

Experimental procedure for IP beta-tuning / transport at 3 IP waists

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Variable $\beta_{x,y}$ at longitudinally displaced IP

Beam size at focal point is a function of choice of FD effective focal length (L^*) and injected beam matching

→ L^* adjusted by FD strength

→ injected beam adjusted by

QM12,13,14,15,16

During commissioning, Honda monitor and wire scanner at displaced IP, respectively at -54cm and +39cm, with resolutions of 300-1000 nm.

Honda Monitor: 350nm – 1 micron

(-540mm from IP)

Carbon Wire: > 1 micron

(+390mm from IP)

Study on shifted IP+0.39m and IP-0.54m:

A. for IP-54cm, use the following procedure to get the focal point:

1) Use QM12~16 to obtain:

$$\beta_x = 4 \times \beta_{x\text{nominal}} \quad \beta_y = 4 \times \beta_{y\text{nominal}}$$

at the nominal IP.

2) Replace QM12~16 values obtained in 1) into files and fit QD, QF to obtain $\alpha_x = \alpha_y = 0$ at the nominal IP.

at IP displaced by 54cm (not converged, because it's nonlinear)

3) do it step by step:

each time use QD, QF values obtained in last iteration.

Example: start from initial IP with

$$\beta_x = 4 \times \beta_{x\text{nominal}} = 0.016\text{m}, \beta_y = 4 \times \beta_{y\text{nominal}} = 0.0004\text{m}$$

- IP-0.1m :

$$\beta_x = 0.015\text{m}, \beta_y = 0.0003\text{m}$$

- IP-0.2m :

$$\beta_x = 0.014\text{m}, \beta_y = 0.00027\text{m}$$

- IP-0.3m :

$$\beta_x = 0.013\text{m}, \beta_y = 0.0002\text{m}$$

- IP-0.4m :

$$\beta_x = 0.012\text{m}, \beta_y = 0.00013\text{m}$$

- IP-0.54m :

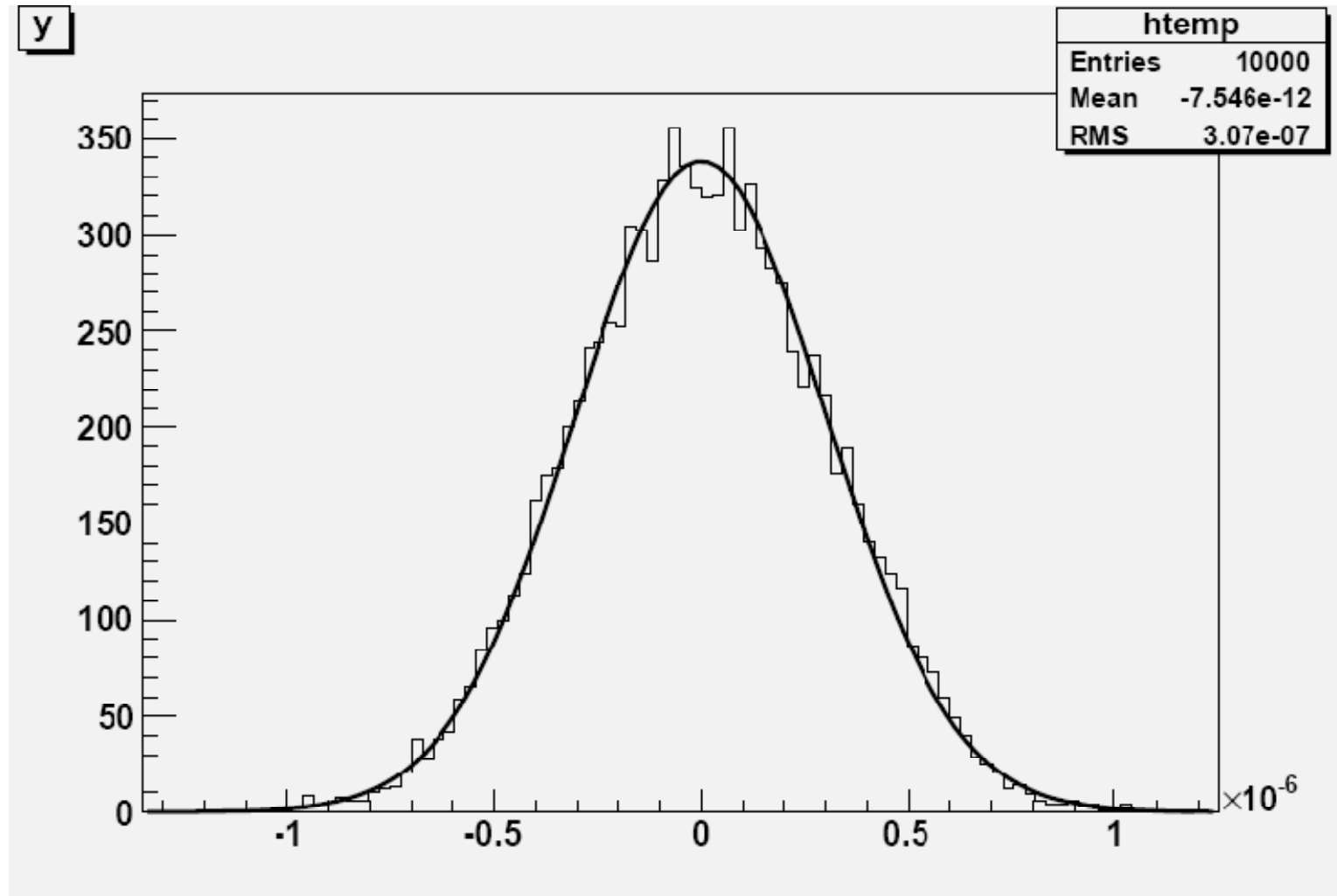
$$\beta_x = 0.004\text{m}, \beta_y = 0.0001\text{m}$$

