

4C Fits in $e^+e^- \rightarrow WW/ZZ \rightarrow qqqq$ at $E_{\text{cm}} = 1 \text{ TeV}$

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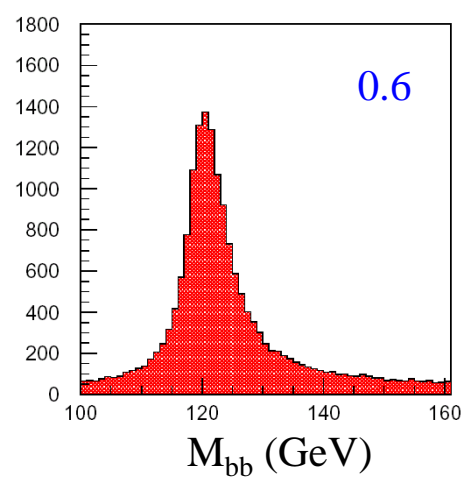
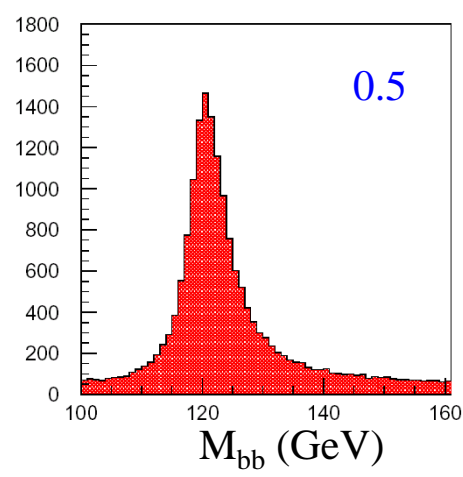
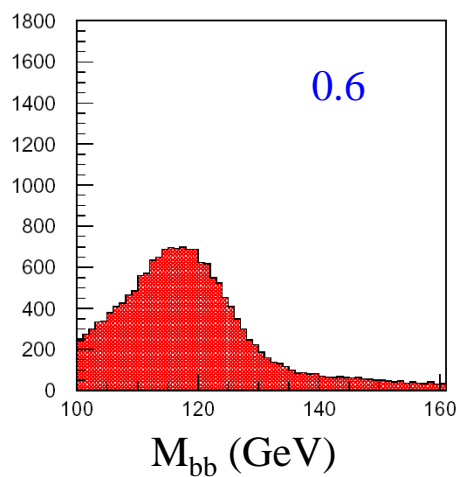
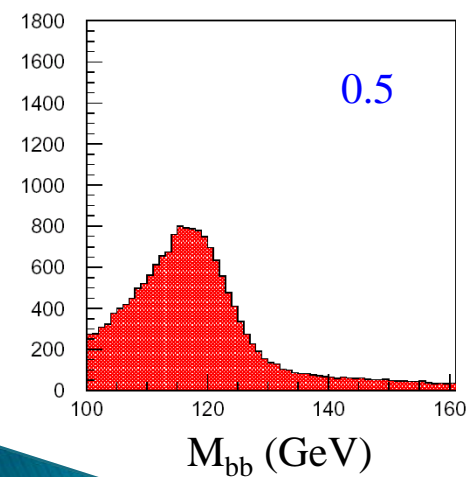
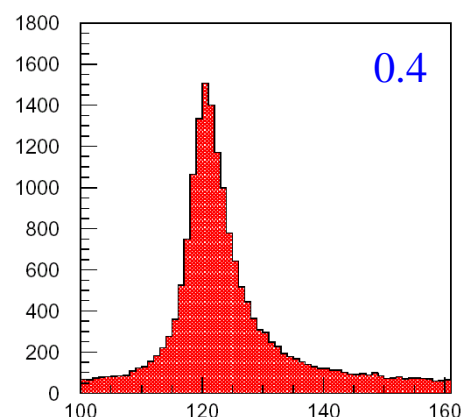
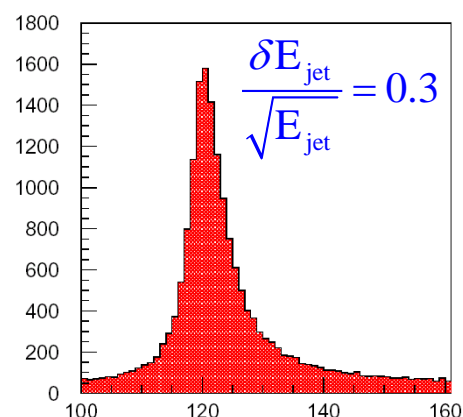
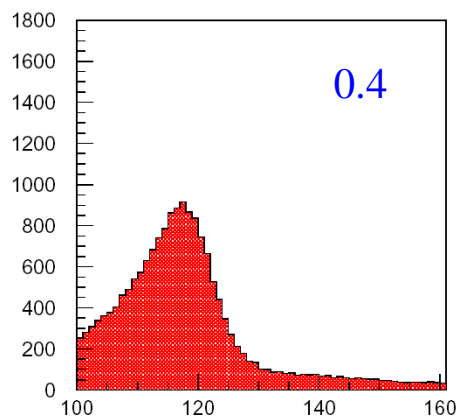
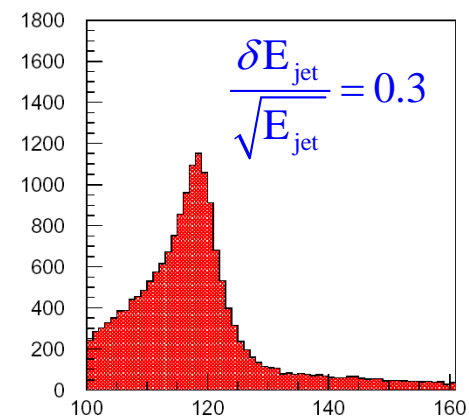
Procedure

- ▶ Start with 200,000 $e^+e^- \rightarrow u\bar{d}d\bar{u}$ events at $E_{\text{cm}}=1$ TeV processed through sim+reco using the sidloi3 detector
- ▶ Use truth information to remove events with ISR
- ▶ Match reco jets with true jets
- ▶ Use the matched jets to find the errors in the 16 variables. (E, β, Θ, ϕ for each jet)
- ▶ Constrain $\Sigma E = 1000, \Sigma P_x = \Sigma P_y = \Sigma P_z = 0$.
- ▶ Motivation: Fast MC study of ZH at 350 GeV

$$e^+e^- \rightarrow ZH \rightarrow qqbb\bar{b}$$

Reconstructed M_{bb}

4C Fitted M_{bb}



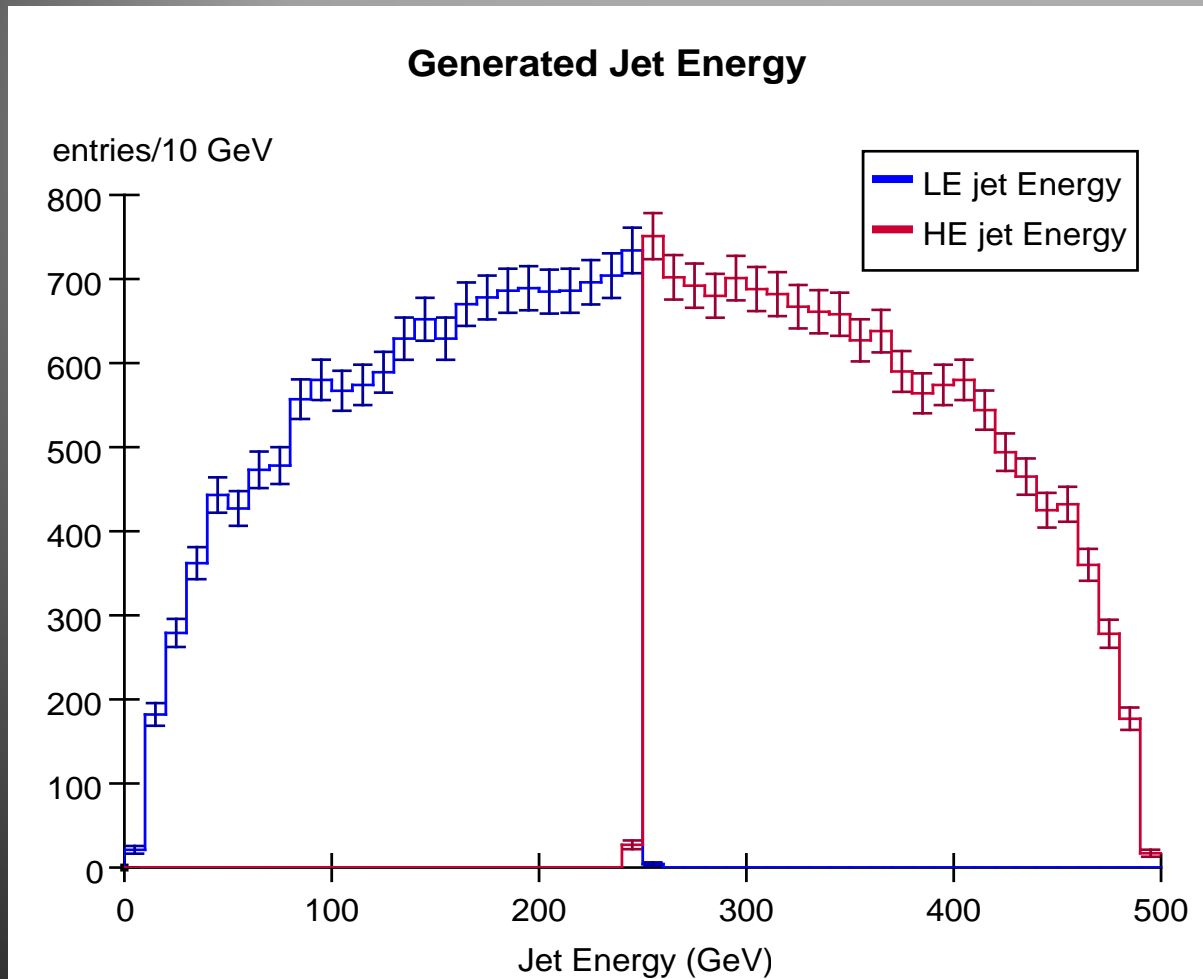
“Perfect” reconstruction used to define true jets

- ▶ Find pdg94 particles. If $n \neq 2$, fail.
- ▶ Find parent quarks. If $n \neq 2$, only use quarks with 1 daughter. If n still $\neq 2$, fail.
- ▶ Trace generator final state particles to pdg94.
- ▶ Boost quarks and fs particles to pdg94 system, then attach fs particles to nearest q.
- ▶ Jet 0 is max E jet in dijet with max $\cos(\Theta)$, jet 1 partner, jet 2 maxE in other dijet, jet 3 partner
- ▶ Should be no difference in jet 0,2 distributions or jet 1,3 distributions

