

# Analysis of W-AHCAL data

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on behalf of the CALICE W-AHCAL team



## 2010 data

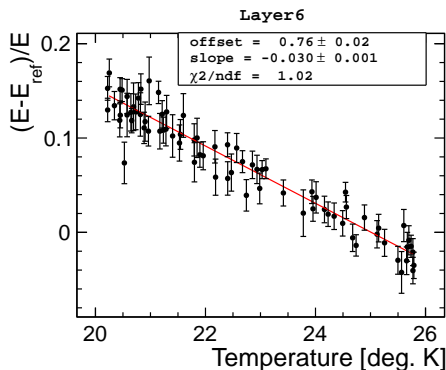
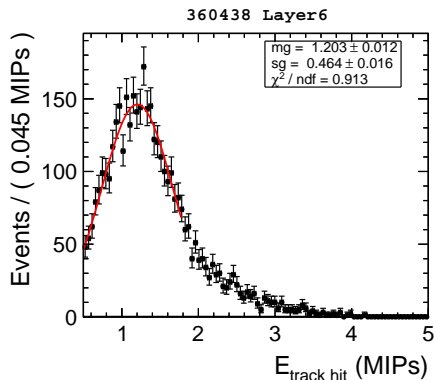
- W-AHCAL: **30 layers**
- Energies: **1-10 GeV**
- Mixed runs ( $e$ ,  $\pi$ ,  $\mu$ ,  $p$ ) in CERN PS
- Dedicated muon runs
  
- Analysis status: see next slides

## 2011 data

- W-AHCAL: **38 layers**
- Energies: **10-300 GeV**
- Mixed runs ( $e$ ,  $\pi$ ,  $\mu$ ,  $p$ ,  $K$ ) in CERN PS and SPS
- Dedicated muon runs, detector scans
  
- Analysis status:
  - Preliminary calibrations ready
  - Ongoing work to understand differences between data and Monte Carlo
  
- Results will be reported in future talks

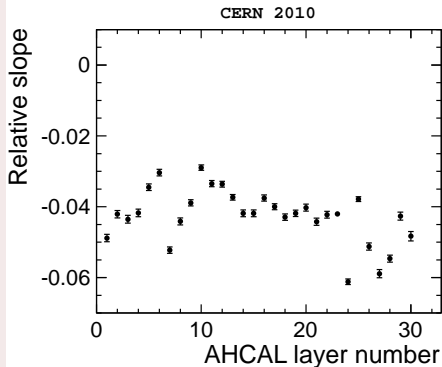
# 2010 MIP calibration and temperature correction

- Temperature dependence was studied using muon hits found by PrimaryTrackFinder (plus additional cuts for clean muon selection)
- Developed method to measure MIP slope layerwise
- Example fit for a given layer and a given run
- Example: Measurement of MIP slope for layer 6



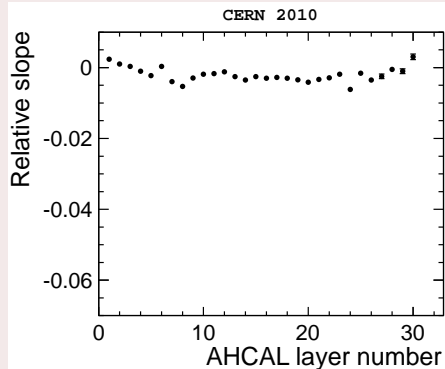
# 2010 MIP calibration and temperature correction

## Before T correction



- Average slope:  $-4.3\%/K$

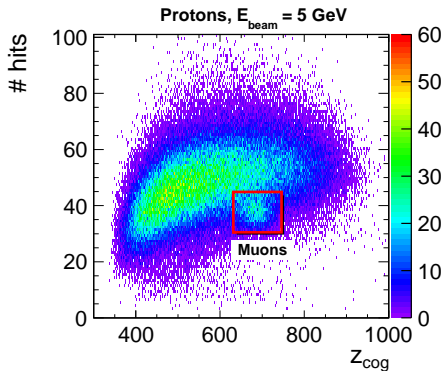
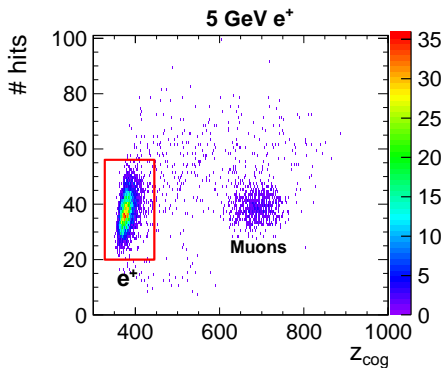
## After T correction



