

Measuring the top Yukawa coupling at 500 GeV ILC

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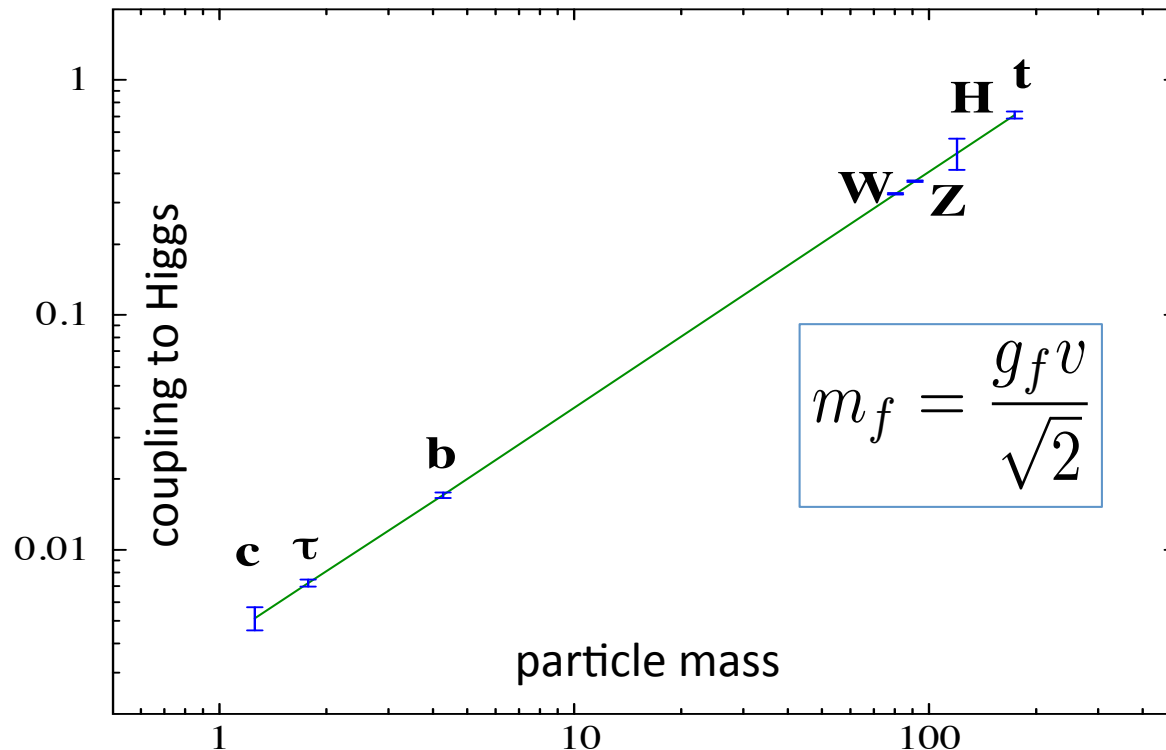
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motivation (1)

- verification of EWSB & mass generation is a critical task which must be done before BSM physics can be established
- ILC is an ideal probe for measuring the couplings related to the Higgs (self-coupling, Yukawa coupling)



motivation (2)

well-known energy thresholds for ILC:
($m_H=120$ GeV)

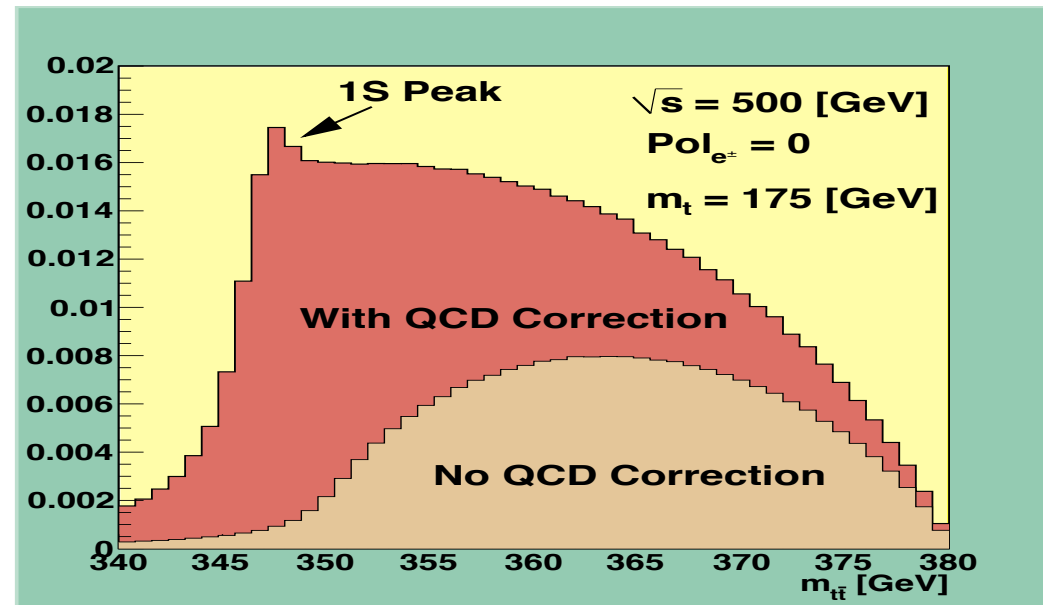
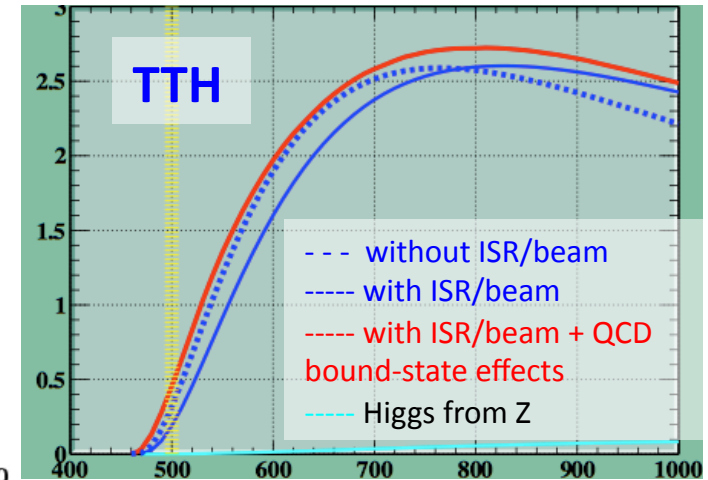
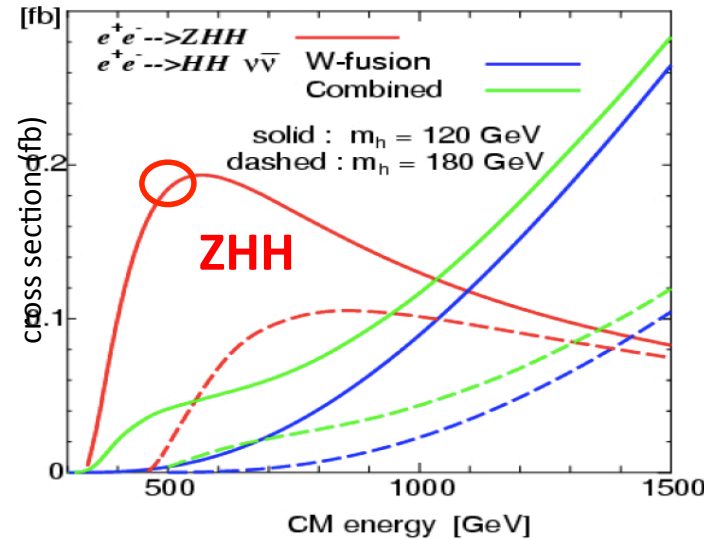
250 GeV: ZH