Jet clustering from PFOs

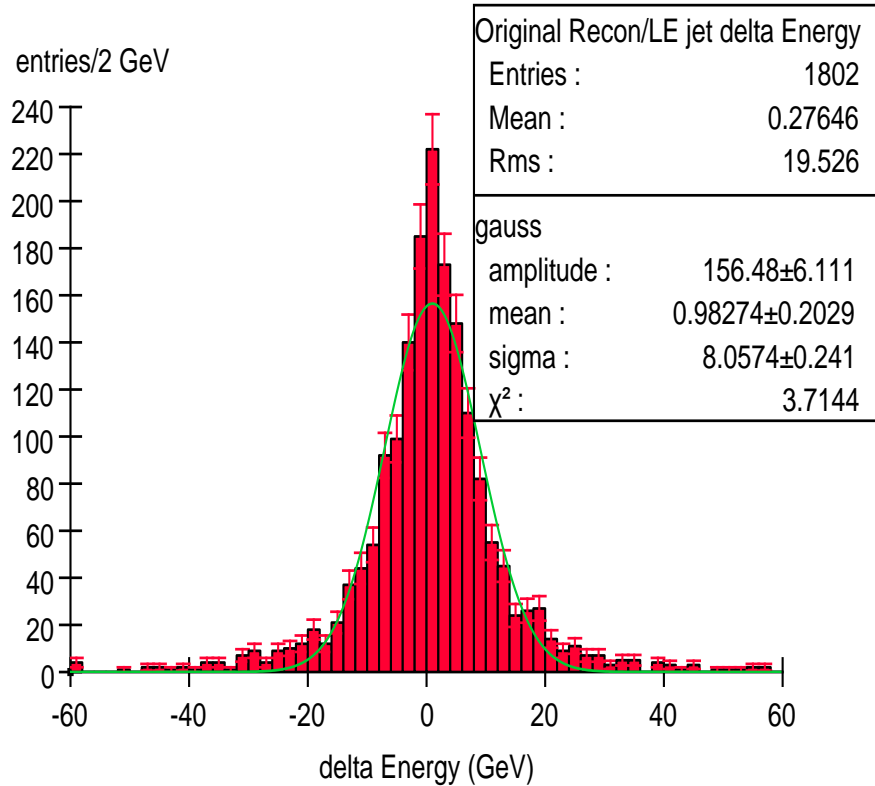
- ▶ Hemisphere cut: Use thrust axis, separate particles by dot product $>< 0$.
- ▶ For each hemisphere: Boost to cm, find thrust axis, separate into hemisphere.
- ▶ If # particles in any of the 4 jets < 2 , fail.
- ▶ Match to “perfect” with chisq.

