{(A A_{\text{Corr}} + D D_{\text{Corr}}) - (B B_{\text{Corr}} + C C_{\text{Corr}})}{A A_{\text{Corr}} + B B_{\text{Corr}} + C C_{\text{Corr}} + D D_{\text{Corr}}}$$

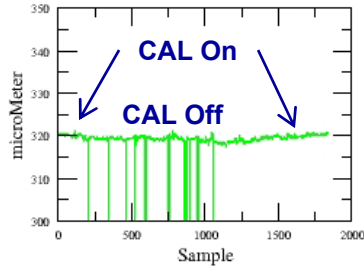
$$\phi_{\text{Vcorr}} = \frac{(A A_{\text{Corr}} + B B_{\text{Corr}}) - (C C_{\text{Corr}} + D D_{\text{Corr}})}{A A_{\text{Corr}} + B B_{\text{Corr}} + C C_{\text{Corr}} + D D_{\text{Corr}}}$$



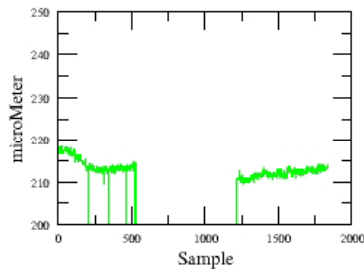
- Calibration on, datalogger on
- Comparing uncorrected, corrected (coupled-through), and corrected (reflected)
- Introduce large 3 & 1 dB gain errors.
- Automatic correction compensates the gain error almost completely!!
- Corrected beam position shows a slight increase of the RMS error (to be further studies!).



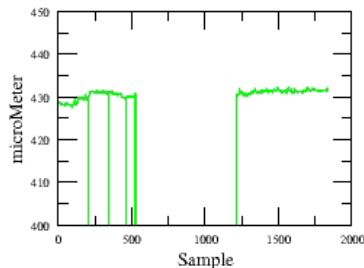
Vert. Beam Position



Vert. Coupled Position

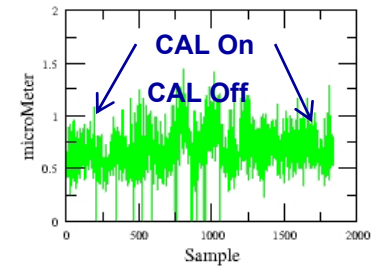


Vert. Reflected Position

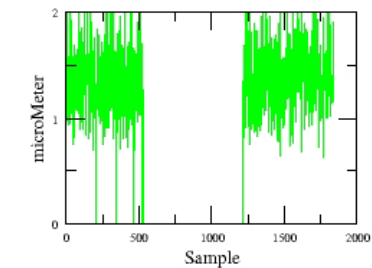


- **Calibration On/Off**
- **No change in vertical beam position observed!**
- **No influence on the RMS resolution observed!**
- **Too much beam motion in the horizontal plane (therefore not shown).**