- Average slope:  $-0.2\%/K$
- Spread:  $\pm 0.5\%$

# Data selection

- First step: use Cherenkov information for particle identification
- Remaining muons (and noise) reduced by simultaneous cut on number of hits and on  $z_{cog} = \sum E_i z_i / \sum E_i$
- Works for  $E \geq 3$  GeV; for lower energies (in the hadron case) need more refined methods



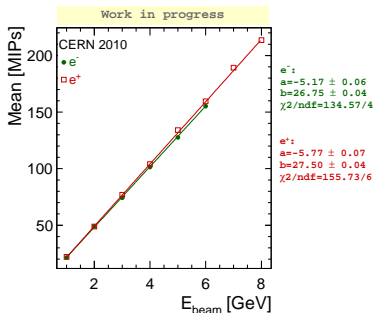
## Comparison of Fe- and W-AHCAL

- Fe-AHCAL: one layer =  $(16 + 2 + 2)$  mm Fe  $\sim 1.1 X_0$ ,  $\sim 0.1 \lambda_I$
- W-AHCAL: one layer = 10 mm W + 4.5 mm Fe  $\sim 3.1 X_0$ ,  $\sim 0.1 \lambda_I$   
 $\Rightarrow$  expect 'worse' electromagnetic resolution

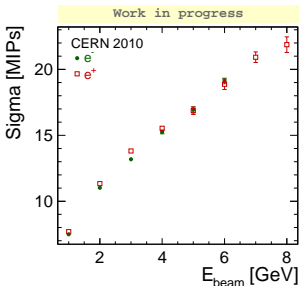
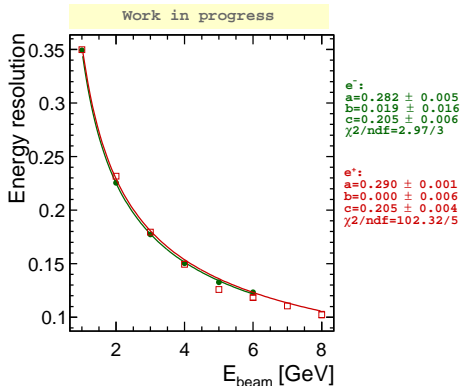
## $e^+/e^-$ data

- Fraction of  $e^\pm$  particles in the beam decreases with energy  
 $\Rightarrow$  show only up to 8 GeV for  $e^+$  (a few hundreds of events)
- $e^-$  runs at 7 and 8 GeV not included (data not clean)

# Electromagnetic energy resolution



$$\sigma \frac{\sigma}{E} = \frac{a}{\sqrt{E}} \oplus b \oplus \frac{c}{E}$$



- Preliminary results only
- Noise term to be fixed
- Systematics to be added

# Electromagnetic energy resolution

## Comparison with other detectors: $e^+$

- Fe-AHCAL: [arXiv:1012.4343](#) Gaussian fit in a  $\pm 2 \sigma$  range
- DHCAL: [CAN-032](#) Gaussian fits over full range
- W-AHCAL: Novosibirsk fits over full range [see example fits in backup slide](#)