4) fit all the five sextupoles to get:

$$T_{126} = 0, T_{122} = 0, T_{346} = 0, T_{342} = 0, T_{166} = 0$$

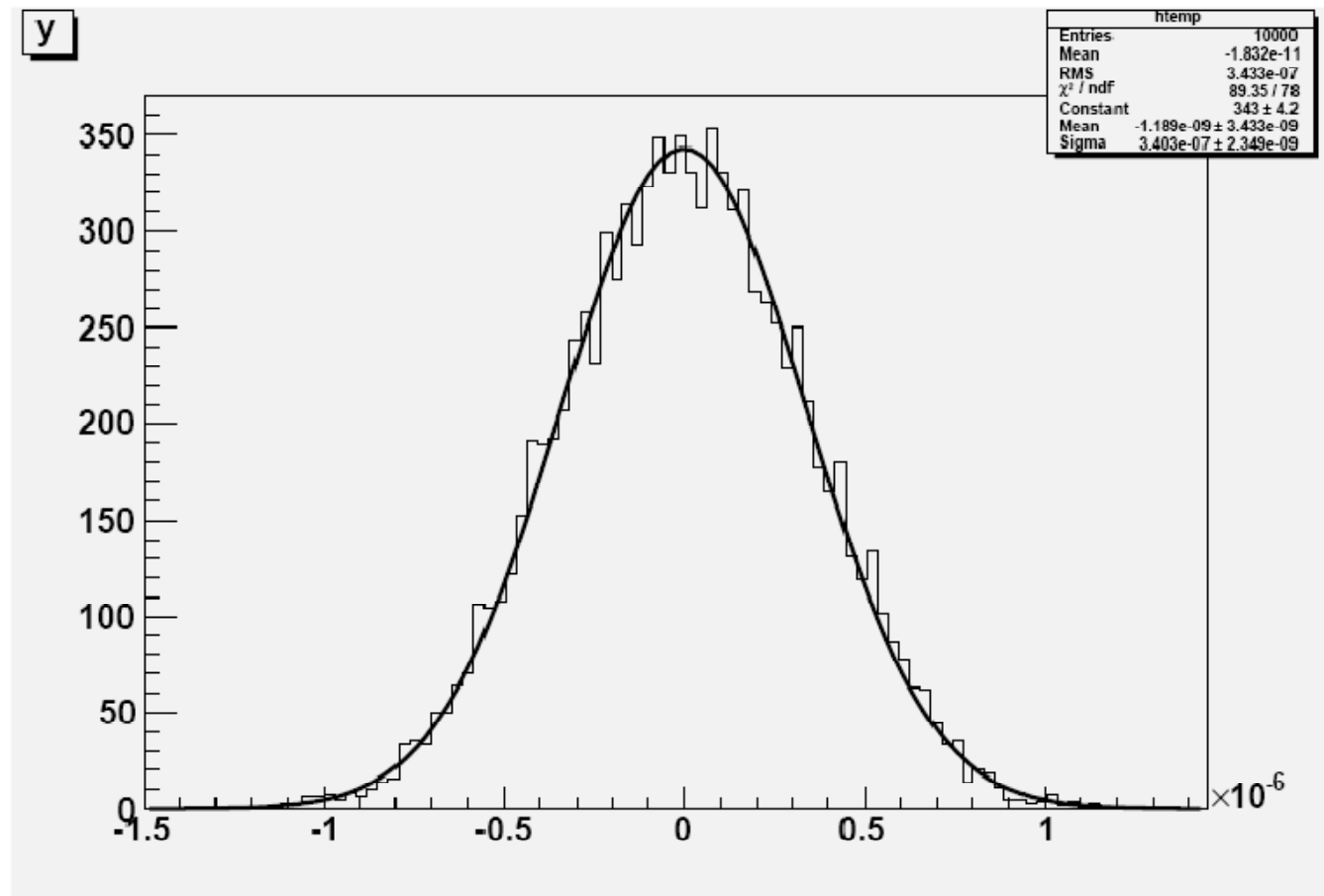
$80 \times \beta_{\text{ynominal}}$ at IP-54cm can be obtained by rematching...