350 GeV: top pair

500 GeV: ZHH & ttH

ttH measurement is possible due to *QCD bound-state effects* which enhance the cross section

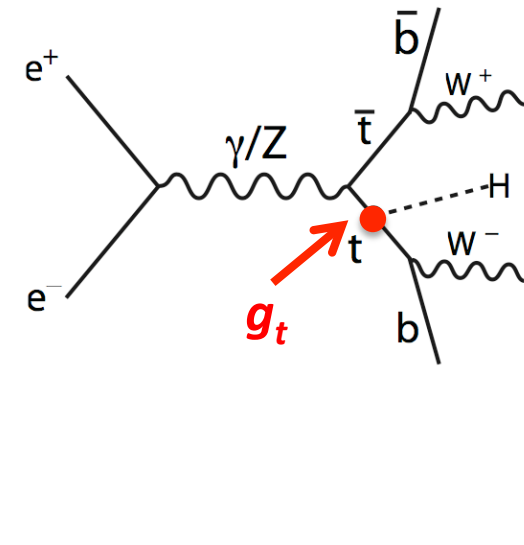
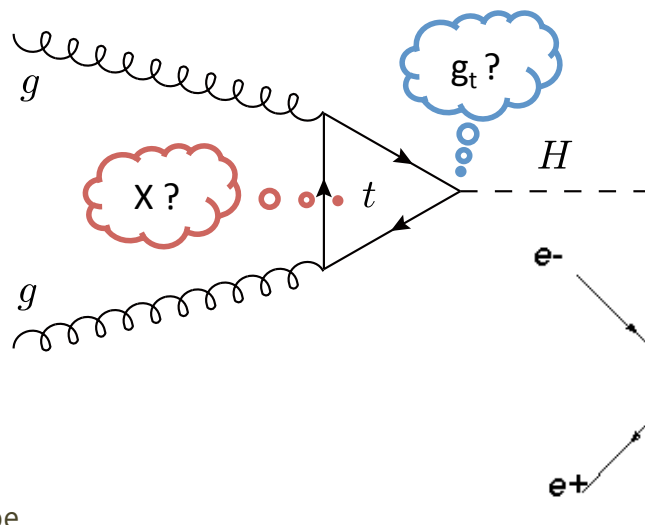
(Note: this also enhances ttZ; ttg* is not enhanced because tt in this case is not a color singlet)



Based on Farrell & Hoang, PRD74, 014008 (2006)

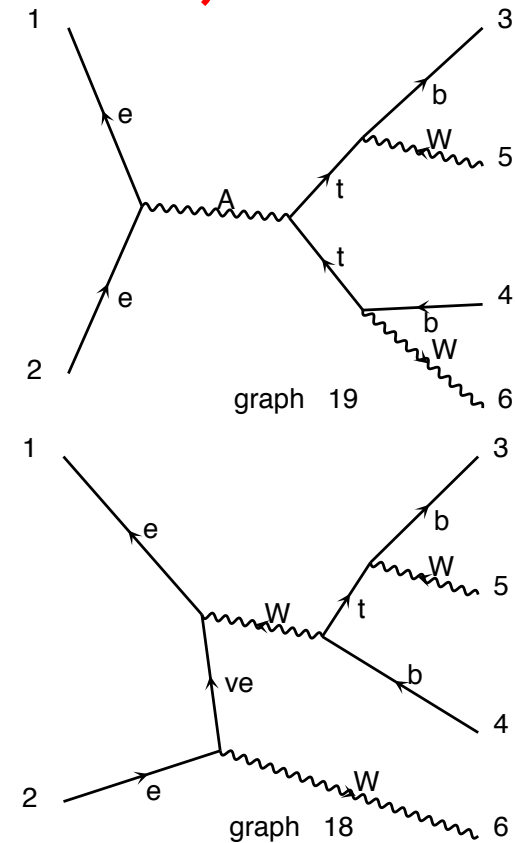
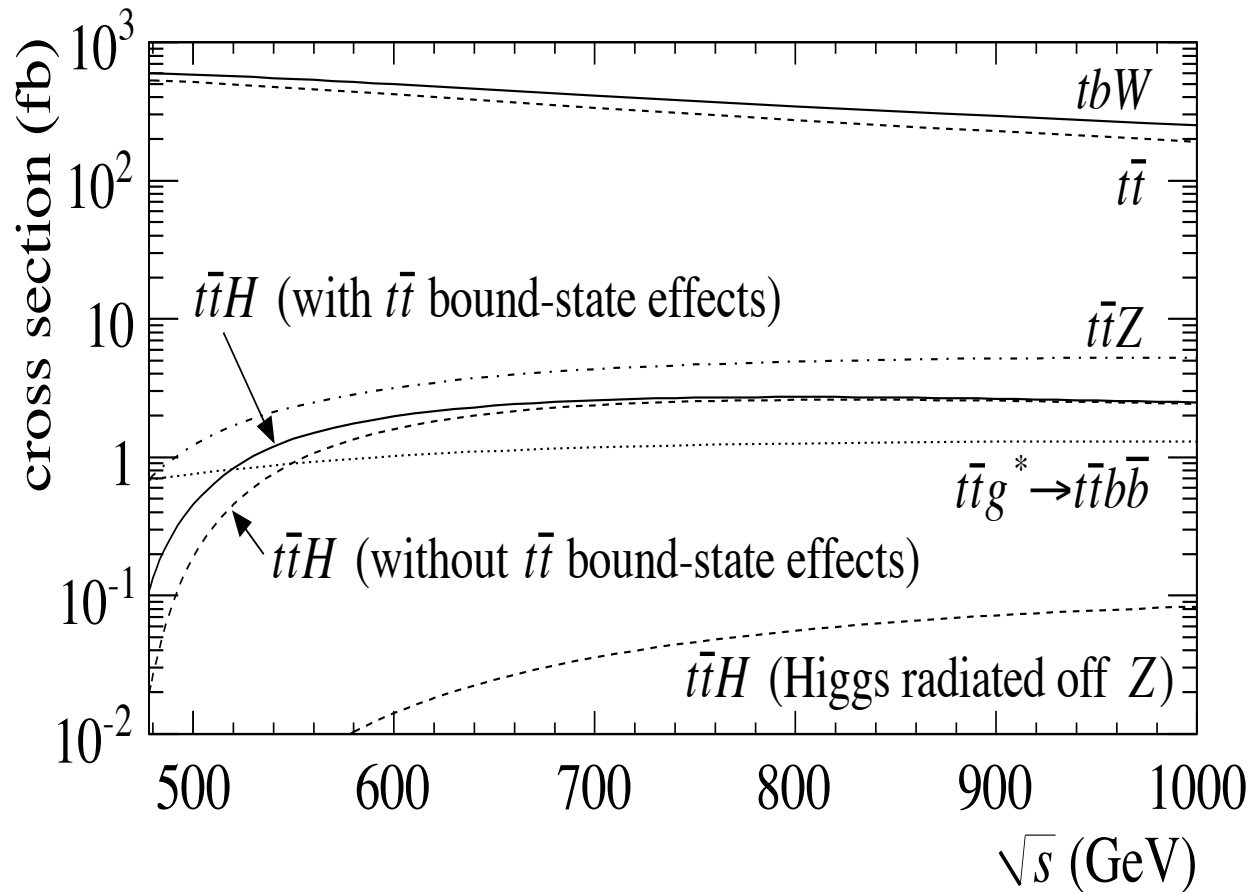
indirect vs. direct measurement