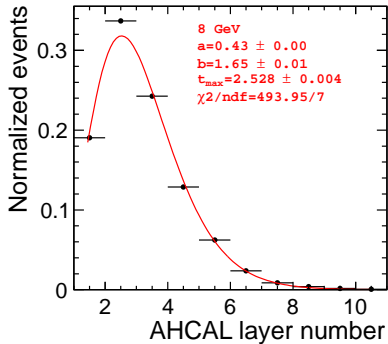
Detector	$a$	$b$	$c$ [GeV]	$\chi^2/ndf$
W-AHCAL	$(29.0 \pm 0.1)\%$	$(0.0 \pm 0.6)\%$	$0.205 \pm 0.004$	102.3/5
Fe-AHCAL	$(21.9 \pm 1.4)\%$	$(1.0 \pm 1.0)\%$	0.058 (fixed)	–
DHCAL	$(26.8 \pm 0.4)\%$	$(13.0 \pm 0.1)\%$	–	7.6/4



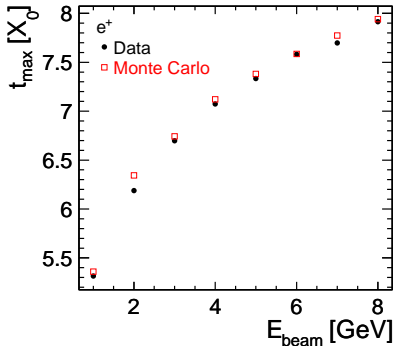
# $e^+$ : Data vs. Monte Carlo

- Fit longitudinal profile with:  $\frac{dE}{dt} = a \cdot t^{t_{\max} \cdot b} \cdot e^{-b \cdot t}$

- Example fit: 8 GeV  $e^+$

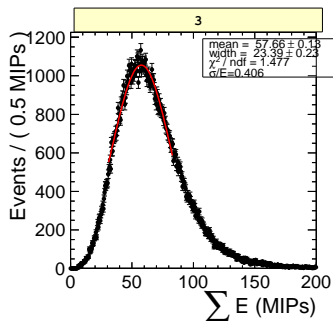


- Using 1 layer =  $3.13 X_0$



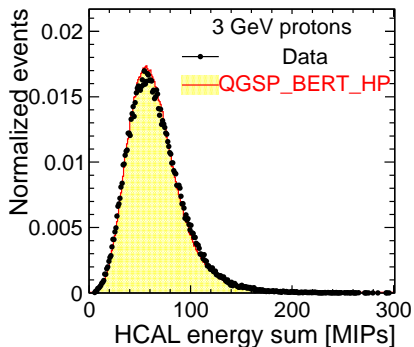
# Hadron energy resolution

- Usually, energy resolution given by sigma of fit/mean of fit (e.g. Gaussian fit of central 70% statistics in the reconstructed energy distribution)
- Valid only for Gaussian distributions
- Example fit: 3 GeV protons



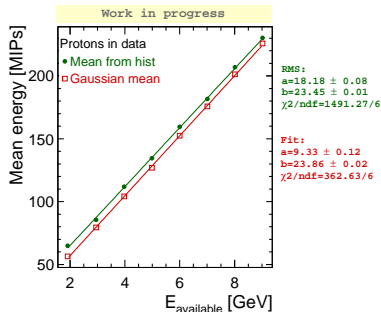
- But: Low energy distributions are non-Gaussian (due to fluctuations in the the electromagnetic fraction)
- Better: do not fit, but use RMS (takes tails into account) and mean of reconstructed energy

# Shape of proton response

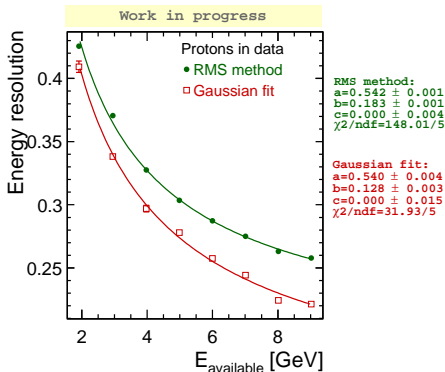
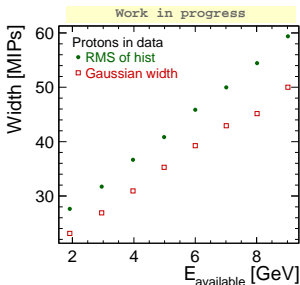