Linear optics $\beta_x = 0.004\text{m}$, $\beta_y = 0.008\text{m} \rightarrow \sigma_y = 307\text{nm}$



$100 \times \beta_{\text{ynominal}}$ at IP-54cm:

Linear optics $\beta_x = 0.004\text{m}$, $\beta_y = 0.01\text{m}$ $\rightarrow \sigma_y = 340\text{nm}$



B. for the IP+39cm, use the following procedure to get the focal point:

1) use the nominal values of QM12~16 and fit QD0, QF1 in final doublet to obtain $\alpha_x = \alpha_y = 0$.

$$\text{KLQD0FF} = -1.117399\text{E}+00$$

$$\text{KLQF1FF} = 7.030126\text{E}-01$$

2) fit QM12~16 to get:

$$\beta_x = 0.04\text{m}, \beta_y = 0.08\text{m}$$

$$D_x = 0, \alpha_x = \alpha_y = 0$$

at IP+39cm.

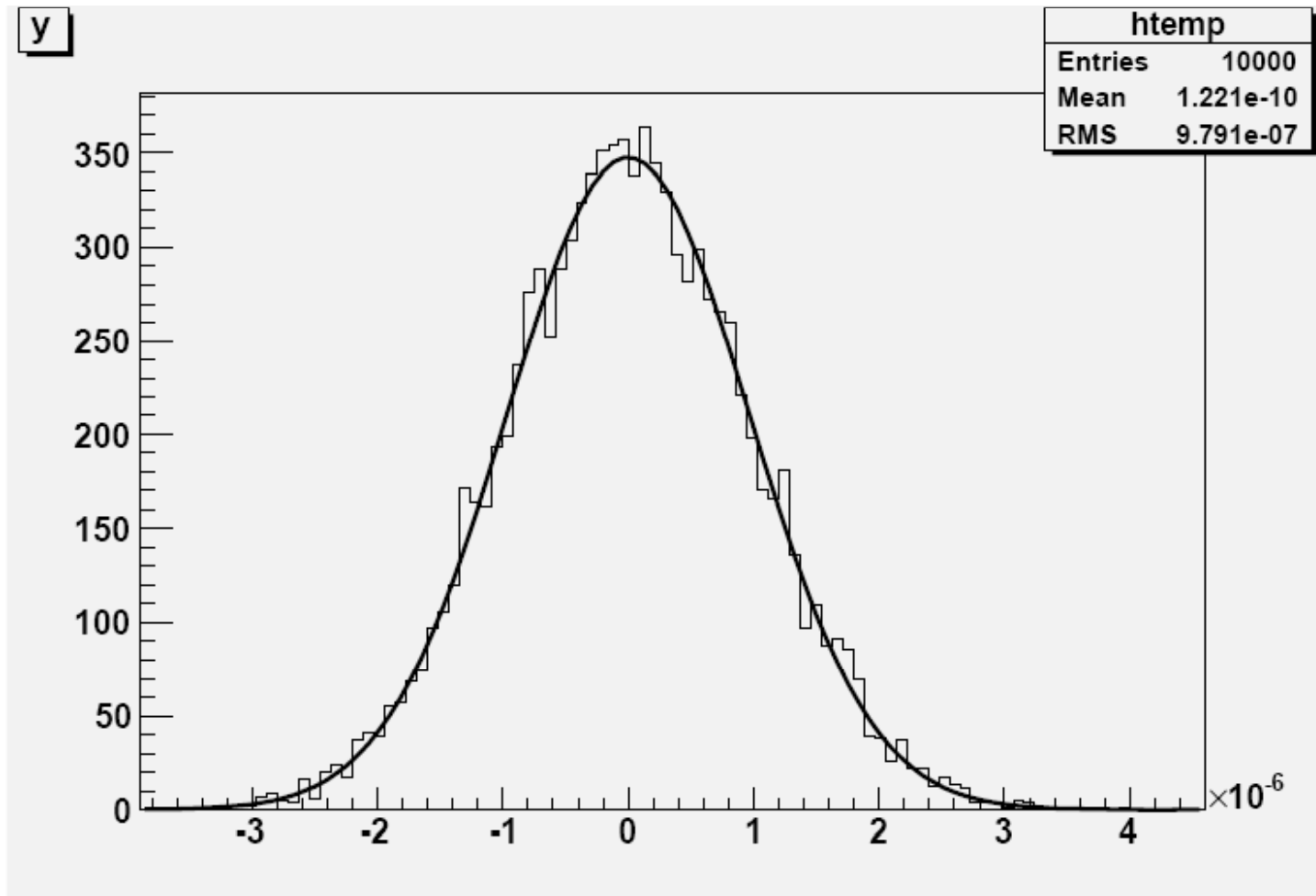
3) fit all the five sextupoles to get:

$$T126=0, T122=0, T346=0, T342=0, T166=0$$

do tracking to get $\sigma_y = 968\text{nm}$ at IP+39cm.

