



# CHEF: Recent Activity

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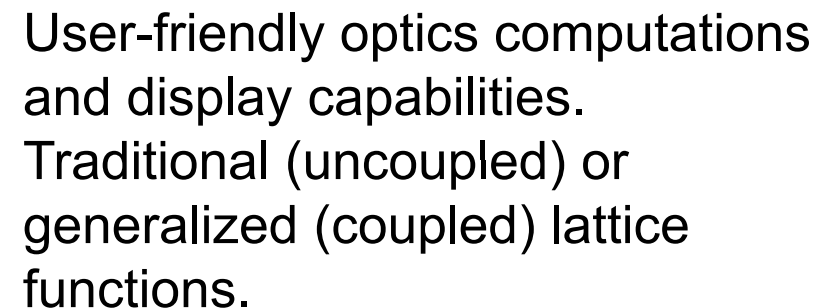
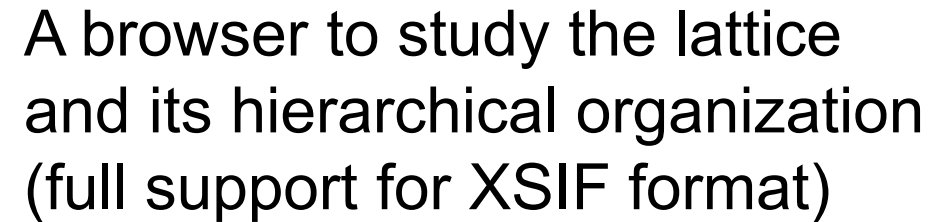
Observations about Dispersion  
in Linacs

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FNAL



# What is “CHEF” ?

- A framework for beam dynamics simulations consisting of a set of libraries organized hierarchically + python bindings + a standalone application
  - Written in “modern” C++ (use STL and templates extensively)
  - Originally not written specifically with Linacs in mind.
  - Most C++ compiled functions are available from Python.
  - Main advantages: Python is absolutely free and in widespread use
- Originally designed for proton rings and beamlines; subsequently adapted for high energy linacs
- - The code provides facilities for both conventional tracking and map computations using automatic differentiation. The same generic code is used for both functions.
  - From time to time, features have to be implemented to accommodate special needs. Since most simulation codes are dominated by “bookkeeping” ; the philosophy was to make the “bookkeeping” as generic as possible to and minimize need for “re-invention” or duplication.
- Some Distinctive Features
  - No paraxial approximation
  - Can accurately accommodate large  $dp/p$
  - Internally uses 6D canonical variables (rather than optical) variables
  - No inherent relativistic ( $\beta \sim 1$ ) approximation
  - In principle, can track phase space “patches” using DA variables.





# Status

- Starting early 2008, following budget problems, CHEF LC specific code development slowed down significantly.
- Earlier LET work had shown good to fair agreement between CHEF and other codes, but some differences remained.
- We are in the process of running a series of systematic, basic tests to understand these differences.

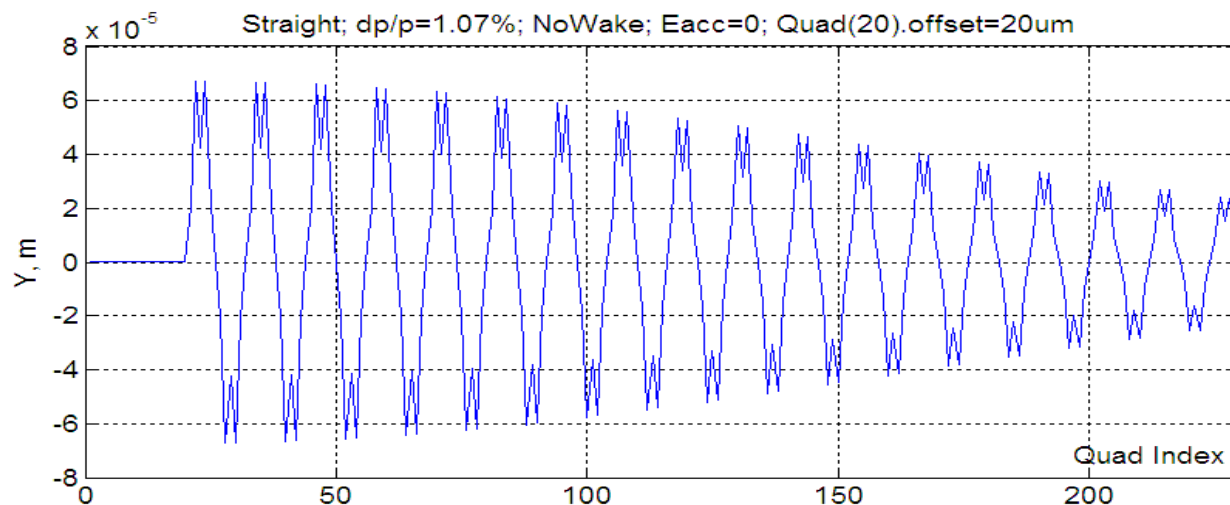


## Some Sample Tests

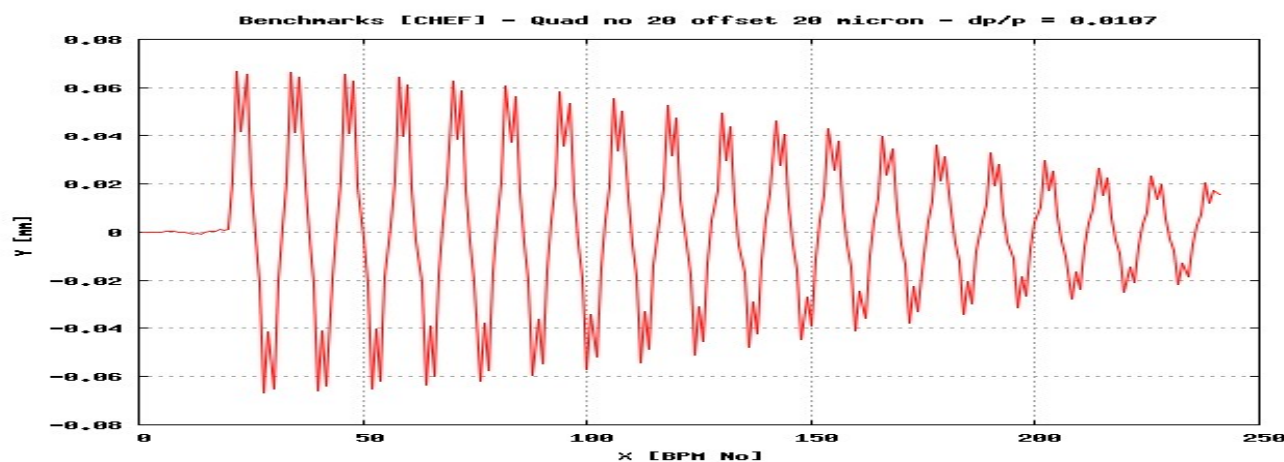
- Assumptions (tests 1a,1b, 2a,2b)
- nominal  $dp/p = 0.0107$
- All tests assume a “straight” linac  
(to avoid emittance correction issues)
- No girder misalignments
- No BPM misalignments