- High energy tail also described by Monte Carlo  $\Rightarrow$  will use RMS to measure energy resolution
- Similar shape for pions

# Proton energy resolution: RMS vs. Fit

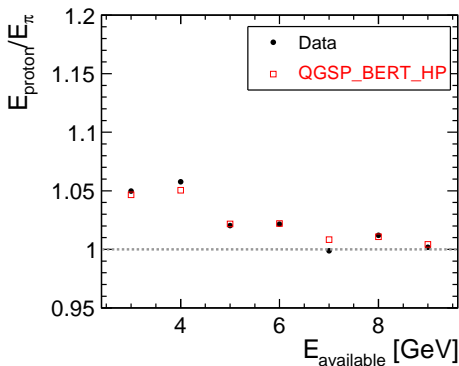


$$\frac{RMS(\sigma)}{E} = \frac{a}{\sqrt{E}} \oplus b \oplus \frac{c}{E}$$



# Proton vs. pion response

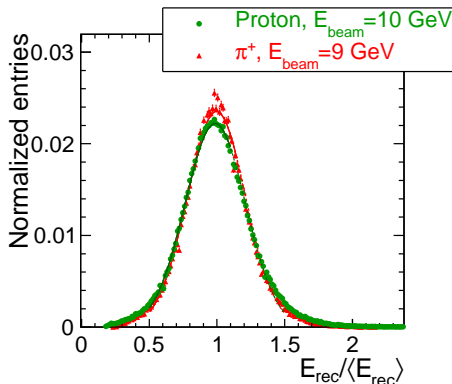
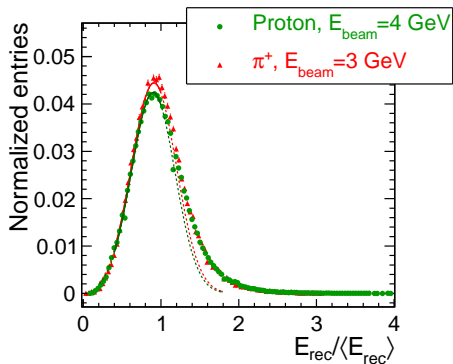
- In first order, expect the same response from all hadrons
- But:
  - Expect fraction of produced  $\pi^0$  to be lower in proton showers than in pion showers (due to baryon number conservation)  $\Rightarrow$  lower electromagnetic fraction
  - Hence, for an under-compensating calorimeter ( $e/h > 1$ ) expect  $E_{proton} < E_{\pi}$



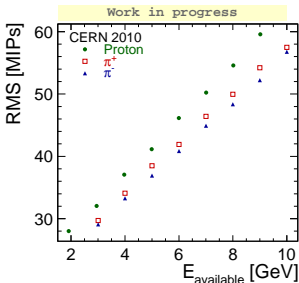
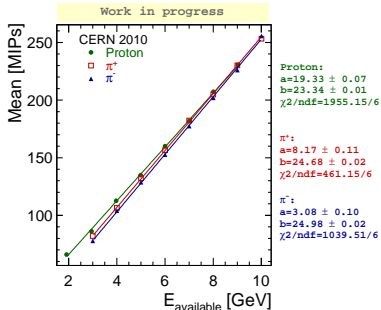
- In the studied low energy range, we see the opposite:  $E_{proton} \geq E_{\pi}$  (both in data and in Monte Carlo)

# Proton vs. pion response

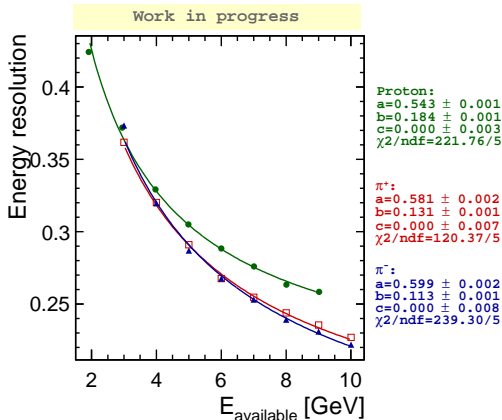
- Compare line shape asymmetry in proton and pion case by fitting the low energy part of the  $E_{rec}/\langle E_{rec} \rangle$  distribution and extrapolating the fit to the high energy part (idea from [▶ Nucl. Instr. Meth. A 615 \(2010\) 158-181](#))
- Level of asymmetry similar in both cases, but pions have a narrower distribution  $\Rightarrow$  expect a better energy resolution for pions



