

AHCAL Energy Resolution

Katja Seidel

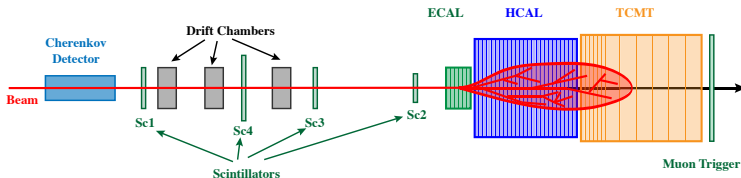
MPI for Physics & Excellence Cluster 'Universe'
Munich, Germany
for the CALICE Collaboration

International Linear Collider Workshop 2010
Beijing, China
27 March 2010



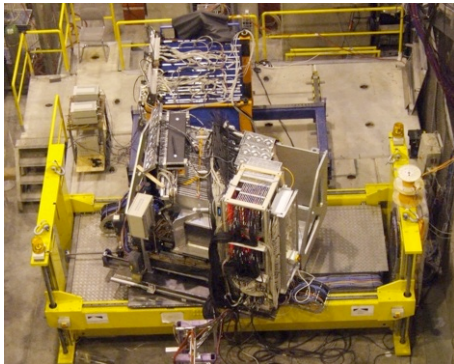
- 1 CALICE calorimeter prototypes
- 2 Calibration of the AHCAL
- 3 Electromagnetic Showers
- 4 Hadronic Showers - Software Compensation
 - Global Method
 - Cluster Energy Density Weighting
 - Neural Network
 - Local Method
 - Single Cell Energy Weighting
- 5 Conclusions

CALICE Calorimeter Prototype Program

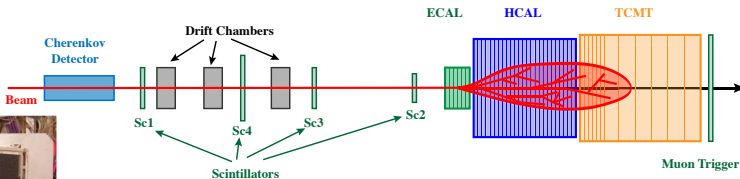


Extensive Test Beam Program

- DESY: 2006
- CERN: 2006, 2007
- FNAL: 2008, 2009
- Particle Types:
 $\mu, e^{\pm}, \pi^{\pm}, p$
- Particle Energies:
1 GeV to 80 GeV

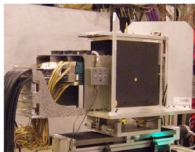


CALICE Calorimeter Prototype Program



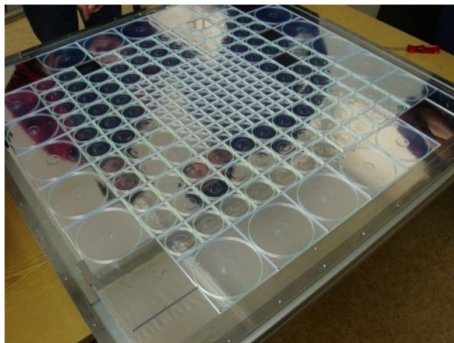
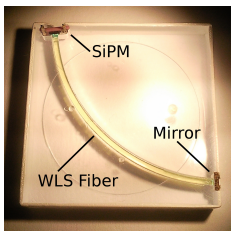
CERN 2007

- ECAL: Silicon-Tungsten Calorimeter
30 Layers; $1 \times 1 \text{ cm}^2$ readout pads, 1.4, 2.8, 4.2 cm thick absorber plates;
 $30 X_0$, $1 \lambda_0$
- HCAL: Scintillator-Steel Calorimeter
38 Layers; 1.8 cm thick absorber plates,
 $47 X_0$ $4.5 \lambda_0$
- TCMT: Scintillator-Steel Calorimeter
8 layers: 2 cm thick absorber plates, 8 layers:
10 cm thick absorber plates,
 $5 \times 100 \text{ cm}$ scintillator bars; $5.8 \lambda_0$