## Test No 1- One Misaligned Quad



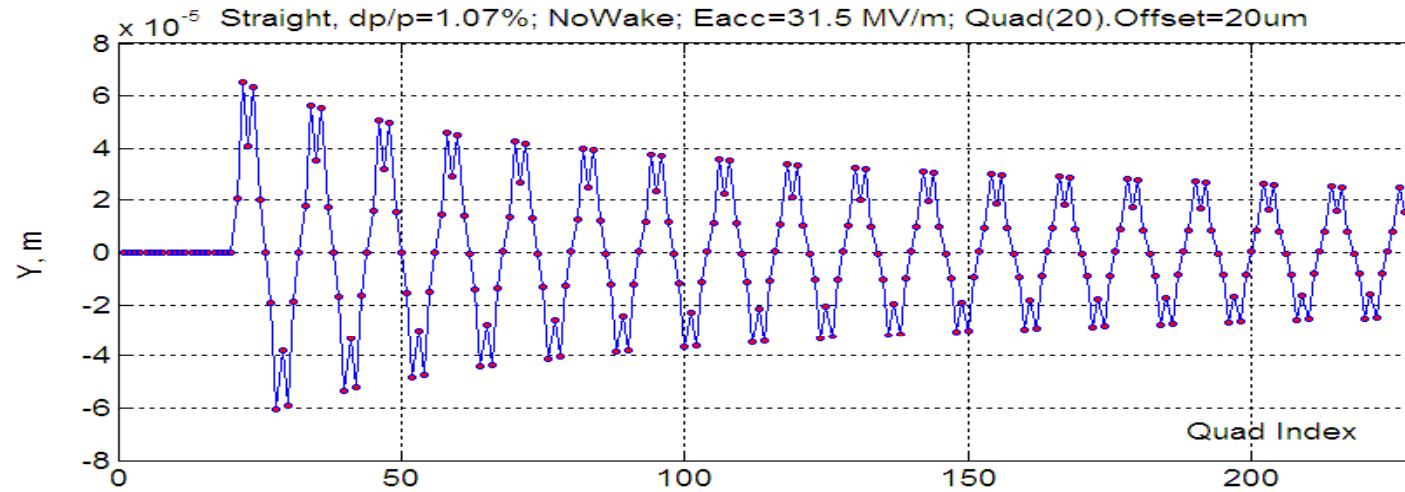
Lucretia



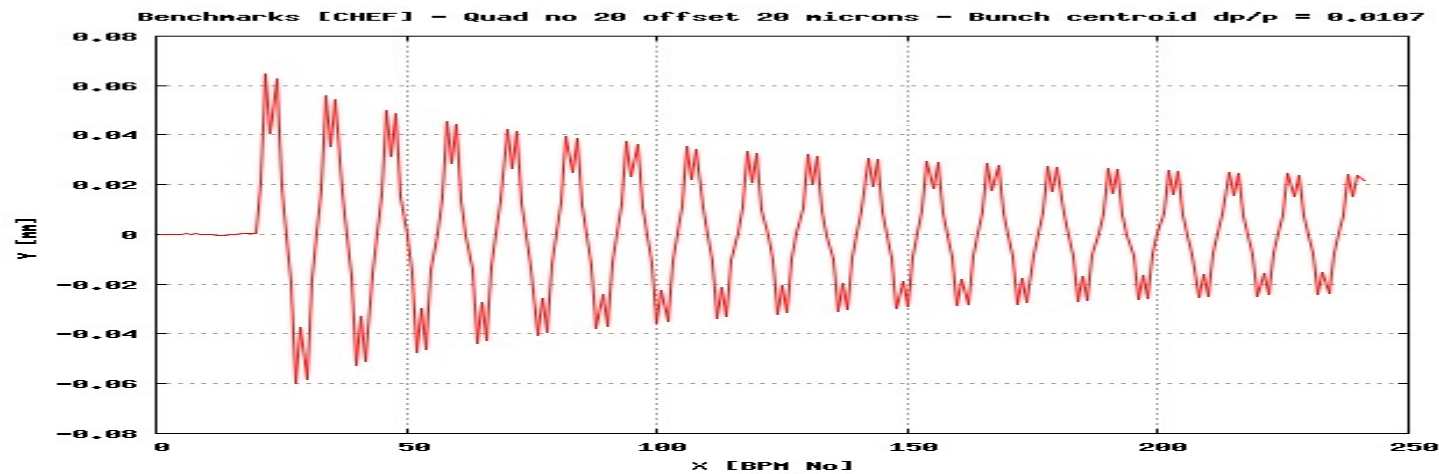
CHEF



# Test 1a: $\langle y \rangle$ (With Acceleration)



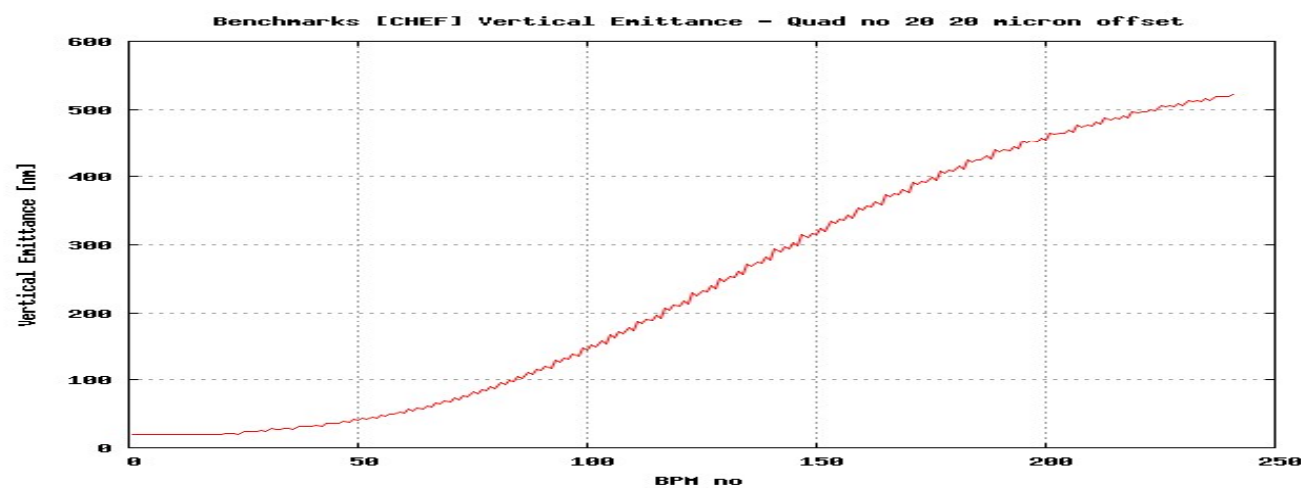
