## Impact of minimal machine on physics and calibration

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- RDR positron source
- Calibration needs
- Physics
- Schemes

#### **RDR Positron Source**

- Positron source in RDR:
  - K=0.92
  - $-\lambda_{U}$ =11.5 mm
  - L=147 m (200 m)
  - E<sub>1st</sub>= 10 MeV
  - E<sub>b</sub>= 150 GeV
  - − B<sub>max</sub>=0.86 T
    − P(e<sup>+</sup>)~45%

- Changes needed to do calibration at the Z-pole?
- How to optimize this option?
- •Could we replace GigaZ via calibration runs?
- Small positron polarization available

#### Polarimetry+energy workshop@Zeuthen 4/08

- executive summary sent to the GDE, please see arXiv:0808.1638
- since baseline design provides small polarization
  - flipping of helicity is required or destroy polarization completely (see talk of S. Riemann at LCWS07 and polarimetry workshop)
  - if even bunch compressor used: capture efficiency increased by factor 2, polarization raises up to 45%!......

#### Recommendation:

- 5. Implement parallel spin rotator beamlines with a kicker system before the damping ring to provide rapid helicity flipping of the positron spin.
- 6. Move the pre-DR positron spin rotator system from 5 GeV to 400 MeV. This eliminates expensive superconducting magnets and reduces costs.
- 7. Move the pre-DR electron spin rotator system to the source area. This eliminates expensive superconducting magnets and reduces costs.

#### **Calibration Needs**

- How many Z's are needed for calibration?
  - Experience from LEP2
  - After each annual shutdown:

10 pb/detector + couple of pb's over the year

- Calibration needed after annual shutdown
- No Z-pole calibration needed after push-pull
- For calibration: large emittance, low lumi tolerable (Scope 2)
- L<sub>cal</sub>? About 7x10<sup>31</sup> (Nick@Tesla) vs. 7x10<sup>32</sup> (Andrei S)
   Has still to be worked out
- But stable energy, since  $\Delta A_{LR} / \Delta \sqrt{s} \sim 0.2\%$  / GeV

#### **Physics: Z-pole data**

- Why do we need such data a.s.a.p.?
  - Discrepancy between  $A_{\text{LR}}$  and  $A_{\text{FB}}$

SLD:  $\sin^2 \theta_{\text{eff}} = 0.23098 \pm 0.00026 \quad (A_{LR}(\ell)),$ LEP:  $\sin^2 \theta_{\text{eff}} = 0.23221 \pm 0.00029 \quad (A_{FB}(had)).$ 

- most sensitive tests of the Standard Model via measurements of the ew observables as  $\sin^2\theta_{eff}$ We do need it already now !!!



Accuracy in sin<sup>2</sup>Ø<sub>eff</sub>

$$A_{\rm LR} = \frac{2(1 - 4\sin^2\theta_W^{\rm eff})}{1 + (1 - 4\sin^2\theta_W^{\rm eff})^2}$$

- → precision in ALR directly transferred to sin<sup>2</sup> 
  ⊕<sub>eff</sub>
- $\stackrel{\text{\tiny T}}{=}$  GigaZ will provide  $\Delta \sin^2 \Theta_{\text{eff}} \sim 1.3 \text{ x } 10^{-5}$  (if Blondel scheme)
- only electron polarization at GigaZ: ~9.5 x 10<sup>-5</sup>
- current value: 16 x 10<sup>-5</sup>
- What could we gain with a 'fraction' of GigaZ ?

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#### **Possible low lumi Z-data**