Full E WW events

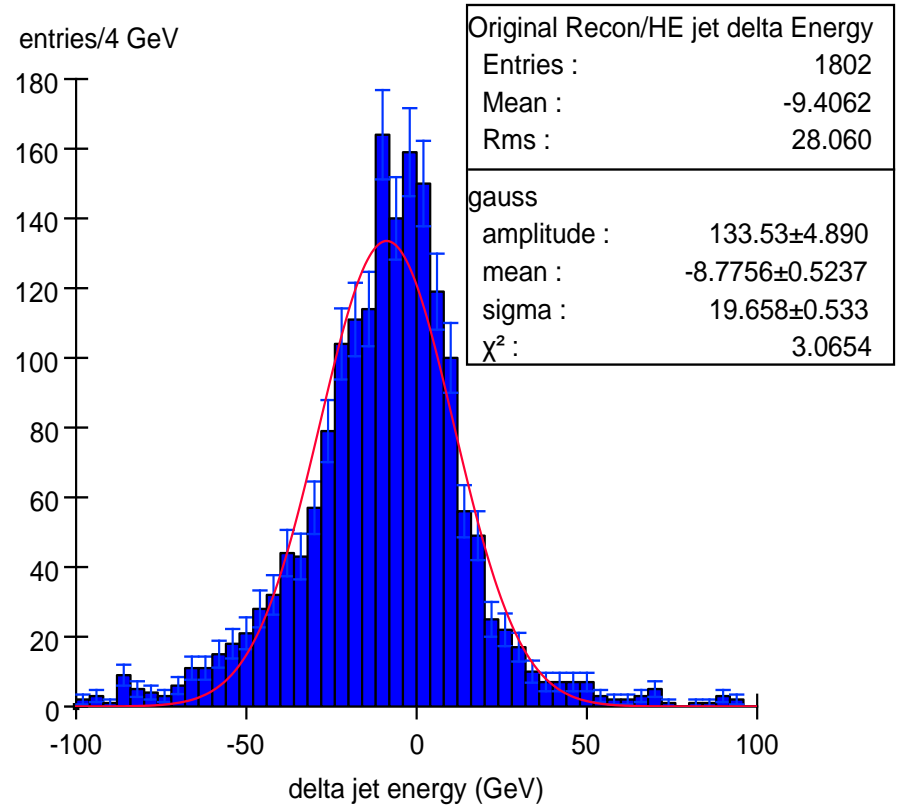


Prefit results: Energy

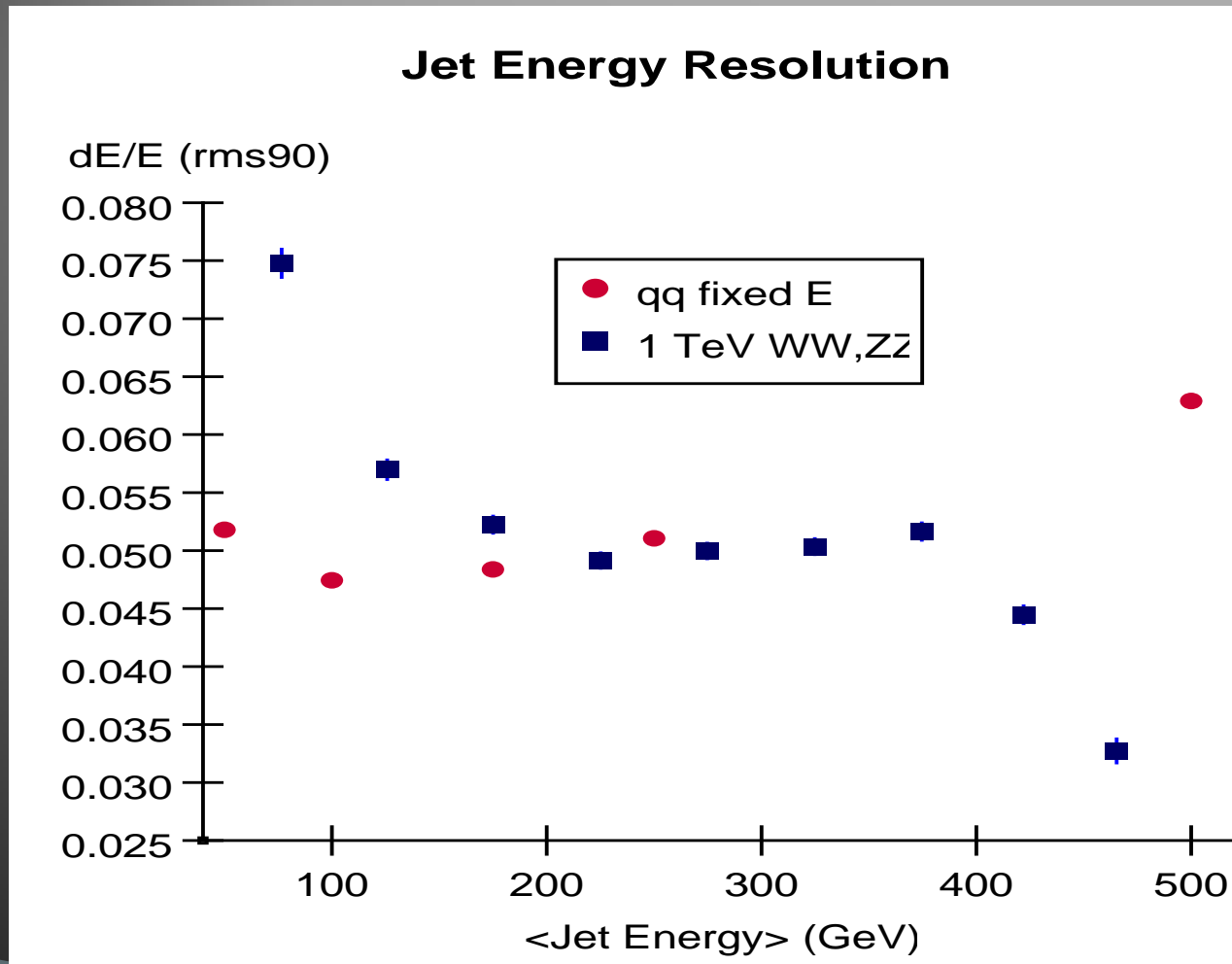
Recon-perfect LE jet energy



recon-perfect HE jet energy

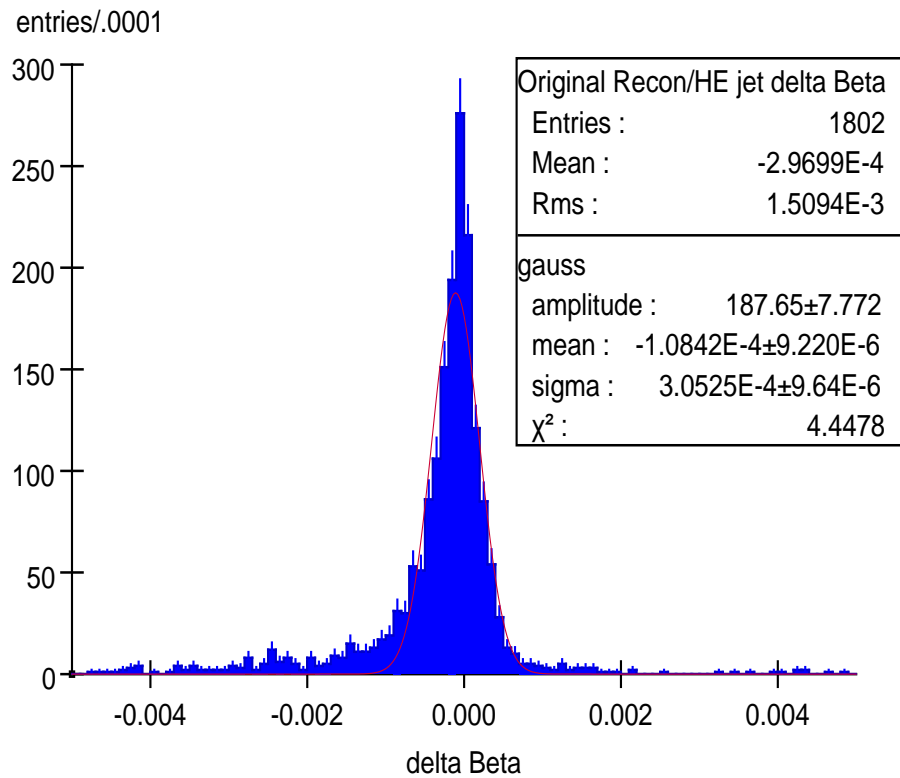


Jet Energy comparison

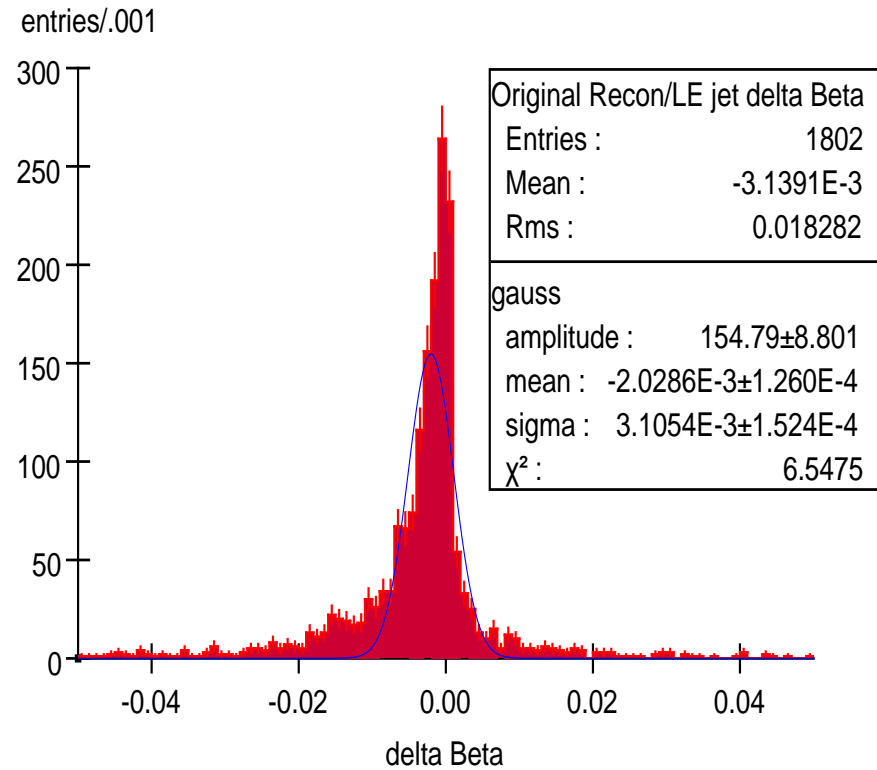


Prefit results: Beta

HE jet delta Beta

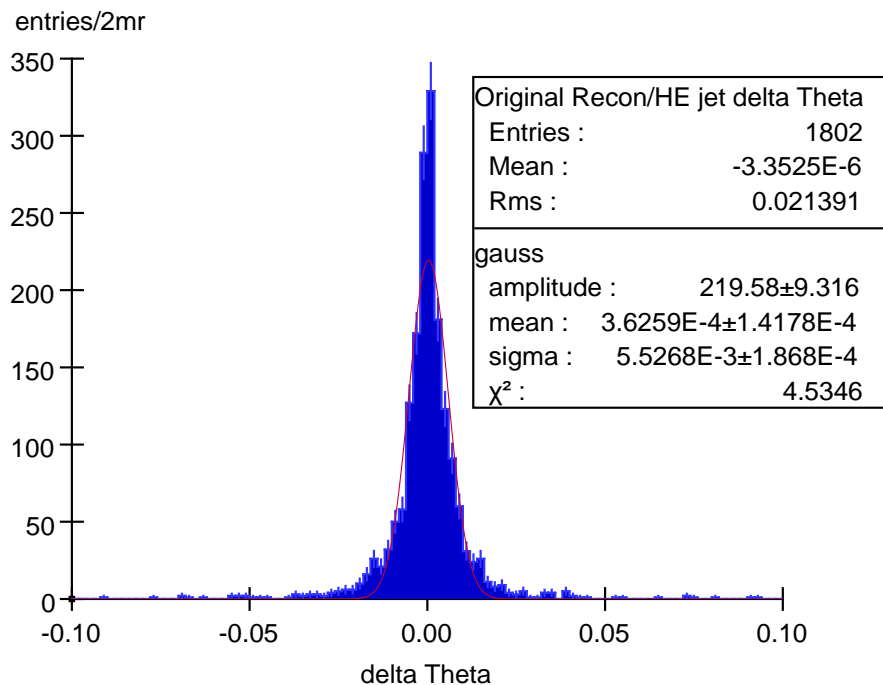


LE jet delta Beta

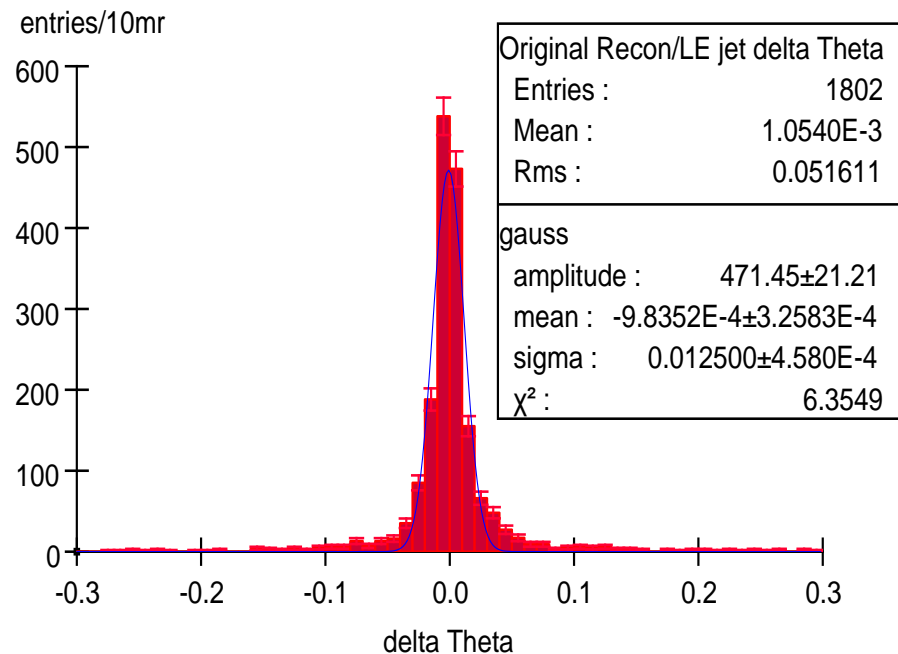


Prefit results: Theta

