

Status of the CLIC decelerator

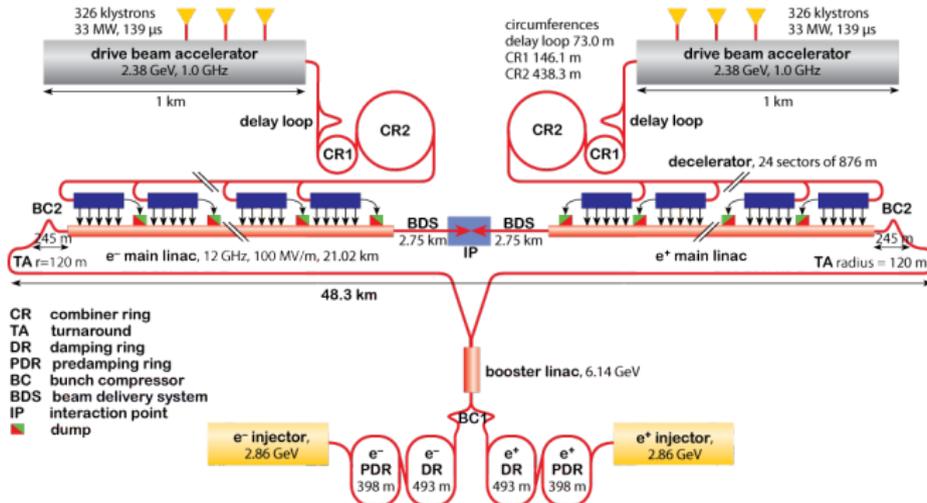
Guido Sterbini

LCWS11, Granada, Spain
28 September, 2011

Acknowledgments to [E. Adli](#) and D. Schulte



- 1 Main requirements of the decelerators
 - Requirements of efficiency
 - Requirements of stability
- 2 The proposed lattice
 - The FODO lattice
 - The dipole wake instability
 - BBA alignments
- 3 Specification on the decelerators subsystem
 - Quadrupoles
 - BPMs
 - Movers
 - Pre-alignment tolerances
 - Wall impedance and Vacuum requirements
- 4 Studies in CLEX
- 5 Summary

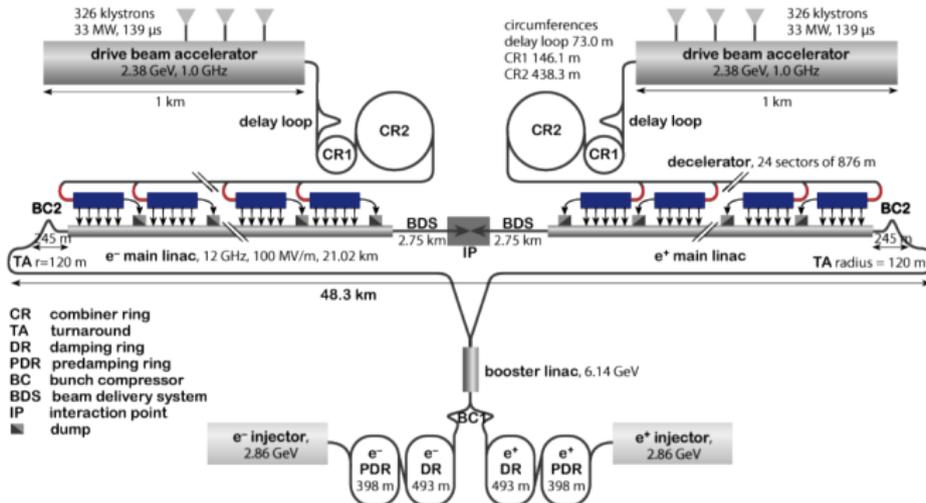


Fundamental requirements for the DB complex

Each PETS has to feed two AS's with 12 GHz frequency. They has to provide:

- ① \approx 135 MW power
- ② \approx 170 ns long at 50 Hz repetition
- ③ in a **efficient and robust** way.

Each of the 2×24 decelerators has 1492 ± 1 PETS and variable length (\approx 1 km).