- indirect measurement of top Yukawa is possible at the $t\bar{t}$ threshold and also at the LHC via **gluon fusion** to $t\bar{t}$ (but the jet background makes it challenging)
 - but: if an anomaly is found in the production rate, one cannot distinguish (1) the coupling anomaly or (2) the presence of a new particle in the loop
- need direct measurement; feasibility already shown for $E_{CM}=700-800$ GeV ILC; we show this for $E_{CM}=500$ GeV
 - direct measurement at LHC using $H \rightarrow \tau\tau$ has been proposed but it can only measure $\sigma \times BR(H \rightarrow \tau\tau)$

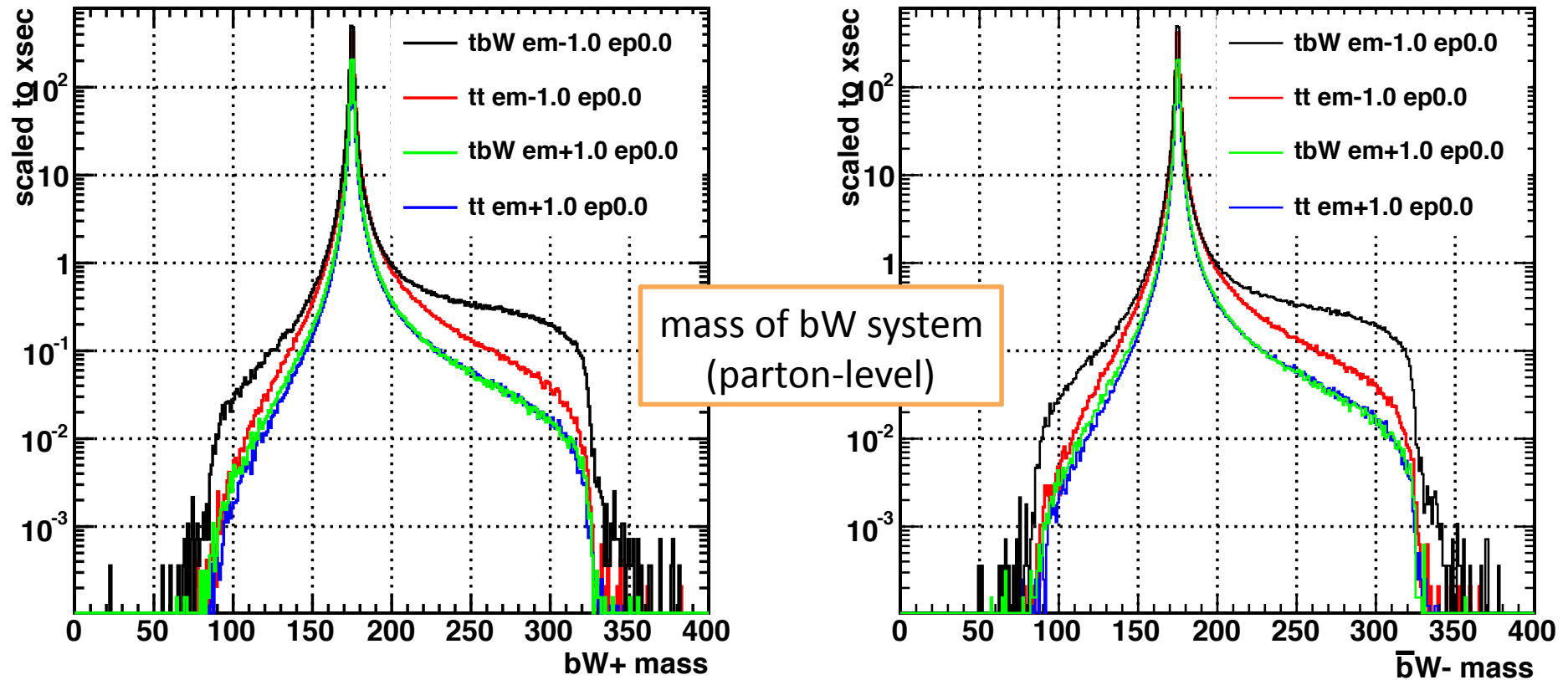


signal & background

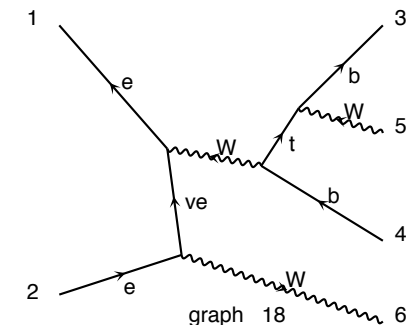
- **signal: $ttH \rightarrow bWbWbb$** (0.45 fb for 6-jet + lepton & 8-jet modes)
- **main background:**
 ttg^* ($g^* \rightarrow bb$, ~1 fb), $ttZ \rightarrow ttbb$ (~0.2 fb), **tbW (~600 fb)**



tbW events



- jet combinatorial effects & misidentification of b-jets result in significant background
 - tail of distribution is important
- WW^* enhances the tbW tails for $e^-_L e^+_R$



analysis framework

- pythia: event generator