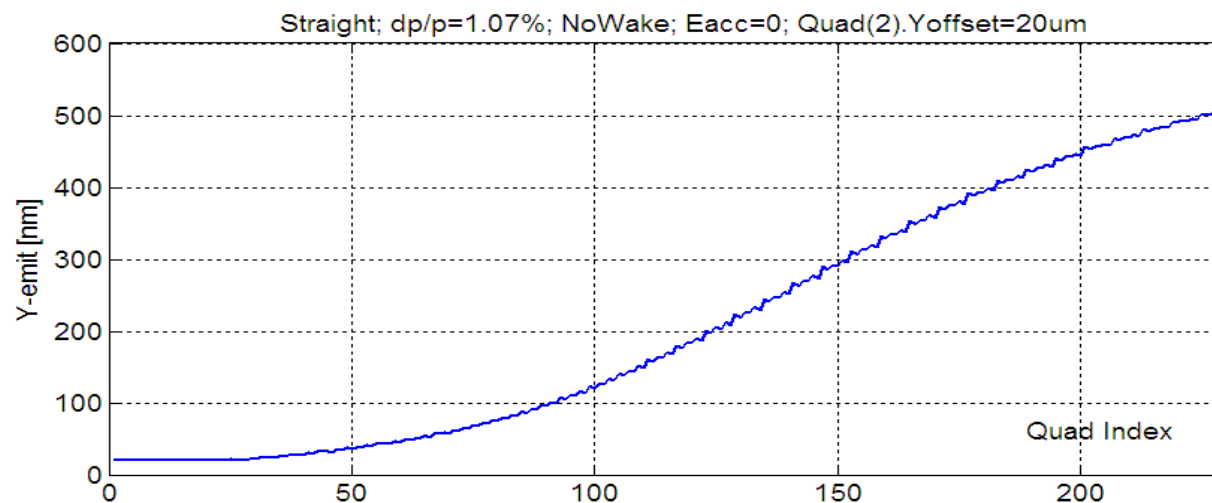
Lucretia



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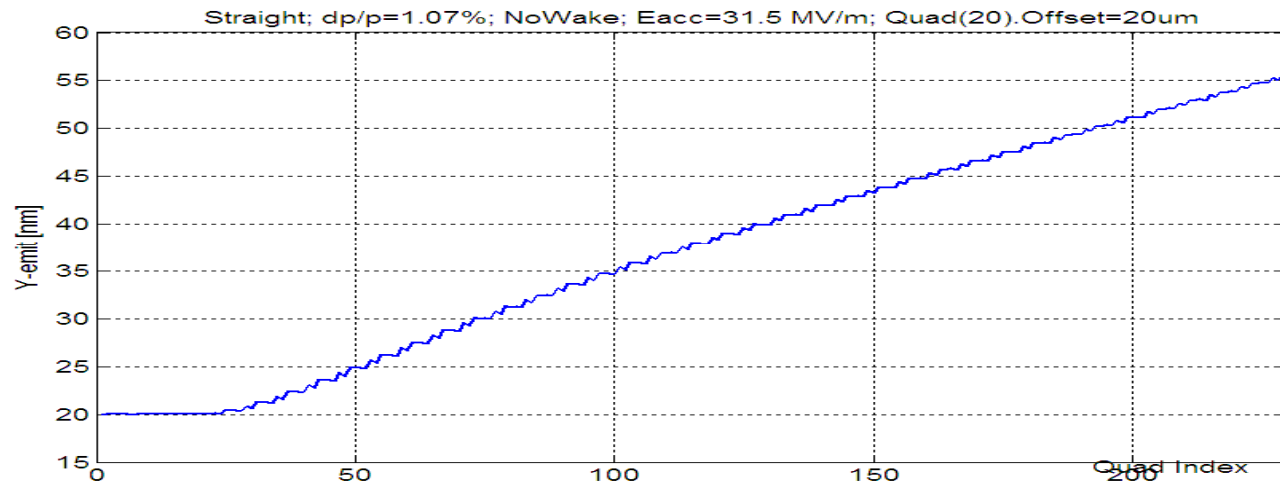
# Test No 1 – Vertical Emittance