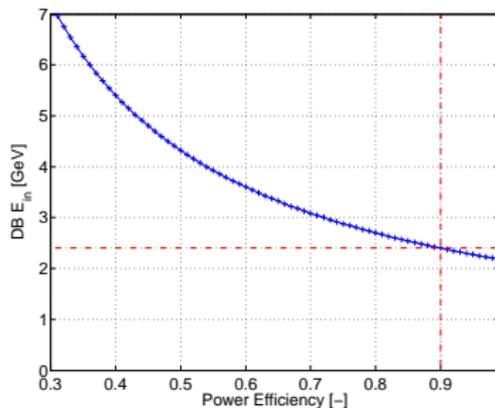
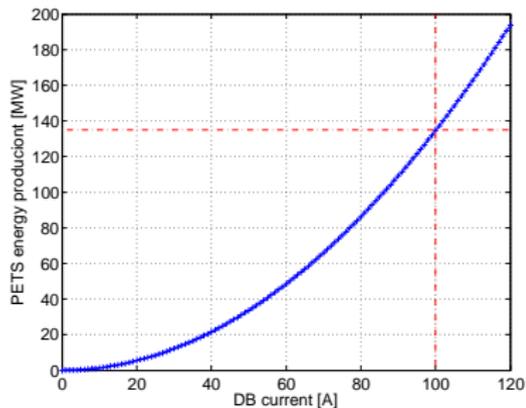


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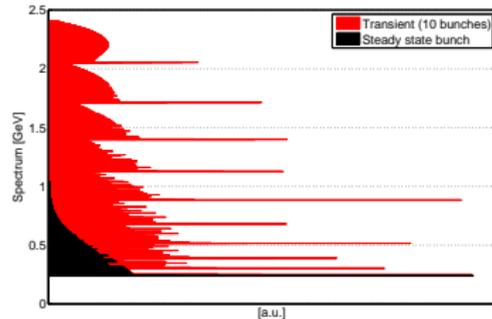
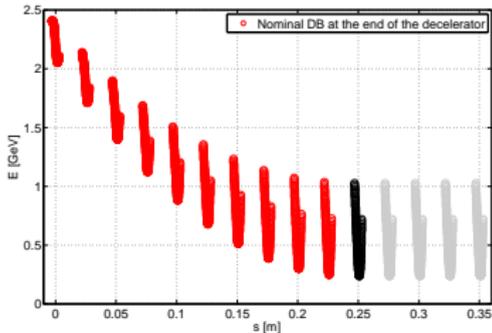
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Regarding efficiency

The DB current is given by the 135 MW requirement on the PETS.
Before dumping the spent 2×24 DB pulse we have to extract **90%** of the DB energy \rightarrow it sets the $E_{in} = 2.4$ GeV ($E_{out} = 0.24$ GeV).



The 90% efficiency requirements induces a significant energy spread in the DB

- The filling time of the PETS produces a transient in the first 10 bunches.
- The intra-bunch wake produces an important intra-bunch energy spread.

Transport such a beam for 1 km is a challenge.

Regarding stability (from D. Schulte et al.)

The gradient and phase stability required from the colliding beam determines the required DB stability.

① DB Phase stability

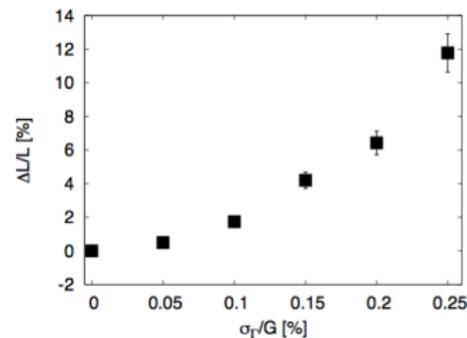
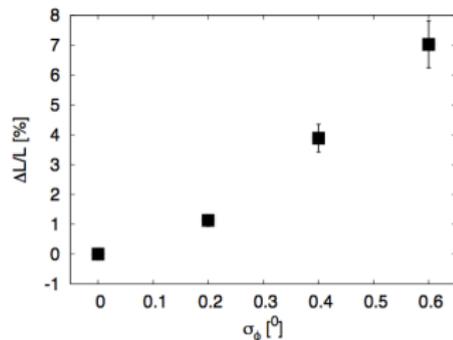
$$\frac{\Delta L}{L} \approx 1\% \left[\left(\frac{\sigma_{\phi,coh}}{0.2^\circ} \right)^2 + \left(\frac{\sigma_{\phi,inc}}{0.8^\circ} \right)^2 \right]$$