 - helicity amplitude by HELAS; phase space integration
 - ISR & beamstrahlung included
 - ttbar threshold correction to ttH & ttZ
 - dedicated ttg generator
- pythia: parton shower & hadronization
- QuickSim: fast detector simulation
 - semi-realistic PFA reconstruction

Detector	Performance	Coverage
Vertex detector	$\sigma_b = 7.0 \oplus (20.0/p) / \sin^{3/2} \theta \mu m$	$ \cos \theta \leq 0.90$
Central drift chamber	$\sigma_{P_T}/P_T = 1.1 \times 10^{-4} p_T \oplus 0.1\%$	$ \cos \theta \leq 0.95$
EM calorimeter	$\sigma_E/E = 15\%/\sqrt{E} \oplus 1\%$	$ \cos \theta \leq 0.90$
Hadron calorimeter	$\sigma_E/E = 40\%/\sqrt{E} \oplus 2\%$	$ \cos \theta \leq 0.90$

process	cross-section (fb)	generated number of events	equivalent luminosity (ab ⁻¹)
ttH	1.24	50,000	40.3
ttZ	4.04	50,000	12.4
ttg* -> ttbb	1.93	50,000	25.9
tbW	1633.	10,000,000	6.1
ttH	0.540	50,000	92.6
ttZ	1.324	50,000	37.8
ttg* -> ttbb	0.859	50,000	58.2
tbW	700.	10,000,000	14.3

e-/e+ pol. = (-1.0, +1.0)

e-/e+ pol. = (+1.0, -1.0)

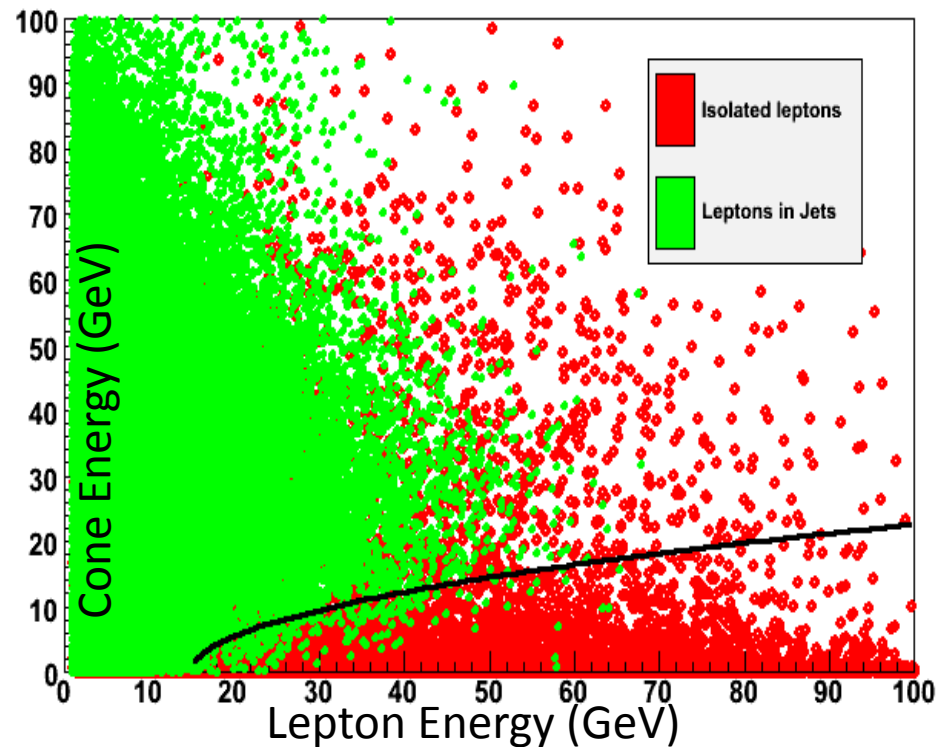
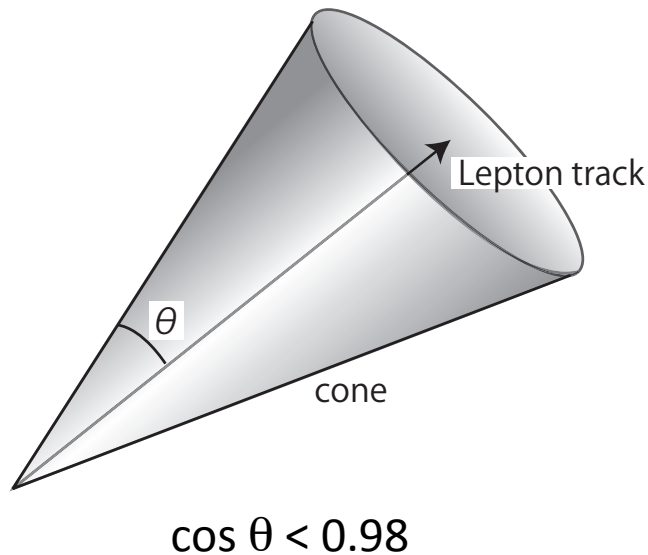
(target integrated luminosity = 1 ab⁻¹)