# Hadronic energy resolution



$$\bullet \frac{RMS}{E} = \frac{a}{\sqrt{E}} \oplus b \oplus \frac{c}{E}$$



- We get better energy resolution for protons: not yet understood

## Comparison with other CALICE detectors

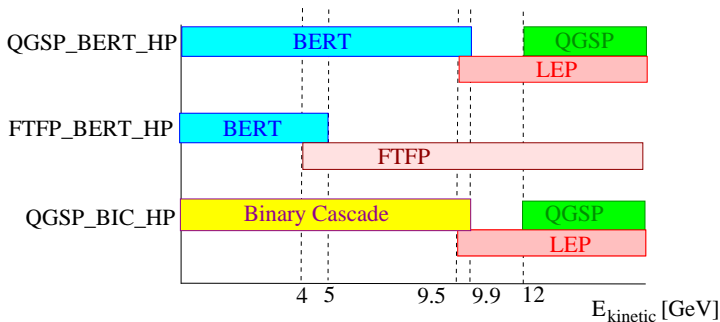
- Fe-AHCAL: ▶ CAN-035 Gaussian fits in a  $\pm 2$  RMS range
- DHCAL: ▶ CAN-032 Gaussian fits over full range (of number of hits distributions)
- W-AHCAL: no fit, use RMS and mean of whole distribution

Detector	$a$	$b$	$c$ [GeV]	$\chi^2/ndf$
W-AHCAL	$(59.9 \pm 0.2)\%$	$(11.3 \pm 0.1)\%$	$(0.0 \pm 0.8)\%$	239.3/5
Fe-AHCAL	$(57.6 \pm 0.4)\%$	$(1.6 \pm 0.3)\%$	0.180 (fixed)	7.2
DHCAL	$(55.9 \pm 0.6)\%$	$(9.4 \pm 0.2)\%$	–	17.9/2



# Comparison with GEANT4 models

- Important for W-AHCAL: usage of data driven neutron package to transport neutrons below 20 MeV down to thermal energies (\_HP)
- See detailed description [▶ GEANT4 web page](#)

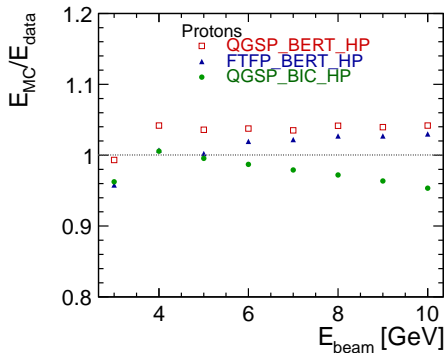


- FTFP\_BERT\_HP: not yet released, received directly from our GEANT4 colleagues (based on FRITIOF description of string excitation and fragmentation)

# Protons: Data vs. Monte Carlo

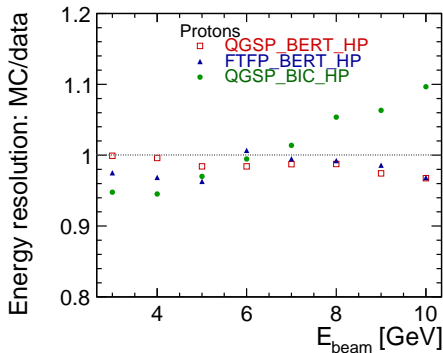
- **Calorimeter response:**

Agreement within 5%



- **Energy resolution:**

Agreement within 10%

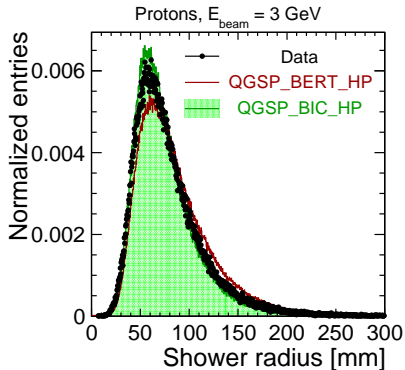


# Protons: Data vs. Monte Carlo

- Shower radius:

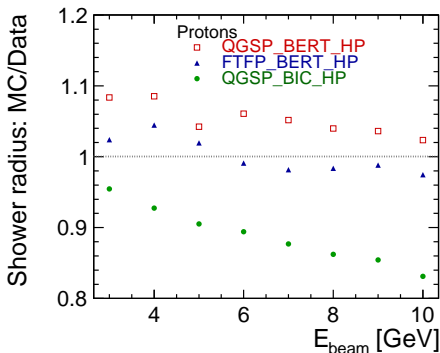
$$radius = \sum E_i \cdot d_i / \sum E_i$$

$$d_i = \sqrt{(x_i - x_{track})^2 + (y_i - y_{track})^2}$$



- Take the mean of distribution and plot against beam energy

- Agreement within 10% for Bertini models, larger deviations for BIC model

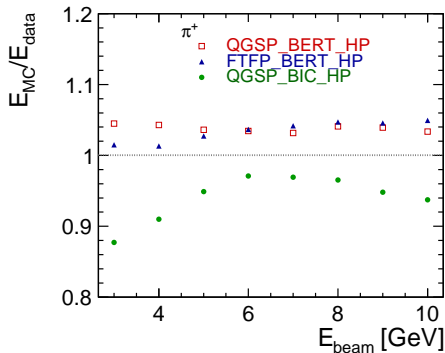


# $\pi^+$ : Data vs. Monte Carlo

- **Calorimeter response:**

Bertini models: agreement within 5%

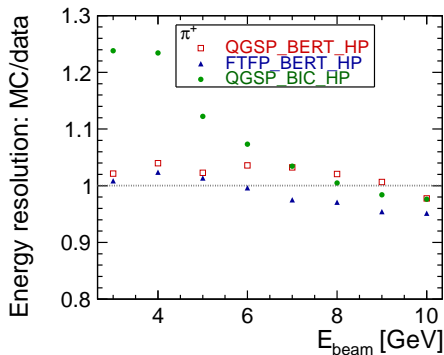
Binary cascade: worse, ratio varies with energy



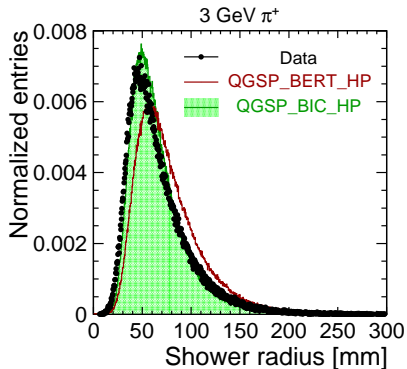
- **Energy resolution:**

Bertini models: agreement within 5%

Binary cascade: worse, ratio varies with energy

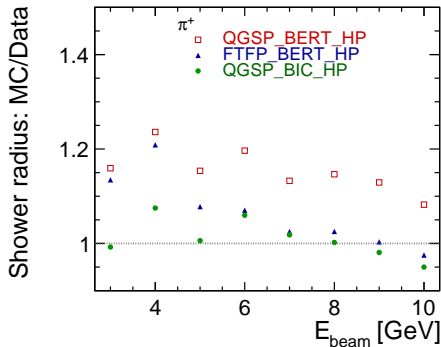


# $\pi^+$ : Data vs. Monte Carlo



## • Shower radius:

Binary cascade: agreement within 10%, worse for the other models



## Summary

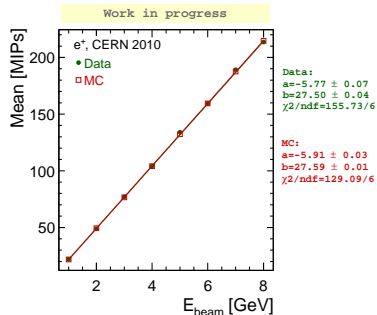
- Established procedure to measure MIP temperature slopes layerwise  
⇒ calibration ready
- Preliminary measurements of electromagnetic and hadronic energy resolution (systematics to come)
- First comparisons of hadronic shower models in W-AHCAL  
⇒ Discussions with GEANT4 colleagues started

