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# Positron target modelling



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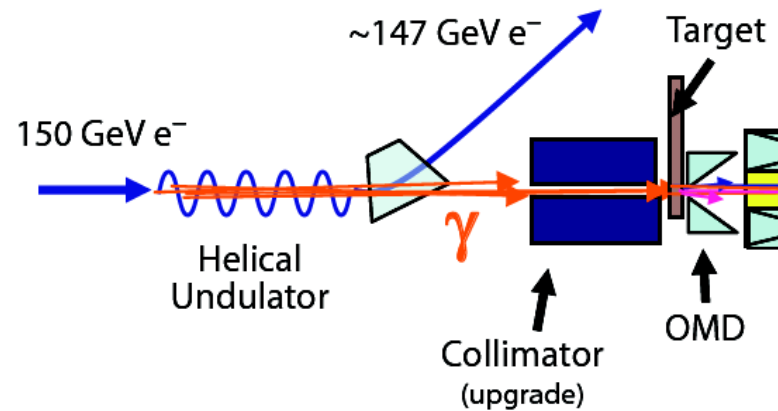
# Outline

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- Introduction
- Positron creation in target
- Thermal shocks in target
  - Initial energy deposition
  - Hydrodynamic model for heat flow
- Summary and outlook

# Introduction

- Positron source, e.g. ILC RDR:



- Polarized  $\gamma$  on target  $\Rightarrow$  polarized  $e^+$
- Leading production process:  $e^+e^-$  pair creation
- Possible problems: thermal shocks in target
- Rotating wheel targets
- Prototype in Daresbury (Ti alloy)

[I. Bailey, L. Jenner, talks at Zeuthen meeting, April 2008]

- Alternatives: Liquid metals (Bi-Pb, Hg) [e.g. A.A. Mikhailichenko, CBN06-1, 2006]

# Positron creation in target

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[e.g. A.A. Mikhailichenko, PhD Thesis, 1986 (CBN 02/13, 2002)]

[K. Flöttmann, PhD Thesis, 1993]

[V.N. Baier, V.M. Katkov, Phys. Rept. **409** (2005) 261]

- Leading process:  $e^+e^-$  pair creation
- Quasi-classical approximations
- Simulation with e.g. GEANT, FLUKA
  - tested against data
- Program CONVERSION.EXE [A.A. Mikhailichenko]
  - Includes: undulator → target → lens → acceleration
  - Output: efficiencies, effective polarizations
    - hard to test/compare details of processes in target

# Thermal shocks in target

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- Rapid energy deposition of  $\gamma$  beam  $\Rightarrow$  pressure shock wave
- Hydrodynamic model [e.g. A.A. Mikhailichenko, CBN06-1, 2006]
  - $\rightarrow$  Temperature  $T = T(\vec{x}, t)$ , pressure  $P = P(\vec{x}, t)$   
described by hydrodynamical equations
- Simulations at LLNL and Cornell  
[talks at Argonne meeting, Sept. 2007, by T. Piggott and A.A. Mikhailichenko, respectively]
- Cornell simulations
  - FlexPDE
  - Results: *“Ti target not surviving with present margins”*

# Thermal shocks in target

## Plan: Check hydrodynamic model behind simulations

E.g. for Cornell simulations [A.A. Mikhailichenko, CBN06-1, 2006, talk at Argonne meeting]

- Temperature:  $\nabla(k\nabla T) + \dot{Q} = \rho c_V \dot{T}$

$\dot{Q}(\vec{x}, t)$ : density of energy deposition;  $c_V$ : heat capacity

- Pressure:  $\ddot{P} - \nabla(c_0^2 \nabla P) = \Gamma/V_0 \dot{Q}$

$c_0$ : speed of sound;  $\Gamma = \Gamma(V) = V/c_V(\partial P/\partial T)_V$

- Gaussian distribution of energy deposition:

$$\dot{Q} = \sum_j \frac{2cQ_{\text{bunch}}}{\pi\sqrt{\pi}\sigma_z\sigma_{\perp}^2 l_T} \frac{z}{l_T} \exp\left(-\frac{(z+z_0-c(t-jt_0))^2}{\sigma_z^2}\right) \exp\left(-\frac{r^2}{\sigma_{\perp}^2}\right)$$

