# Longitudinal shower profile <br> - CERN electron runs 2006 - 

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## Sampling fraction

- Allow sampling fraction $f_{\text {samp }}$ to vary layer by layer
- Take into account variation of energy deposition if energy of electrons in the shower is so low that they do not dominantly do bremsstrahlung
- Estimate sampling fraction $f_{\text {samp }}$ with MC simulation

$$
\mathrm{F}_{\text {samp }}=\mathrm{E}_{\text {dep active }} / \mathrm{E}_{\text {dep total }}
$$

- For $E_{\text {dep total }}$ only W and G 10 used for $30 \mathrm{GeV} 96 \%$ of $\mathrm{E}_{\text {dep total }}$ deposited in W, Si and G10
- Needed to write new MOKKA driver for this with the help of Gabriel Musat
- Resulting files large (50GB for 1000 events) due to structure of LCIO


## Sampling fraction



- One can see odd/even layer difference
- 3 stack with differing W thickness
- However ratio between the stack is: 1/1.8/2.6 instead of $1 / 2 / 3$ (also supported when carefully adding all radiation lengths


## Sampling fraction

- New sampling fraction also takes care of odd/even layer difference
- Changes between odd/even layer and this method:
- Shower max
- Leakage Energy
- Small change of the $\chi^{2}$ of the fits to the longitudinal profile


## Linearity



Fit:
$\mathrm{E}_{\text {beam }}=$ ADC_counts * $(2.97+-0.03)^{*} 10^{-4}$
$\Rightarrow$ need new mip_conv for this method

## However looking closer....

(plots from Daniel Jeans)

New sampling fraction
residualValeria


Odd/even layer correction ssidualRealistic

$\Rightarrow$ Residual are higher for 15 GeV (no correct sampling fraction for this energy) and 40 GeV

## However looking closer....

(plots from Daniel Jeans)

New sampling fraction


Odd/even layer correction olutionRealistic

$\Rightarrow$ Effect on resolution not understood yet

## Longitudinal shower profile


new G10 density solved disagreement between MC and data

## Parameters to extract from profile



- Fitted with:

$$
f(X 0)=\text { Const. (X0- } \beta)^{\alpha} \exp (-0.5(X 0-\beta))
$$

- Interesting parameters to extract:
- leakage energy
- shower max
- material in front of calo $\beta$


## Parameters to extract from profile

 Side remark

For data of all energies this layer is always high (checked that this is not true for MC) $\Rightarrow$ Could come from noise

## sone statistics

- Some of the parameters to extract from the fit are not identical with the fit parameters:
- $E_{\text {leakage }}=$ integral from $X 0=26$-infinity
- Shower maximum = maximum of the distribution
- Errors on the MINUIT fit parameters not equal to errors on these parameters
$\Rightarrow$ Used a different method which splits the sample into subsamples to extract errors of the leakage energy and the shower maximum
$\Rightarrow$ first need to show that this method works


## Some statistics

- Get RMS on distribution of each fit parameter (later of the integral..)
- Change subsample size

- Plot against subsample size



## Comparison with MINUIT errors

| Fit parameter | $\boldsymbol{\sigma}$ | $\sigma_{\text {MINUIT }}$ |
| :---: | :---: | :---: |
| $\alpha$ | $7.010^{-4}$ | $6.710^{-4}$ |
| $\boldsymbol{\beta}$ | $2.9010^{-4}$ | $2.8910^{-4}$ |
| $\gamma$ | $5.310^{-5}$ | $5.110^{-5}$ |

- Statistical error can be extracted like this
- Systematics: $\sigma_{\text {sys }+ \text { stat }}=$ const. $\sigma_{\text {stat }}$


## SyStennatic errors...

- Effect from error on calibration:
- 0.4\% from statistical error
- 0.5\% from systematic for $99.1 \%$ of all channels See Anne Marie's paper
- These errors both add up to give the systematic error which is not correlated:
$\Rightarrow \sigma_{\text {sys calib }}=0.9 \% / \sqrt{ }$ no of cells


## More on systematic errors

- Statistical error on sampling fraction:
-Can be up to 4\% for first layers due to small number of hits
$\Rightarrow$ create more MC for sampling fraction -Usually less than 0.5\%
- Small effect from
-Error on beam energy
e.g. 450 MeV largest uncertainty for 45 GeV
-Rotation of the detector
-Error on collimator settings


## Systematic error

- $\sigma_{\text {sys }+ \text { stat }}=$ const. $\sigma_{\text {stat }}$
- Const. = 5 on average, depending on run
- Const. the same for all fit parameter
$\Rightarrow$ Add sys errors in following plots


## $\chi^{2}$ on fits

- Only after determining the errors correctly the $\chi^{2}$ of the fits makes sense
- Comparison the $\chi^{2}$ of data to MC:
e.g. run 300676: 19/NDOF
- Comparison the $\chi^{2}$ of fit to the data:
e.g. run 300195: 8/NDOF
$\Rightarrow$ Close however $\chi^{2}$ for fit still a bit high
$\Rightarrow$ I think I need to take noise into account (correction in MC for noise is fine, but fits can not get good $\chi^{2}$ if there is too much noise)


## Extraction of final values: shower maximum



## Extraction of final values: leakage energy



## Extraction of final values: material in front of caln $R$ <br> 

Extraction of $\beta$ difficult:

- depending on estimate on error
- correlated with $\gamma$ (here $\gamma$ is set to 0.5 )