② DB current stability

$$\frac{\Delta L}{L} \approx 1\% \left[\left(\frac{\sigma_{I,coh}}{0.75 \times 10^{-3} I} \right)^2 + \left(\frac{\sigma_{I,inc}}{2.2 \times 10^{-3} I} \right)^2 \right]$$

③ DB factor form stability

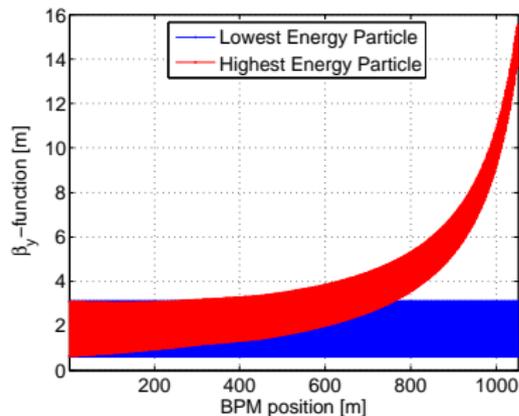
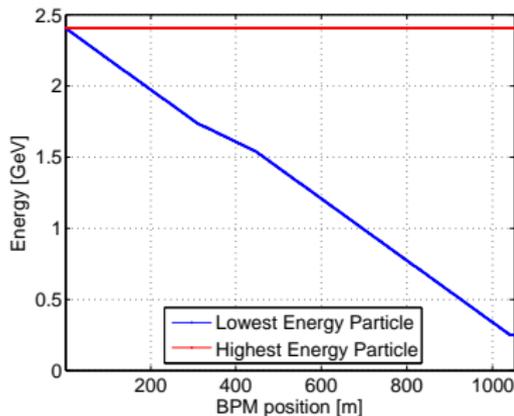
$$\frac{\Delta L}{L} \approx 1\% \left[\left(\frac{\sigma_{\sigma_z,coh}}{1.1 \times 10^{-2} \sigma_z} \right)^2 + \left(\frac{\sigma_{\sigma_z,inc}}{3.3 \times 10^{-2} \sigma_z} \right)^2 \right]$$



The decelerator cannot improve but has to preserve the stability of the incoming beam.

Decelerators have to transport the beam

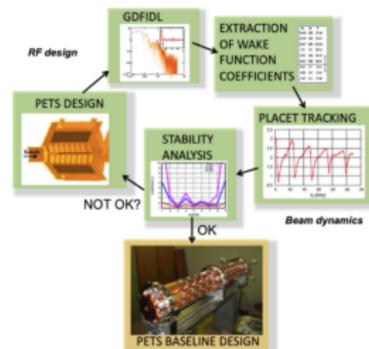
- efficiency: **minimizing** the static beam losses.
→ **HOW? Maximize the energy acceptance.**
 - 1 FODO lattice
- stability: **preserving** the incoming beam stability of $\Delta I/I$, σ_z , and ϕ
→ **HOW? Minimizing sensitivity to non idealities.**
 - 1 minimize dipole wake instability (strong focusing + PETS design)
 - 2 correct parasitic dispersion due to quad's misalignments (pre-alignment+BBA steering)



FODO lattice choice (from E. Adli et al.)

The FODO lattice has a large energy acceptance.

If we adjust the phase quad strength for having a constant focusing for the most decelerated particle the higher energy envelope is smaller than the the lower energy one due to a compensation between the different β -function and adiabatic undamping.