CALICE Analog HCAL

- Iron absorber structure
- Active layers: scintillator tiles
 - Tile sizes: $3 \times 3 \text{ cm}^2$, $6 \times 6 \text{ cm}^2$, $12 \times 12 \text{ cm}^2$
 - Light collection via wavelength shifting fiber
 - Readout via SiPM

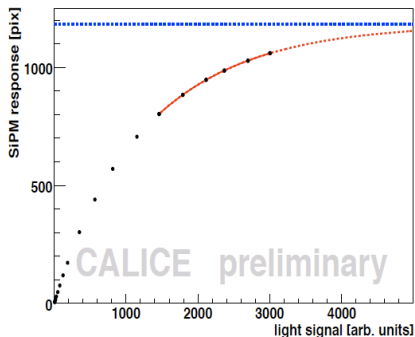


- High granularity in AHCAL center
→ in the shower core

Calibration of the AHCAL

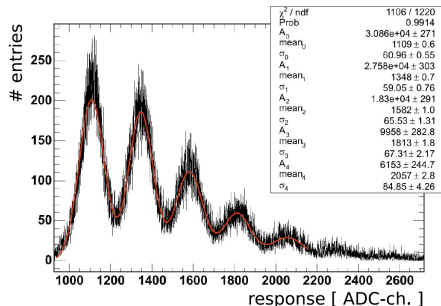
- Signal Saturation
 - SiPM pixel number limited
→ only limited number of photons can be counted
- Auto-calibration of SiPM gain:
 - Low-intensity LED light coupled into each detector cell
 - Gain measurement
- MIP-Calibration with Muons
 - Complete detector illuminated with high energy muons
 - Equalization of cell response by matching the MPV position
- Temperature effect correction
 - SiPM gain
 - SiPM amplitude

⇒ All effects included into event reconstruction and Monte Carlo digitization.



Calibration of the AHCAL

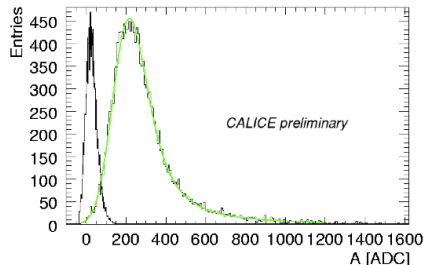
- Signal Saturation
 - SiPM pixel number limited
→ only limited number of photons can be counted
- Auto-calibration of SiPM gain:
 - Low-intensity LED light coupled into each detector cell
 - Gain measurement
- MIP-Calibration with Muons
 - Complete detector illuminated with high energy muons
 - Equalization of cell response by matching the MPV position
- Temperature effect correction
 - SiPM gain
 - SiPM amplitude



⇒ All effects included into event reconstruction and Monte Carlo digitization.

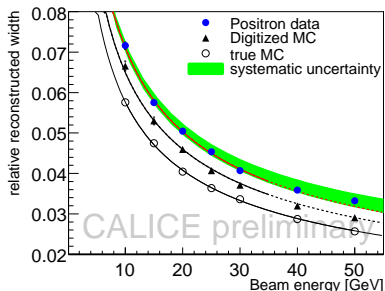
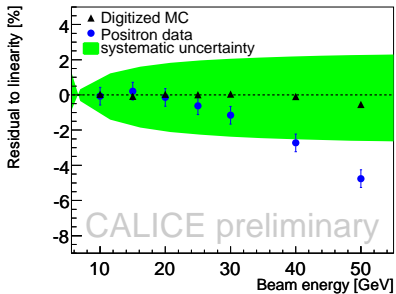
Calibration of the AHCAL

- Signal Saturation
 - SiPM pixel number limited
 - only limited number of photons can be counted
- Auto-calibration of SiPM gain:
 - Low-intensity LED light coupled into each detector cell
 - Gain measurement
- MIP-Calibration with Muons
 - Complete detector illuminated with high energy muons
 - Equalization of cell response by matching the MPV position
- Temperature effect correction
 - SiPM gain
 - SiPM amplitude



⇒ All effects included into event reconstruction and Monte Carlo digitization.