HE jet: delta Theta

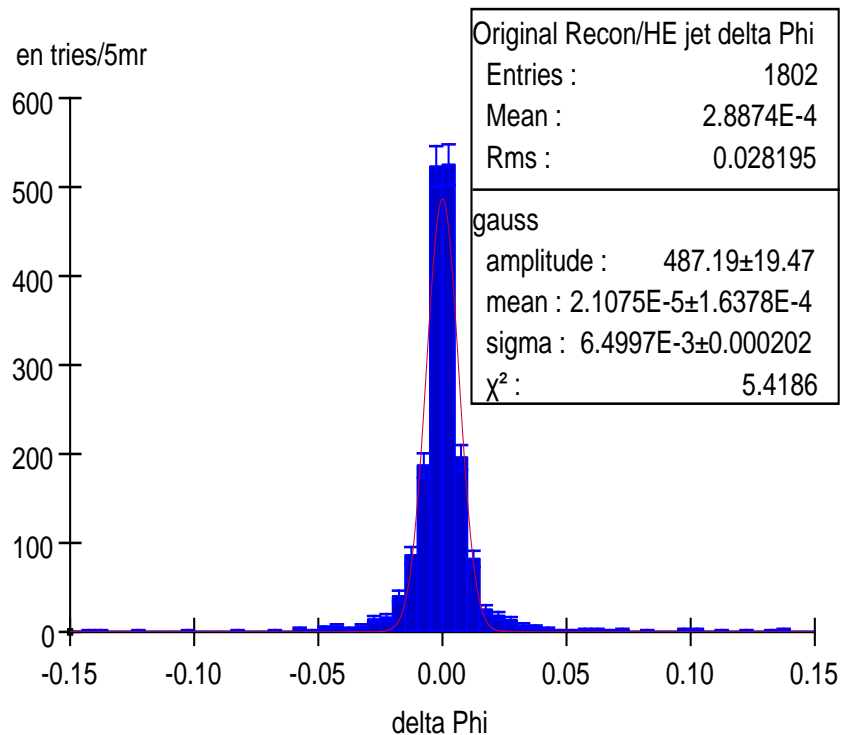


LE jet: delta Theta

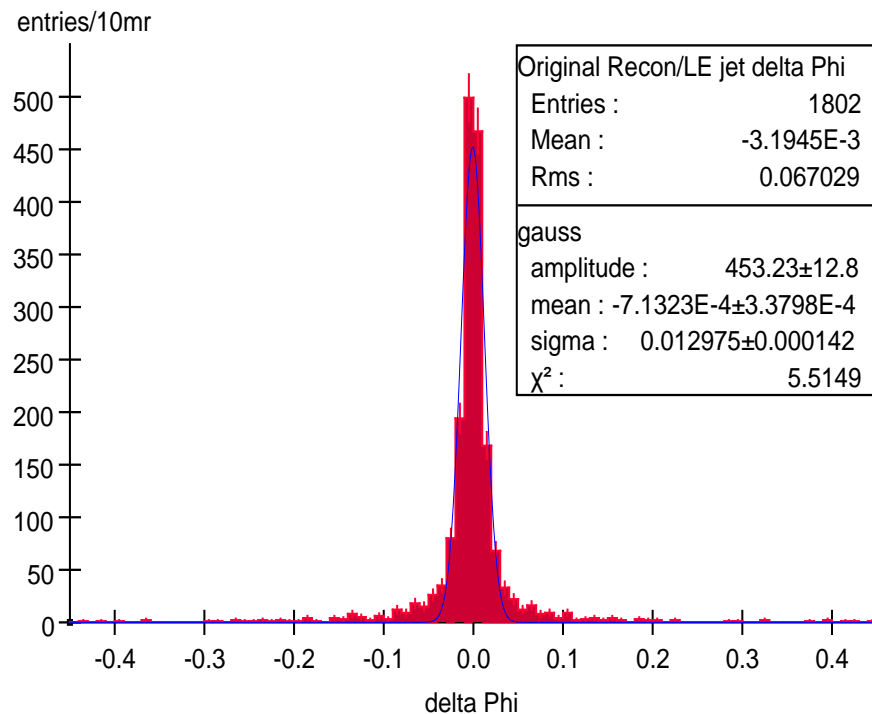


Prefit results: Phi

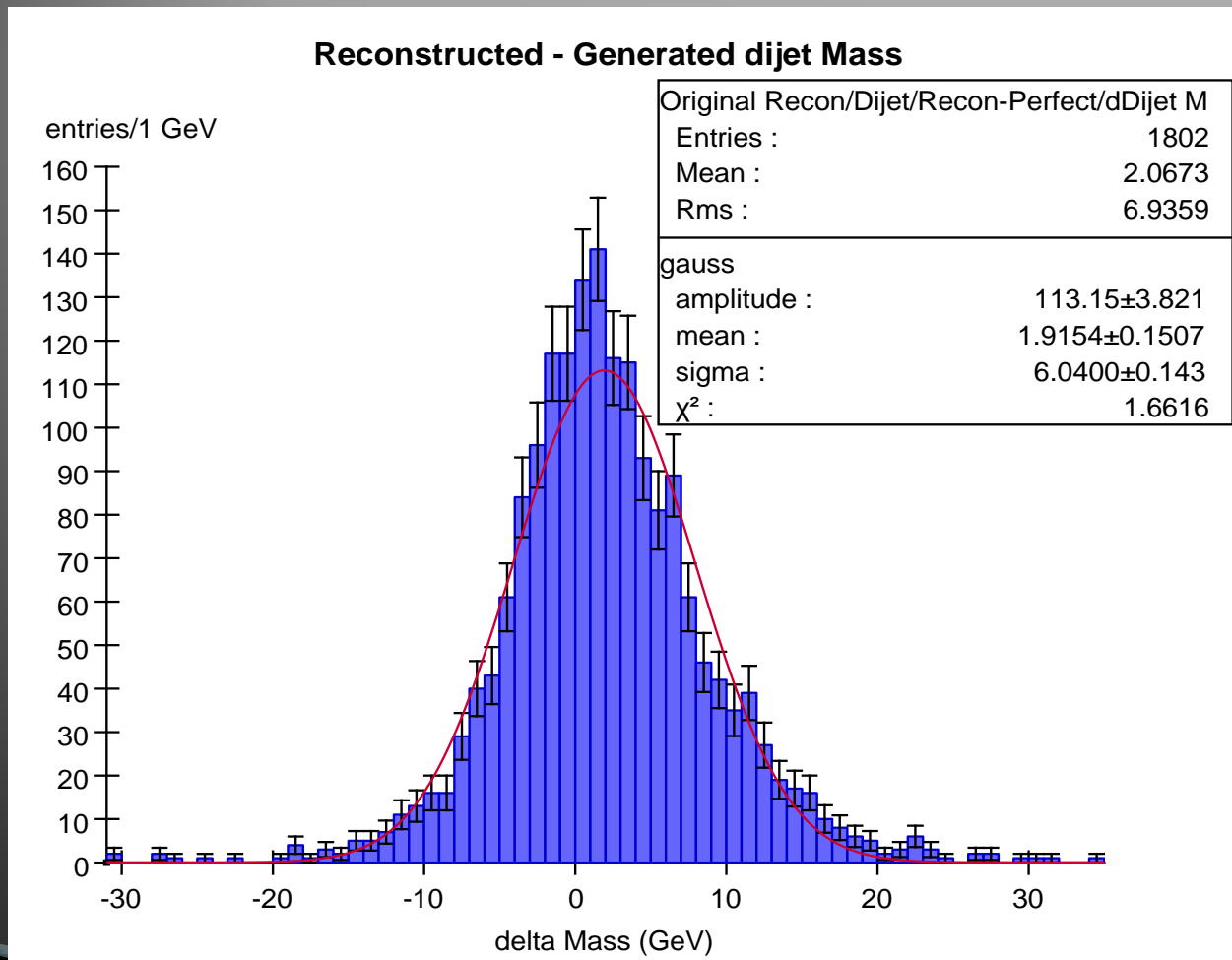
HE jet: delta Phi



LE jet: delta Phi



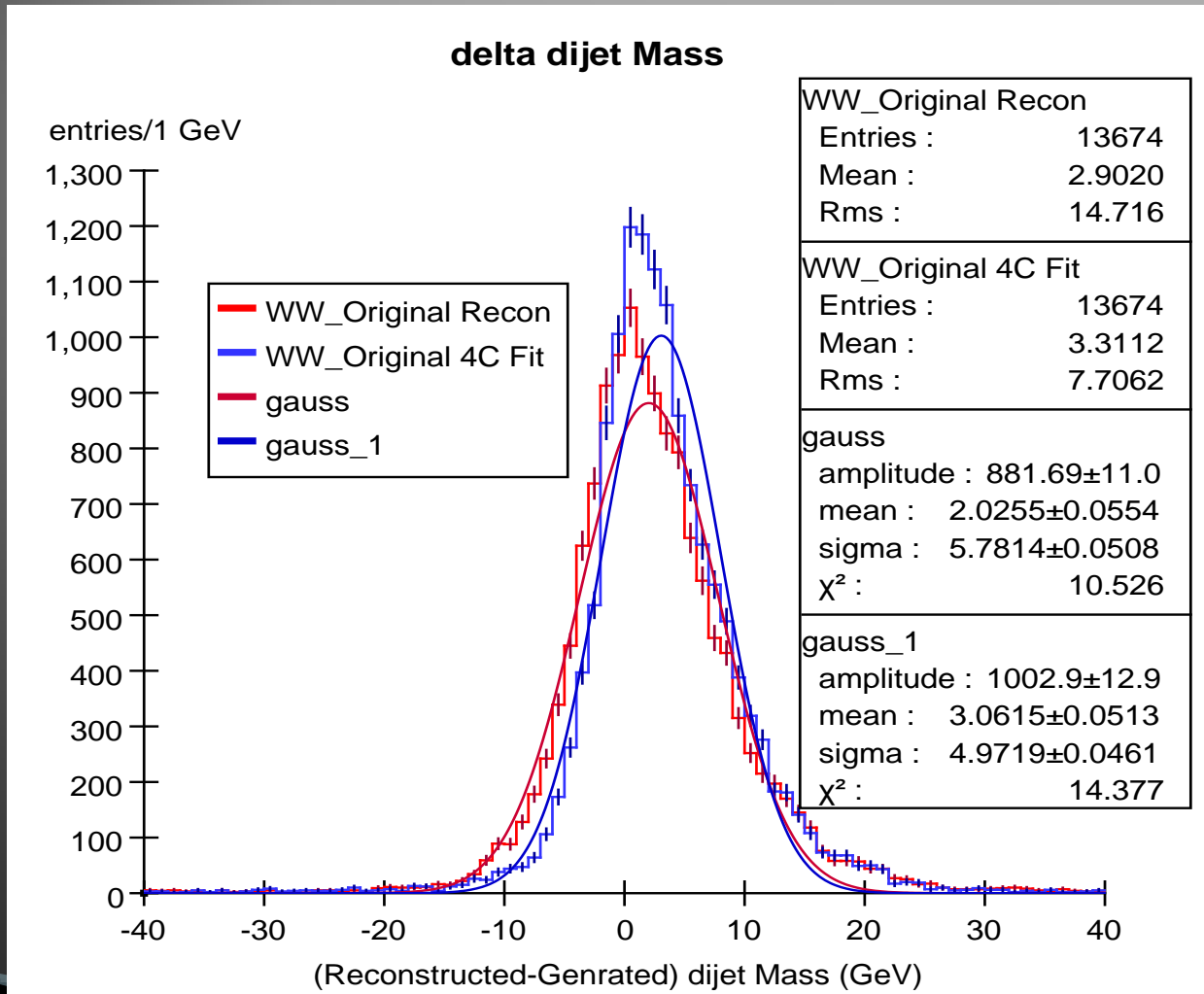
Prefit results: Mass



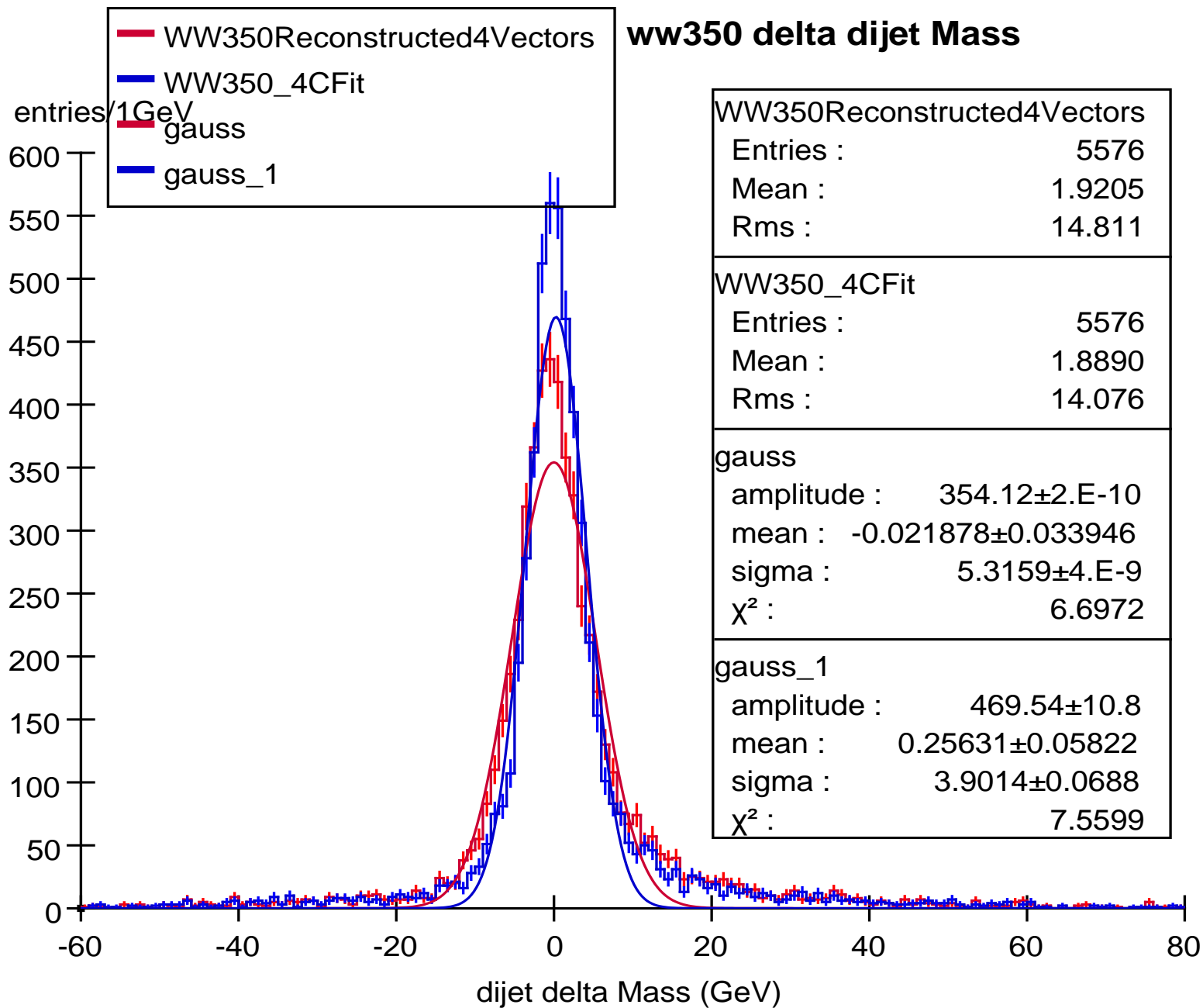
Observations

- ▶ Offset in Energy expected.
- ▶ Offset in Beta unexpected.
- ▶ Offset in Mass opposite to what we expected.