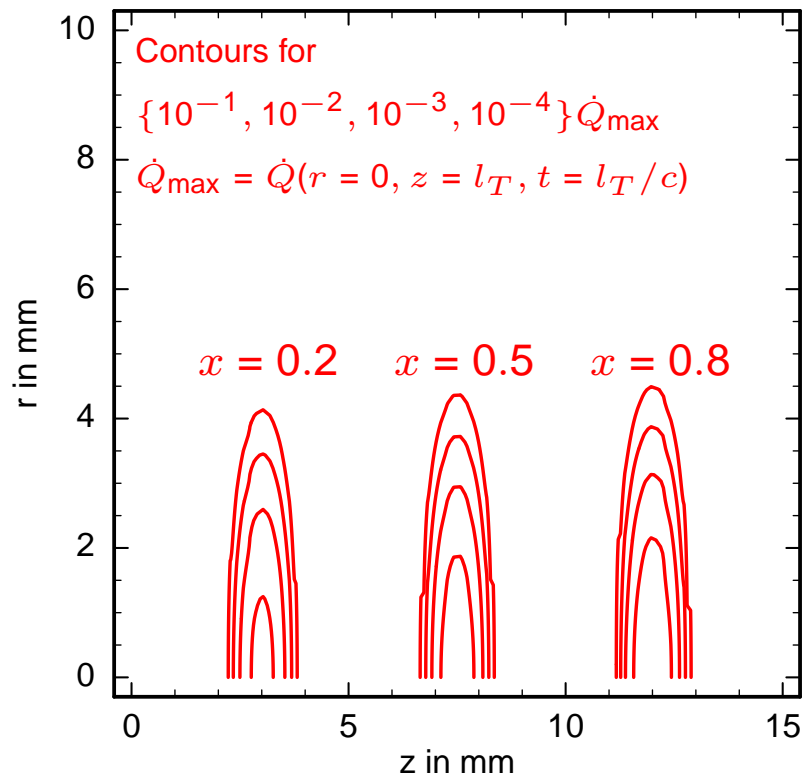
$\int \dot{Q}(\vec{x}, t) dV dt = Q_{\text{bunch}}$ ;  $\sigma_z, \sigma_{\perp}$ : bunch dimensions;  $l_T$ : target thickness