Electromagnetic Showers in the AHCAL



Positron test beam data from 10 GeV to 50 GeV

Comparison to Monte Carlo data

- Data taking without ECAL in front of HCAL
- Linearity of detector response of 1.5 % up to 30 GeV
- Non-Linearity at higher energies not yet reproduced in MC → Saturation handling

Energy Resolution Data

Fit in the range from 10 GeV to 30 GeV

$$\text{with: } \frac{\sigma}{E[\text{GeV}]} = \frac{a}{\sqrt{E[\text{GeV}]}} \oplus b$$

$$a = 22.5 \pm 0.1(\text{stat}) \pm 0.4(\text{syst}) \%$$

$$b = 0.0 \pm 0.1(\text{stat}) \pm 0.1(\text{syst}) \%$$

Hadronic Showers

Detector Response

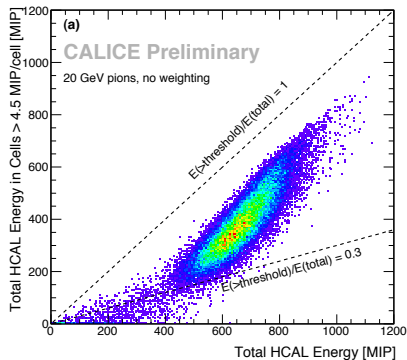
- ▶ CALICE: non-compensating sampling calorimeter
- ▶ Calorimeter response to hadrons is smaller than to electrons of the same energy
- ▶ CALICE AHCAL $\frac{e}{\pi} \sim 1.2$

Software Compensation

- ⇒ Identification of electromagnetic and hadronic shower component fractions
 - ⇒ Improve energy resolution
 - ⇒ Improve linearity of detector response

Method:

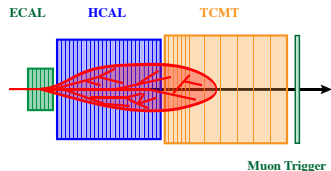
- Electromagnetic showers tend to be denser than purely hadronic ones
- Correlations between reconstructed energy and energy in high density shower regions
 - ⇒ Test Local and Global Techniques



Cluster-Based Software Compensation

Two global methods based on cluster as a whole - no subcluster analysis
Look at global cluster properties

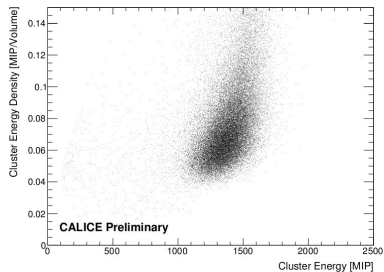
- 1 Shower reconstruction in AHCAL and TCMT
Showers are required to start in the AHCAL
- 2 Determination of shower variables
from test beam and simulated data
- 3 Analyses developed on Monte Carlo data
FTF_BIC
 - Energy density weighting technique
 - Neural Network from TMVA
- 4 Application of weight or trained neural network
on test beam data



Cluster Energy Density Weighting Technique

- Hadronic Showers with high energy density ρ
- ⇒ Higher electromagnetic content
 - ⇒ Higher reconstructed energy

$$E_{rec}[GeV] = E_{rec}[MIP] \cdot \omega(\rho, E)$$



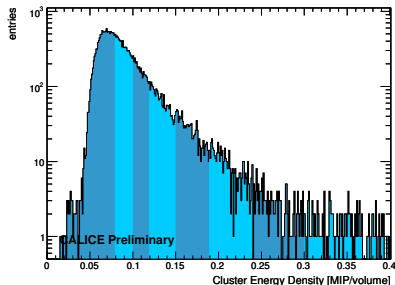
Cluster Energy Density Weighting Technique