analysis strategy

- analysis mode:
 - (i) 8-jet mode: 45%
 - (ii) 6-jet + lepton mode (e or μ): 29%
 - (iii) 4-jet + 2-lepton mode (ee , $e\mu$, or $\mu\mu$): 5% (we don't reconstruct)
- Higgs reconstructed in bb mode (68%)
- cut-and-count analysis
- event selection based on:
 - identification/rejection of isolated leptons
 - event shape variables
 - b-tagging of jets
 - combination of jets into top & Higgs candidates
 - invariant mass

lepton selection / rejection

- lepton identification by MC information (assumes 100% efficiency & purity for $E > 15$ GeV leptons)
- distinguish isolated leptons & leptons from jets by using the energy sum of the particles around the lepton candidate (cone energy) versus the lepton energy
- 2-D selection (rejection) of isolated leptons for the 6-jet + lepton analysis (8-jet analysis)



event shape

- use the thrust variable to discriminate signal from background (peaks at 1 for dijet events)

$$T = \max_{|\hat{n}|=1} \frac{\sum_i |\hat{n} \cdot \vec{p}_i|}{\sum_i |\vec{p}_i|}$$

jet clustering

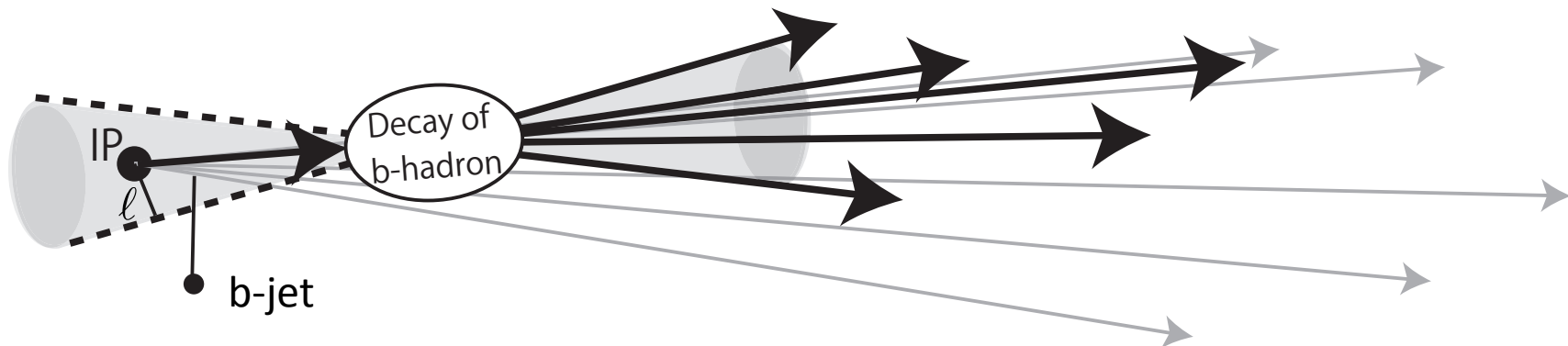
- use the Durham jet clustering algorithm to force the event into the 6 or 8 jet topology (after removing the isolated leptons)

$$Y_{ij} = \frac{\max(E_i^2, E_j^2)(1 - \cos \theta_{ij})}{E_{\text{CM}}^2}$$

b-tagging

- identify b-jets via their large **impact parameter significance** (IPS) of secondary tracks.
- b-tagging criteria:
 - **tight (6J+L)**: require 4 tracks with IPS >2.5
 - **tight (8J)**: require 2 tracks with IPS >3.0
 - efficiency: 47%, fake rate: c-jet 3.2%, uds-jet 0.1%
 - **loose**: require 2 tracks with IPS >2.0
 - efficiency: 80%, fake rate: c-jet 40%, uds-jet 0.5%
- event selection:
 - **tight b + loose b for Higgs** candidate
 - **tight b for at least one top, loose b for the other top**

efficiency & fake rate
estimated on Z \rightarrow qq
sample @ 91.2 GeV



jet combination

- choose the jet combination which is most consistent with the ttH mass hypothesis is chosen by minimizing the following “chi-squared” value:

$$\chi^2 = \frac{(m_{2j} - M_H)^2}{\sigma_H^2} + \frac{(m_{2j} - M_{W_1})^2}{\sigma_{W_1}^2} + \frac{(m_{3j} - M_{t_1})^2}{\sigma_{t_1}^2} + \left\{ \frac{(m_{2j} - M_{W_2})^2}{\sigma_{W_2}^2} + \frac{(m_{3j} - M_{t_2})^2}{\sigma_{t_2}^2} \right\}_{8j}$$