WW evts: Dijet Mass resolution



ww350 delta dijet Mass



The approximate expression for the two-jet mass M is

$$M^2 \approx 2E_1 E_2 (1 - \cos \theta)$$

$$\frac{\Delta M}{M} \approx \frac{1}{2} \left[\frac{\Delta E_1}{E_1} \oplus \frac{\Delta E_2}{E_2} \right]$$

but the full expression is

$$M^2 = m_1^2 + m_2^2 + 2E_1 E_2 (1 - \beta_1 \beta_2 \cos \theta) \quad , \quad \beta_j = \left(1 - \frac{m_j^2}{E_j^2} \right)^{\frac{1}{2}}$$

$$\frac{\Delta M}{M} \approx \frac{1}{2} \left[\frac{\Delta E_1}{E_1} \oplus \frac{\Delta E_2}{E_2} \oplus \frac{\theta \sin \theta}{1 - \cos \theta} \frac{\Delta \theta}{\theta} \oplus \frac{1 + r^{-1} \cos \theta}{1 - \cos \theta} \frac{m_1^2}{E_1 E_2} \frac{\Delta m_1}{m_1} \oplus \frac{1 + r \cos \theta}{1 - \cos \theta} \frac{m_2^2}{E_1 E_2} \frac{\Delta m_2}{m_2} \right]$$

$$r = \frac{E_1}{E_2}$$

Using the variable β_1 and β_2 in place of m_1 and m_2 the full expression is

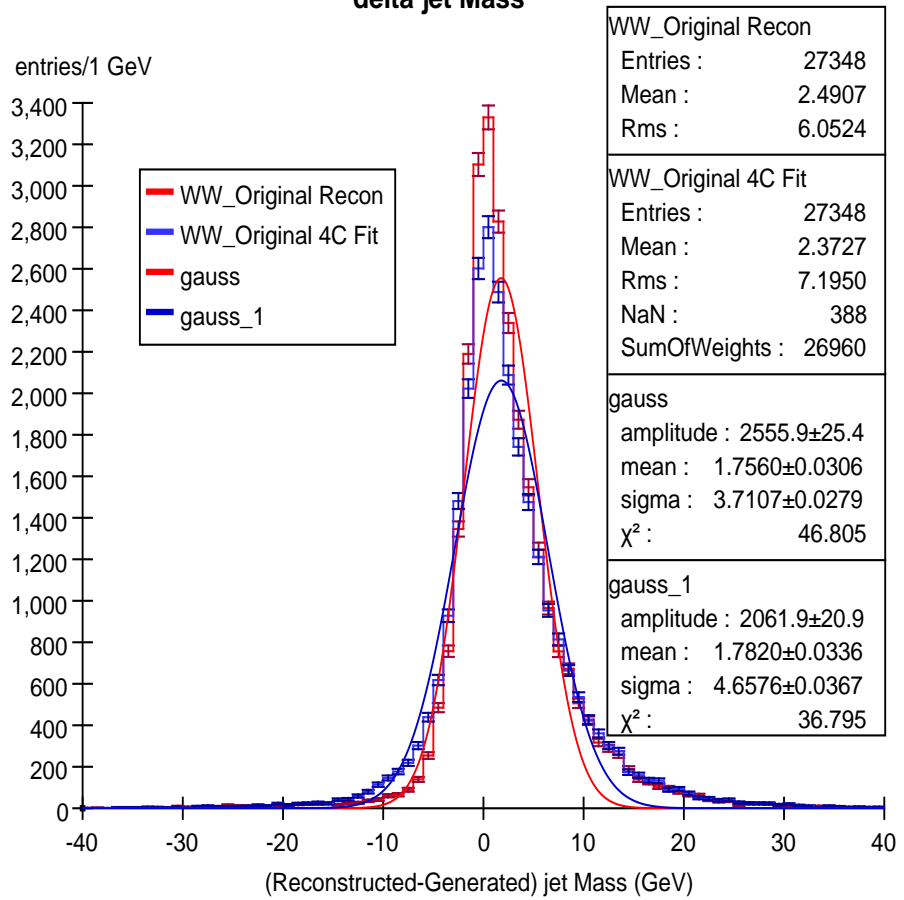
$$\frac{\Delta M}{M} \approx \frac{1}{2} \left[\left(1 + (1 - \beta_1^2)^2 \left(\frac{r + \cos \theta}{1 - \cos \theta} \right)^2 \right)^{1/2} \frac{\Delta E_1}{E_1} \oplus \left(1 + (1 - \beta_2^2)^2 \left(\frac{r^{-1} + \cos \theta}{1 - \cos \theta} \right)^2 \right)^{1/2} \frac{\Delta E_2}{E_2} \right. \\ \left. \oplus \frac{\theta \sin \theta}{1 - \cos \theta} \frac{\Delta \theta}{\theta} \oplus \frac{r + \cos \theta}{1 - \cos \theta} \beta_1 \Delta \beta_1 \oplus \frac{r^{-1} + \cos \theta}{1 - \cos \theta} \beta_2 \Delta \beta_2 \right]$$

For $1 - \beta_j \ll \theta \ll 1$ this becomes

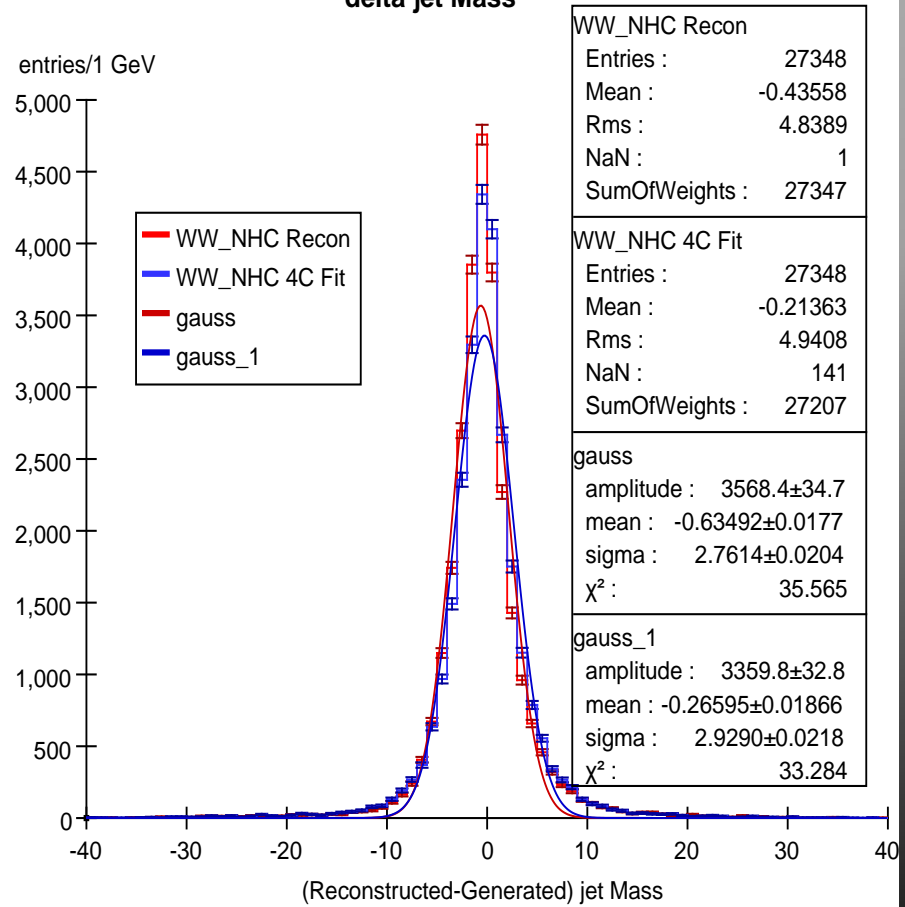
$$\frac{\Delta M}{M} \approx \frac{1}{2} \left[\frac{\Delta E_1}{E_1} \oplus \frac{\Delta E_2}{E_2} \oplus 2 \frac{\Delta \theta}{\theta} \oplus \frac{2(r+1)}{\theta^2} \Delta \beta_1 \oplus \frac{2(r^{-1}+1)}{\theta^2} \Delta \beta_2 \right]$$

WW evts: Jet Mass resolution

delta jet Mass



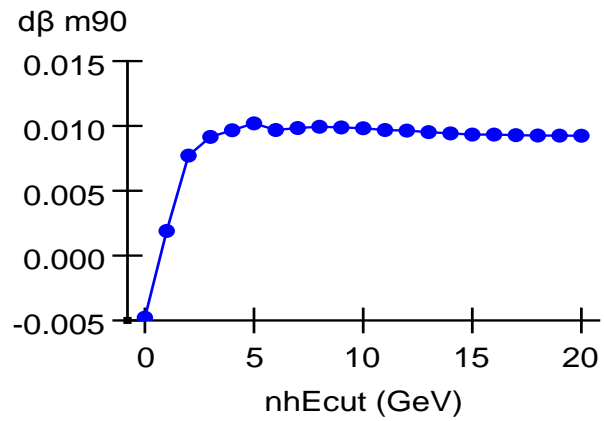
delta jet Mass



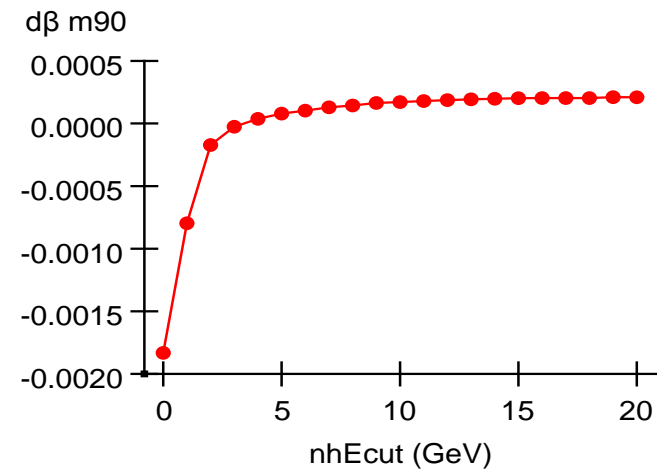
Neutral Hadron Cut (NHC) recon procedure

- ▶ Calculate β for each jet, ignoring neutral hadrons with $E < \{0, 1, 2, \dots, 20\}$ GeV
- ▶ For each jetE bin, $E_{bin} = 0, 1, \dots, 9$, $jetE = (25 + 50 * i) \pm 25$ GeV, histogram $d\beta$.
- ▶ Plot $d\beta$ m90 vs nhEcut.
- ▶ Use $d\beta = 0$ crossover as value of nhEcut for that jet Energy.
- ▶ Linearly extrapolate between data points for NHC beta value.