- Hadronic Showers with high energy density ρ
 - ⇒ Higher electromagnetic content
 - ⇒ Higher reconstructed energy

$$E_{rec}[GeV] = E_{rec}[MIP] \cdot \omega(\rho, E)$$

- Individual weights with minimization of function

$$\chi^2 = E_{rec} \cdot \omega - E_{beam}$$



Cluster Energy Density Weighting Technique

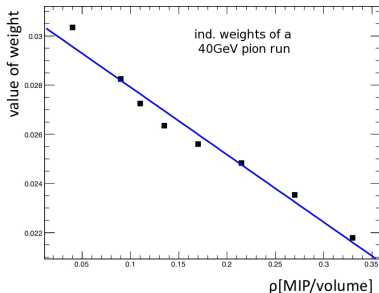
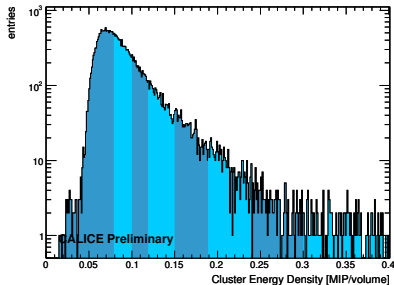
- Hadronic Showers with high energy density ρ
- ⇒ Higher electromagnetic content
 - ⇒ Higher reconstructed energy

$$E_{rec}[GeV] = E_{rec}[MIP] \cdot \omega(\rho, E)$$

- Individual weights with minimization of function

$$\chi^2 = E_{rec} \cdot \omega - E_{beam}$$

- Parameterization of the individual weights via $\omega = a(E) \cdot \rho + b(E)$



Cluster Energy Density Weighting Technique

Hadronic Showers with high energy density ρ

⇒ Higher electromagnetic content

⇒ Higher reconstructed energy

$$E_{rec}[GeV] = E_{rec}[MIP] \cdot \omega(\rho, E)$$

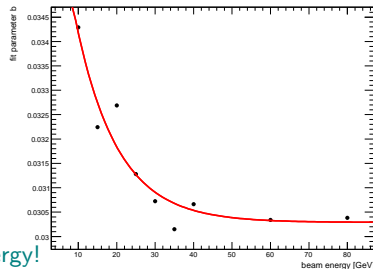
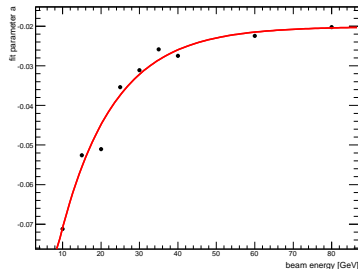
- Individual weights with minimization of function

$$\chi^2 = E_{rec} \cdot \omega - E_{beam}$$

- Parameterization of the individual weights via $\omega = a(E) \cdot \rho + b(E)$

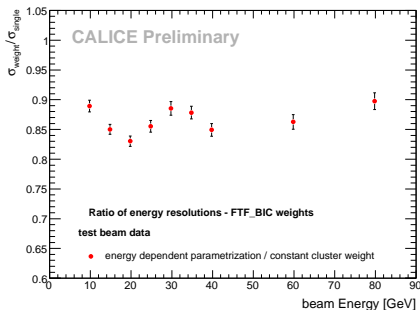
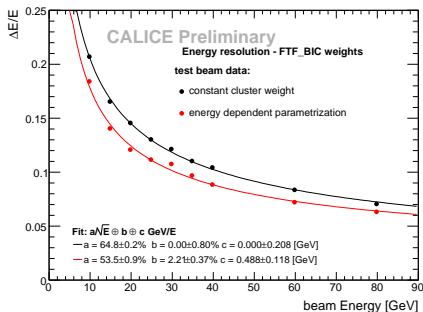
- Parameterization of energy dependence with function for $a(E)$ und $b(E)$, $E = E_{rec}$

⇒ Determination of weights independent of beam energy!