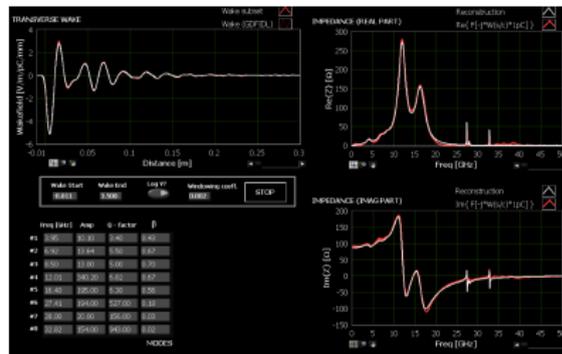


Dipole wake instability (E. Adli, A. Cappelletti et al.)

Assuming an ideal-aligned machine but a DB entering with an offset in the decelerator this can potentially produce a resonant amplification of the transverse oscillation of the beam: resonance between the natural transverse modes of the beam and PETS.

- 1 iterative design between PETS and lattice
- 2 driven by optimization of the PETS transverse mode effect
- 3 and by increasing the strength of the focusing

→ 2 m long FODO cell, $\Delta\mu = 90^\circ$ (number of quad's and their $\int Gdl$).

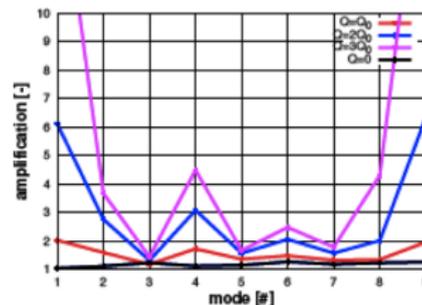


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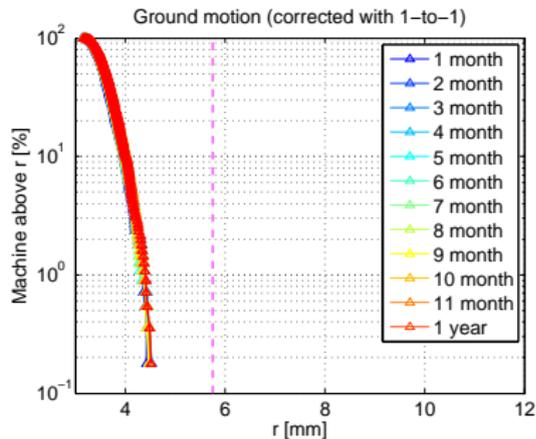
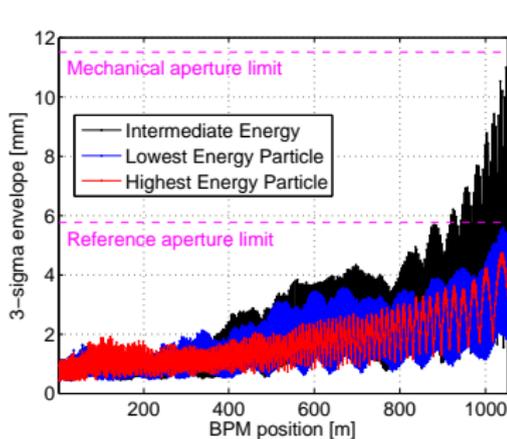
(a) Dipole mode amplification

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BBA alignment is needed

Even the advance pre-alignment techniques used for CLIC are not expected to be sufficient for the required beam current stability.

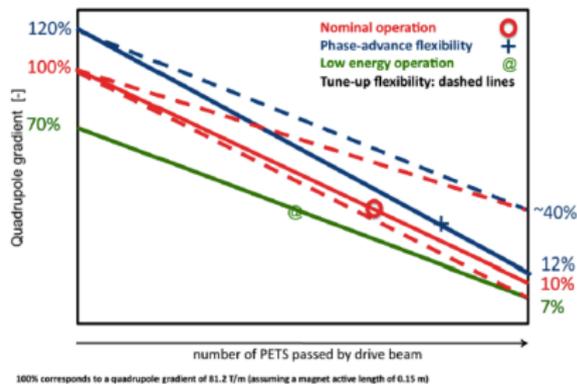
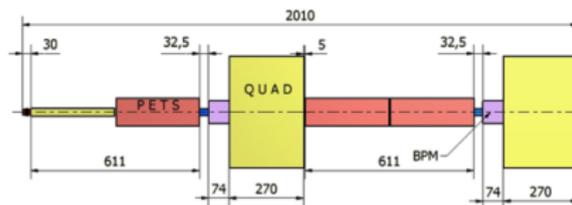
→ BBA alignment is needed: we need **movers** to correct the H/V positions of the decelerator quad's and we need a high precision **BPM** to compute the needed correction.