summary of cuts

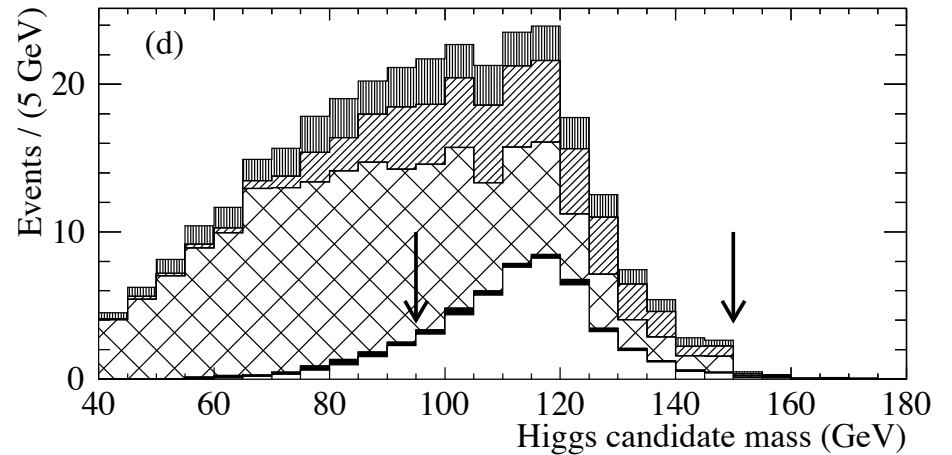
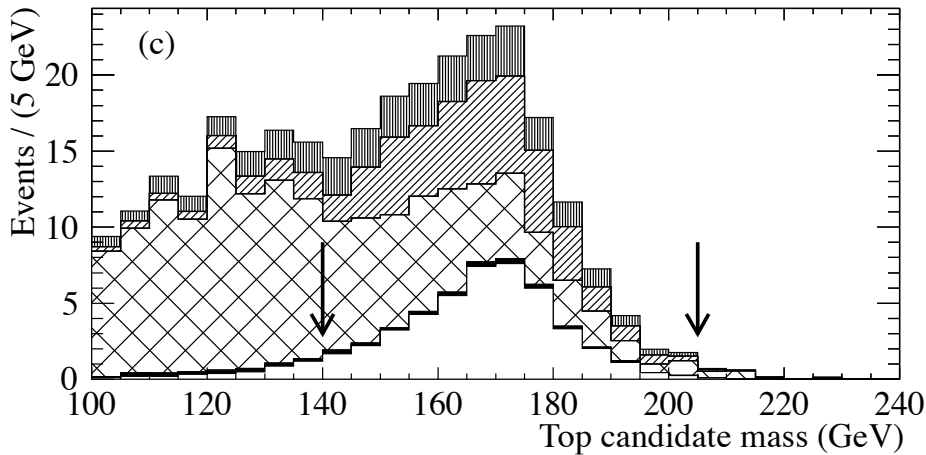
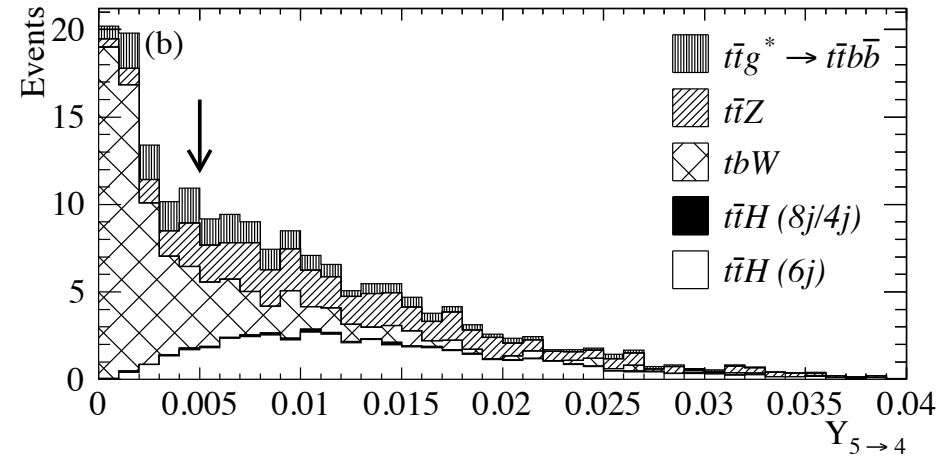
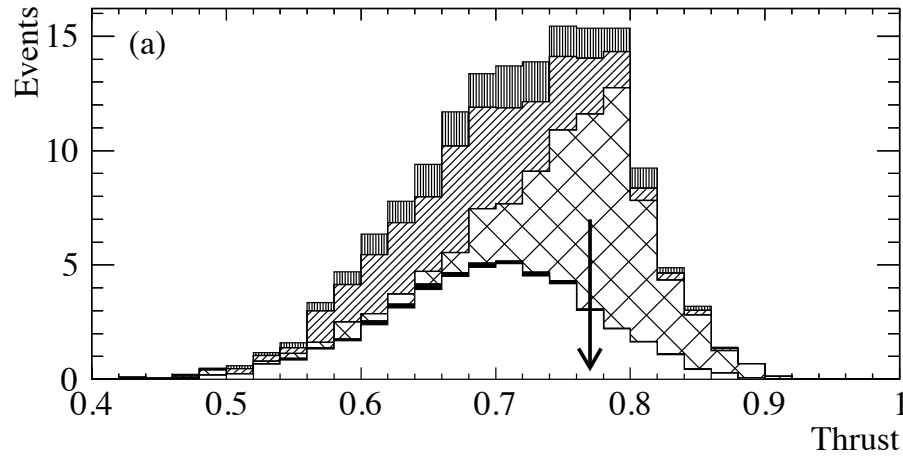
cut	6-jet + lepton	8-jet
number of isolated lepton	1	0
thrust	< 0.77	< 0.7
jet clustering	$Y_{5 \rightarrow 4} > 0.005$	$Y_{8 \rightarrow 7} > 0.00080$
b-tagging	4x b-jets	4x b-jets
top mass (GeV)	$140 < m_t < 205$	$140 < m_H < 215$
higgs mass (GeV)	$95 < m_t < 150$	$80 < m_H < 150$

6-jet + lepton cut flow

<i>cut \ sample</i>	ttH (6J)	ttH (8J/4J)	tt	ttZ	ttg* -> ttbb	significance
<i>no cuts</i>	282.	358.	980739.	2407.	1160.	0.3
<i># isolated lepton = 1</i>	180.	49.0	340069.	791.	398	0.3
<i>thrust < 0.77</i>	146.	37.7	144999.	617.	266.	0.4
<i>$Y_{5 \rightarrow 4} > 0.005$</i>	126.	25.8	12298.	416.	114.	1.1
<i>4x btag</i>	49.0	4.2	173.	53.3	37.8	2.8
<i>mass cuts</i>	39.5	1.6	23.0	33.9	13.2	3.7

lumi = 1ab^{-1} , polarized beams

6-jet + lepton analysis



Scaled to 1 ab^{-1}

Beam polarization (Pol(e-), Pol(e+)) = (-0.8,+0.3)

