

Implementing Dual Readout in ILCroot

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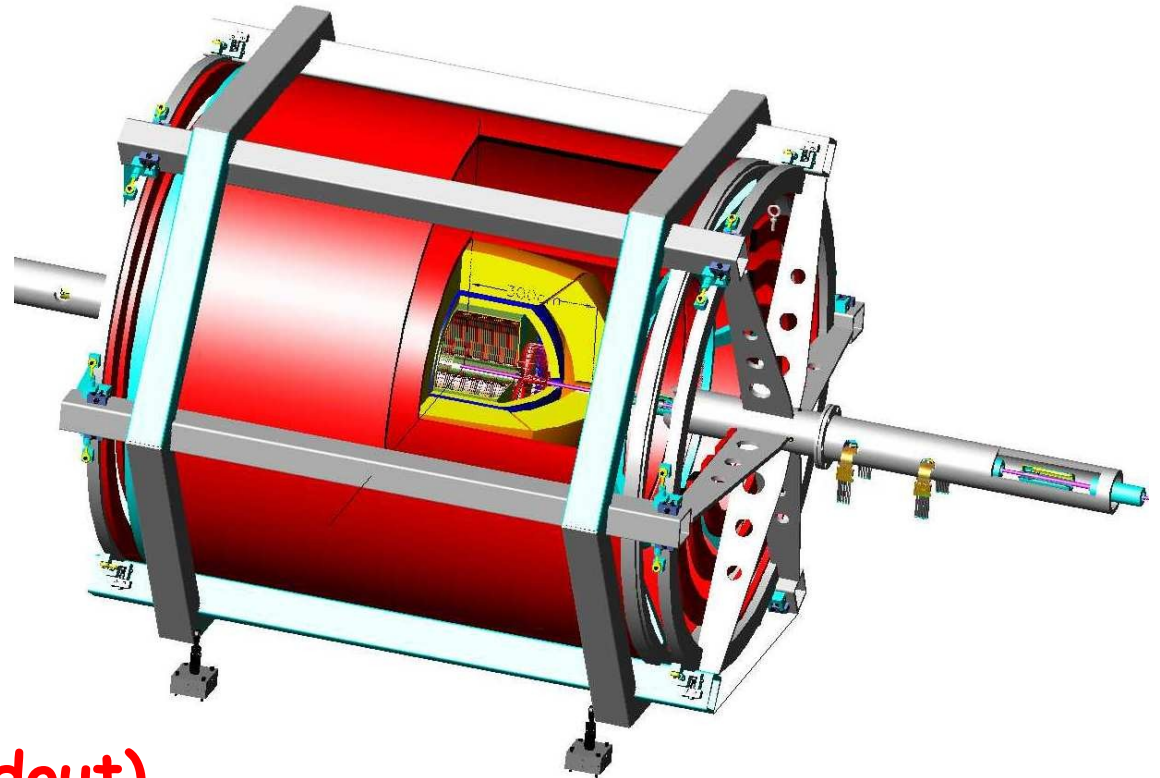
ALCPG09, Albuquerque, New Mexico
October 2, 2009

Outline

- The 4th Concept
- ILCroot Offline Framework
- Calorimeter layout
- Calibration studies and calorimeter performances
- Comparison of DREAM data with ILCroot simulation
- Conclusion

"The 4th Concept" detector

- VXD (SiD Vertex)
- DCH (Clu Cou)
- **ECAL (BGO Dual Readout)**
- **HCAL (Fiber Multiple Readout)**
- MUDET (Dual Solenoid, Iron Free, Drift Tubes)



ILCRoot: summary of features

- CERN architecture (based on Alice's Aliroot)
- Full support provided by Brun, Carminati, Ferrari, et al.
- Uses ROOT as infrastructure

All ROOT tools are available (I/O, graphics, PROOF, data structure, etc)

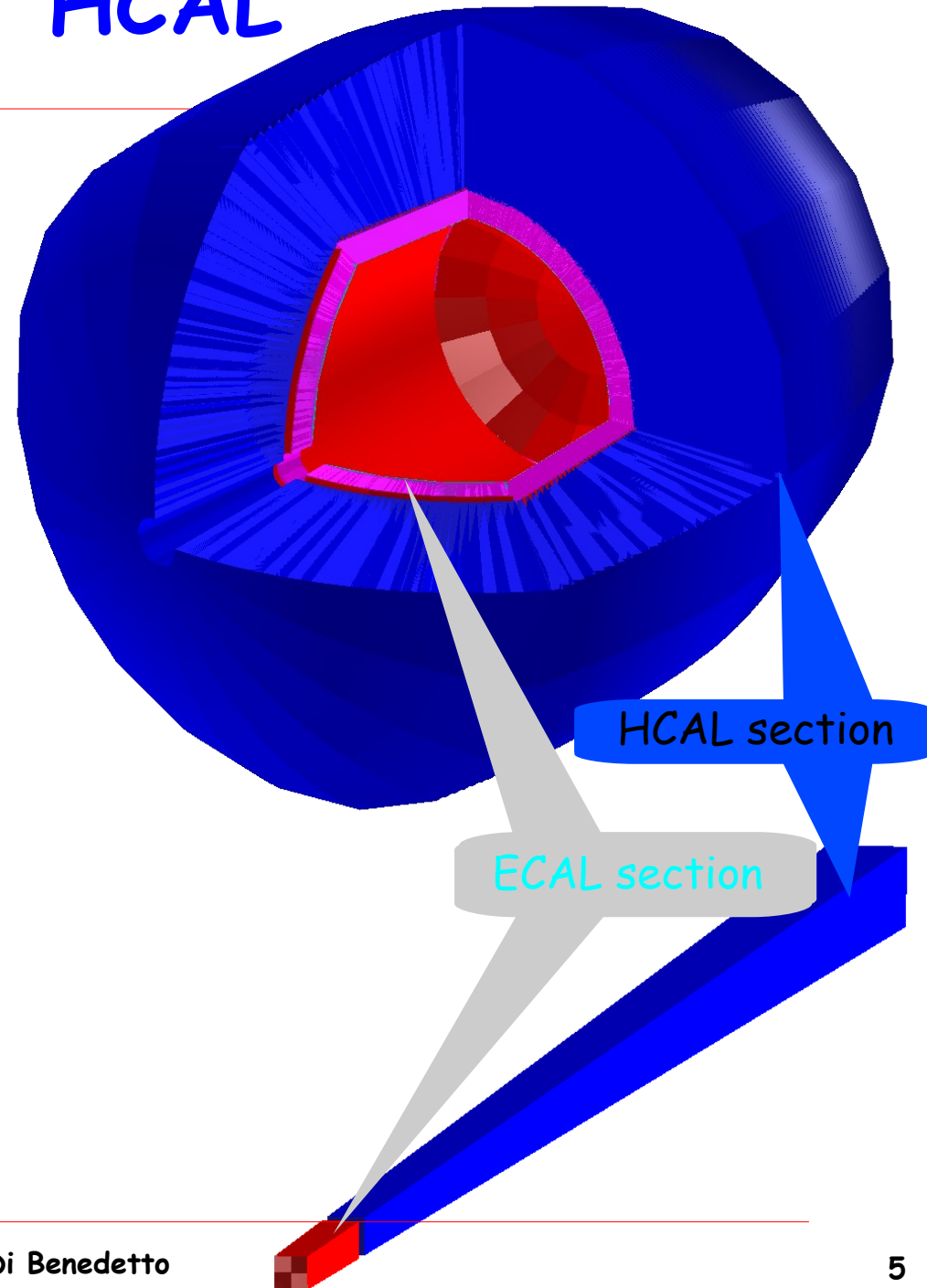
Extremely large community of users/developers

- Six MDC have proven robustness, reliability and portability
- **Single framework**, from generation to reconstruction through simulation. Don't forget analysis!!!

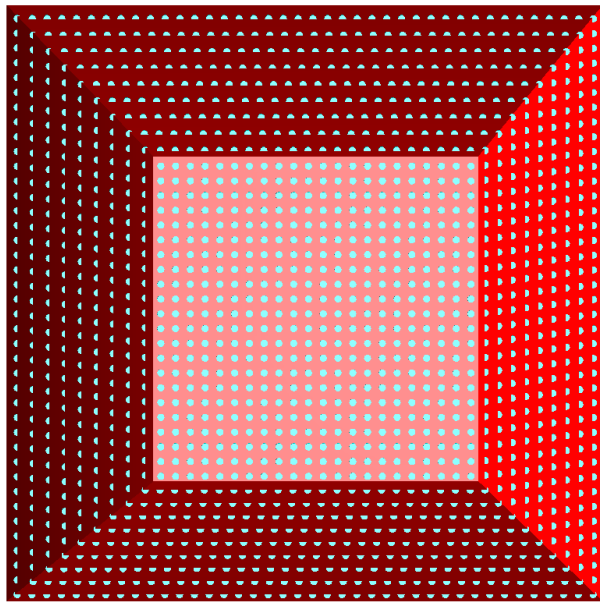
All the studies presented are performed by ILCRoot

The 4th Concept HCAL

- Cu + scintillating fibers
+ Čerenkov fibers
- $\sim 1.4^\circ$ tower aperture angle
- 150 cm depth
- $\sim 7.3 \lambda_{\text{int}}$ depth
- Fully projective geometry
- Azimuth coverage
down to $\sim 2.8^\circ$
- Barrel: 16384 towers
- Endcaps: 7450 towers