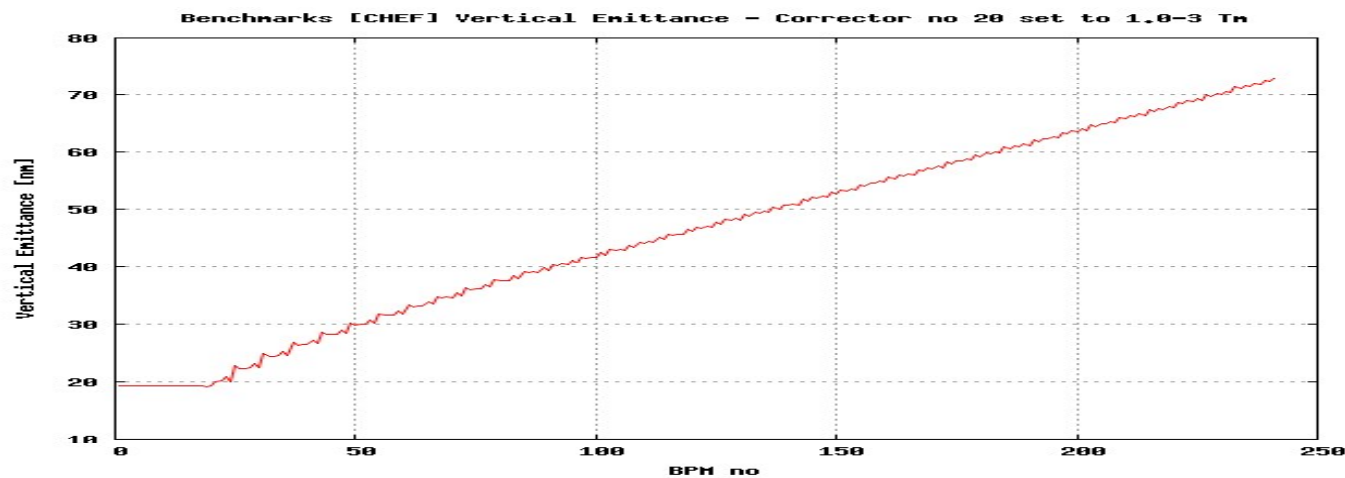




# Test 1a: $\epsilon_y$ ( with acceleration)



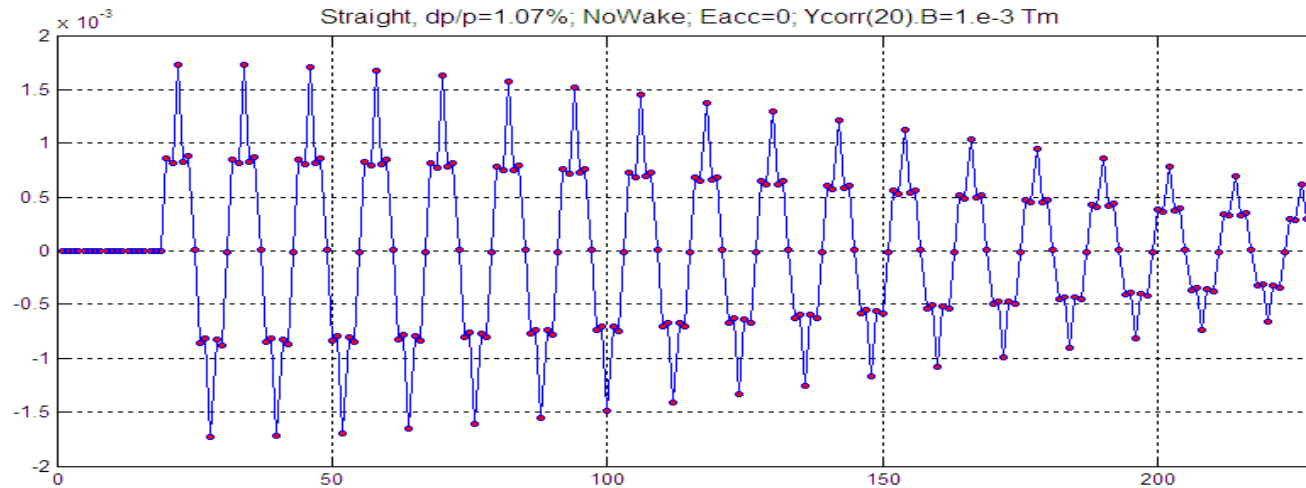
Lucretia



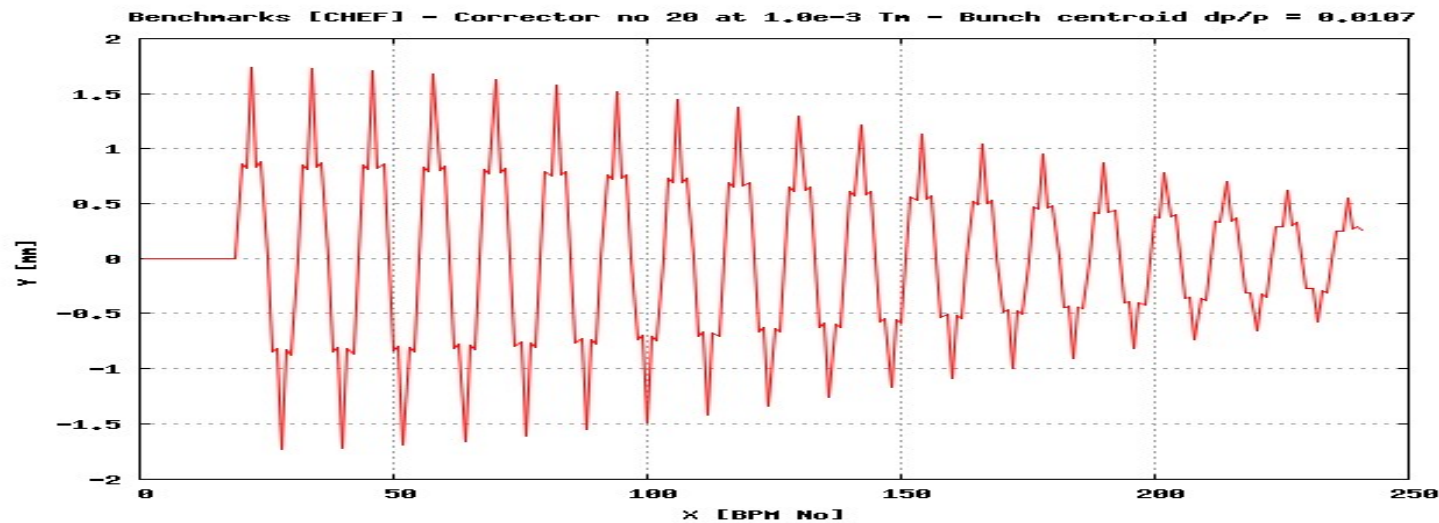
CHEF



## Test 2: a single corrector @ 1.0-3 Tm