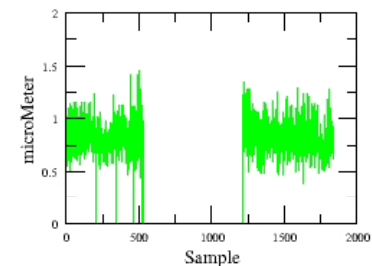
Vert. RMS Beam Position



Vert. RMS Coupled Position

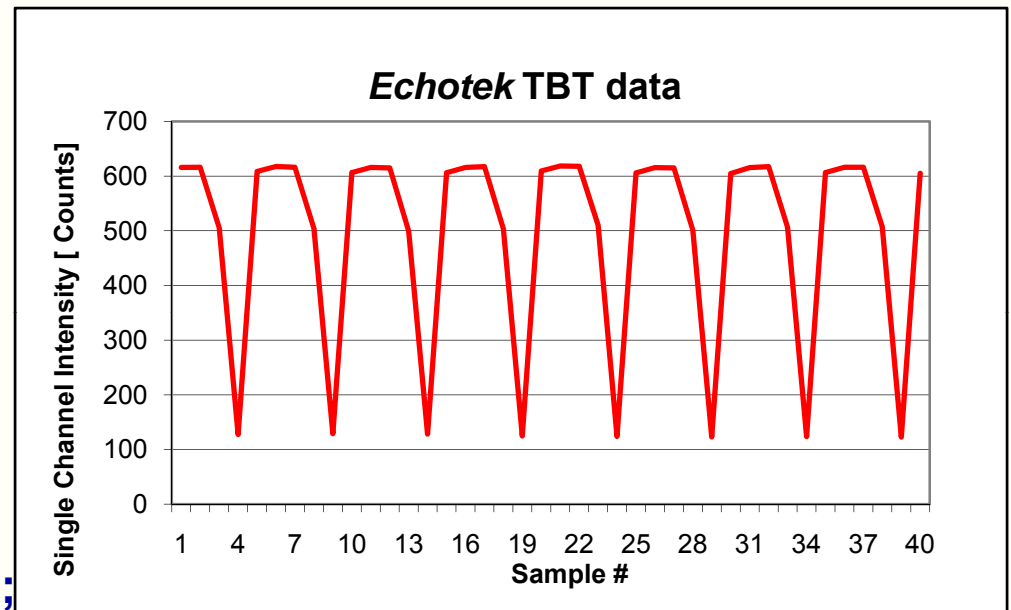


Vert. RMS Reflected Position

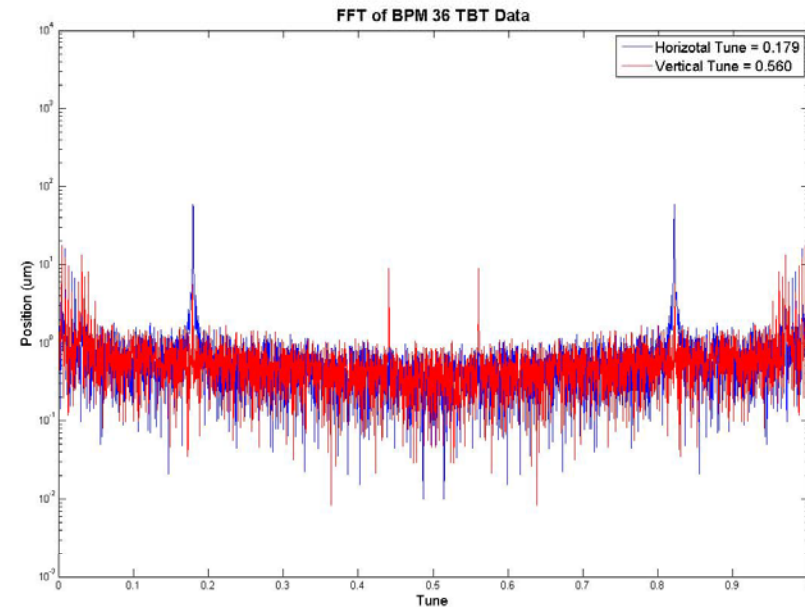
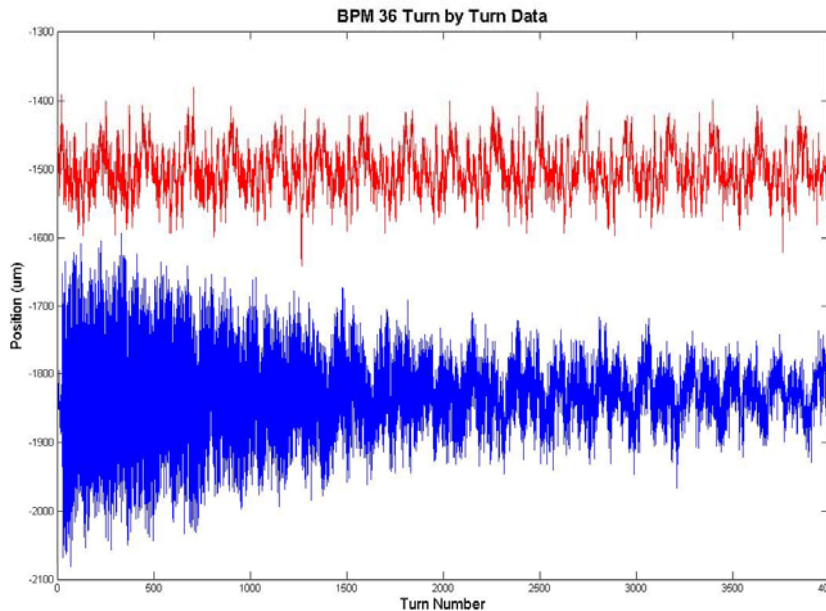