Hadronic Calorimeter Towers

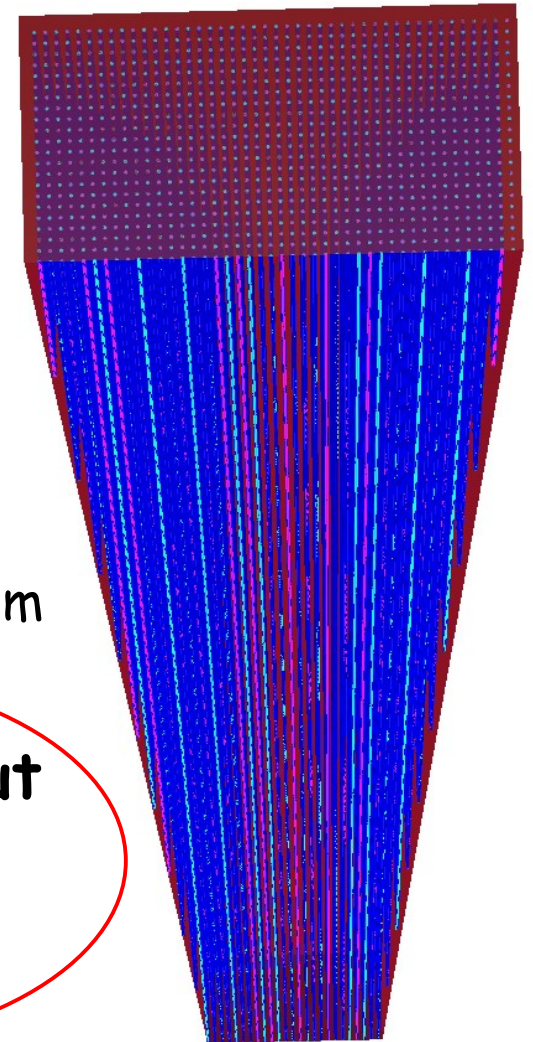


Bottom view of single tower

Top tower size: $\sim 8.1 \times 8.1 \text{ cm}^2$

Bottom tower size: $\sim 4.4 \times 4.4 \text{ cm}^2$

Prospective view of clipped tower



Quite the same absorber/fiber ratio as DREAM

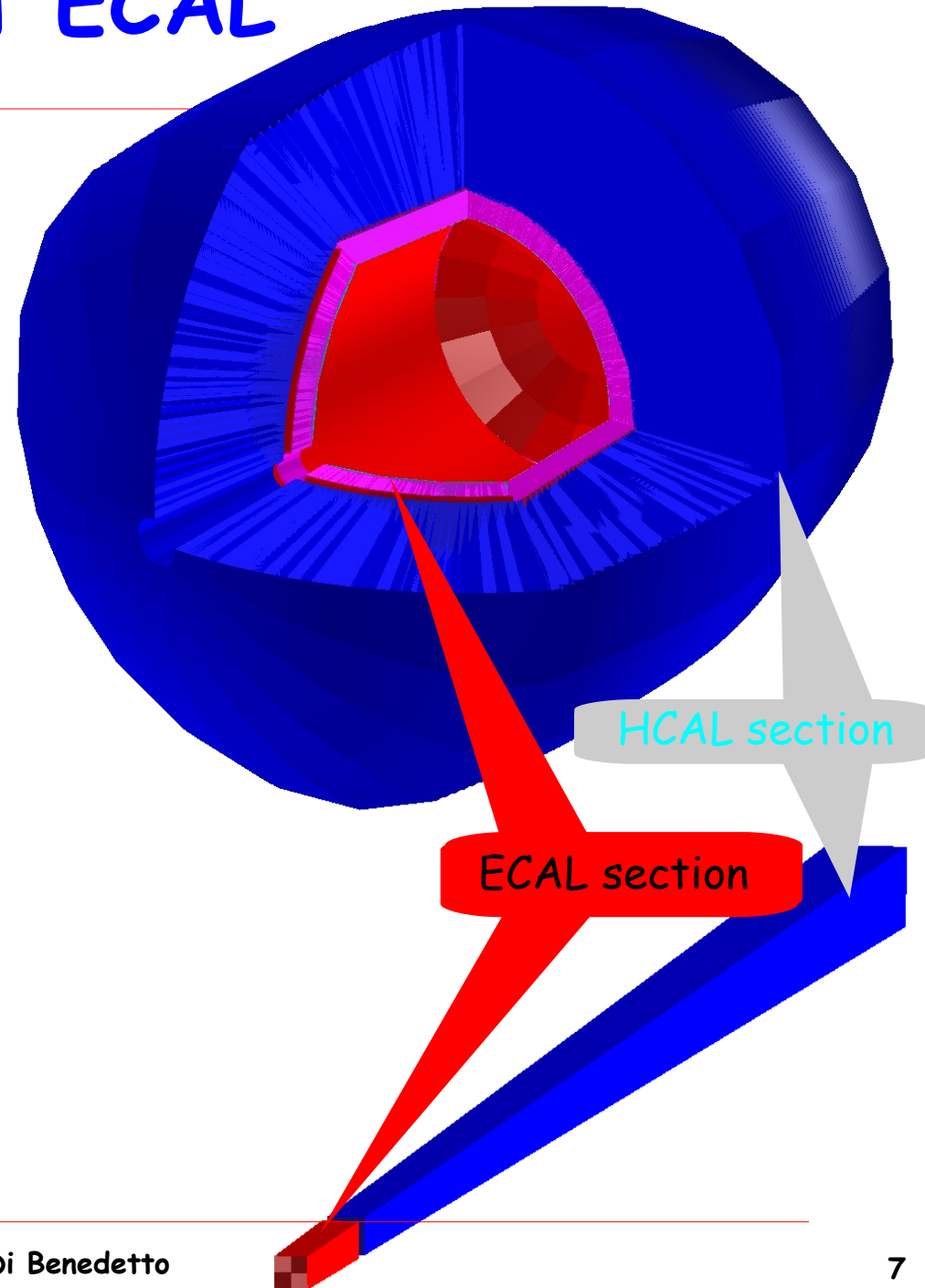
Tower length: 150 cm

**Multiple Readout
Fibers
Calorimeter**

- 500 μm radius plastic fibers
- Fiber stepping $\sim 2 \text{ mm}$
- Number of fibers inside each tower: ~ 1600 equally subdivided between Scintillating and Čerenkov
- Each tower works as two independent towers in the same volume

The 4th Concept ECAL

- BGO crystals for scintillating and Čerenkov light
- 25 cm depth
- $\sim 22.7 X_0$ depth and $\sim 1 \lambda_{\text{int}}$ depth
- 2x2 crystals for each HCAL tower
- Fully projective geometry
- Azimuth coverage down to $\sim 2.8^\circ$
- Barrel: 65536 crystals
- Endcaps: 29800 crystals



Electromagnetic Calorimeter Cells

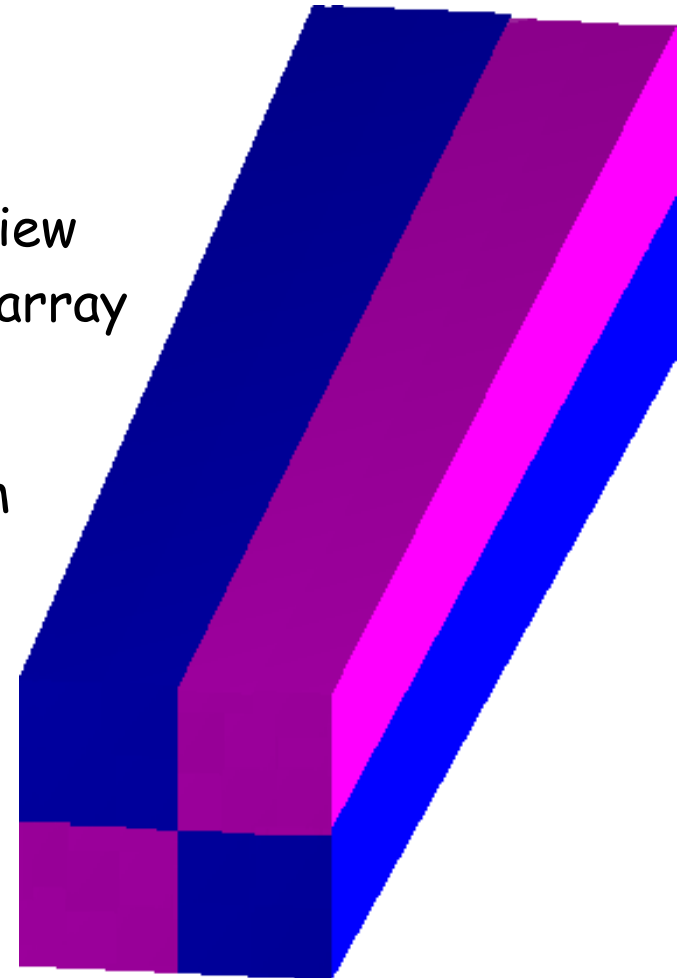
- Array of 2x2 crystal
- Crystal size $\sim 2 \times 2 \times 25 \text{ cm}^3$
- Each crystal is used to read scintillating and Čerenkov light
- Each crystal works as two independent cells in the same volume

Top cell size: $\sim 4.3 \times 4.3 \text{ cm}^2$

Bottom cell size: $\sim 3.7 \times 3.7 \text{ cm}^2$

Prospective view
of BGO cells array

crystal length: 25 cm



Dual Readout
BGO
Calorimeter

MonteCarlo

- ROOT provides the Virtual MonteCarlo (VMC) interface
- VMC allows to use several MonteCarlo (Geant3, Geant4, Fluka)
- The user can select **at run time** the MonteCarlo to perform the simulations without changing any line of the code

The results presented here have been simulated using Fluka

Calibration

The energy of HCAL is calibrated in 2 steps:

- Calibrate with single 45 GeV e^-

→ raw S_e and C_e

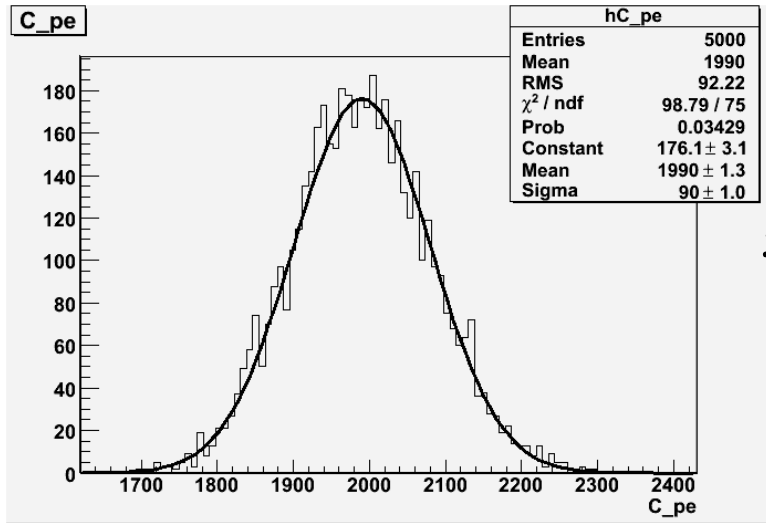
Calibrate with single 45 GeV π^- and/or
di-jet @ 91.2 GeV