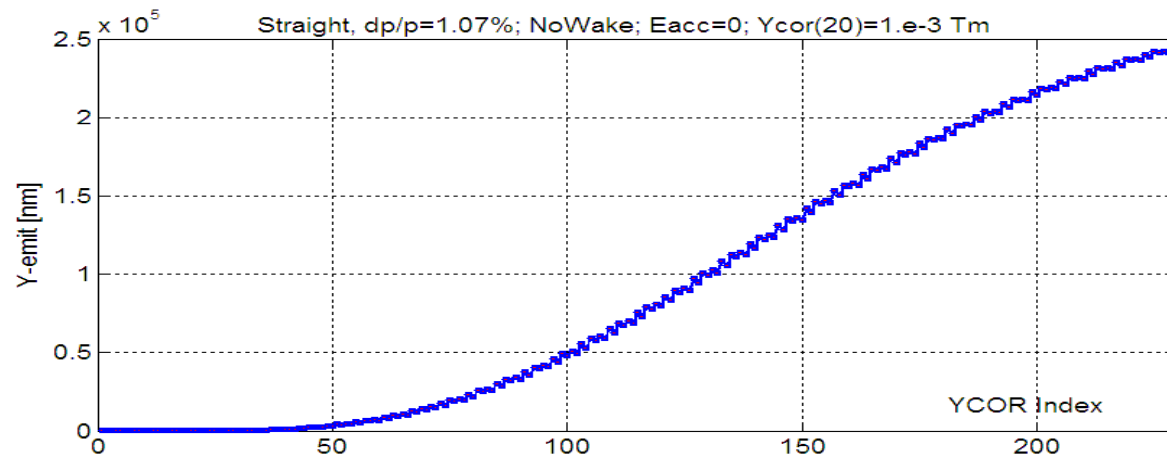
Lucretia



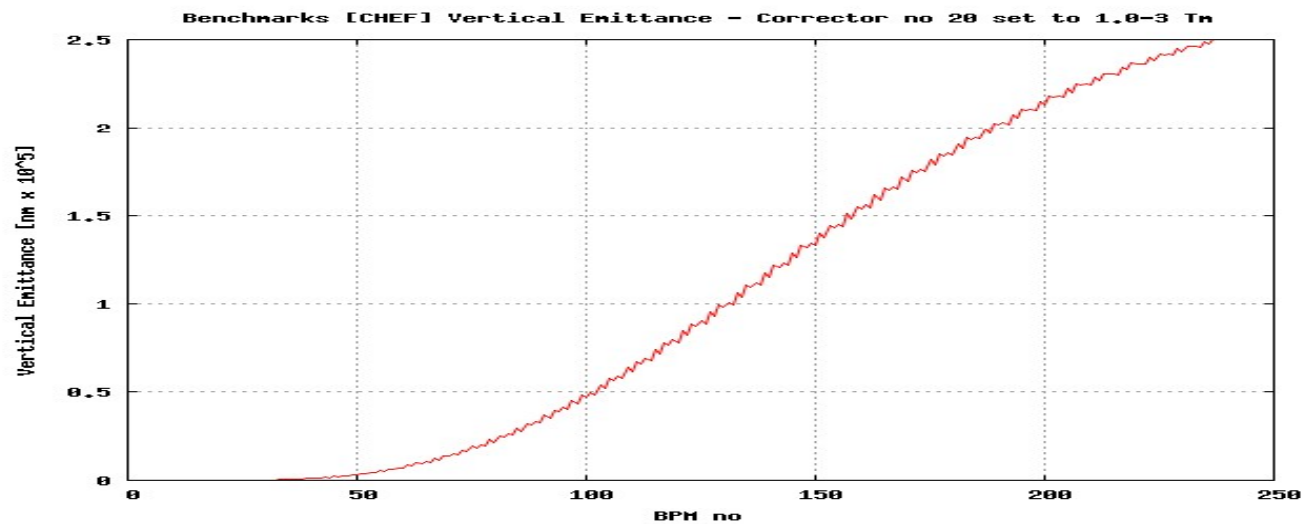
CHEF



# Test 2: emittance



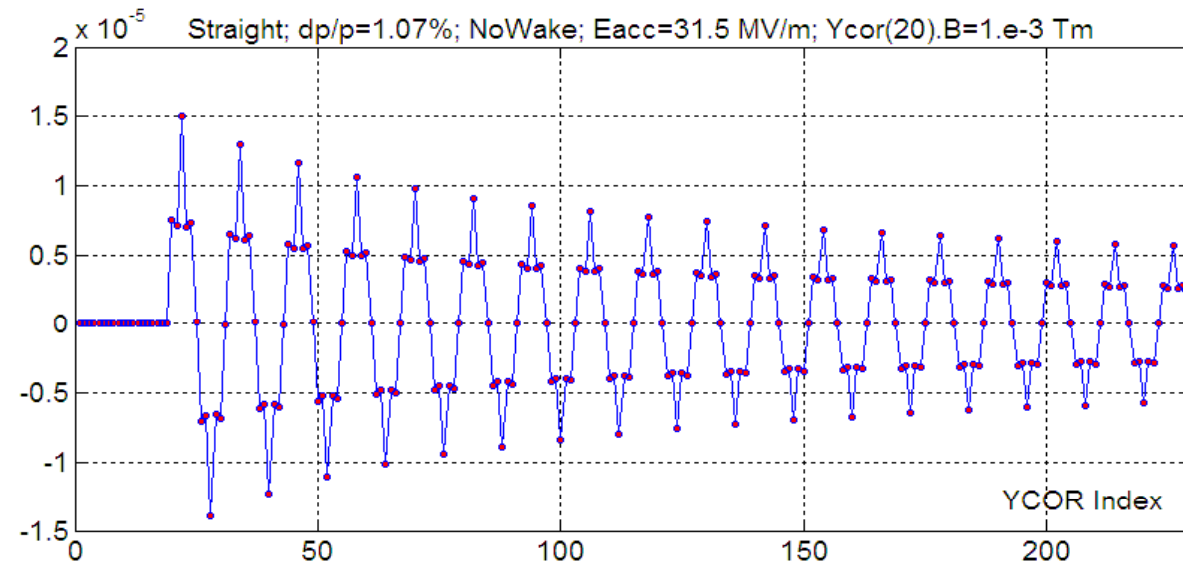
Lucretia



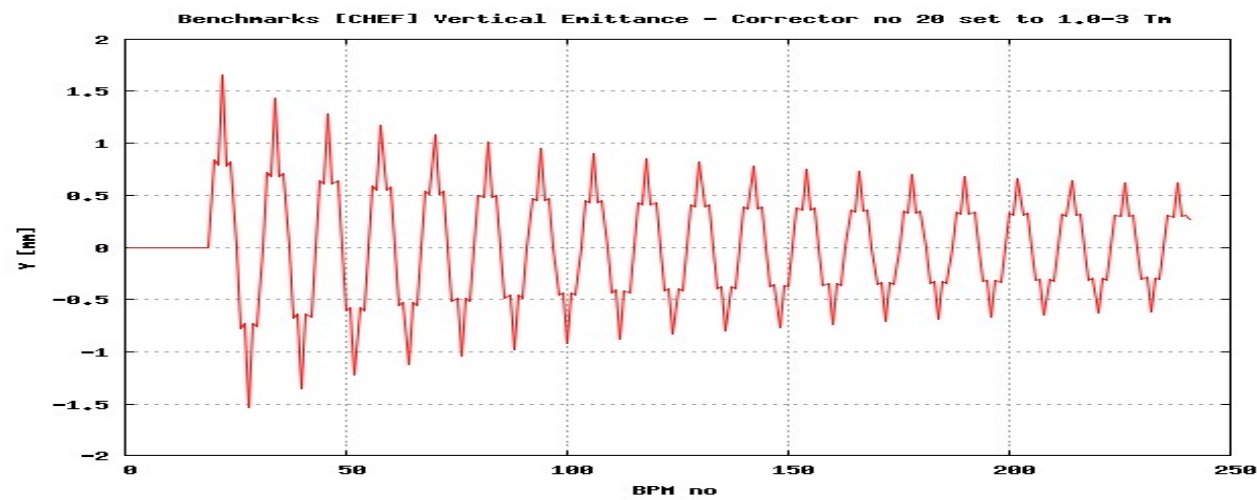