- Several “issues” had to be resolved:

- CIC & FIR digital filter impulse responses to resolve true turn-by-turn data (no “smearing”)
- Timing issues, e.g. channel-to-channel, as well as between BPMs and “houses” (VME crates); and of course the usual “seam” problem.



- In particular for the kicked beam TBT response tests:
  - Vertical beta at pinger is 0.5 m (12 times smaller than the horizontal one): we had to resort to injection oscillations -> lower resolution.



- Turn-by-Turn data BPM #36 (pinger: On)
- Identifying hor. and vert. tune lines (387 kHz, 1.212 MHz).
- Observed short time, broadband TBT resolution: few μm!
- **Observation of “fake” harmonics at  $n \times 10$  kHz (not  $f_s$ ), due to power supply EMI in the analog downconverter unit!**

- TBT data at the  $j^{\text{th}}$  BPM following a single kick in the  $z$ -plane ( $z \equiv x, y$ ):

$$z_n^j = \frac{1}{2} \sqrt{\beta_z^j} e^{i\Phi_z^j} A_z e^{iQ_z(\theta_j + 2\pi n)} + c.c.$$

– with

$n \equiv$  turn number,  $A_z = |A_z| e^{i\delta_z} \equiv$  constant of motion

$\Phi_z \equiv \mu_z - Q_z \theta$  (periodic phase function)

- Twiss functions:

$$\beta_z^j = |Z_j(Q_z)|^2 / A_z^2 \quad \mu_z^j = \arg(Z_j) - \delta_z$$

$Z_j(Q_z) \equiv$  Fourier component of  $z_j$

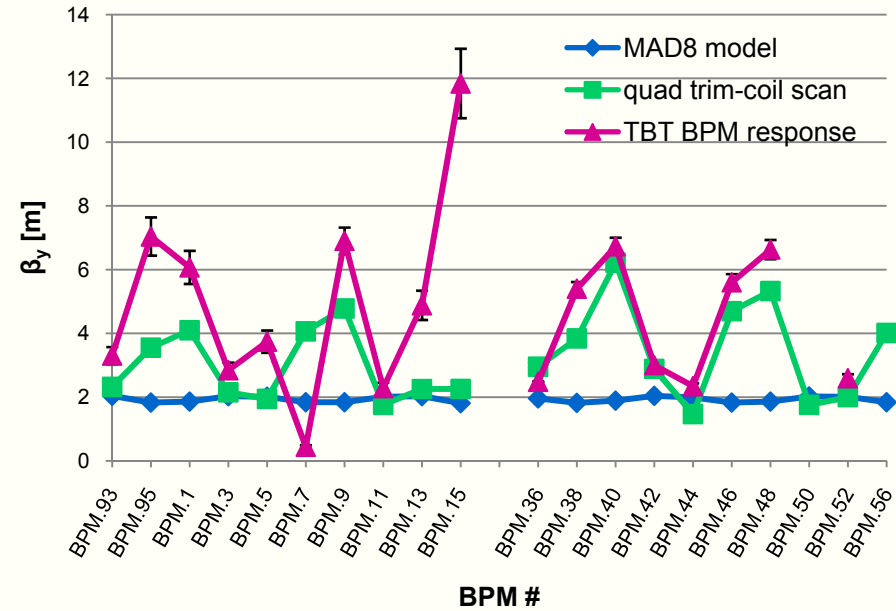
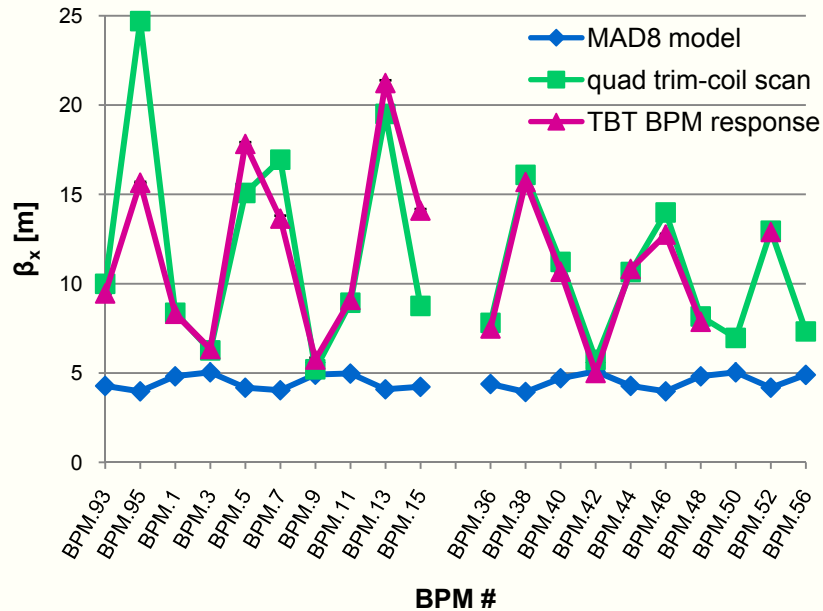
- Amplitude fit:

$$|A_z|^2 = \frac{\sum_j 1/\beta_z^{0j}}{\sum_j 1/|Z_j(Q_z)|^2}$$



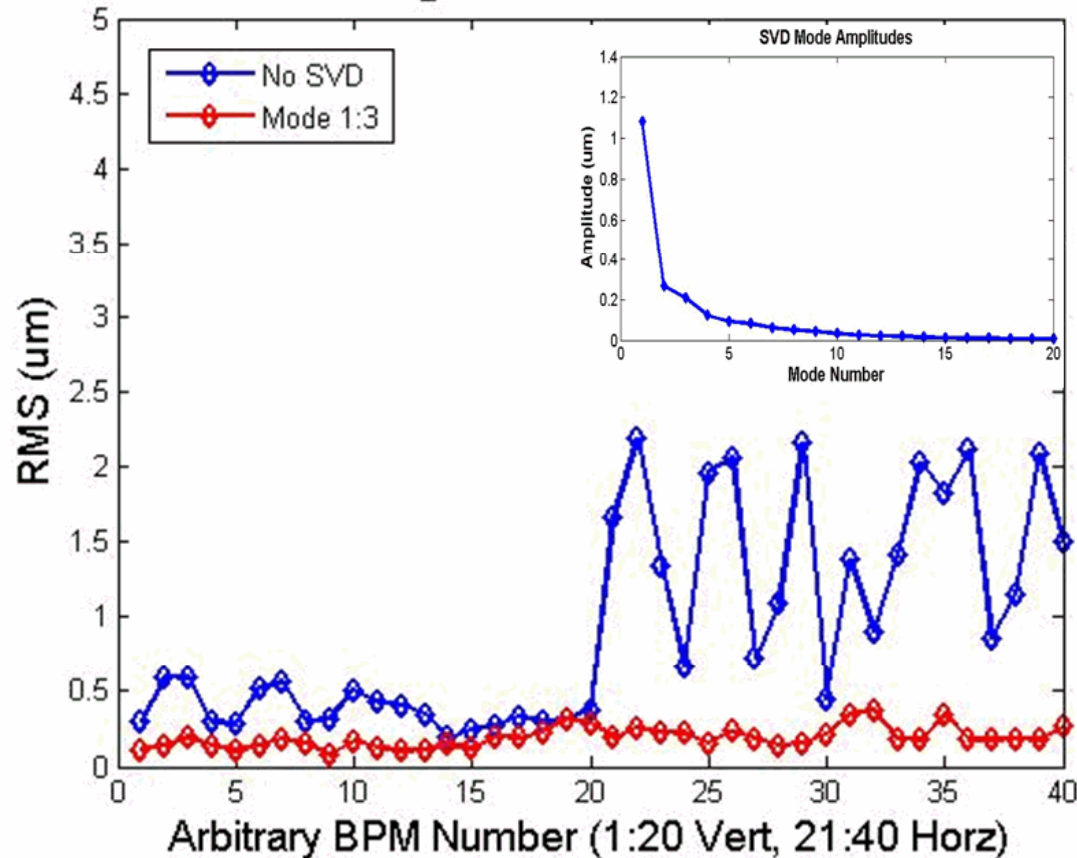


# Comparison: Measurements vs. Model

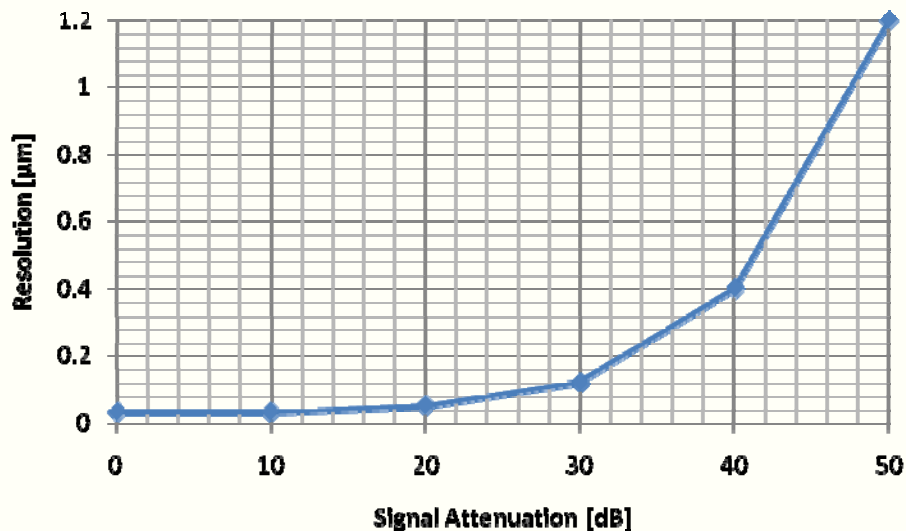


- MAD8 model (M. Woodley, marginal differences wrt. Kuroda SAD model).
- Nearby quadrupole trim coil scan (May 2008).
- TBT Fourier analysis, amplitude by fit to beta measured through trim coil scan (April 2008).

Single Shot BPM RMS



- Triggered at turn #500,000
- ~200 ms position data per shot (1280 narrowband mode BPM measurements).
- 126 tap box car filter to reject 50 Hz:
  - ~ 800 nm resolution
- SVD analysis, removing modes with hor./ vert. correlation:
  - ~200 nm resolution



## Theoretical:

- ADC SNR: 75 dB
- Process gain: 40.4 dB
- NF 1<sup>st</sup> gain stage: ~ 1 dB
- CAL tone level: -10 dBm
- Splitter attenuation: 6 dB
- Effective gain: ~ 100 dB
- BPM sensitivity: 240 μm/dB
- Calculated equivalent resolution: ~ 20 nm

**CAL tone resolution measurement  
on BPM #56: ~30 nm(!) equiv. resolution  
(no beam operation at ATF!, magnets off)**

- **Need to resolve known issues (cannot resolved remotely!):**
  - Two defect downmix units
  - EMI interference into downmix electronics
- **Need a revised plan for BPM upgrade:**
  - Total number of BPMs
  - Verify current upgrade concept
  - Detailed cost analysis
- **Need funds(!):**
  - Travel for hardware repairs and improvements, e.g. synchronize VME crates, increase clock rate (32 -> 40 samples/turn), etc.
  - New BPM installations
- **Most soft-/firmware activities & beam studies:  
Remote operation!**