→ η_c , η_s and η_n

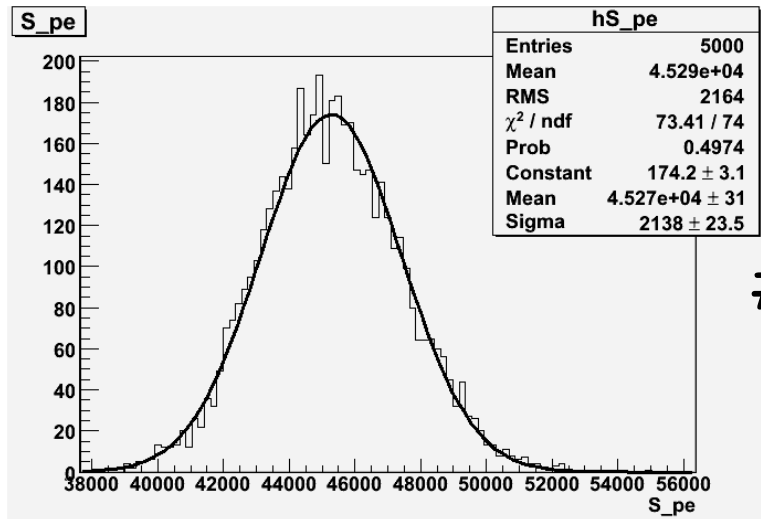
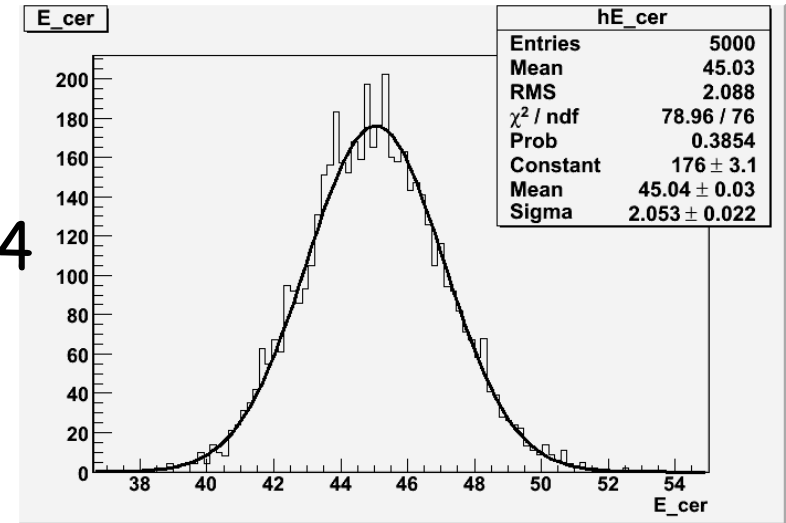
$$\eta_c = \left(\frac{e}{h} \right)_c \quad \eta_s = \left(\frac{e}{h} \right)_s \quad \eta_n \text{ is for neutrons}$$

First step calibration

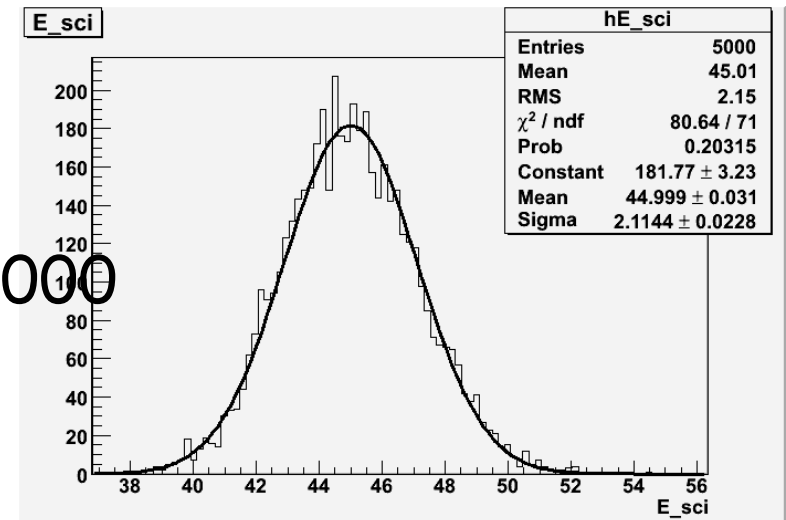
Beam of 45 GeV e^-



Cer
#pe/GeV ≈ 44



Scint
#pe/GeV ≈ 1000



How Dual Read-out works

$$R(f_{em}) = f_{em} + \frac{1}{\eta}(1 - f_{em})$$

$$R = \frac{E_{RAW}}{E}$$

f_{em} = em fraction of the hadronic shower

η = em fraction in the fibers

hadronic energy:

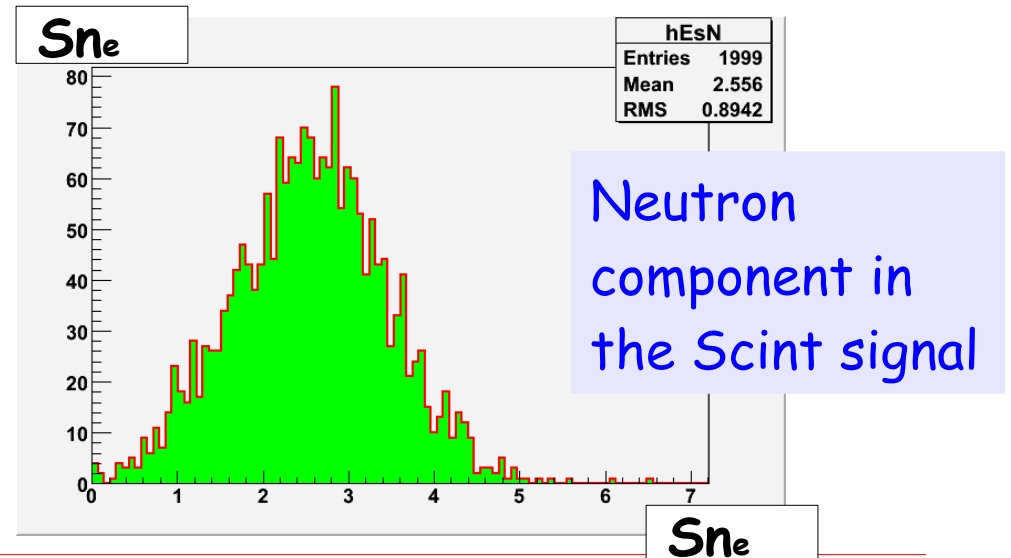
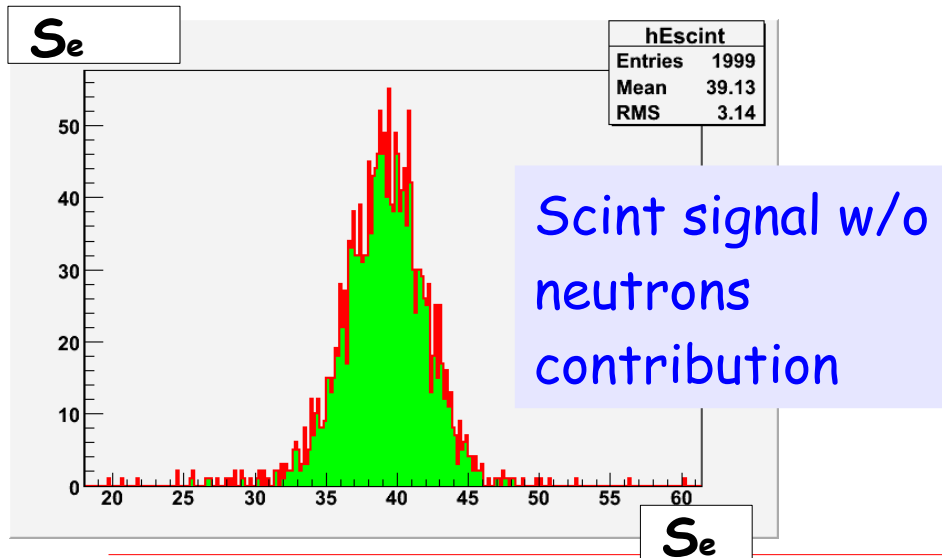
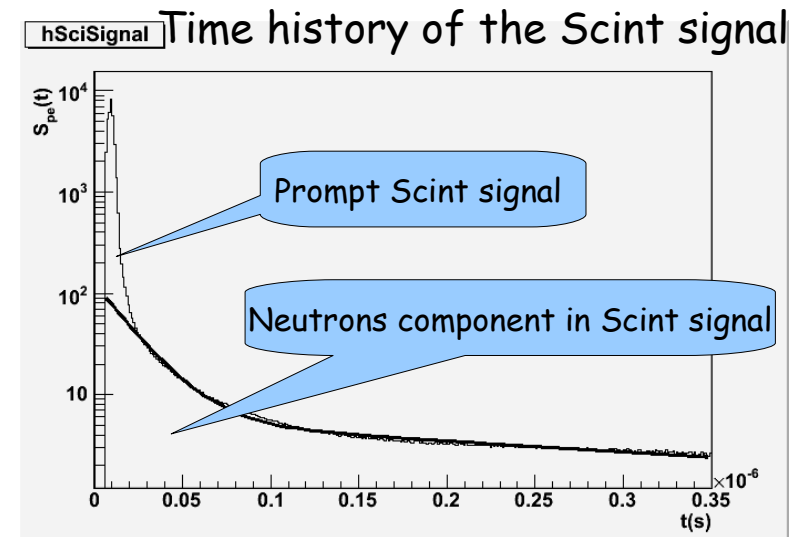
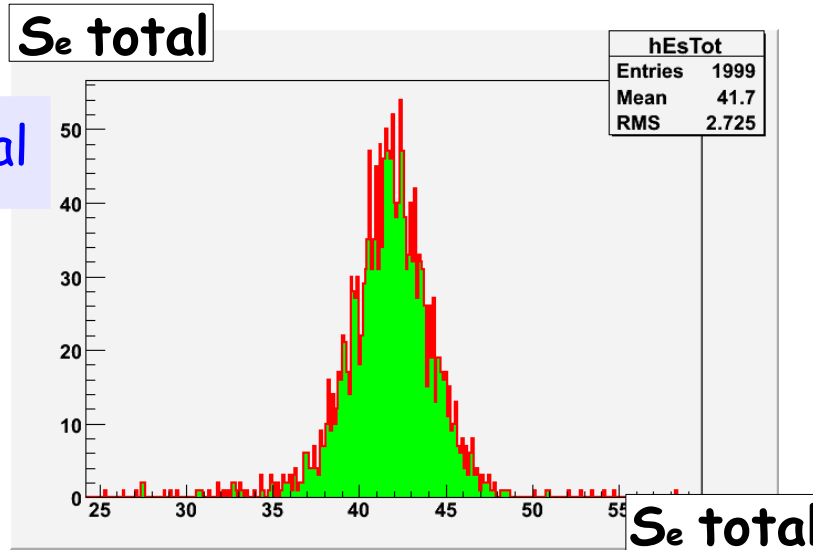
$$E_{Cal} = \frac{S_e - \lambda C_e}{1 - \lambda} + \eta_n S_n e$$
$$\lambda = \frac{1 - 1/\eta_s}{1 - 1/\eta_c}$$