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# Test 2a (with acceleration)



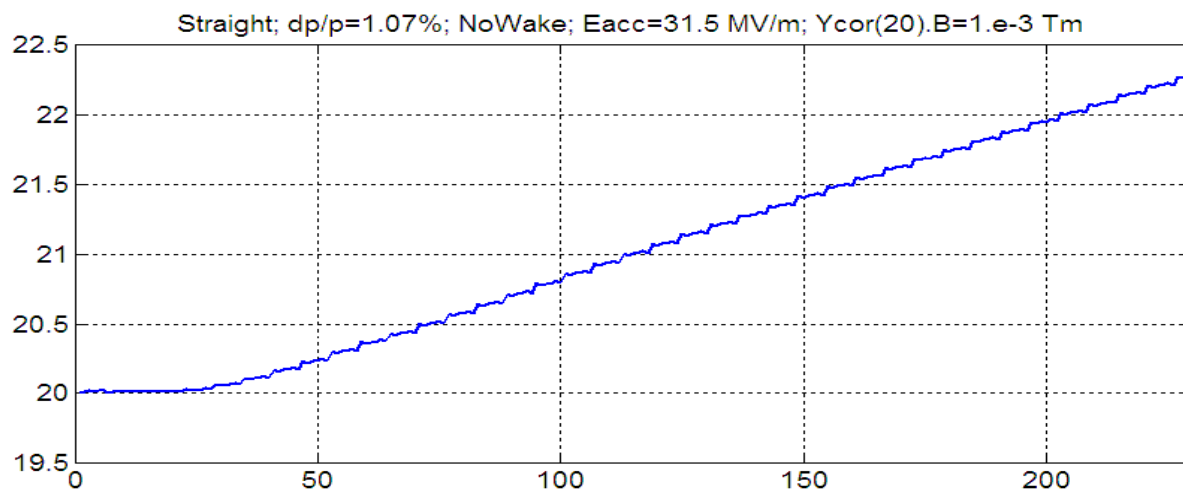
Lucretia



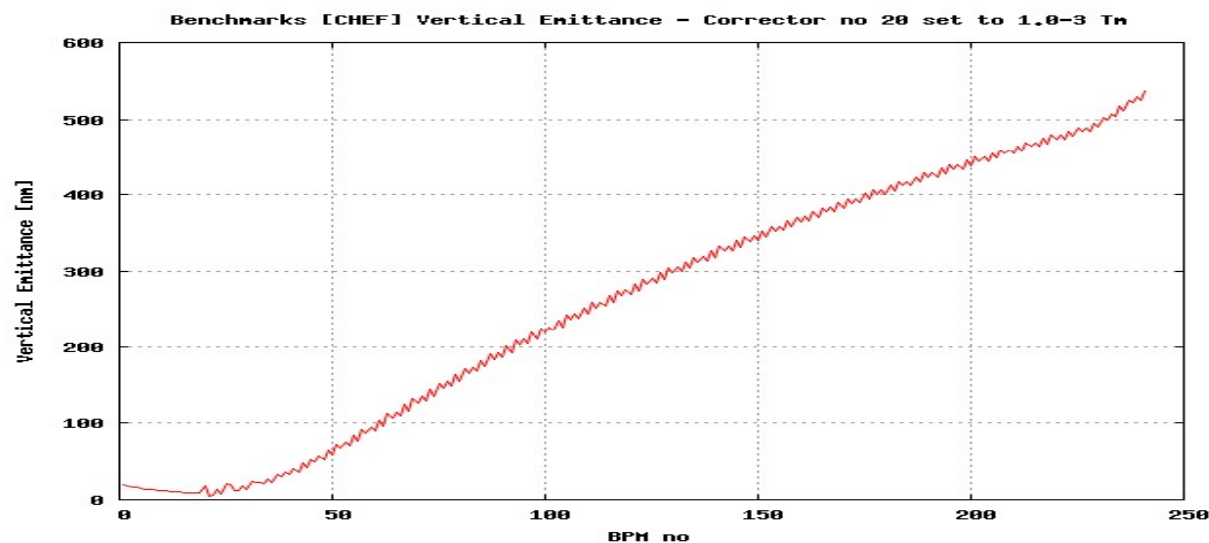
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# Test 2a (Acceleration ON)