Cluster Energy Density Weighting - Results

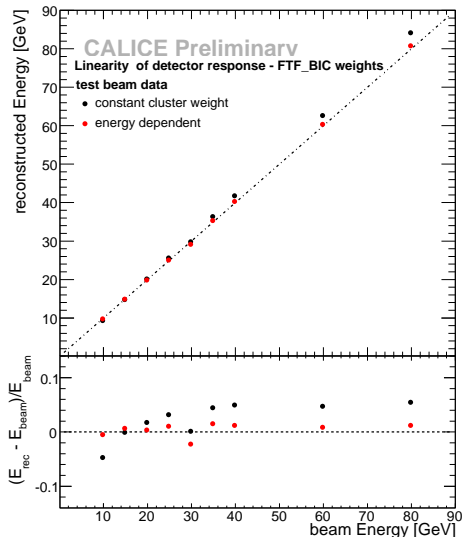
Energy Resolution:



- Weight parametrization from Monte Carlo derived
- Weights applied on test beam data
- Energy resolution improvement: → approx. 15%

Cluster Energy Density Weighting - Results

Linearity of detector response:



- Significant improvement of linearity of detector response
→ better than 4%
- Test beam data: π^+ and π^- runs. Elimination of proton content of π^+ runs should improve the linearity even further.

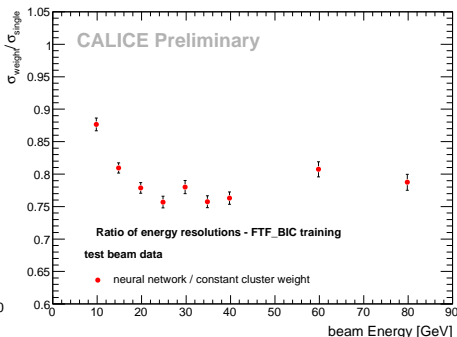
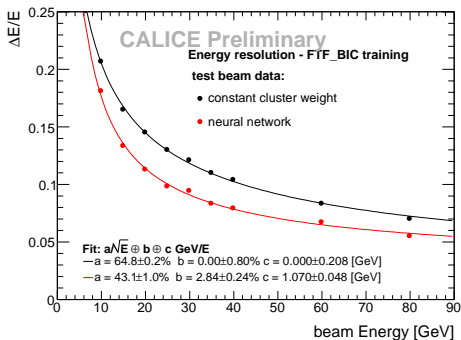
TMVA - Toolkit for Multivariate Data Analysis



- Training with Monte Carlo events with continuous energy of hadronic model FTF_BIC
- 6 input variables
 - Reconstructed energy
 - Cluster volume
 - Cluster length
 - Mean cluster width
 - Cluster energy in last 5 AHCAL layers
 - Cluster energy in Tail Catcher
- Target variable: beam energy
- Output value: reconstructed energy

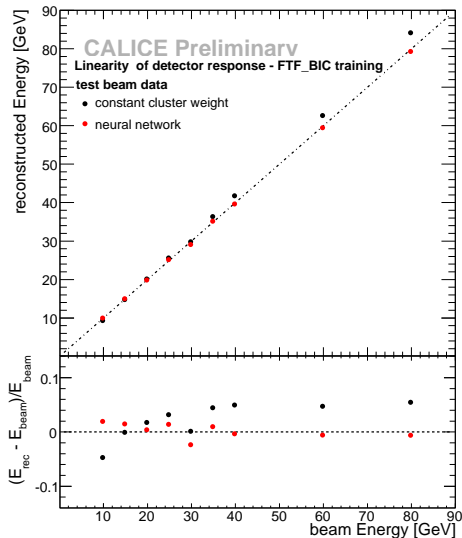
⇒ Trained Neural Network applied on test beam data