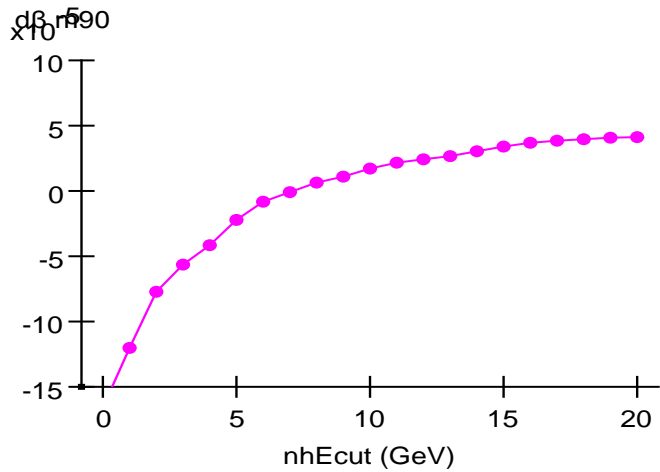
Ebin 0



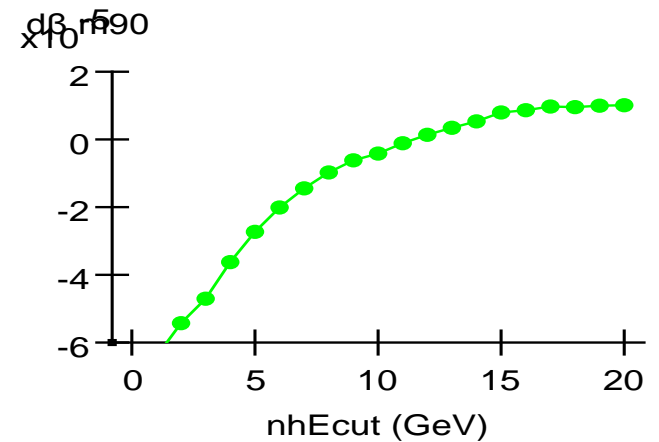
Ebin 3



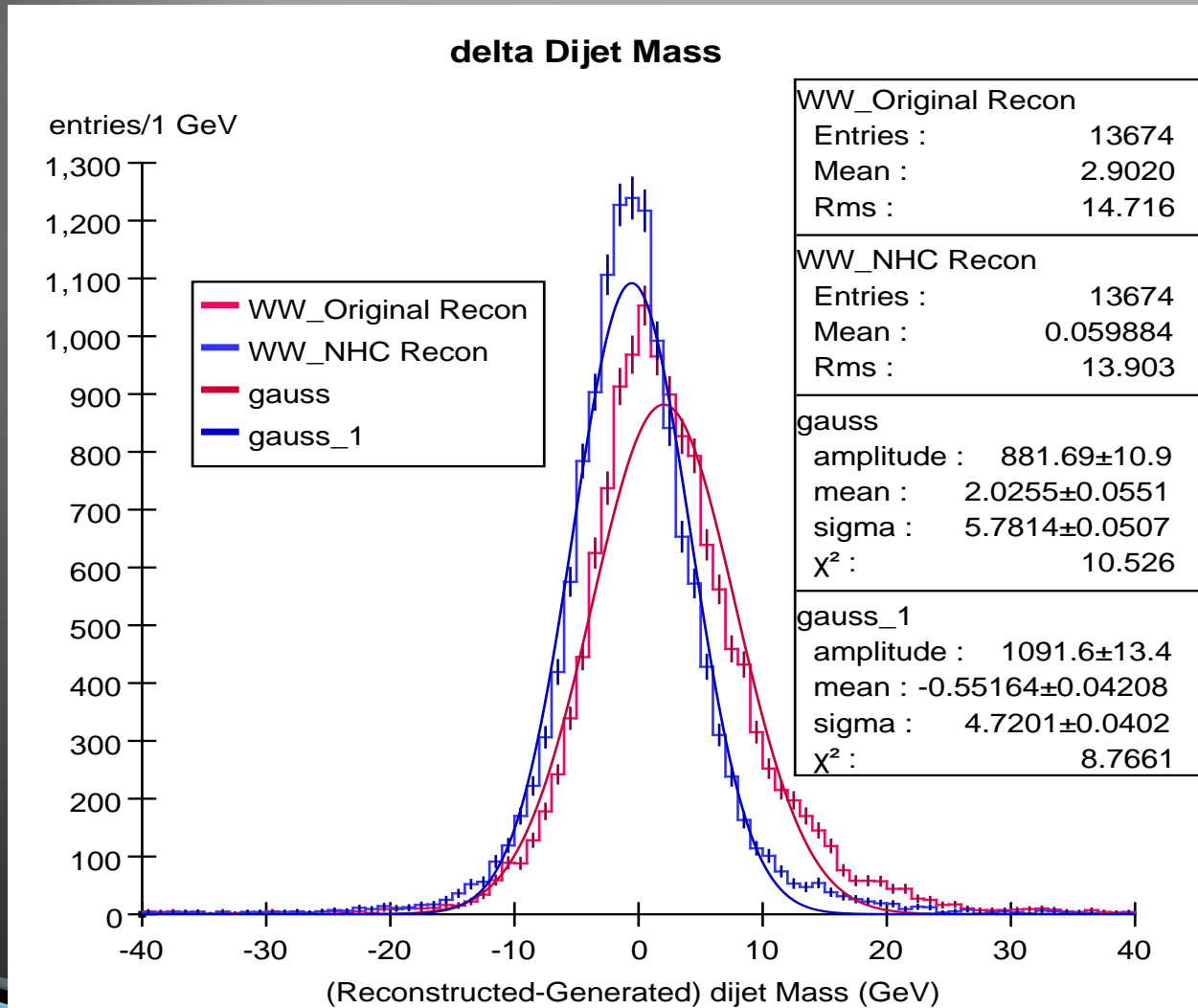
Ebin 6



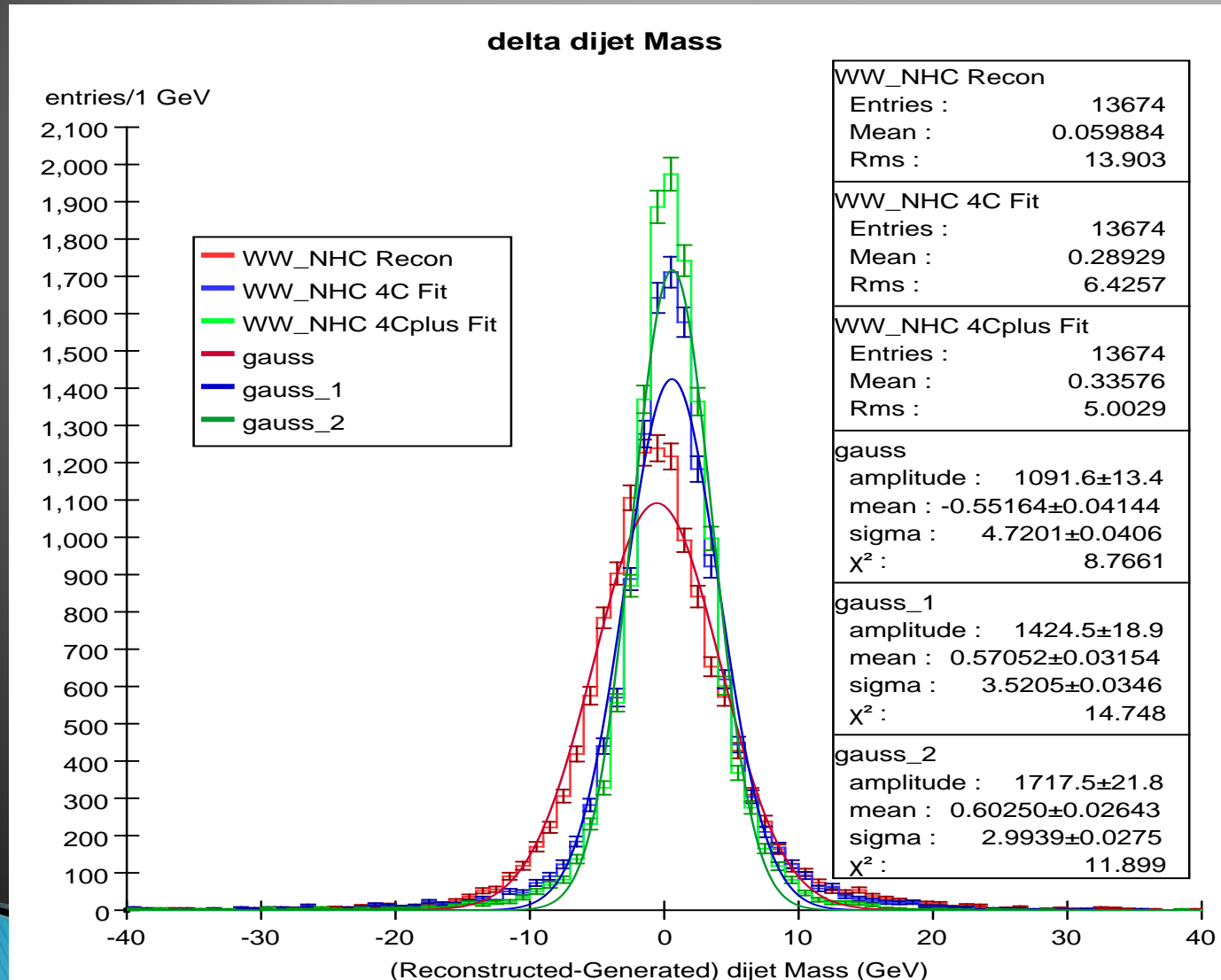
Ebin 8



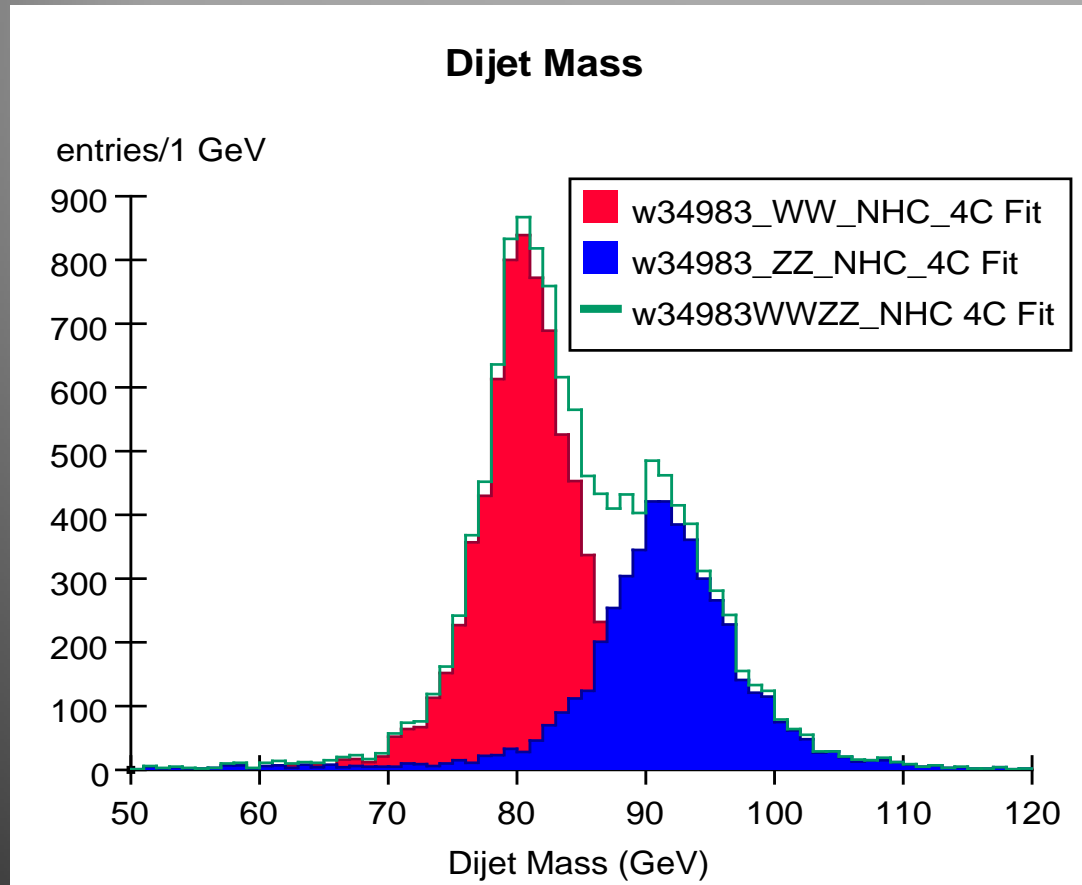
WW evts: Dijet Mass resolution



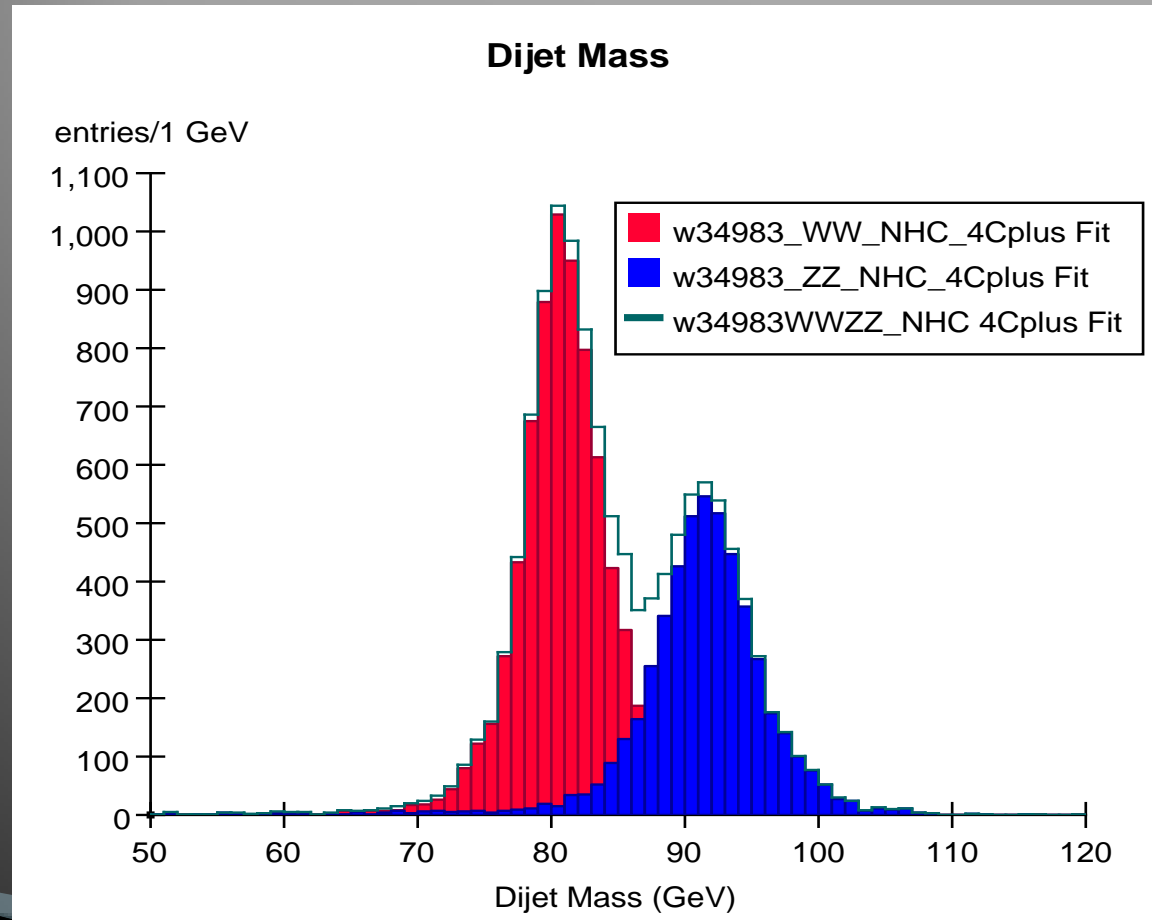
WW evts: Dijet Mass resolution



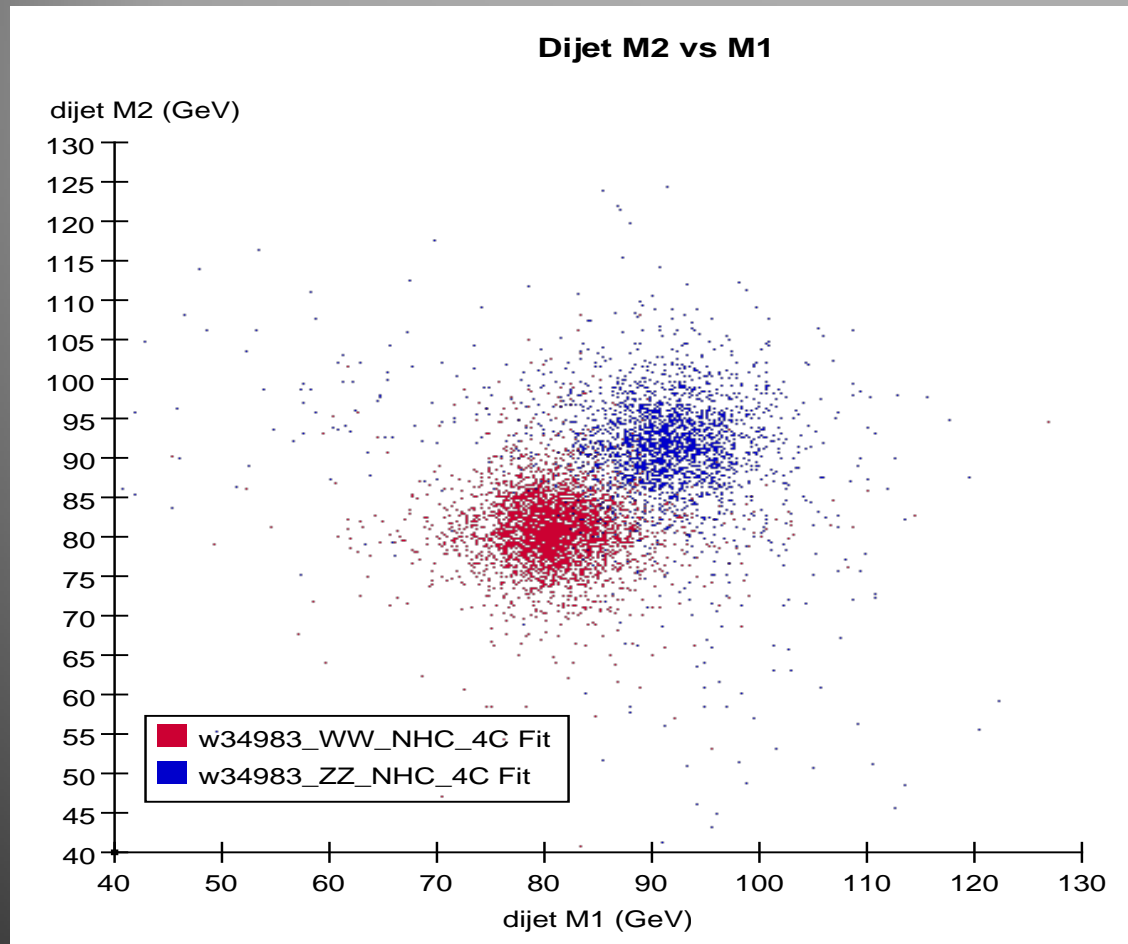
100% e-(R) WZ separation



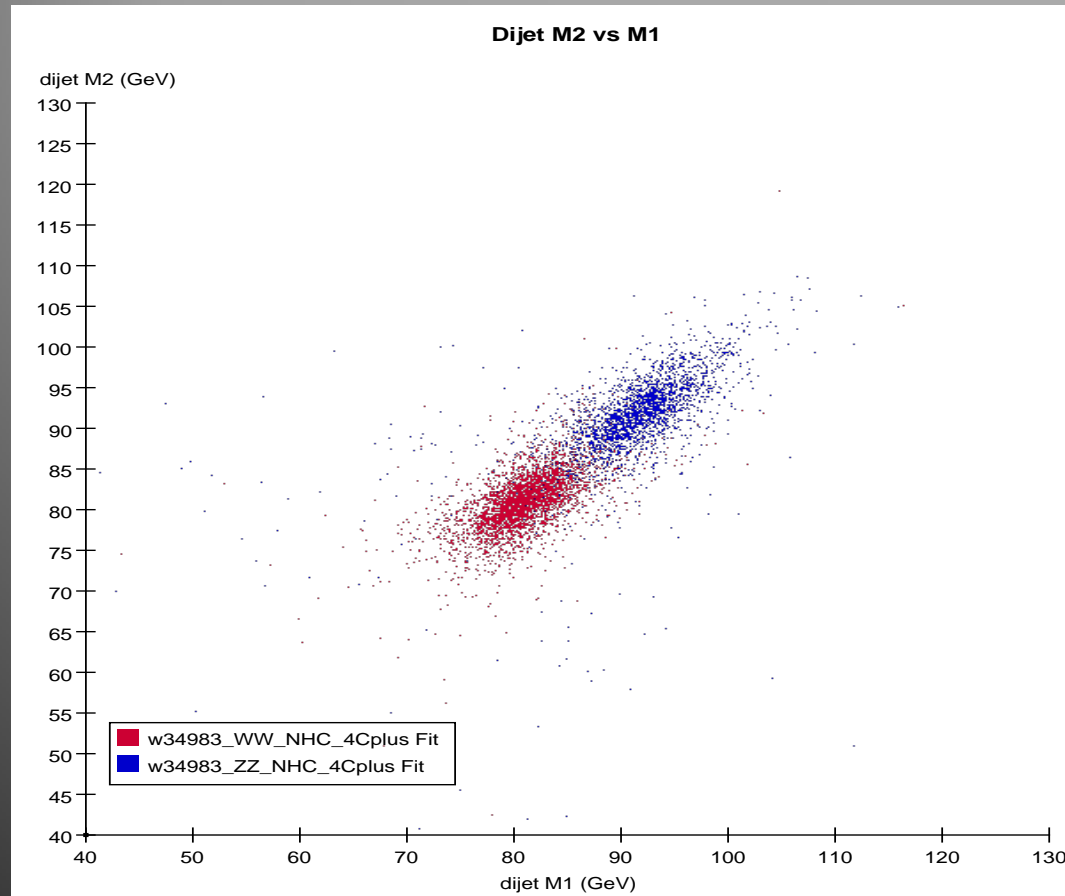
100% e-(R) WZ separation - This time add term to chi-square that constrains individual W energies to be within true ΔE



100% e-(R) WZ separation