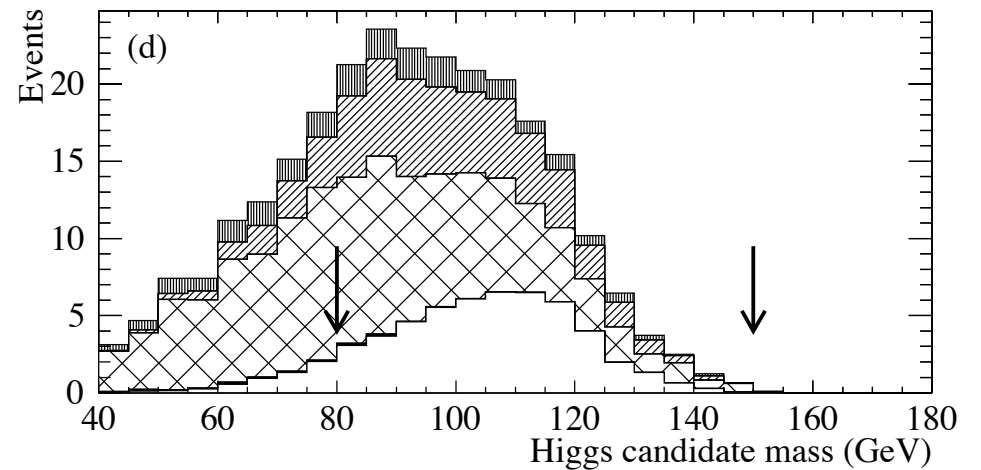
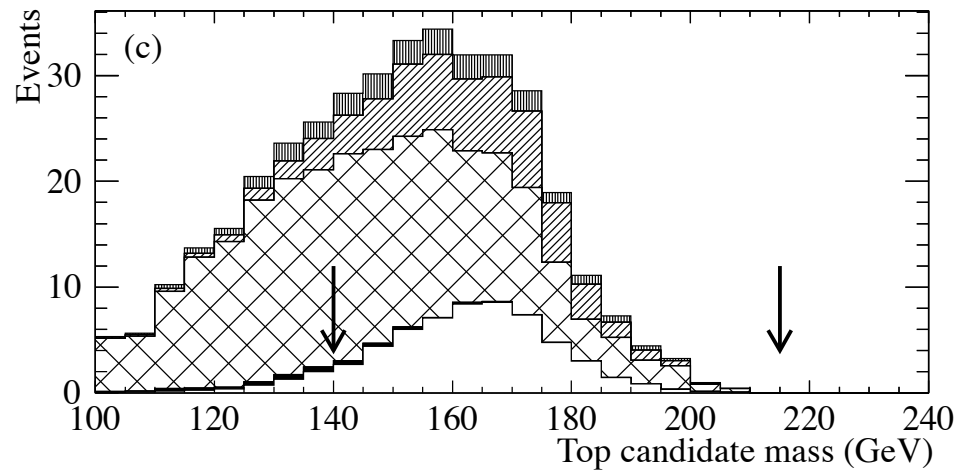
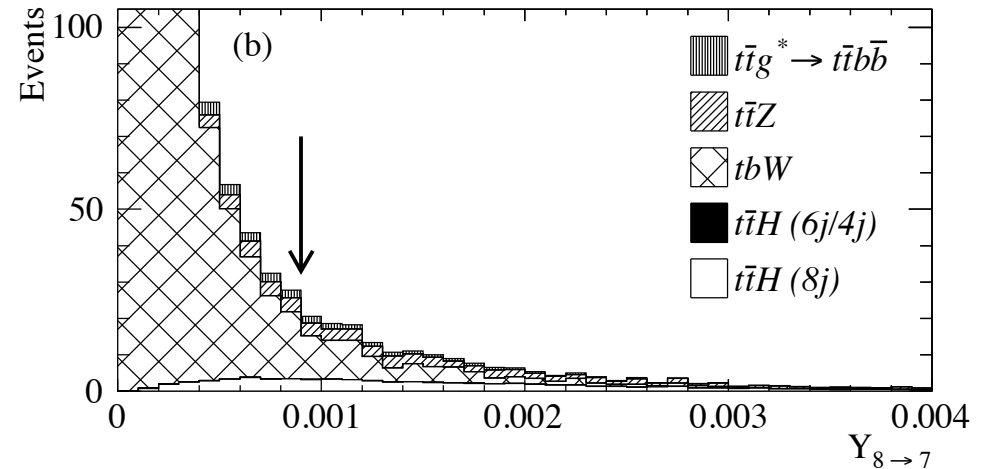
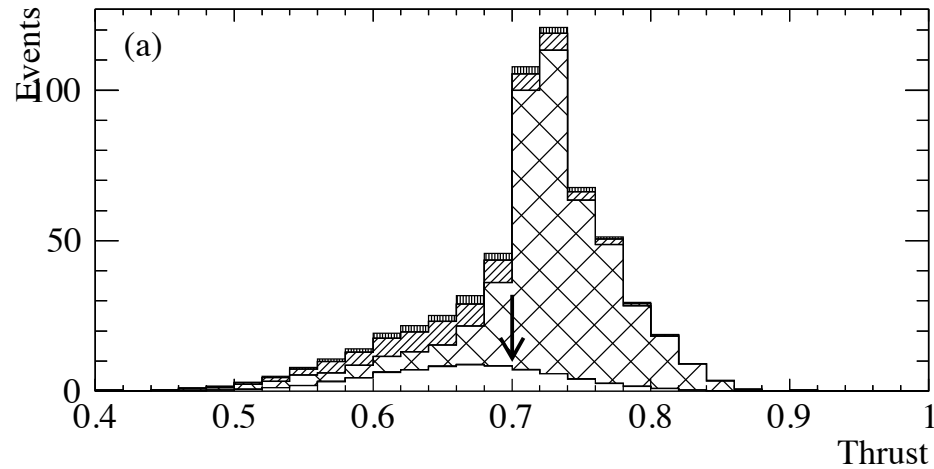
All other cuts applied.

8-jet cut flow

<i>cut \ sample</i>	ttH (6J)	ttH (8J/4J)	tt	ttZ	ttg* -> ttbb	significance
<i>no cuts</i>	290.	358.	980739.	2406.	1160.	0.3
<i># isolated lepton = 0</i>	266.	92.2	589716.	1351.	701.	0.3
<i>thrust < 0.7</i>	168.	46.7	107227.	818.	312.	0.5
$Y_{8 \rightarrow 7} > 0.0009$	114.	13.3	4048.	350.	67.1	1.7
<i>4x btag</i>	66.6	6.9	443.	77.6	39.8	2.6
<i>mass cuts</i>	50.1	0.4	75.6	47.6	14.1	3.7

lumi = 1ab⁻¹, polarized beams

8-jet analysis



Scaled to 1 ab^{-1}

Beam polarization (Pol(e-), Pol(e+)) = (-0.8,+0.3)

All other cuts applied.