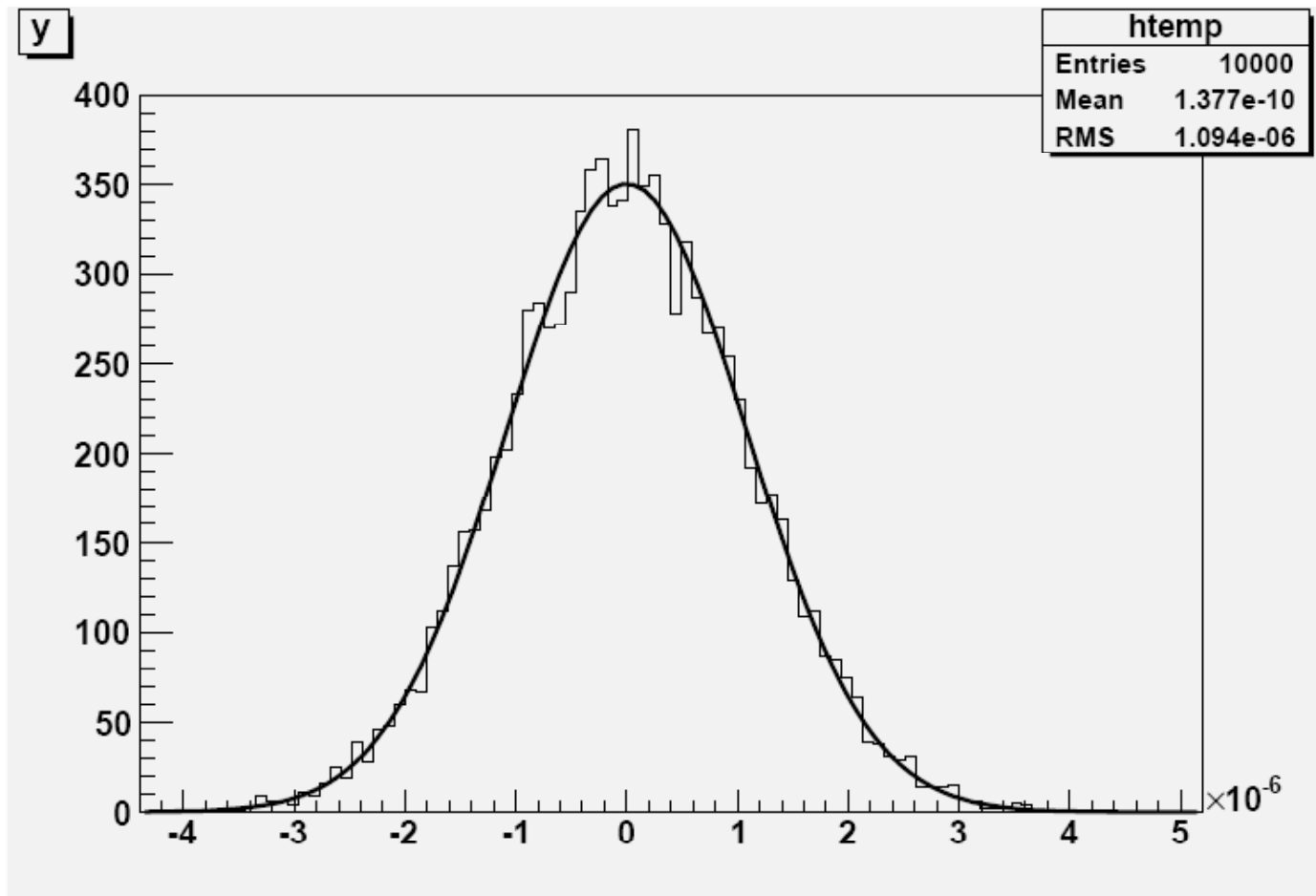
$800 \times \beta_{\text{ynominal}}$ at IP+39cm:

Linear optics $\beta_x = 0.04\text{m}$, $\beta_y = 0.08\text{m} \rightarrow \sigma_y = 971\text{nm}$