Energy Resolution:



■ Energy resolution improvement: → approx. 23%

Linearity:



- Significant improvement of linearity of detector response
→ better than 3%

Single Cell Weighting - Technique

Simple reconstruction without weighting

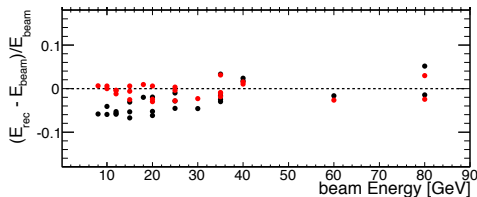
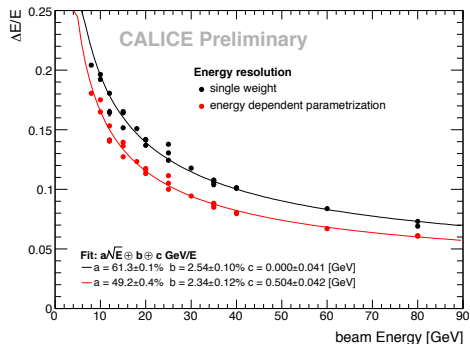
- One calibration factor (MIP to GeV) per subdetector (ECAL, AHCAL, TCMT)
- Noise rejection applied

Weight calorimeter cells according to their energy content \Rightarrow Apply higher weights to cells with low energy density

- Weights are energy dependent
- No knowledge of beam energy needed to apply weights

Results:

- Energy resolution improvement:
 \rightarrow approx. 18 %
- Linearity of detector response better than 4 %

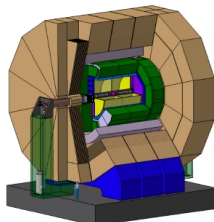


Conclusions

- Calibration of analog AHCAL with SiPM redout
- Energy Reconstruction of electromagnetic data
⇒ Test beam and simulated data in the AHCAL
- Energy Reconstruction of hadron data
⇒ High granularity can be used for software compensation
Local and global software compensation methods
 - Cluster energy density weighting technique:
⇒ 15 % energy resolution improvement for AHCAL and TCMT
 - Neural Network:
⇒ 23 % energy resolution improvement for AHCAL and TCMT
 - Tile energy density weighting technique:
⇒ 18 % energy resolution improvement for the complete CALICE setup
- Optimum maybe in between both methods

Outlook

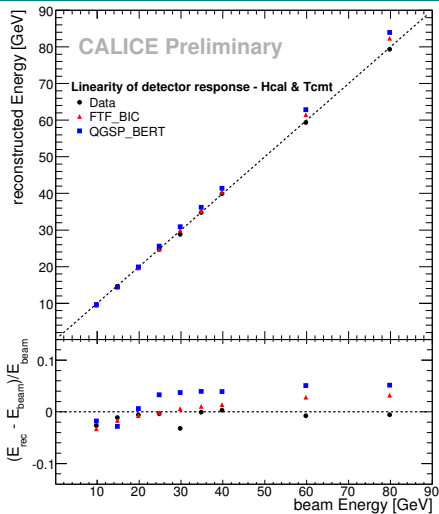
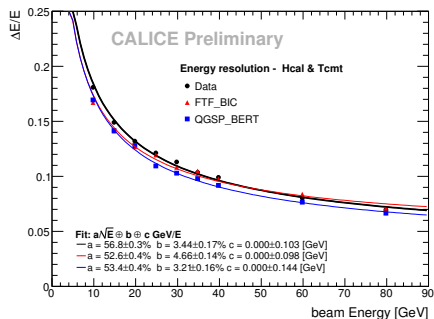
- Application of method on full ILD simulations and ILD reconstruction software PandoraPFA