Dual Readout

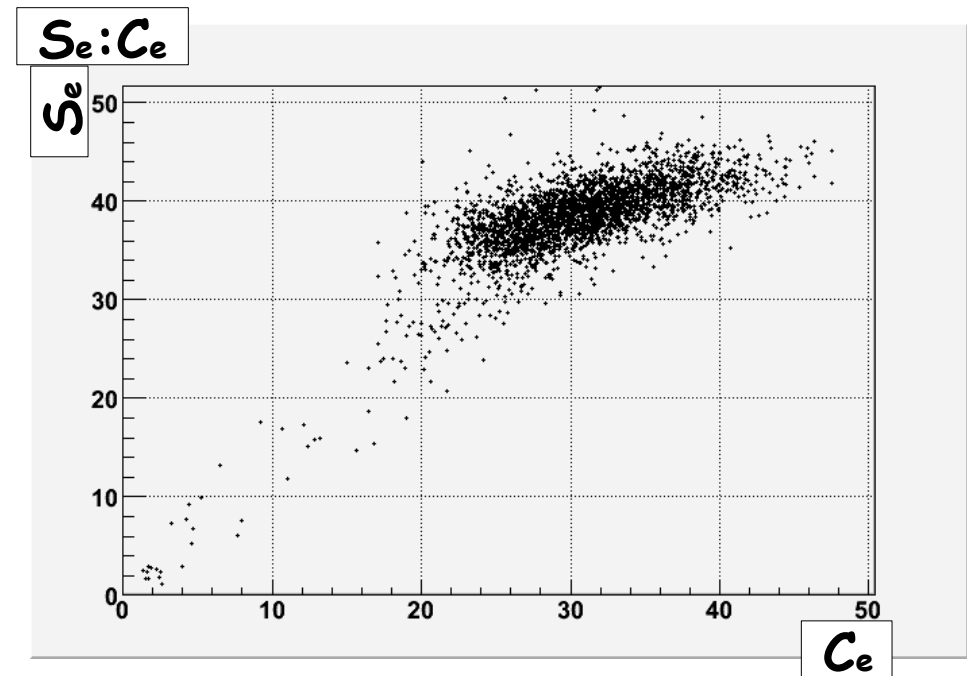
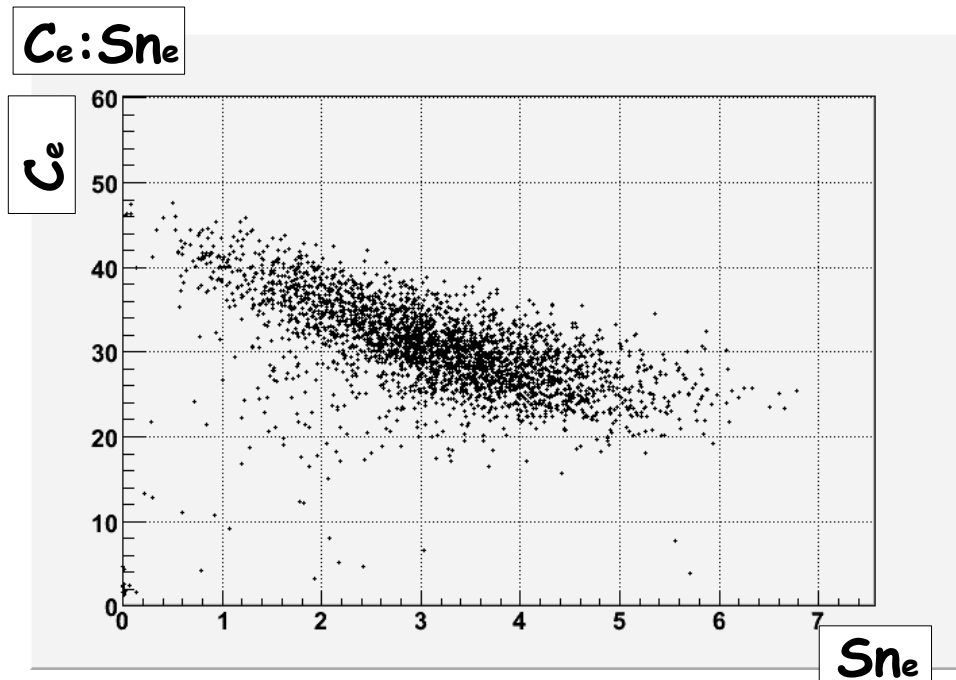
Triple Readout with
time history

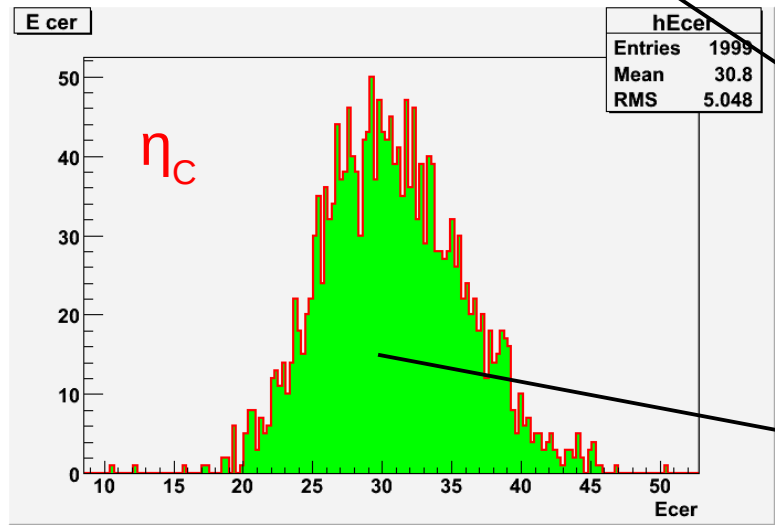
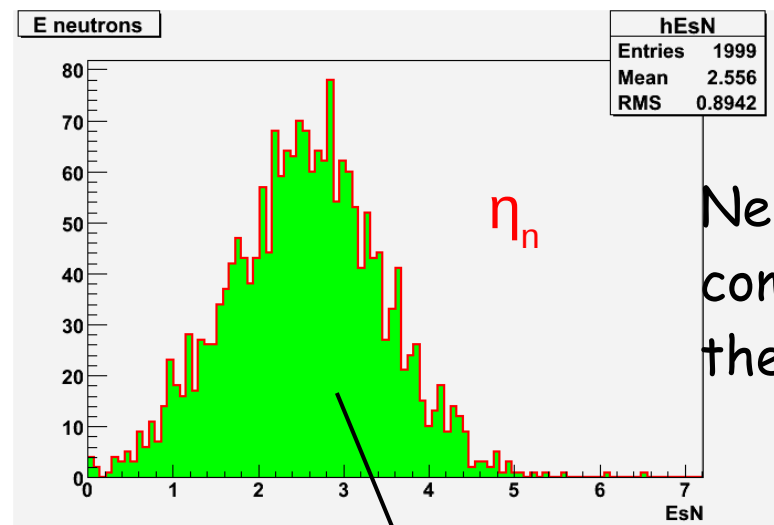
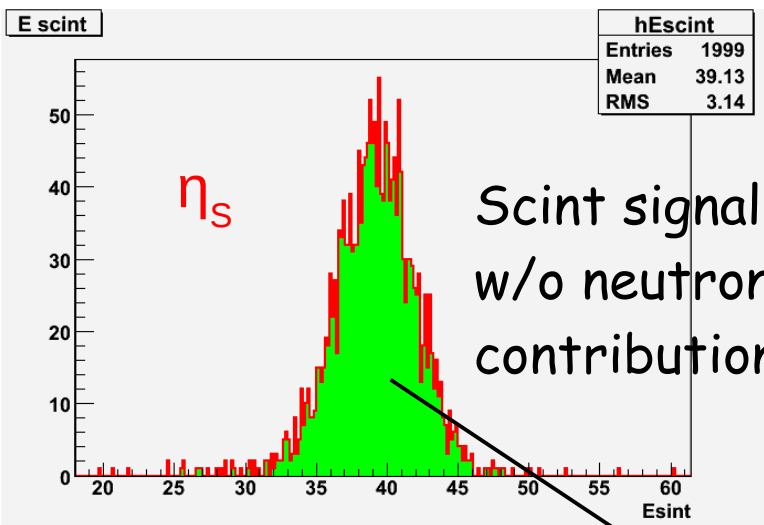
How Dual Read-out works