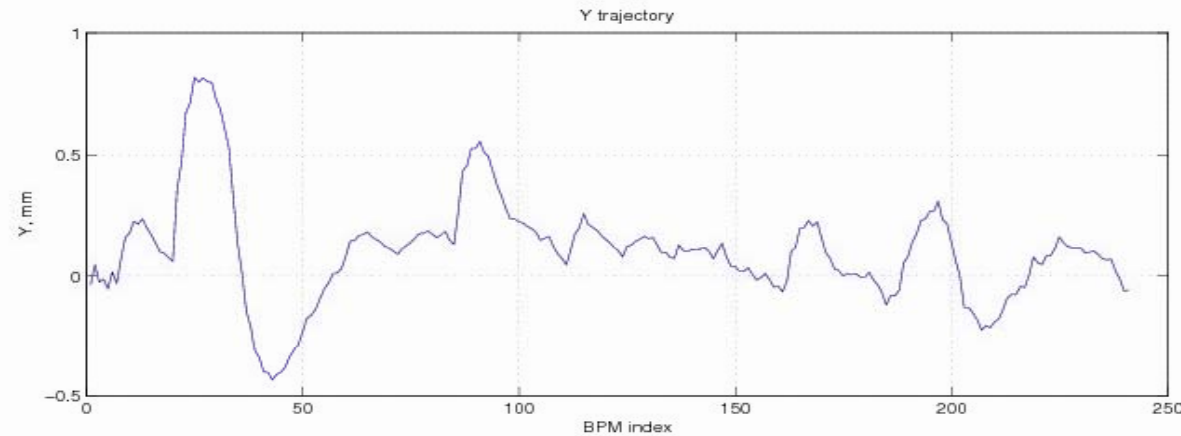
Lucretia



CHEF



## Test 3 – DFS Corrected Straight Linac -Trajectory



Lucretia

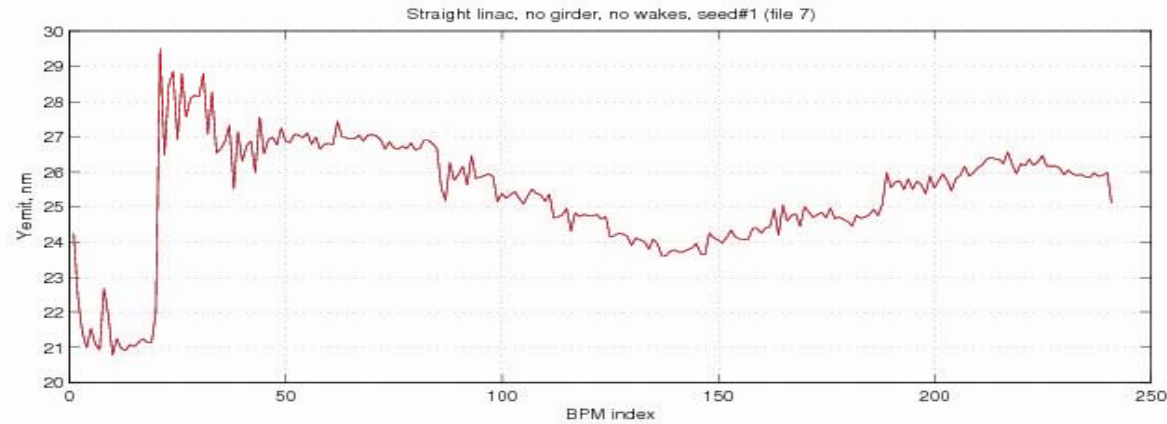


CHEF

Misaligned Quads, Cavities + DFS Corrector settings  
Agreement is excellent.



## Test 3: DFS Corrected Straight Linac Emittance Profile



Lucretia



CHEF

Close - but nevertheless we observe some discrepancies  
It is not clear yet what the source is.



# Linac Dispersion

- In a ring, dispersive correction to the trajectory is fully defined by  $dp/p$  i.e.  $dx = \eta \cdot dp/p$
- In a linac, the dispersion function depends on initial conditions.
- In a linac, magnet strength is scaled so as to make the (quadrupole) optical strength constant for the reference particle
- For a given particle,  $dp/p$  is not constant during acceleration.



# Observations

- In comparing linac dispersion with other codes we observe some differences when acceleration is present.
- Since  $dp/p$  scales like  $\sim p/p_0$ , linac dispersion often defined as
- $[x(p_0+dp_0) - x(p_0)] / (dp/p)_0 * [p/p_0]$
- Periodic dispersion is very sensitive to deviations in optical periodicity.
- In applying the DFS algorithm to a curved linac, the nominal “dispersion” is subtracted out in the quadratic objective function. The optimum corrector settings depends somewhat on which “dispersion” is used.