Backup slides

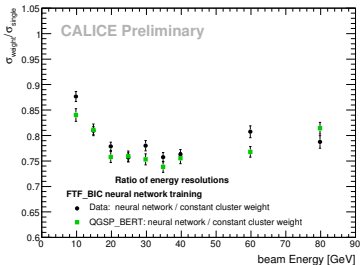
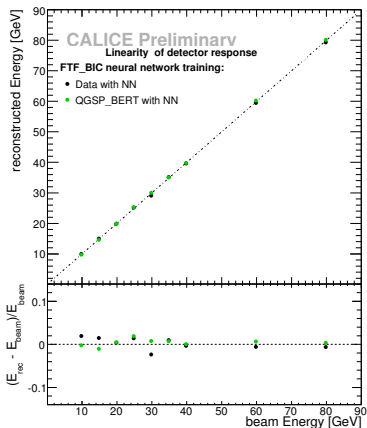
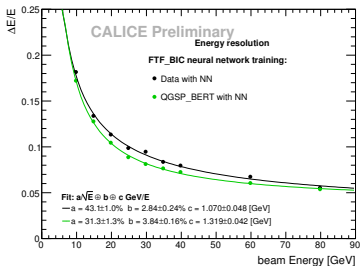
Energy Resolution and Linearity for all energy in AHCAL and TCMT

- No clustering
- No software compensation
- MIP to GeV factor 0.028

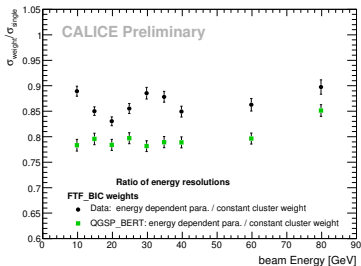
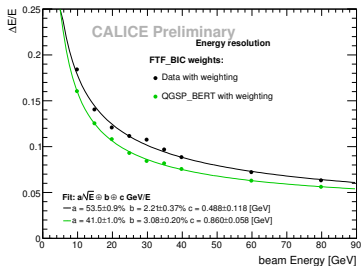


Energy Resolution and Linearity for test beam data and QGSP_BERT Monte Carlo with Neural Network

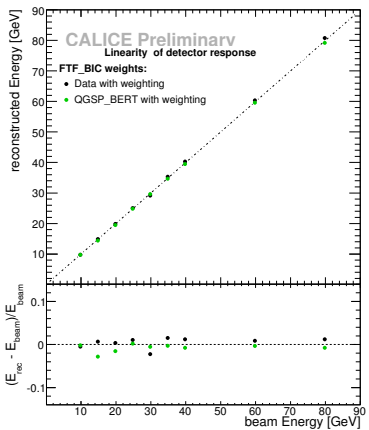
■ Neural Network trained with FTF_BIC simulated data



Energy Resolution and Linearity for test beam data and QGSP_BERT Monte Carlo with Cluster Energy Density Weighting

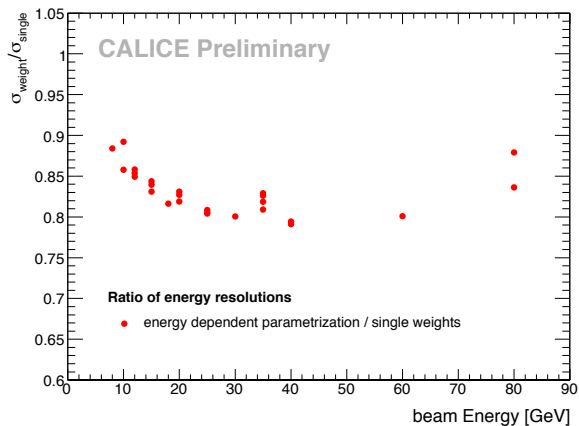


Weights extracted from FTF_BIC simulated data



Energy Resolution Improvement for complete CALICE setup

- Single Tile Energy Weighting Technique
- Weights extracted from data
- No clustering



Monte Carlo Energy Correction