Separation of the neutron component in the scintillation signal

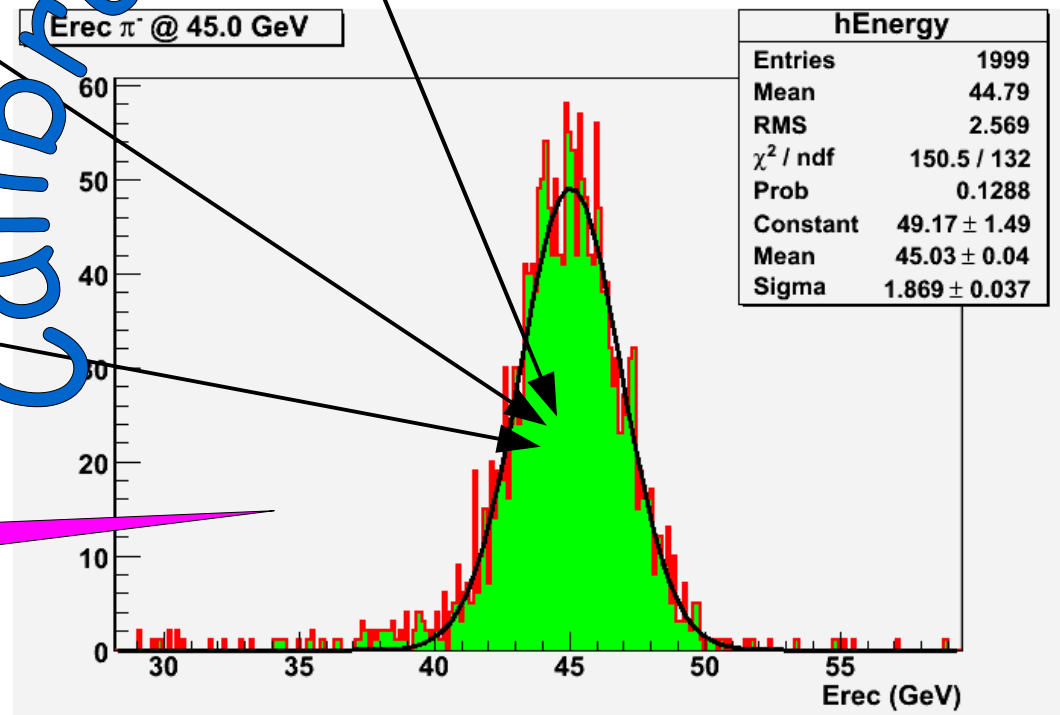


Correlation between calorimeter signals





Calibration



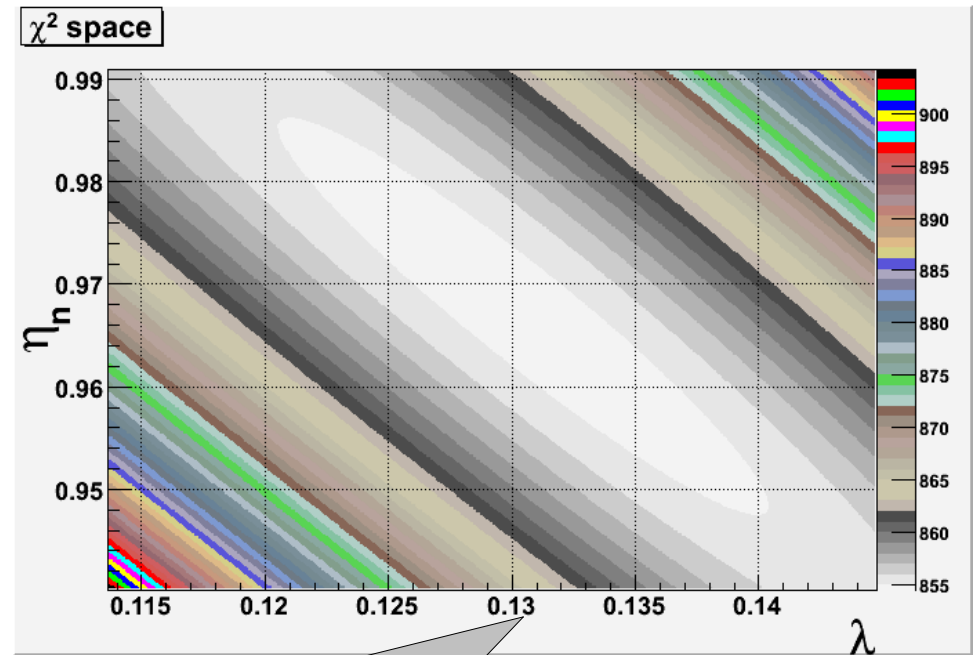
Calibrated energy

Second step calibration

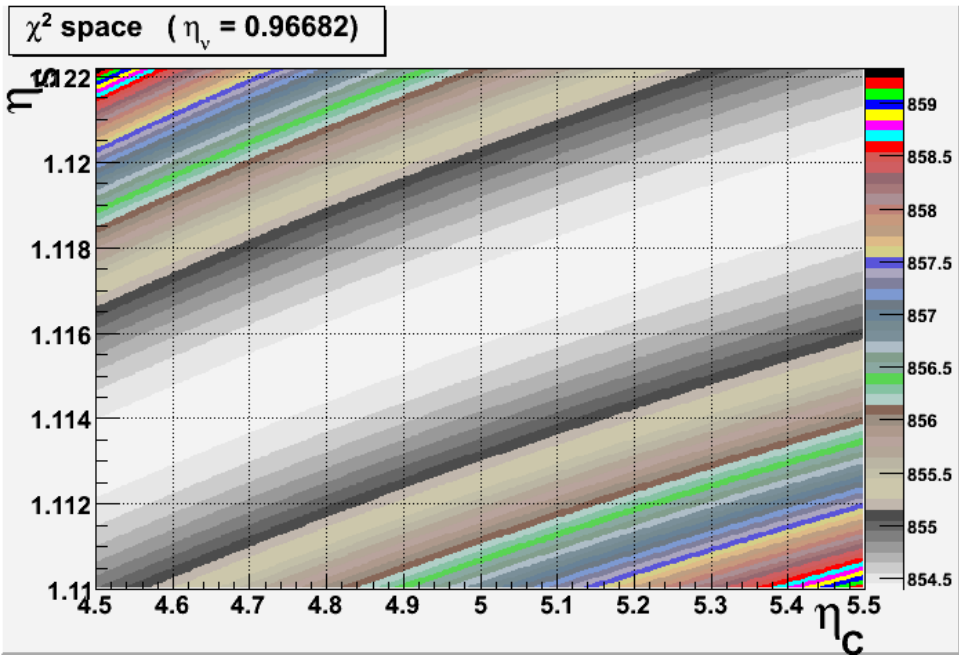
di-jet @ 91.2 GeV case

$$E_{Beam} = \frac{E_S - \lambda E_C}{1 - \lambda} + \eta_n E_n$$

$$\lambda = \frac{1 - 1/\eta_s}{1 - 1/\eta_c}$$



$\eta_n = 0.967$ $\lambda = 0.130$

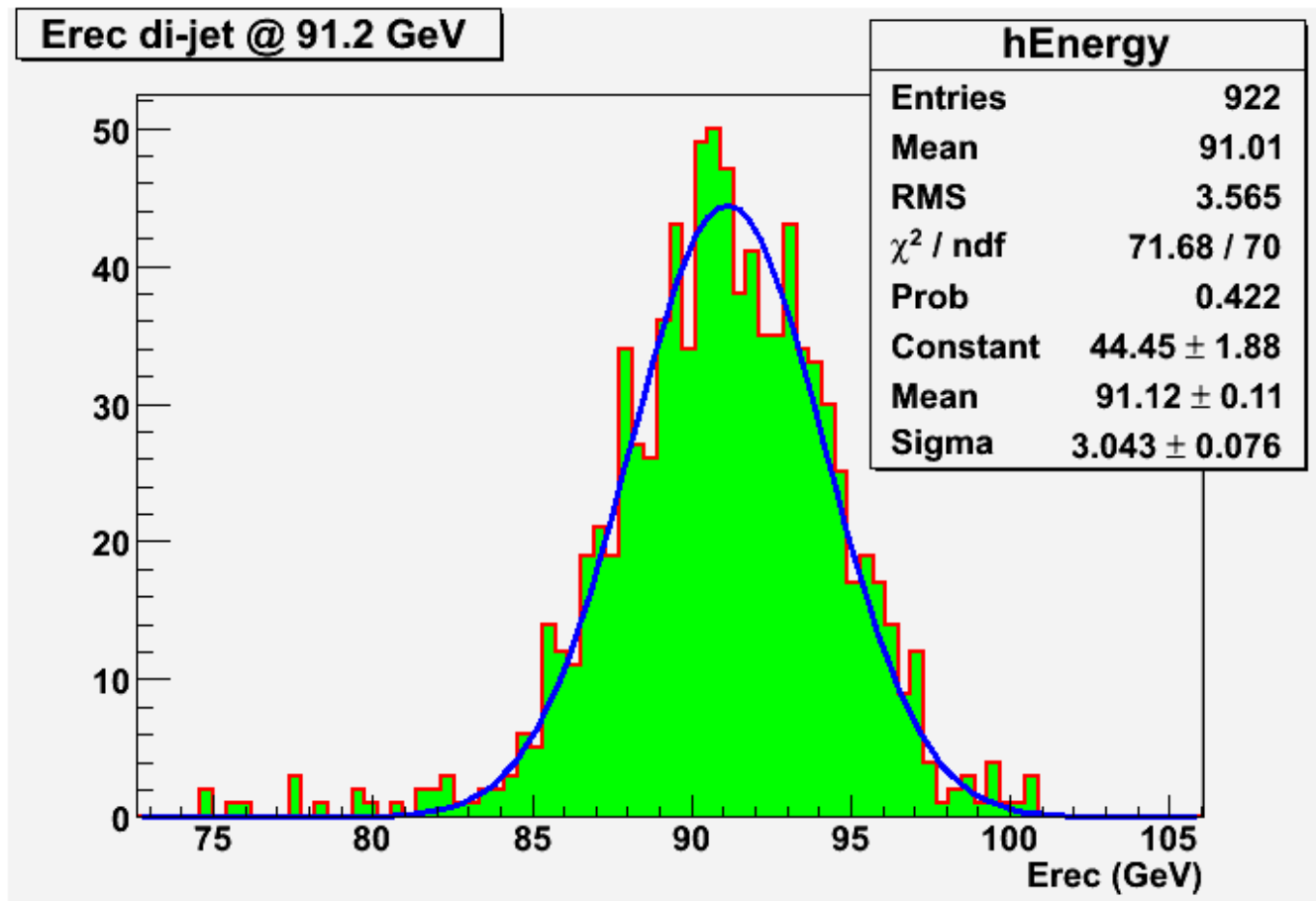


#events = 744
 $\chi^2 = 854.39$ $\chi^2/ndf = 1.15$

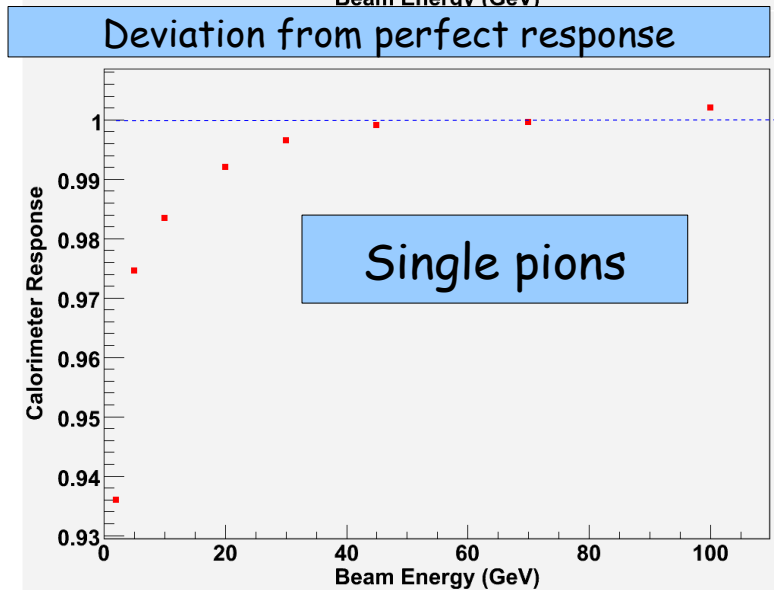
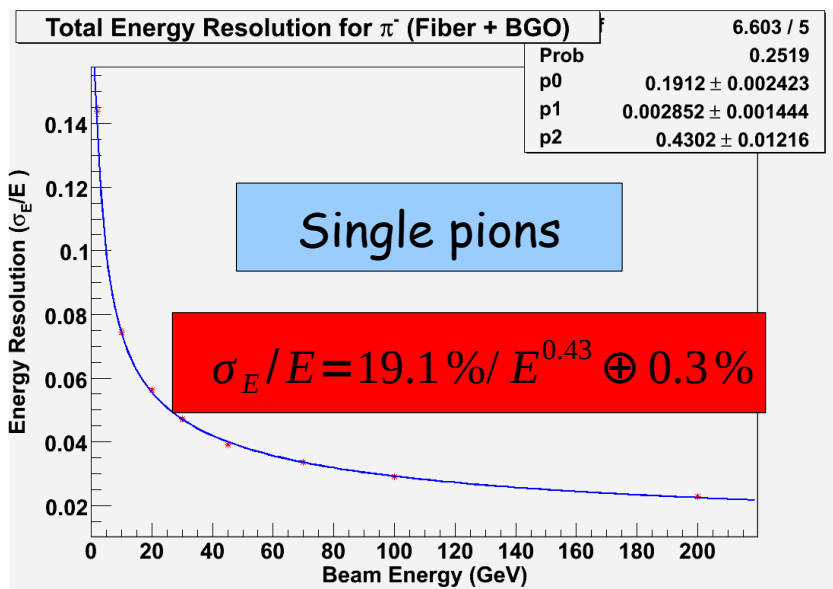
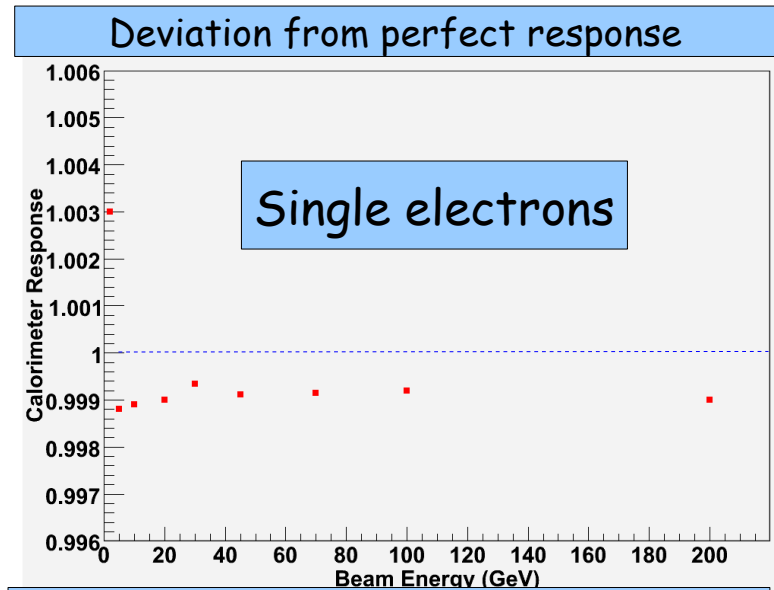
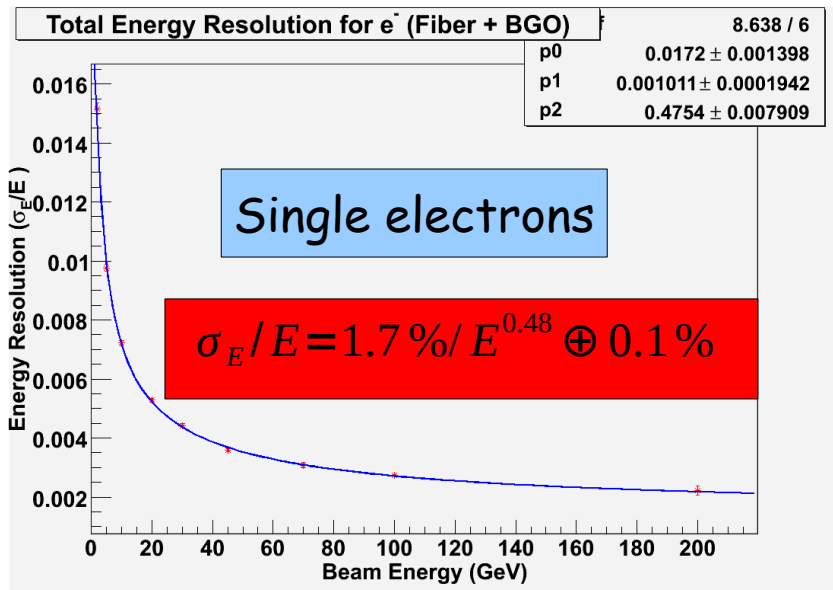
$\eta_c = 4.665$ $\eta_s = 1.114$