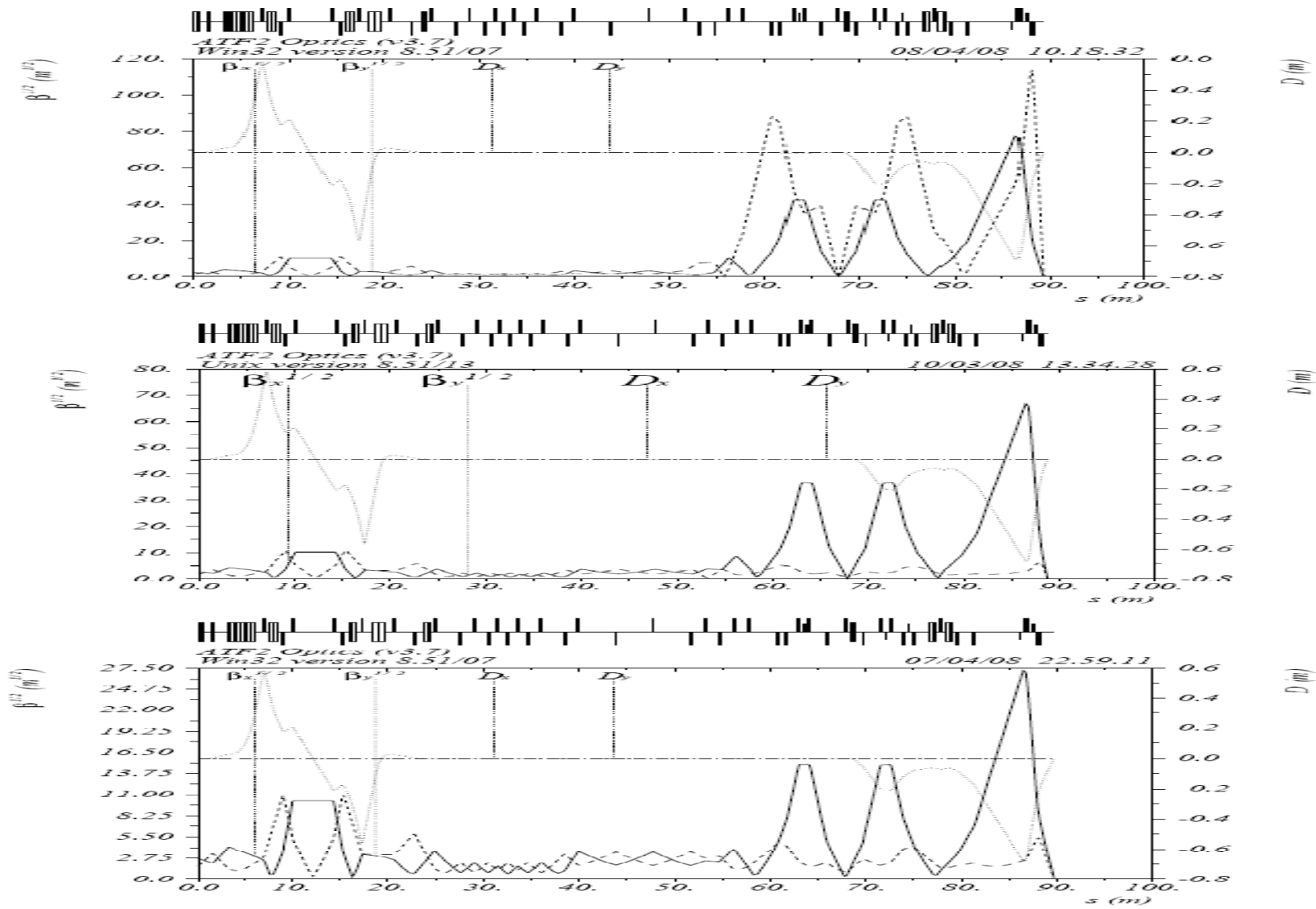


$1000 \times \beta_{\text{ynominal}}$ at IP+39cm:

Linear optics $\beta_x = 0.04\text{m}$, $\beta_y = 0.1\text{m} \rightarrow \sigma_y = 1086\text{nm}$



Twiss of the three cases: nominal, 100 β_y at IP-54cm, 800 β_y at IP+39cm



Orthogonal waist scans:

$$\begin{pmatrix} \Delta f_x \\ \Delta f_y \end{pmatrix} = \begin{pmatrix} a & b \\ c & d \end{pmatrix} \begin{pmatrix} \delta_{QD} \\ \delta_{QF} \end{pmatrix}$$

$$M$$

$$\rightarrow \begin{pmatrix} \delta_{QD} \\ \delta_{QF} \end{pmatrix} = M^{-1} \begin{pmatrix} \Delta f_x \\ \Delta f_y \end{pmatrix}$$

Nominal IP:

$$M = \begin{pmatrix} 2.57 & -16.8 \\ -1.68 & 0.24 \end{pmatrix} \rightarrow M^{-1} = \begin{pmatrix} -0.0087 & -0.6085 \\ -0.0609 & -0.0931 \end{pmatrix}$$

IP+39cm:

$$M^{-1} = \begin{pmatrix} -0.0087 & -0.418 \\ -0.0522 & -0.0741 \end{pmatrix}$$

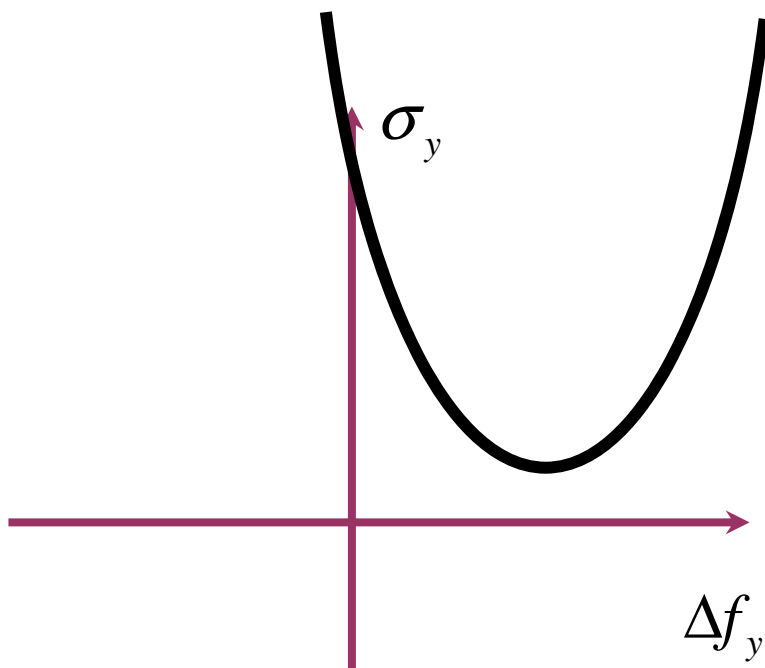
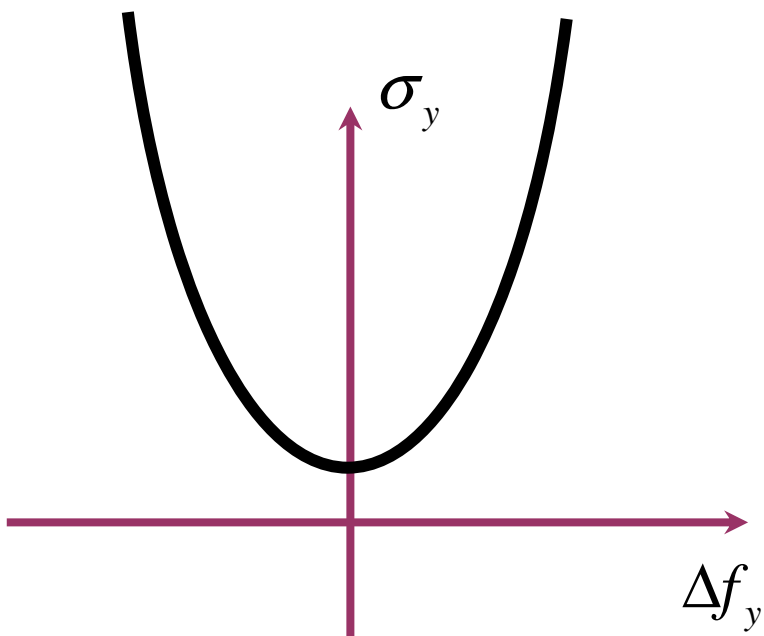
IP-54cm:

$$M^{-1} = \begin{pmatrix} -0.0076 & -1.3027 \\ -0.0746 & -0.1438 \end{pmatrix}$$

For
different β ,
M remains
the same.

The fractional quadrupole strength $\delta_{QD, QF}$ are in parts per thousand, and the longitudinal waist motions

$\Delta f_{x,y}$ are in meters.



$$\sigma_{x,y}^2 = \varepsilon_{x,y} \beta_{x,y} + \frac{\varepsilon_{x,y}}{\beta_{x,y}} \Delta f_{x,y}^2$$

Without errors

With errors

The same for X !

$$\Delta f_x = \mathbf{0} \quad \rightarrow \quad \begin{pmatrix} \delta_{QD} \\ \delta_{QF} \end{pmatrix}_y = M^{-1} \begin{pmatrix} \mathbf{0} \\ \Delta f_y \end{pmatrix}$$

$$\Delta f_y = \mathbf{0} \quad \rightarrow \quad \begin{pmatrix} \delta_{QD} \\ \delta_{QF} \end{pmatrix}_x = M^{-1} \begin{pmatrix} \Delta f_x \\ \mathbf{0} \end{pmatrix}$$

Get waist in each plane !

conclusions & prospects

1. We can get any β_y at nominal IP in range [0.25, 1000] * nominal value
2. At displaced IP-0.54m and IP+0.39m, β_y can be as large as is needed for the linear beam size to match the resolutions of the Honda monitor and wire-scanner, while preserving the basic features of the FFS optics
3. orthogonal waist scans can be expected to imply at different IP locations which can get waist in both planes