

# Calorimeters of the Very Forward Region

---

Iftach Sadeh

**Tel Aviv University**  
**DESY**



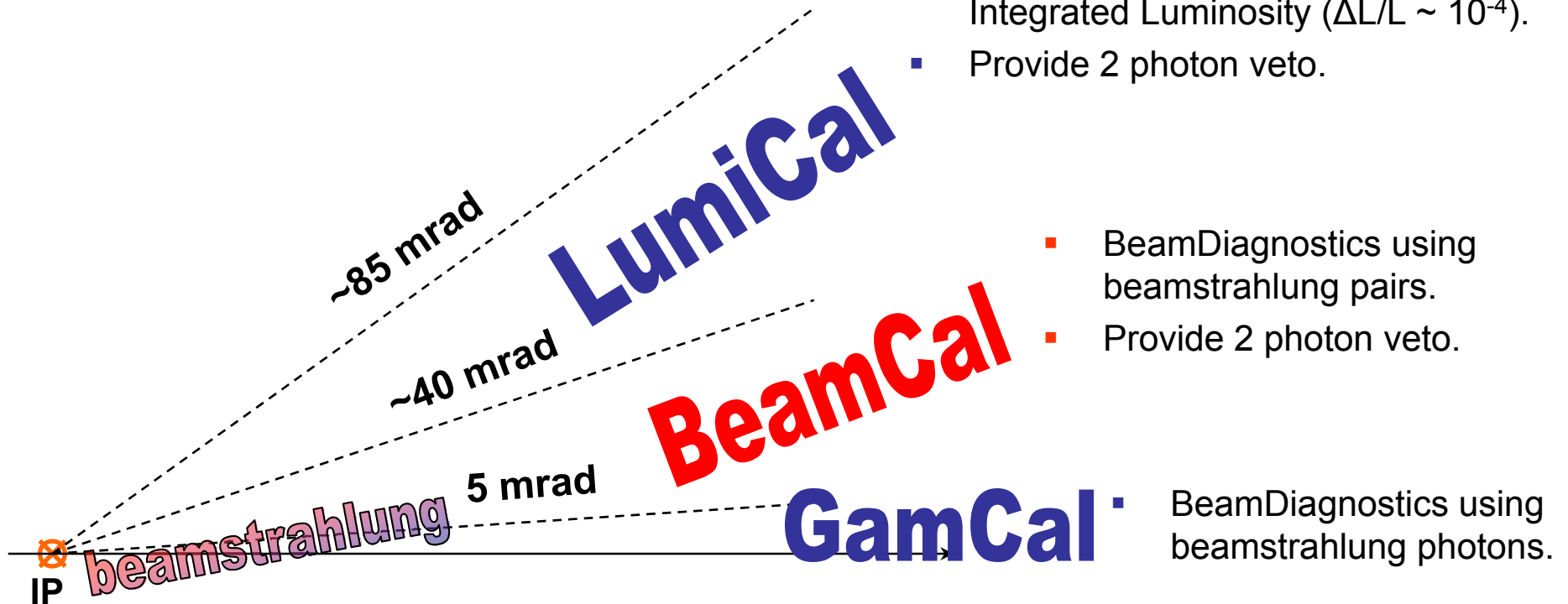
**Collaboration**  
High precision design

March 5<sup>th</sup> 2008

# Layout of the Forward Region

ECal and Very Forward Tracker acceptance region.

- Precise measurement of the Integrated Luminosity ( $\Delta L/L \sim 10^{-4}$ ).
- Provide 2 photon veto.

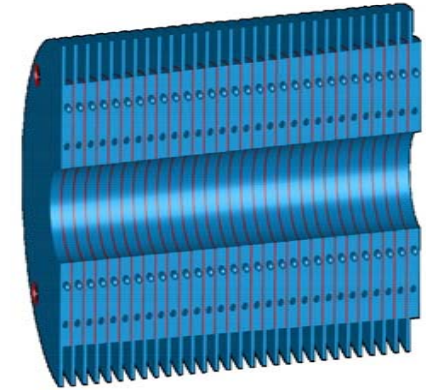


## Challenges:

High precision, high occupancy,  
high radiation dose, fast read-out!