Calibrated energy: di-jet @ 91.2 GeV case using Triple Readout

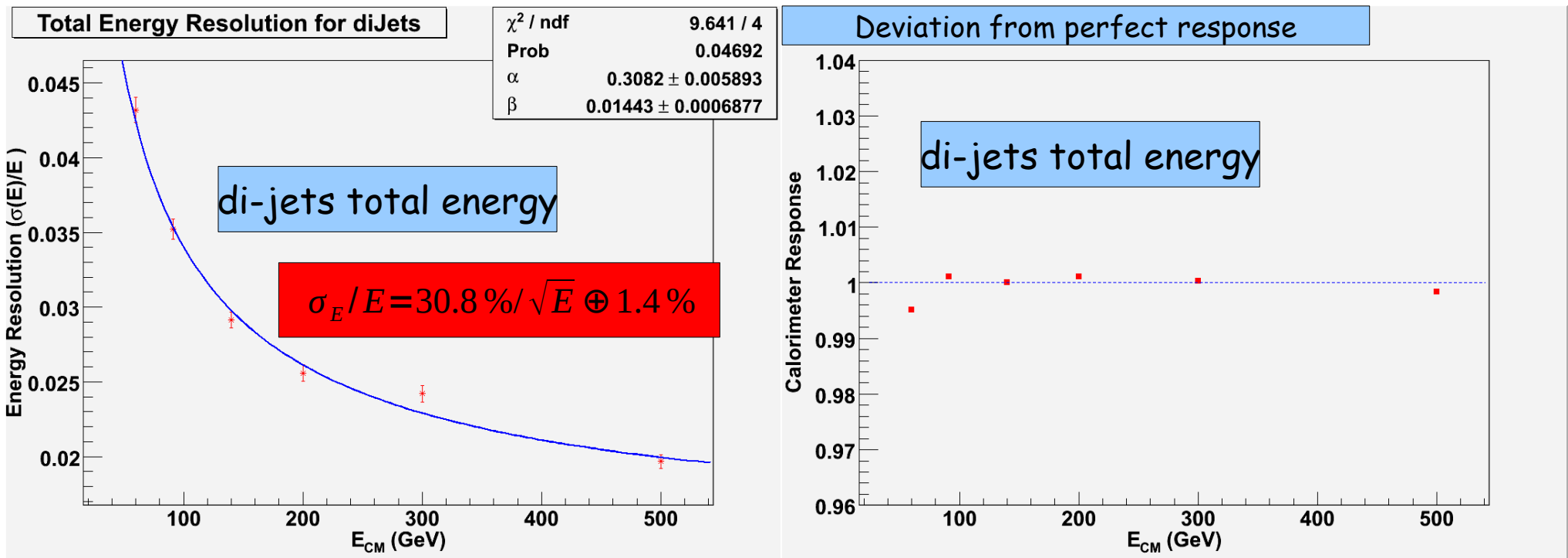
$$E_{HCAL} = \frac{E_S - \lambda E_C}{1 - \lambda} + \eta_n E_n$$



HCAL + ECAL resolution (single particles)



HCAL + ECAL resolution (di-jets)



HCAL + ECAL resolution: summary

Triple readout HCAL	Gaussian resolution stochastic term	constant term
π^-	25.6%/√E	1.5%
di-jet	29%/√E	1.2%

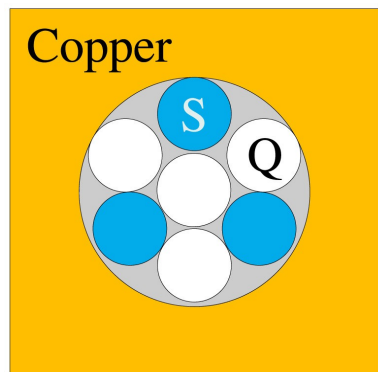
Triple readout ECAL + HCAL	Gaussian resolution stochastic term	constant term
e^-	1.7%/E ^{0.48}	0.1%
π^-	19.1%/E ^{0.43}	0.3%
di-jet	30.8%/√E	1.4%

How the mass reconstructions of Physics particles is affected by the calorimeter performances?

2 jets	$e^+e^- \rightarrow Z^0H^0 ; Z \rightarrow \nu\bar{\nu} ; H \rightarrow q\bar{q}$	$M_{\text{Higgs}} = 119.60 \pm 0.07 \text{ GeV}/c^2$ $\sigma_{\text{Higgs}} = 3.83 \pm 0.07 \text{ GeV}/c^2$	35%/√E	HCAL
4 jets	$e^+e^- \rightarrow Z^0H^0 ; Z \rightarrow u\bar{u} ; H \rightarrow c\bar{c}$	$M_{\text{Higgs}} = 117.9 \pm 1.2 \text{ GeV}/c^2$ $\sigma_{\text{Higgs}} = 4.48 \pm 1.6 \text{ GeV}/c^2$	41%/√E	HCAL
4 jets	$e^+e^- \rightarrow \chi_1^+\chi_1^- \rightarrow \chi_1^0\chi_1^0 W^+W^-$	$M_W = 79.40 \pm 0.06 \text{ GeV}/c^2$ $\sigma_W = 2.84 \pm 0.06 \text{ GeV}/c^2$	31%/√E	HCAL + ECAL
4 jets	$e^+e^- \rightarrow \chi_2^0\chi_2^0 \rightarrow \chi_1^0\chi_1^0 Z^0Z^0$	$M_Z = 89.55 \pm 0.20 \text{ GeV}/c^2$ $\sigma_Z = 2.77 \pm 0.21 \text{ GeV}/c^2$	29%/√E	HCAL + ECAL
6 jets	$e^+e^- \rightarrow t\bar{t} \rightarrow W^+bW^-b \rightarrow qqbqqb$	$M_{\text{top}} = 174.21 \pm 0.06 \text{ GeV}/c^2$ $\sigma_{\text{top}} = 4.65 \pm 0.06 \text{ GeV}/c^2$	35%/√E	HCAL