See G. Sterbini, "Correction methods in the CLIC drive beam", 28 Sep 2011

Decelerator quadrupole

- each FODO cell will correspond to the 2 m long girder,
- $\approx 42k$ quadrupoles for CLIC decelerators,
- the required gradient will vary linearly along the decelerator,
- powered magnet (baseline, serial trimmer powering) and PM option

Parameter	Value
# DB quad	$\approx 42k$
r_{inner}	11.5 mm
$\int Gdl$ @ 100%	12.2 T
$\sigma_{\int Gdl} / \int Gdl$	10^{-3}
σ_I / I	$5 \cdot 10^{-4}$

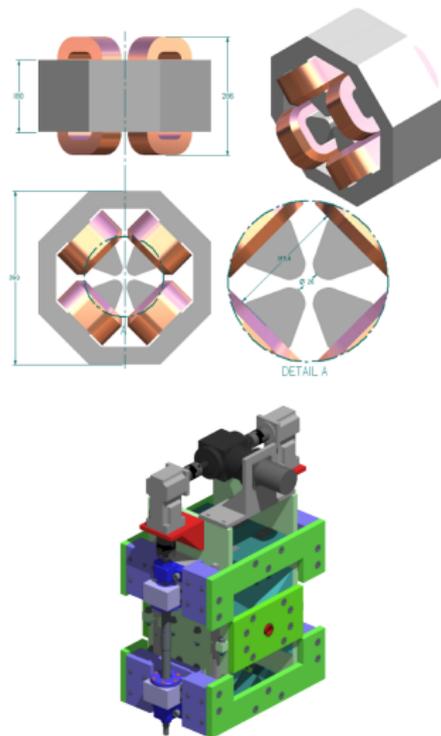


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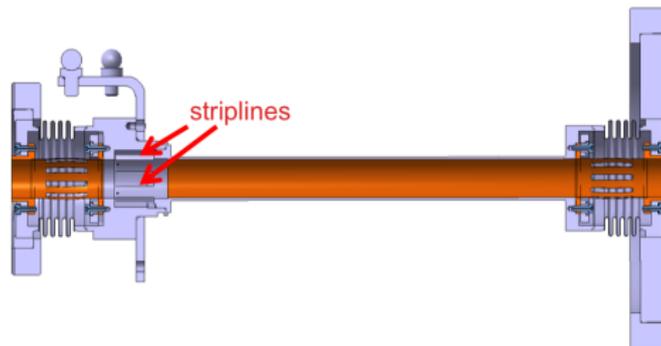
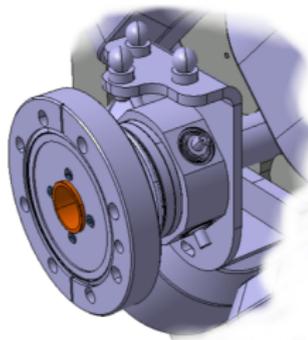


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BPMs (E. Adli, S. Smith, L. Soby et al.)

Parameter	Value
Decelerator BPMs	$\approx 28k$
BPM accuracy	$20 \mu\text{m}$
BPM precision	$2 \mu\text{m}$
Time resolution	60 ns

- Simulations show we can have 2 BPM per 3 quads,
- Accuracy is driven by 1-to-1,
- Precision is driven by DFS.