- Density of energy distribution:  $Q(\vec{x}) = \int \dot{Q}(\vec{x}, t) dt$

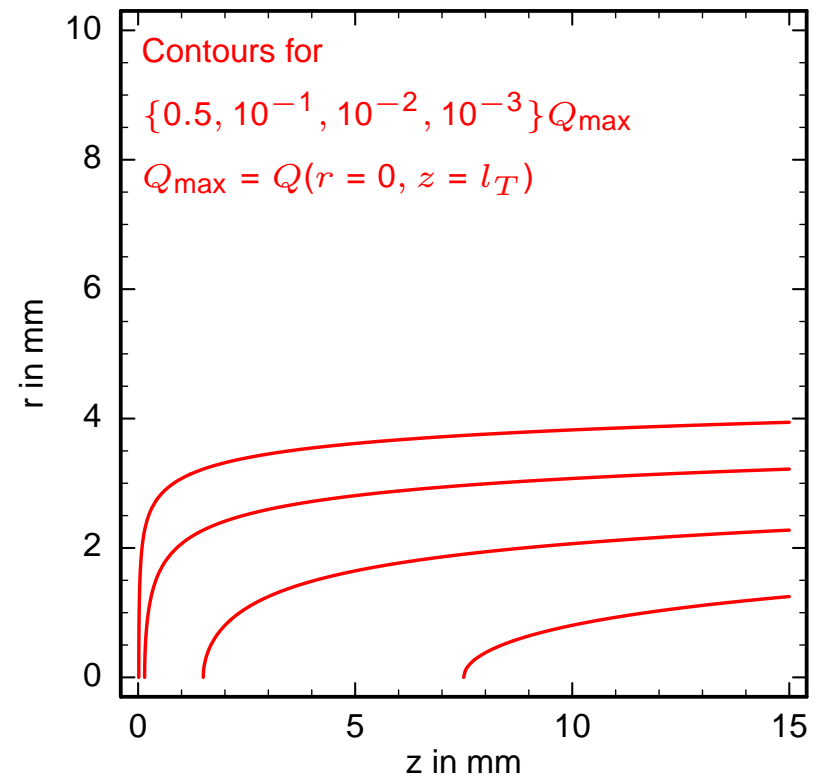
# Thermal shocks in target

For  $l_T = 15$  mm,  $\sigma_z = 0.3$  mm,  $\sigma_\perp = 1.5$  mm

$$\dot{Q}(\vec{x}, t = x \cdot l_T / c)$$



$$Q(\vec{x})$$



→ Energy deposition of one bunch

Time scale:  $l_T / c \sim 5 \cdot 10^{-11}$  s

→ instantaneous for hydrodynamical heat flow

# Thermal shocks in target

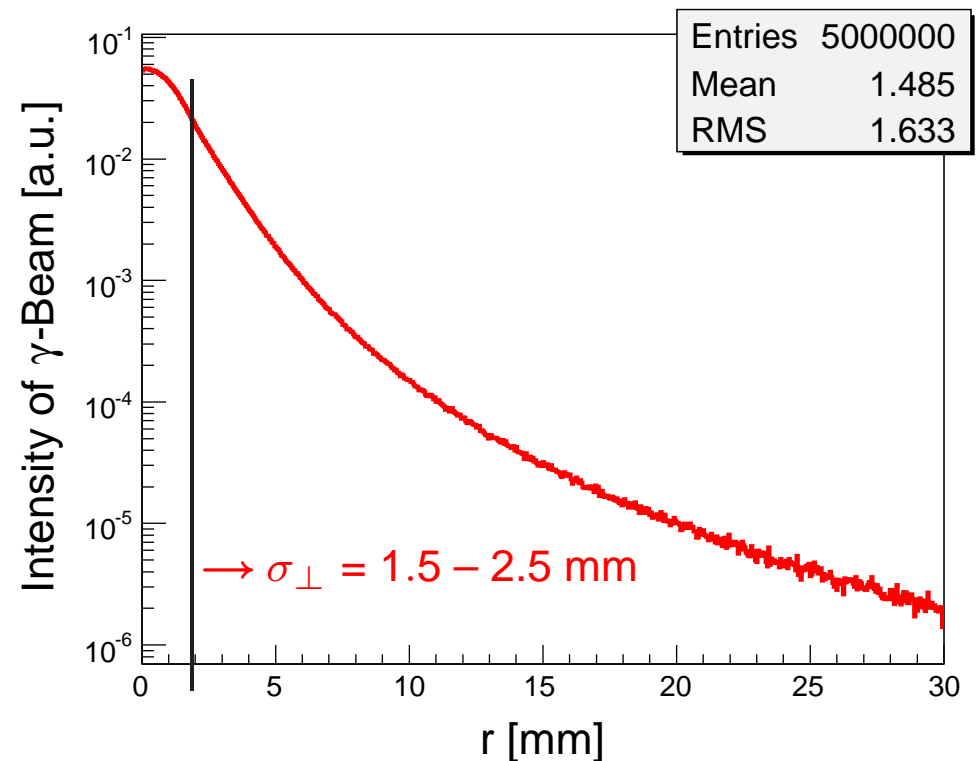
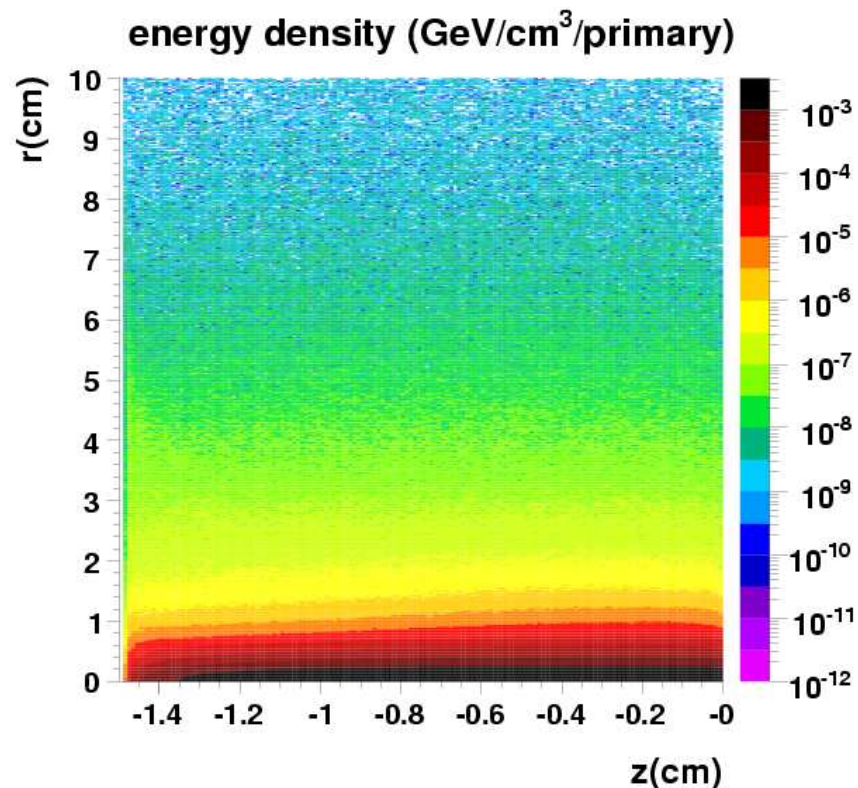
## Simulation with FLUKA

[Zeuthen group: S. Riemann, A. Schällicke, A. Ushakov]