results

beam pol.(e-, e+)	6 jet + lepton	8 jet
(0.0, 0.0)	2.9	2.8
(-0.8, +0.3)	3.7	3.7

beam pol. (e-, e+)	combined significance	combined $\Delta g_t / g_t$
(0.0, 0.0)	4.0	12%
(-0.8, +0.3)	5.2	9.6%

conclusions

- our fast simulation study shows that, with
 - $m_{\text{Higgs}} = 120 \text{ GeV}$
 - ILC (500 GeV)
 - nominal beam polarizations (-0.8, +0.3)
 - Lumi = 1 ab^{-1}

the top Yukawa coupling can be measured with **10%** statistical accuracy

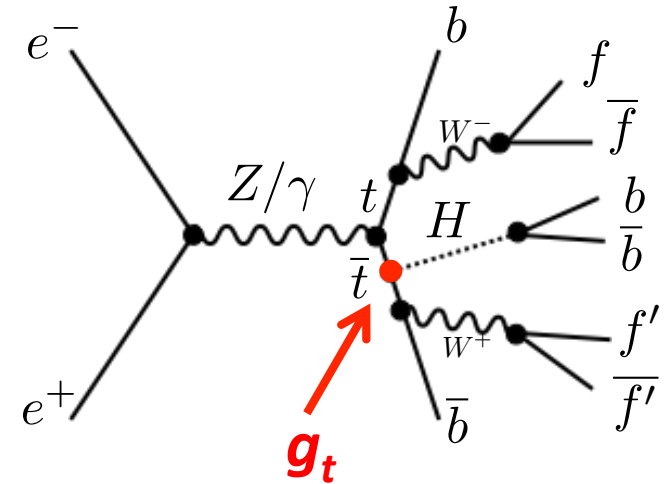
- for increased confidence in this results, a study with full detector simulation should be performed, which is the target of our next study
- we will also try to meet the demands of the DBD benchmark which asks for the same analysis at $E_{\text{CM}} = 1 \text{ TeV}$ for the ILD detector

backup

purpose of study

- Evaluate the accuracy of g_t
 $E_{\text{cm}} = 500 \text{ GeV}, m_H = 120 \text{ GeV}, H \rightarrow bb$ (68%)

$$\frac{\Delta g_t^2}{g_t^2} = \frac{\Delta \sigma_{t\bar{t}H}}{\sigma_{t\bar{t}H}}$$



= accuracy of $e^+e^- \rightarrow t\bar{t}H$ cross-section.

$$\left(\frac{\Delta \sigma_{t\bar{t}H}}{\sigma_{t\bar{t}H}} \right)^2 = \boxed{\frac{S + B}{S^2}} + \left(\frac{\Delta B_{\text{syst}}}{S} \right)^2 + \left(\frac{\Delta \mathcal{L}}{\mathcal{L}} \right)^2 + \left(\frac{\Delta \epsilon}{\epsilon} \right)^2$$

Statistical
Uncertainty

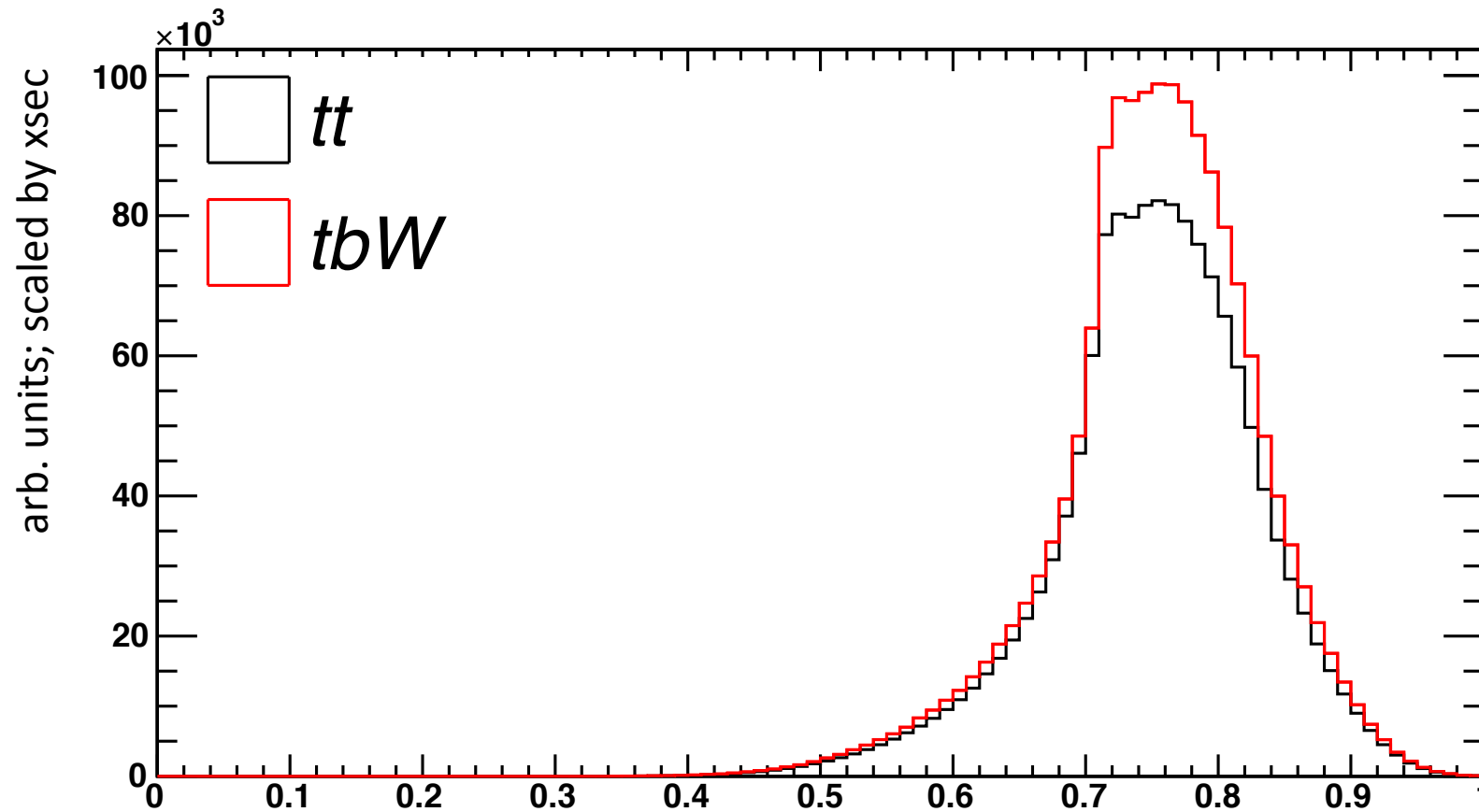
Background
Shape
Systematic

Uncertainty
of Integrated
Luminosity

Uncertainty of
Event Reco.

Estimate the statistical uncertainty.

comparison of thrust distribution



TT is included within TBW (GOOD)