	∫L	No. of Z's	$\int_{\text{days}} \mathcal{L}_{\text{cal}}$	$P(e^{-})$	$P(e^+)$	$\Delta A_{LR}^0$	$\Delta A_{\rm LR}$	$\sin^2 \theta_{eff}$
	6 pb <sup>-1</sup>	$1.8  imes 10^5$	1	90%	0	—	$2.7 \times 10^{-3}$	$3.4 \times 10^{-4}$
				90%	40%	$3.3 \times 10^{-3}$	$4.4 \times 10^{-3}$	$5.6 \times 10^{-4}$
				90%	60%	$2.2 \times 10^{-3}$	$3.0 \times 10^{-3}$	$3.8 \times 10^{-4}$
	24 pb <sup>-1</sup>	$7.3  imes 10^5$	4	90%	0	—	$1.5 \times 10^{-3}$	$1.9 \times 10^{-4}$
				90%	40%	$1.6 \times 10^{-3}$	$2.2 \times 10^{-3}$	$2.8 \times 10^{-4}$
				90%	60%	$1.1 \times 10^{-3}$	$1.5 \times 10^{-3}$	$1.9 \times 10^{-4}$
	$60 \text{ pb}^{-1}$	$1.8 \times 10^{6}$	10	90%	0	—	$1.1 \times 10^{-3}$	$1.4 \times 10^{-4}$
				90%	40%	$1.0 \times 10^{-3}$	$1.4 \times 10^{-3}$	$1.8 \times 10^{-4}$
				90%	60%	$7.0 \times 10^{-4}$	$9.4 \times 10^{-4}$	$1.2 \times 10^{-4}$
	0.6 fb <sup>-1</sup>	$18 \times 10^{6}$	100	90%	0		$8.1 \times 10^{-4}$	$1.0 \times 10^{-4}$
				90%	40%	$3.3 \times 10^{-4}$	$4.4 \times 10^{-4}$	$5.6 \times 10^{-5}$
_				90%	60%	$2.2 \times 10^{-4}$	$3.0 \times 10^{-4}$	$3.8 \times 10^{-5}$
	0.9 fb <sup>-1</sup>	$27 \times 10^{6}$	150	90%	0	_	$7.9 \times 10^{-4}$	$1.0 \times 10^{-4}$
				90%	40%	$2.7 \times 10^{-4}$	$3.6 \times 10^{-4}$	$4.6 \times 10^{-5}$
				90%	60%	$1.8 \times 10^{-4}$	$2.4 \times 10^{-4}$	$3.1 \times 10^{-5}$
	1.2 fb <sup>-1</sup>	$36 \times 10^{6}$	200	90%	0	_	$7.9 \times 10^{-4}$	$1.0 \times 10^{-4}$
				90%	40%	$2.3 \times 10^{-4}$	$3.1 \times 10^{-4}$	$4.0 \times 10^{-5}$
				90%	60%	$1.6 \times 10^{-4}$	$2.1 \times 10^{-4}$	$2.7 \times 10^{-5}$
	1.8 fb <sup>-1</sup>	$54 \times 10^{6}$	300	90%	0	—	$7.8 \times 10^{-4}$	$1.0 \times 10^{-4}$
				90%	40%	$1.9 \times 10^{-4}$	$2.6 \times 10^{-4}$	$3.2 \times 10^{-5}$
				90%	60%	$1.3  imes 10^{-4}$	$1.7  imes 10^{-4}$	$2.2 \times 10^{-5}$

Table 4: Lumi at Z-pole  $\mathcal{L}_{cal} = 7 \times 10^{31} \text{ cm}^{-2} \text{s}^{-1}, \ \sigma(e^+e^- \to Z \to had) \sim 30 \text{ nb}, A_{LR} = 0.154, \ \Delta P/P = 0.5\%, \ \mathcal{L}_{++,--}/\mathcal{L} = 0.1$ 

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# Physics gain with $\sin^2\theta_{eff}$ =3 x 10<sup>-5</sup>

- What are the important input quantities?
  - Mass of top:

	current theoretical:		
	intrinsic	$\Delta m_W^{\text{intr,today}} \approx 4 \text{ MeV}$	$\Delta \sin^2 \theta_{\rm eff}^{\rm intr,today} \approx 4.7 \times 10^{-5}$
	parametric		
	$\delta m_t = 1.8 \text{ GeV}$	$\Delta m_W^{\mathrm{para},\mathrm{m_t}} \approx 11 \mathrm{MeV}$	$\Delta \sin^2 \theta_{\rm eff}^{\rm para, m_t} \approx 5.4 \times 10^{-5}$
	$\delta(\Delta\alpha_{\rm had}) = 35\times 10^{-5}$	$\Delta m_W^{\mathrm{para},\Delta\alpha_{\mathrm{had}}} \approx 6.3 \mathrm{MeV}$	$\Delta \sin^2 \theta_{\rm eff}^{\rm para,\Delta\alpha_{\rm had}} \approx 12 \times 10^{-5}$
	$\delta m_Z = 2.1 \text{ MeV}$	$\Delta m_W^{\mathrm{para},\mathrm{m_Z}} \approx 2.5 \ \mathrm{MeV}$	$\Delta \sin^2 \theta_{\rm eff}^{\rm para,m_Z} \approx 1.4 \times 10^{-5}$
	<u>fastana</u>		
	future parametric		0
	$\delta m_t = 2 \text{ GeV}$	$\Delta m_W^{\text{para},m_t} \approx 12 \text{ MeV}$	$\Delta \sin^2 \theta_{eff}^{para,int} \approx 6 \times 10^{-5}$
LHC	$\delta m_t = 1 \text{ GeV}$	$\Delta m_W^{\text{para,m_t}} \approx 6 \text{ MeV}$	$\Delta \sin^2 \theta_{eff}^{para,m_t} \approx 3 \times 10^{-5}$
	$\delta m_t = 0.1 \text{ GeV}$	$\Delta m_W^{\text{para},m_t} \approx 1 \text{ MeV}$	$\Delta \sin^2 \theta_{eff}^{para,m_t} \approx 0.3 \times 10^{-5}$
ILC <sup>-</sup>			

- only progress if  $\Delta_{exp} \leq \Delta_{theo}$ 

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### **Strategy**

- Collect calibration data from several years
   (maybe 5 y, proposal)
- Collect data from dedicated Z-pole runs with low lumi
   (25 days / year)
- 'Full' GigaZ would take about 5000 low lumi days (on basis of  $L_{cal}=7x10^{31}$ )
  - Makes no sense to aim for that
  - In case one had higher  $L_{cal}$ , one could think about that!
- GigaZ after ILC physic runs is late anyway....2025? (personal comment)
- But already with such a fraction of the GigaZ accuracy we gain a lot in physics!

### Physics gain with $\sin^2\theta_{eff}$ =3 x 10<sup>-5</sup>

• Hints for new physics in worst case scenarios:



#### Schemes for e<sup>+</sup> production

- How to achieve the Z-pole energy with e<sup>-</sup> beam?
- Several possibilities:
  - Deceleration of e- beam after 150 GeV point

**Problem:** 

- still to high for Z-pole: slight fine tuning with E<sub>b</sub> needed
- some emittance dilution (probably ok)
- but large energy spread...... (probably not ok for calibration)

#### Undulator at 50 GeV

- Running of undulator at lower energy, Eb=50GeV
  - $E_{1st} \sim \gamma^2 / (1+K^2) / \lambda_U \sim 1 \text{ MeV}$  (too low for pair production, >2 MeV)
  - Several solutions:
  - a) Take only higher harmonics, e.g. from n=2,...,8
  - b) Use other K for calibration (assuming  $\lambda_U$  fixed)
    - K-> 0.3: E<sub>1st</sub> ~2 MeV
  - Probably 7 x 10<sup>31</sup> ok
- Higher emittance (beam sees full linac impedance) but for calibration probably ok
  - If problems: bypass solution
- What is about energy spread in this case?
  - 1.5% for 150 GeV -> at 50 GeV ?

#### How to reach the Z-pole?

- Other possibility:
  - use other e- source for undulator, but inject e- beam for calibration from DR after undulator ?

#### Probably too much effort, but should be studied

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#### What's with the 250 GeV option?

- If we use E<sub>b</sub>=250 GeV, maybe choose E<sub>1st</sub>~25 MeV
  - Running at 50 GeV leads to same problems at before
  - E<sub>1st</sub> < 2 MeV, but taking either higher harmonics or changing K factor should work
  - By-pass solution in case emittance problems occur
- Option discussed at TESLA times
  - 2<sup>nd</sup> e+ source in remaining e- linac and 2<sup>nd</sup> undulator to get higher lumi
- Believe for calibration first option should be fine
  - Probably 7 x 10  $^{31}$  ok

#### **Conclusion + Open issues**

- Different schemes possible for e+@Z-pole
  - Different options how to reach the Z-pole including by-pass,
     2<sup>nd</sup> source etc. should be studied
- Promising physics case for using low lumi Z-pole data
  - Powerful tests now and..... GigaZ would be very late
- Would it be possible to cost and build ILC piece-wise? (but layout for 500, of course)
  - Detectors at 500 position, but only drift lines after RF's?
     Steps, e.g., 90 GeV, 350 GeV, 500 GeV?