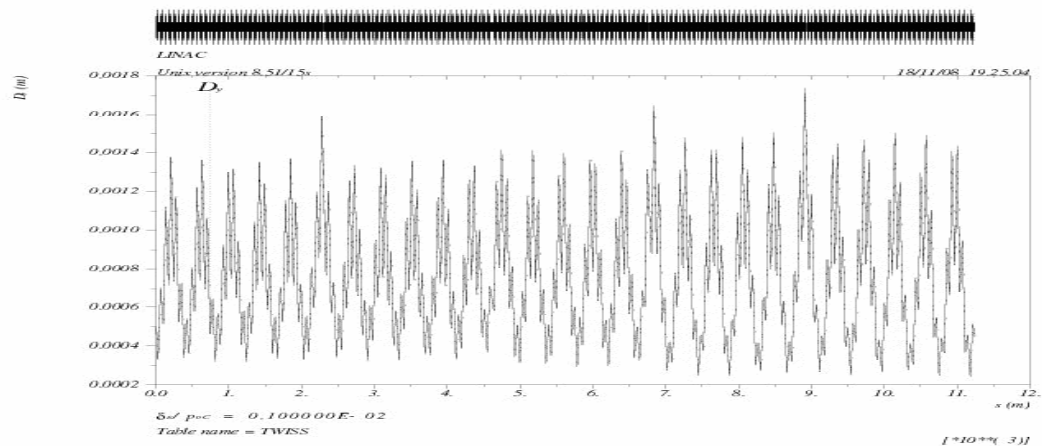


# How CHEF computes dispersion

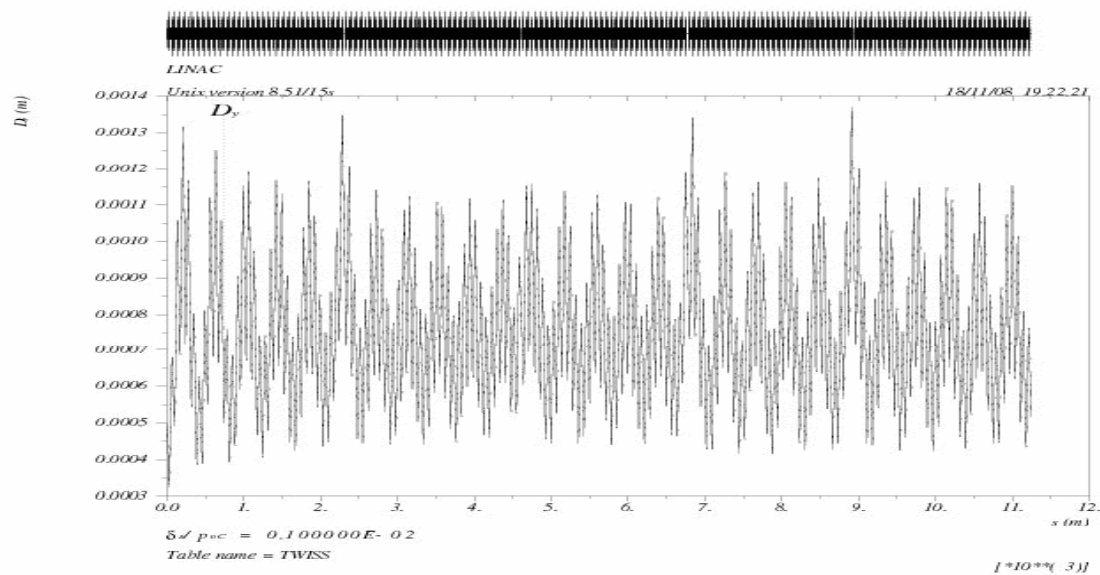
- A reference particle is sent through the linac and the magnet field are scaled so as to make the optical strengths constant for that particle.
- Method 1: A “JetParticle” is tracked through the linac. A JetParticle propagates the derivative of  $y$  w/r to  $dp/p$  to machine precision. The result is scaled by  $p/p_0$
- Method2: 2 particles with momentum  $p$  and  $p+dp$  are tracked through the linac. The results is scaled by
- $p/p_0$ .
- Method3: Same as 2, but this time, the acceleration gradient is modified by a factor  $1+dp/p$  so as to make  $dp/p$  constant.



# Dispersion (MADacc)



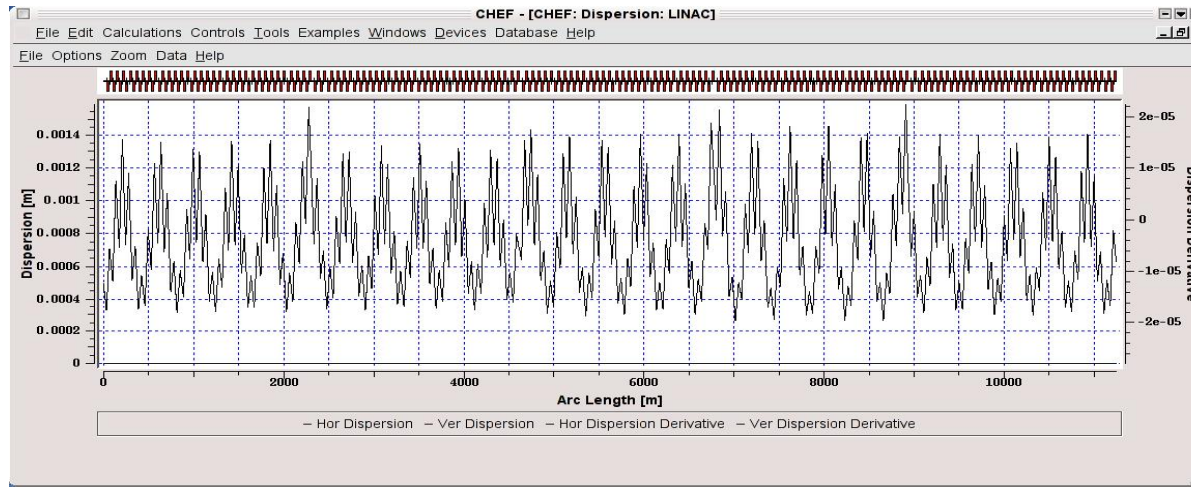
No Acceleration



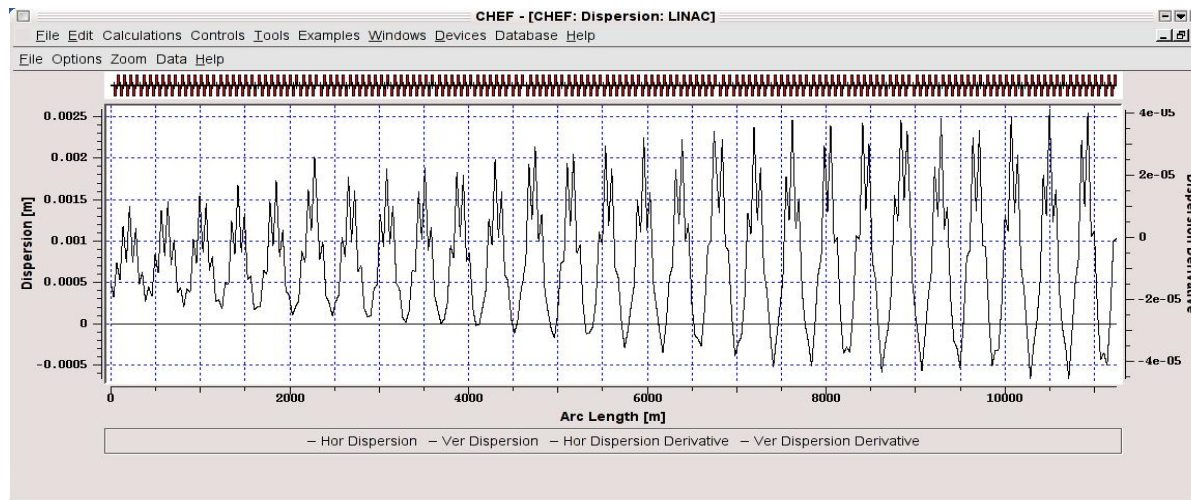
With Acceleration



# Linac Dispersion



Without Acceleration



With Acceleration  
Notice slow amplitude  
drift ..



# Conclusions

- Agreement between CHEF and Lucretia is generally quite good; nevertheless, some unexplained discrepancies remain.
- Predicted dispersion with acceleration exhibits a weak amplitude drift ... is this real and/or what causes that ?
- Although the manpower dedicated to this effort has been scaled back since last december, development of CHEF continues.
- For HE linacs, we intend to focus on improving the cavity representation to include asymmetric wakes (e.g RF coupler).
- Lucretia and Placet are also in regular use at FNAL; we plan to continue using - and possibly to improve - these codes and cross-check with them (A. Latina + A. Saini (GS) )
- Access to > 1 code is invaluable, in particular to uncover bugs and to understand the impact of approximations which may not always be fully appreciated.