## Next

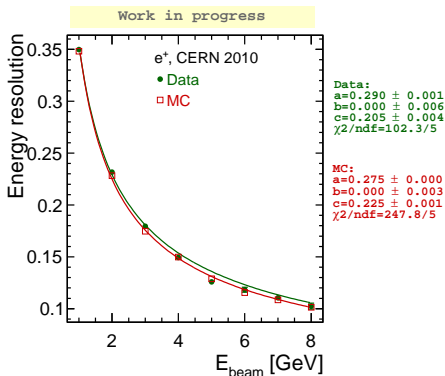
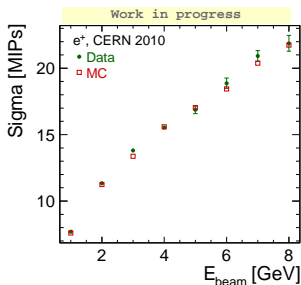
- 2010 data:
  - Finalize resolution response
  - Finish analysis note (CAN-036)
- 2011 data: still bits and pieces to fix

Backup slides

# Energy resolution: $e^+$

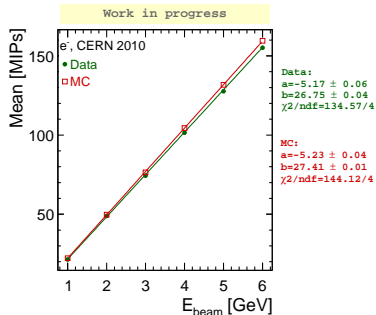


$$\sigma \frac{\sigma}{E} = \frac{a}{\sqrt{E}} \oplus b \oplus \frac{c}{E}$$

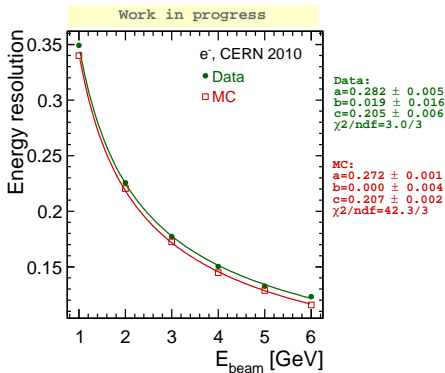
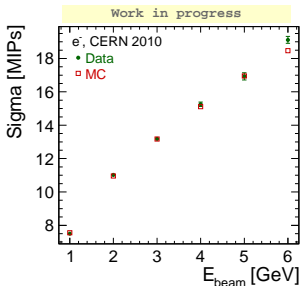




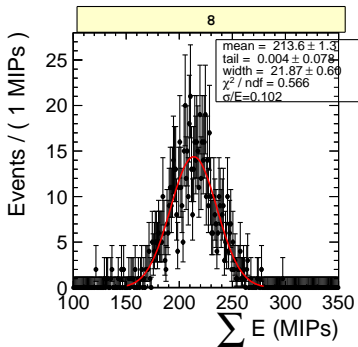
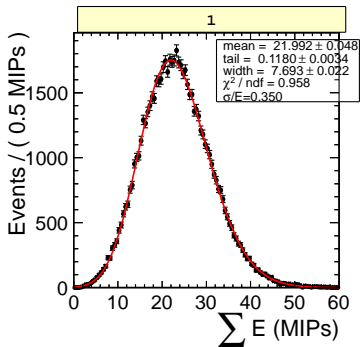
# Energy resolution: $e^-$



$$\sigma \frac{\sigma}{E} = \frac{a}{\sqrt{E}} \oplus b \oplus \frac{c}{E}$$



- Fit with **Novosibirsk** function: Gaussian with a tail



▶ Go back to talk