Look at the Corrado Gatto talk on the benchmark Physics studies

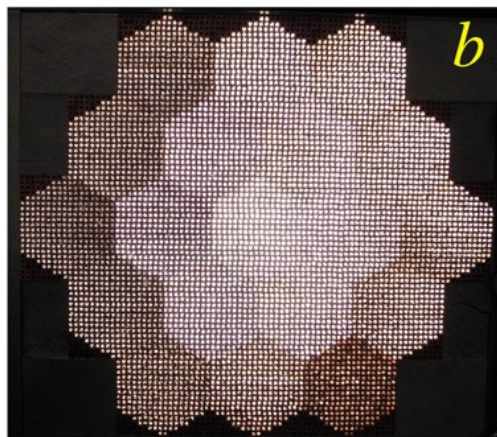
DREAM beam test setup



┌ 2.5 mm ─┐
← 4 mm →

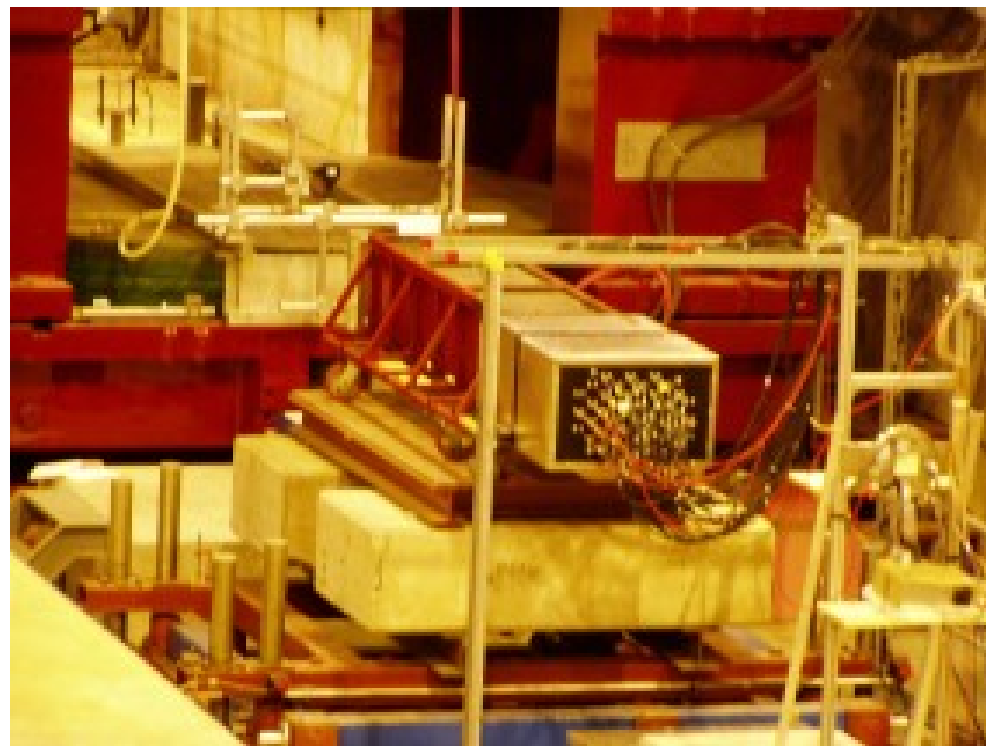
Unit cell

Channels
structure



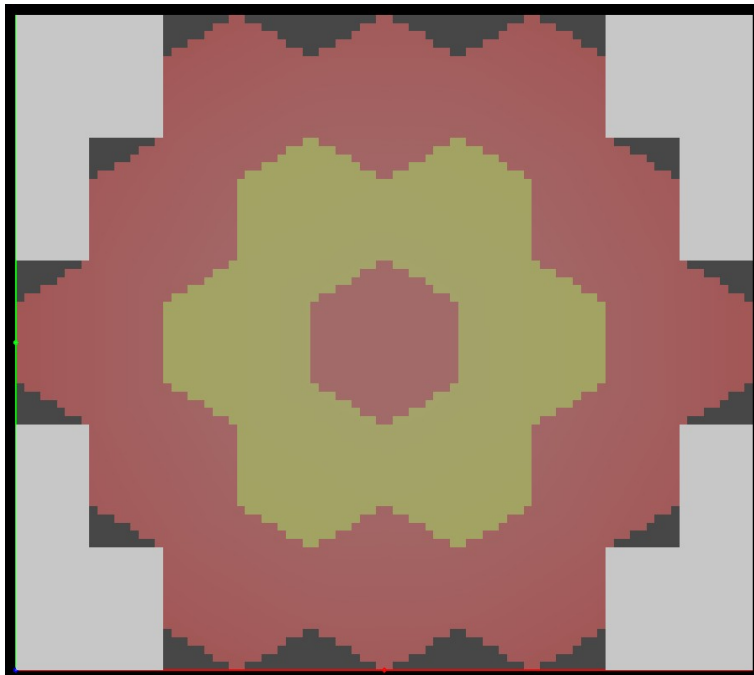
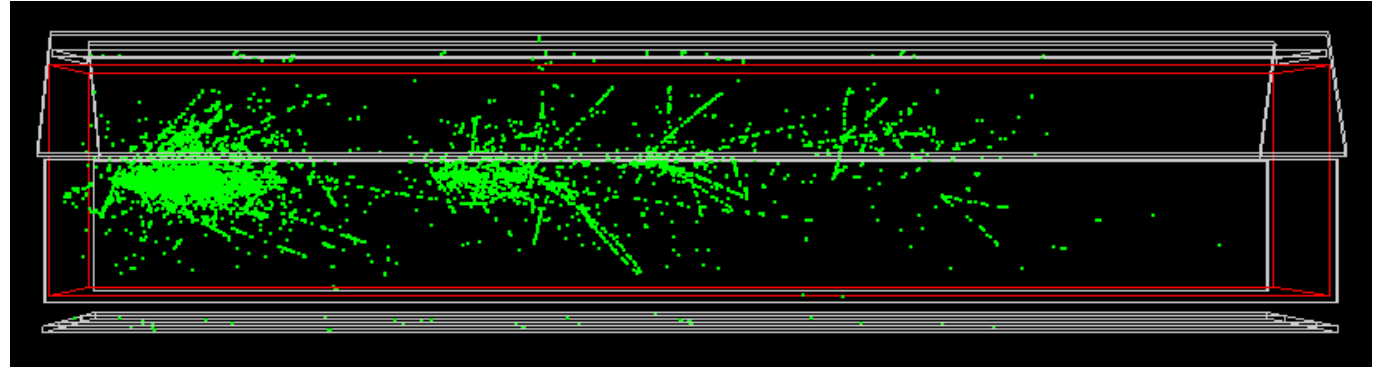
Look at the John Hauptman
and Nural Akchurin talks in
the Calorimetry session

DREAM



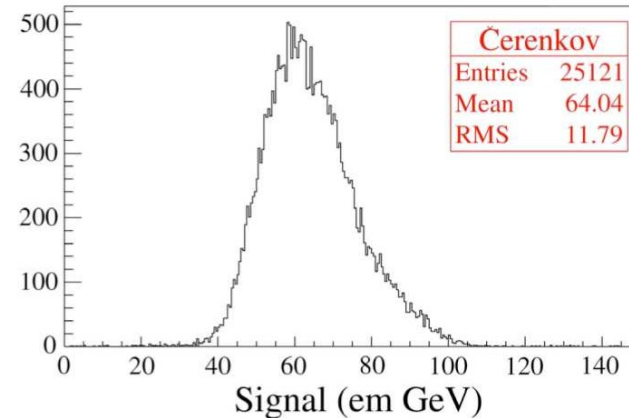
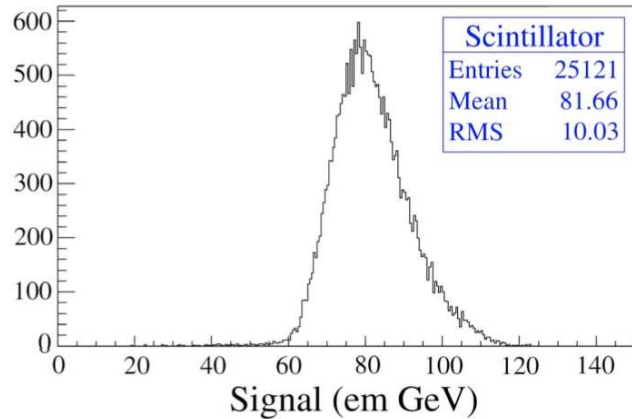
DREAM simulated in ILCroot

100 GeV π^- shower



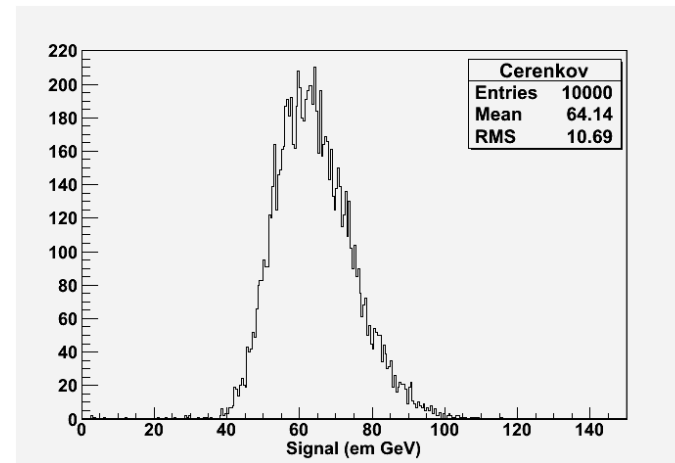
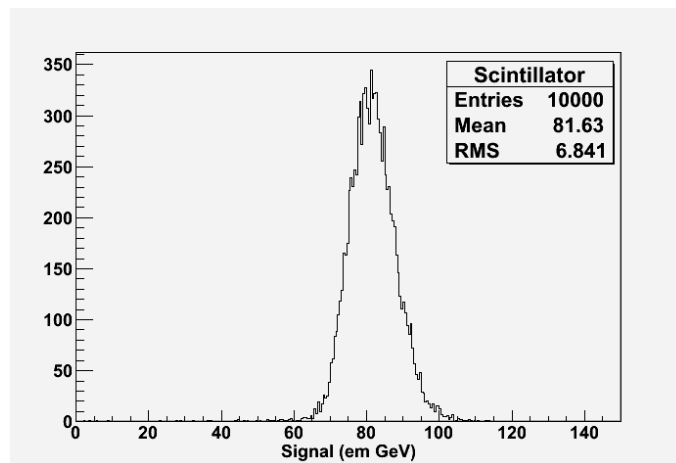
Front view of the
DREAM module in
the simulation

Scintillation and Cerenkov signal distributions for 100 GeV pions



DREAM
data

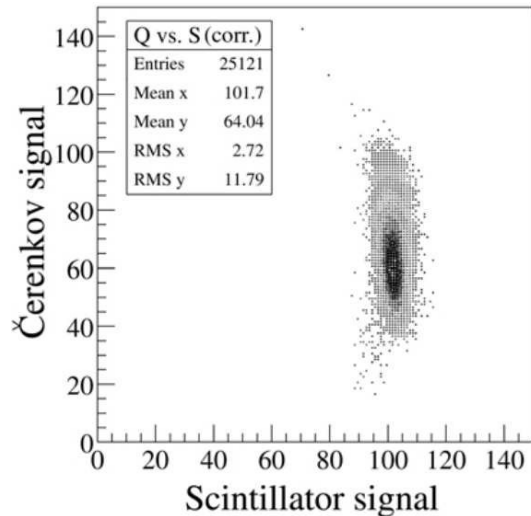
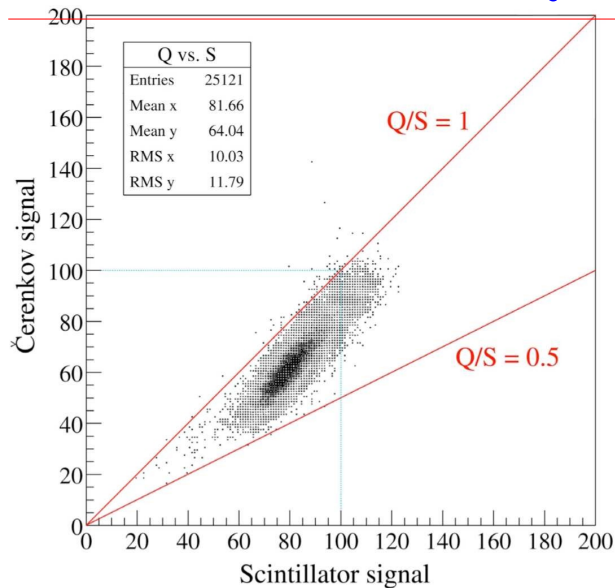
(raw signals)