100% e-(R) WZ separation – This time add term to chi-square that constrains individual W energies to be within true ΔE

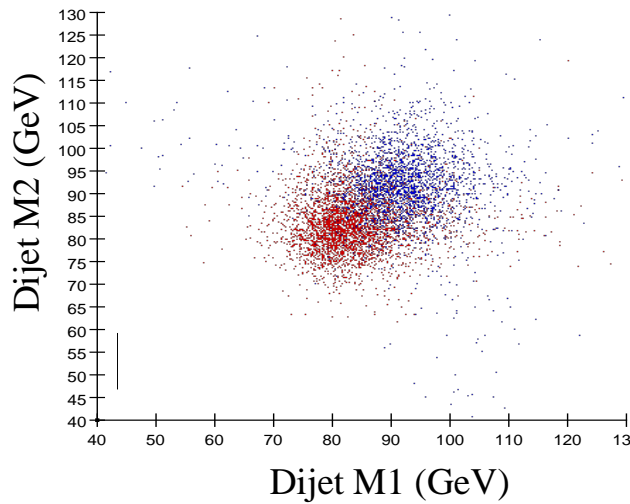


$$e^+e^- \rightarrow u\bar{d}d\bar{u} \text{ at } \sqrt{s} = 1 \text{ TeV}$$

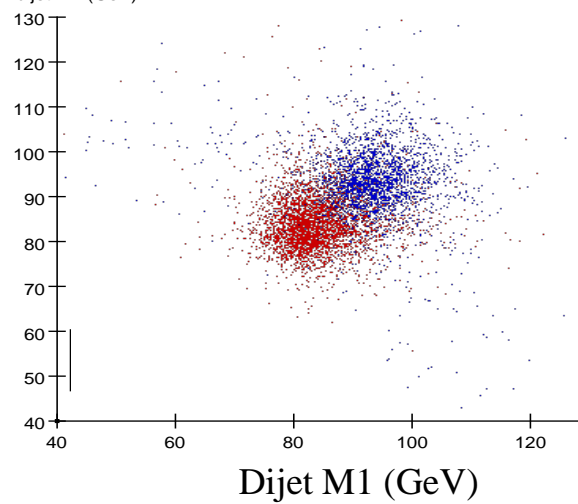
Full energy W^+W^- / ZZ (no ISR)

■ W^+W^- ■ ZZ

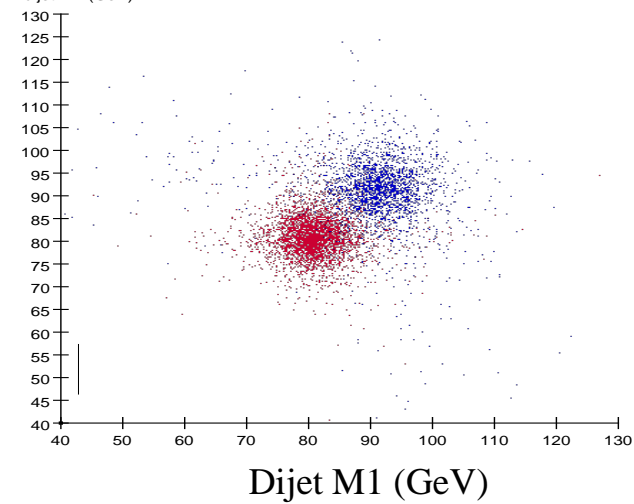
Original Reconstruction



4C Fit Only



4C Fit + Neutral Hadron E Cut

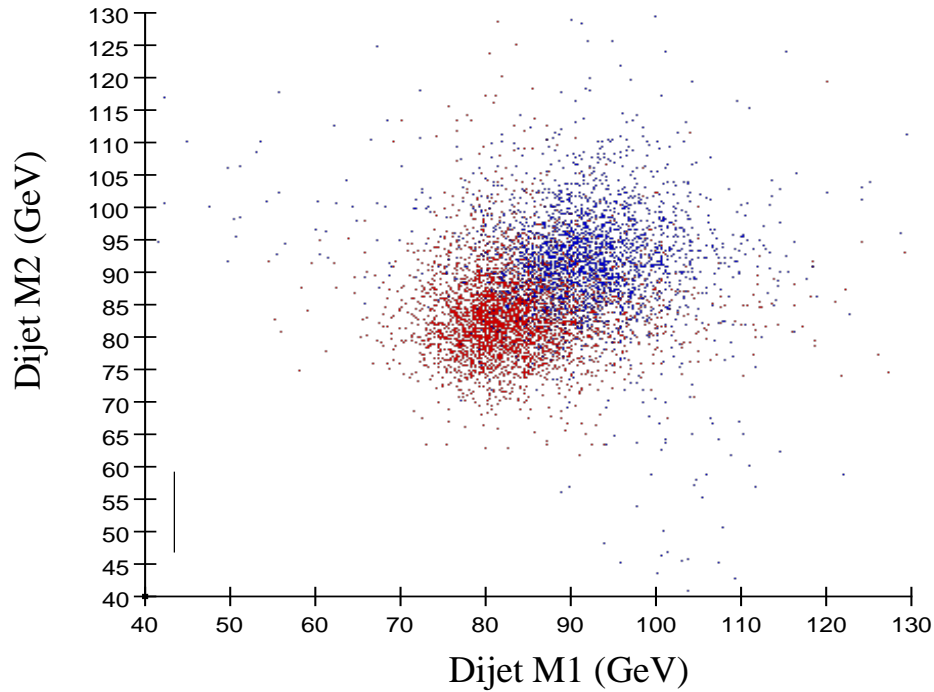


$$e^+e^- \rightarrow u\bar{d}d\bar{u} \text{ at } \sqrt{s} = 1 \text{ TeV}$$

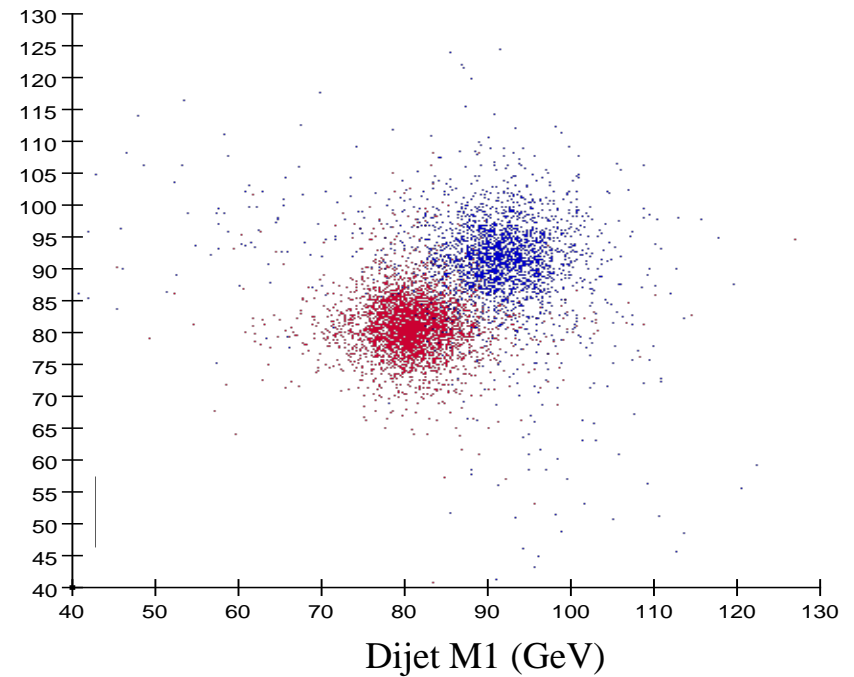
Full energy W^+W^- / ZZ (no ISR)

■ W^+W^- ■ ZZ

Original Reconstruction



4C Fit + Neutral Hadron E Cut



Summary

- ▶ Looked at W/Z mass separation using 200,000 $e+e- \rightarrow u\bar{d}d\bar{u}$ events at $E_{cm}=1$ TeV processed through sim+reco using the sidloi3 detector
- ▶ Initial results with 4C Energy-Momentum constraints were disappointing
- ▶ Problem was traced to large overestimate of the jet mass from PFO's originating from hadron shower fragments
- ▶ An improvement in jet mass resolution was obtained by removing low energy neutral hadron PFO's
- ▶ Using the improved jet mass estimate and beam energy-momentum constraints we now get a reasonable W/Z mass separation at $E_{cm}=1$ TeV