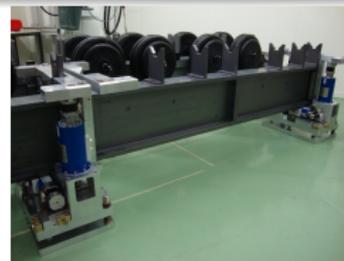
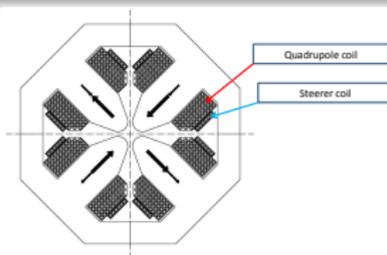
Movers

In order to correct the quadrupoles we have three solutions

- 1 H/V movers for each quadrupole or dipolar coils correction → **baseline**
- 2 H/V dipole correctors combined in the quadrupole
- 3 H/V Girder movers (already foreseen for pre-alignment)

Parameter	Value	Unit
Girder Movers resolution	2	μm
Quad Movers resolution	2	μm
Quad Movers range ^a	$\pm 3\sigma_q$	-
Girder Movers range	± 3	mm

^aequivalent requirements on the correctors



Specs/assumptions on the HW and pre-alignment.

Parameter	Value	Unit
BPM accuracy	20	μm
σ_{quad}	20	μm
σ_{cradle}	10	μm
σ_{PETS}	100	μm
$\sigma_{PETS-longitudinal}$	100	μm
θ_{PETS}	1	mrad
θ_{quads}	1	mrad

Important

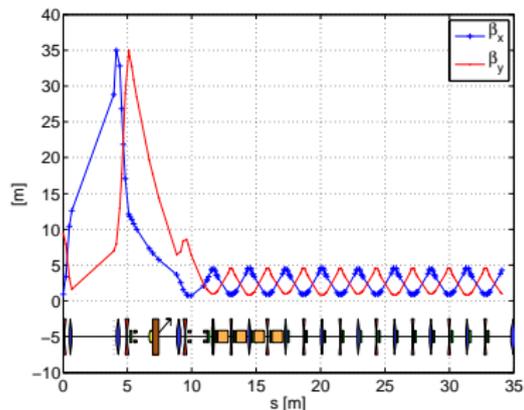
- σ_q reference to the alignment of the **magnetic center** of the quadrupole with respect to the perfect aligned girder.
- The BPM accuracy reference to the total accuracy (electronics, BPM mechanics and alignments)

Fast-ion instability ([G. Rumolo et al.](#))

Analytic approximations, neglecting the large energy spread, yields one fast-ion instability rise-time with $p = 40$ nTorr. Decelerator Spec: $p < 40$ nTorr

Resistive wall instability ([B. Jeanneret et al.](#))

Analytic calculations yield a significant (unacceptable) amplification of beam offsets for $\sigma_{res} = \sigma_{ss}$ while negligible for $\sigma_{res} = \sigma_{Cu}$.



Test Beam Line and more

- 1 The natural test of the decelerator concept/optics is the TBL in CTF3. First results are encouraging, but soon with the additional 5 PETS recently installed we expect to push further the total deceleration: steering algorithms and transport efficiency can be tested. Much more difficult is to test the dipole wake (in)stability. . .
- 2 Modules test is important for checking pre-alignments techniques.
- 3 Magnetic measurements on the DB quads soon at CERN.

Summary

- Based on many contributions, I gave you a snapshot of the decelerator status trying to emphasize the driving parameters of the design choices.
- The proposed optics can cope with the expected PETS transverse modes.
- Beam based alignment is essential.
- Main specification on the HW are defined (tight but feasible) for
 - quadrupole,
 - BPM,
 - movers,
 - pre-alignments tolerances,
 - vacuum and vacuum chamber impedance.
- Experimental results are crucial and are on the way in TBL (deceleration, transport, steering) and modules test (pre-alignment).

Thank you for your attention and to all those
provide me these inputs!

Related talks in LCWS11

- S. Doebert, *TBL status and results*
- H. Durand, *Status on CLIC pre-alignment studies*
- M. Modena, *Status on MBQ and DBQ prototypes procurement*
- G. Riddone, *Module layout*
- G. Riddone, *Status of the CLIC module R&D*
- M. Sosin, *Qualification of an adjustment solution for CLIC active pre-alignment on test modules*
- G. Sterbini, *Correction methods for the CLIC drive beam*
- ...