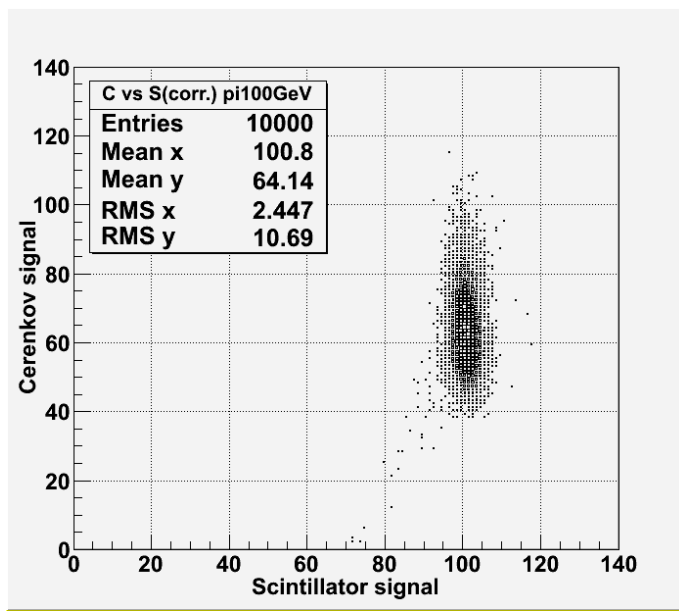
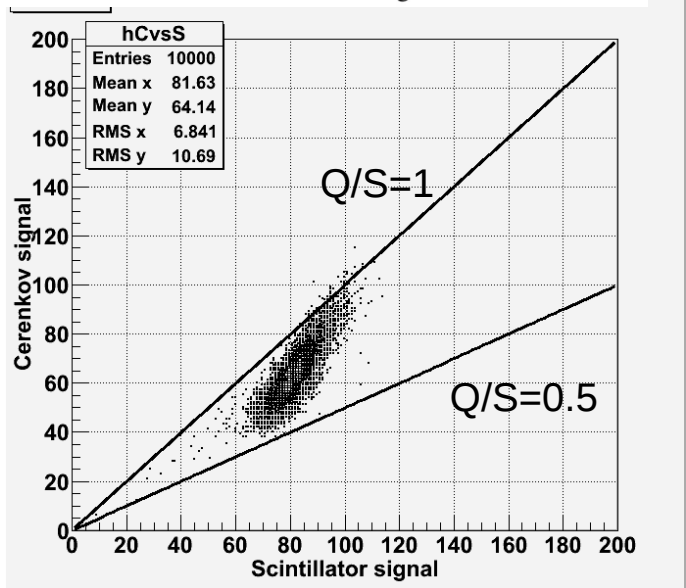
ILCroot
simulation

Note: DREAM integrate the signal in 80 ns, in the ILCroot simulation I integrate the signal in 350 ns

Scintillation signal vs. Čerenkov signal for 100 GeV pions



**DREAM
data**

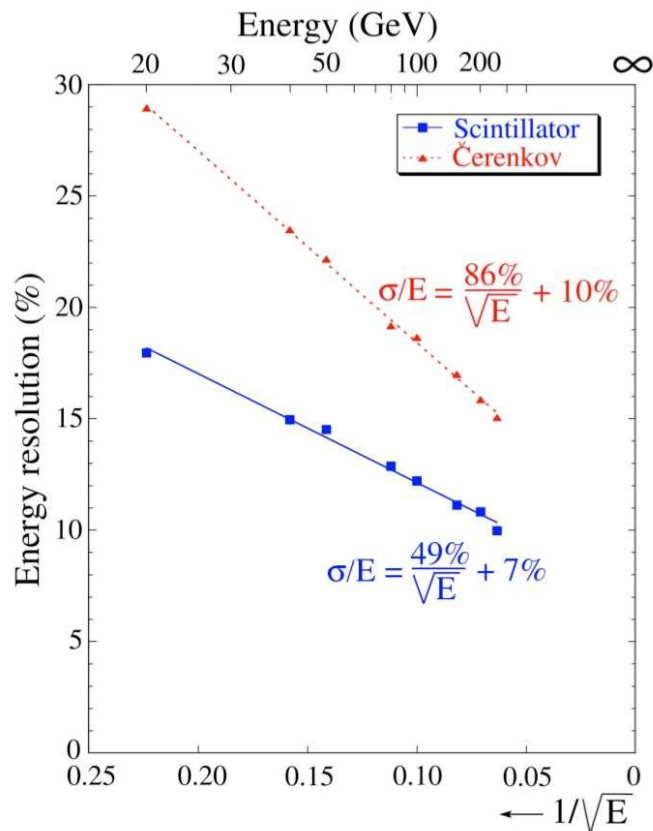


**ILCroot
simulation**

(raw signals)

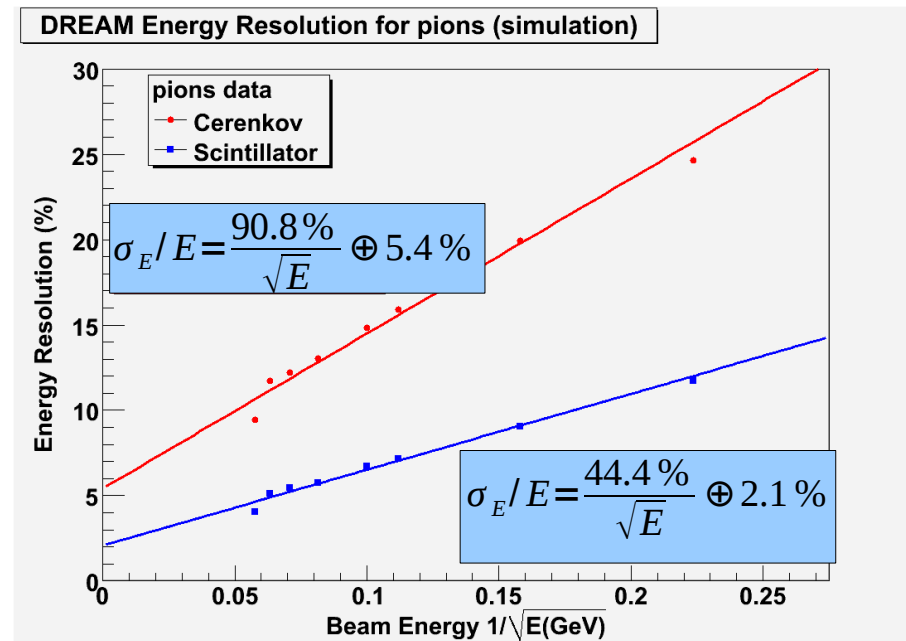
(raw Cer, corrected Scint)

Individual resolutions for pions in the scintillation and Čerenkov signals



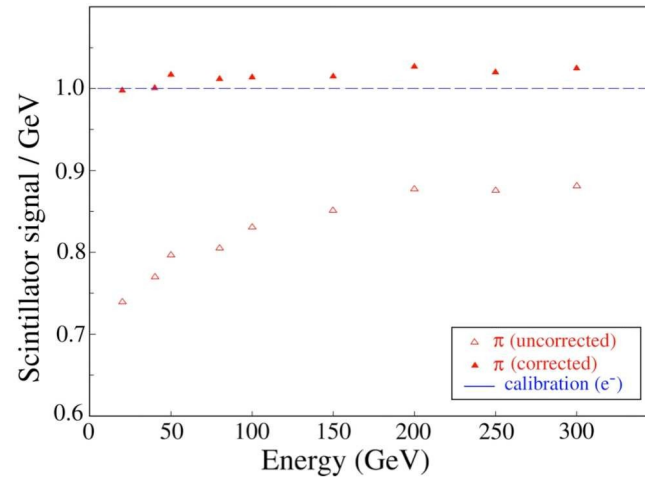
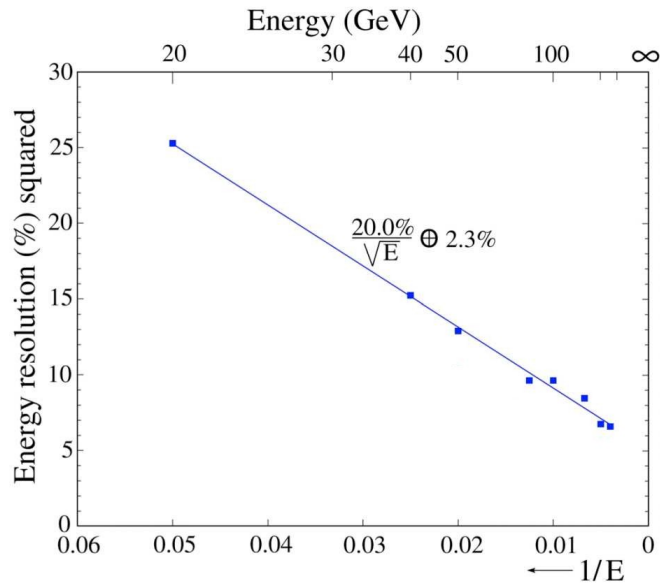
DREAM
data

(raw signals)



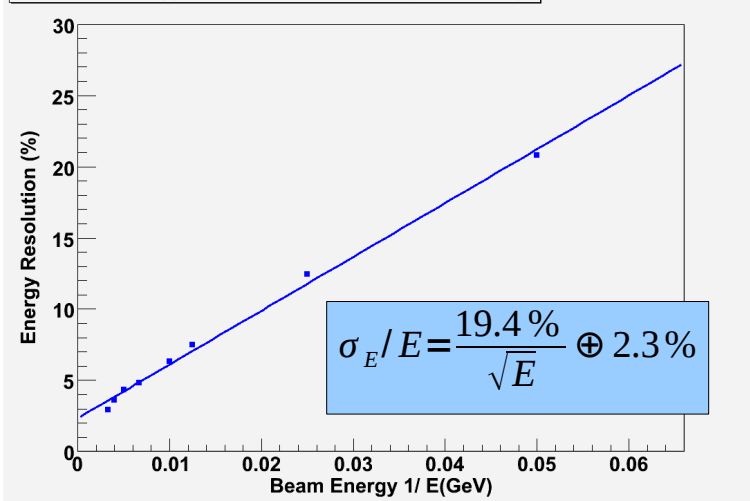
ILCroot
simulation

Energy resolutions for pions (calibrated energy)

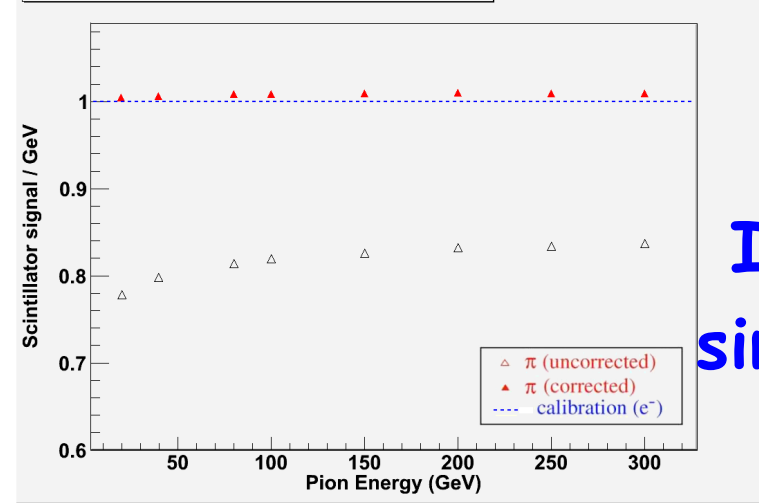


**DREAM
data**

DREAM Energy Resolution for pions (simulation)



DREAM Energy Response (simulation)



**ILCroot
simulation**

The algorithm used for the reconstructed energies are not the same but equivalent

Conclusion

- The Dual/Triple Readout calorimetry is performing very well with data and simulations
- Need to work to understand the constant term in the energy resolution and make it more realistic
- Effect on the Physics is well understood
- Comparison of ILCroot simulations with DREAM test beam is excellent
- All the machinery is ready to perform a very large number of Physics and performances studies