Includes higher harmonics of undulator radiation

[A. Ushakov, talk at Zeuthen meeting, April 2008]

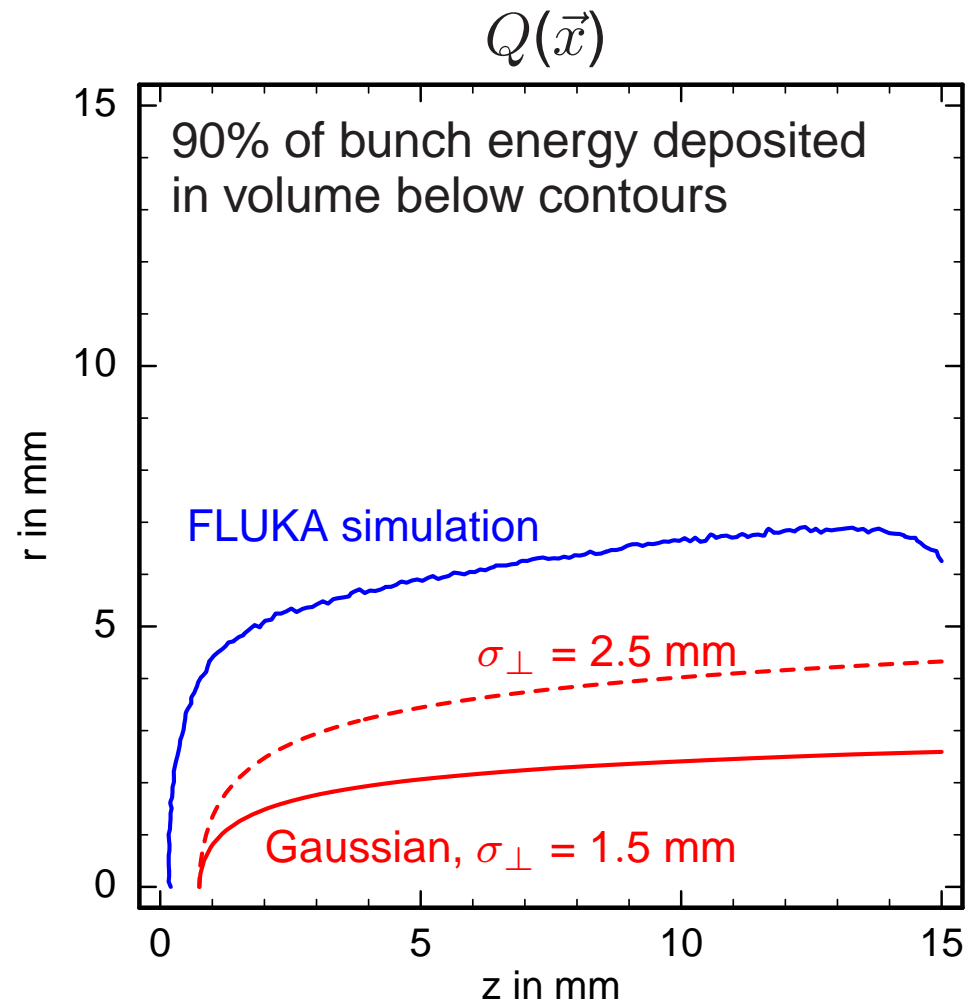
→  $\gamma$ -beam intensity extends to larger  $r$  than for Gaussian distribution





# Thermal shocks in target

## Comparison



⇒ In (more realistic) FLUKA simulation **the energy is distributed in larger volume** than in Gaussian approximation

# Thermal shocks in target

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## To do

### Apply hydrodynamical model

- Relevant **time scale**  $\sim 10^{-7}$  s (governed by speed of sound)
  - $\Rightarrow$  energy deposition by 1 bunch is instantaneous (time scale  $\sim 5 \cdot 10^{-11}$  s)
  - $\rightarrow Q(\vec{x})$  defines initial temperature distribution
- Next step: solve partial differential equations for heat transport:  
$$\nabla(k\nabla T) + \dot{Q} = \rho c_V \dot{T}, \quad \ddot{P} - \nabla(c_0^2 \nabla P) = \Gamma/V_0 \dot{Q}$$
- Within **time scale**  $\sim 10^{-7}$  s also next bunch hits target

# Summary and outlook

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- Initial energy deposition in target

Cornell simulations: Gaussian approximation of  $\gamma$  beam intensity

→ bunch energy deposition in smaller volume  
than for FLUKA simulation

→ important issue if target survivability is discussed

- Combine efforts with studies about radiation damage in collimators

[J.L. Fernandez-Hernando, talk at LCUK Meeting, Birmingham, April 2008]

→ tests at ATF-KEK