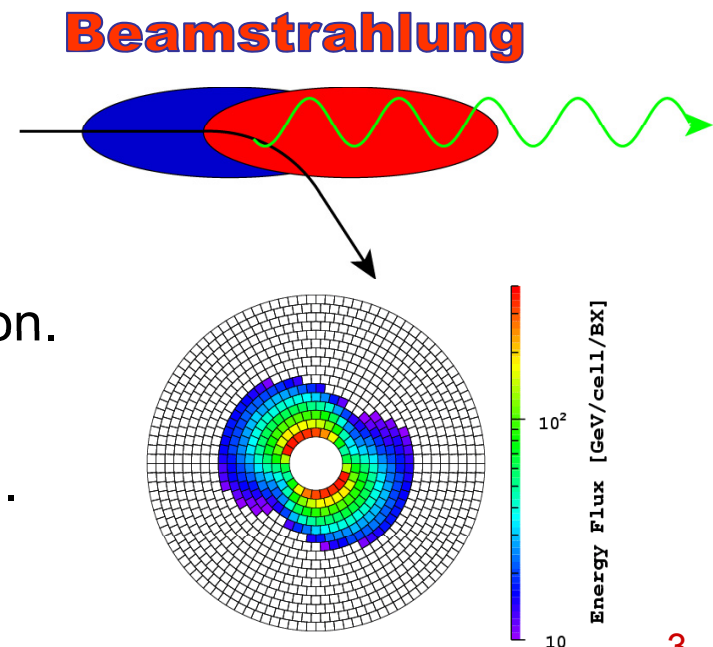
- **Compact EM calorimeter with sandwich structure:**

1. 30 layers of  $1 X_0$  : 3.5 mm W and 0.3 mm sensor.
2. Angular coverage from  $\sim [5,40]$  mrad
3. Molière radius ( $R_M$ )  $\sim 1$  cm
4. Segmentation between  $0.5$  and  $0.8 \times R_M$ .



- **Functionality:**

1. Provide electron veto.
2. Perform beam diagnostics for a feedback loop on luminosity optimization.
3. Shield the inner part of the detector from upstream backscattered particles..



- Two photon events constitute the most serious background for many search channels which are characterized by missing energy and missing momentum.

- Example:** stau/smuon production:

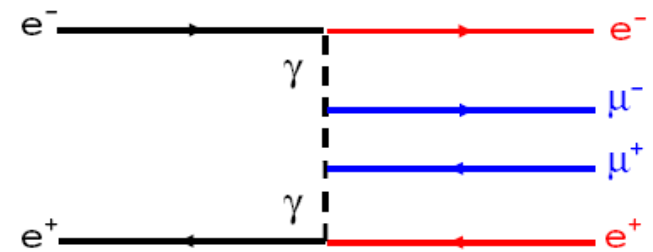
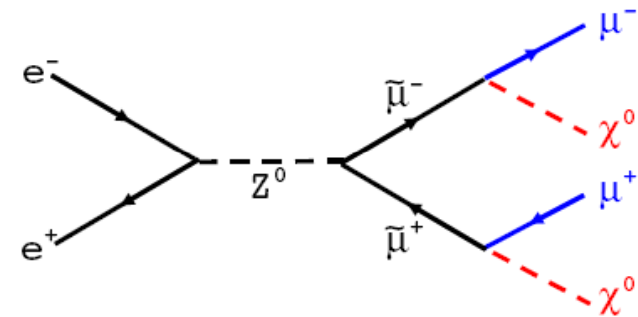
1. Large SM background:

$$\begin{aligned} \gamma^*\gamma^* &\rightarrow \tau^+\tau^- (E_t > 4.5\text{GeV}) & \sigma &\sim 4.3 \cdot 10^5 \text{ fb} \\ &\rightarrow \mu^+\mu^- (E_t > 2\text{GeV}) & \sigma &\sim 5.2 \cdot 10^6 \text{ fb} \\ &\rightarrow WW \end{aligned}$$

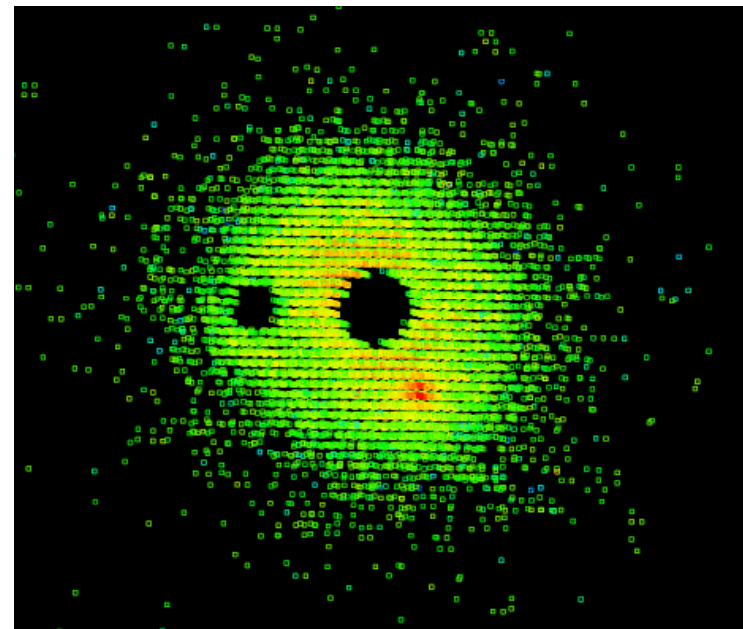
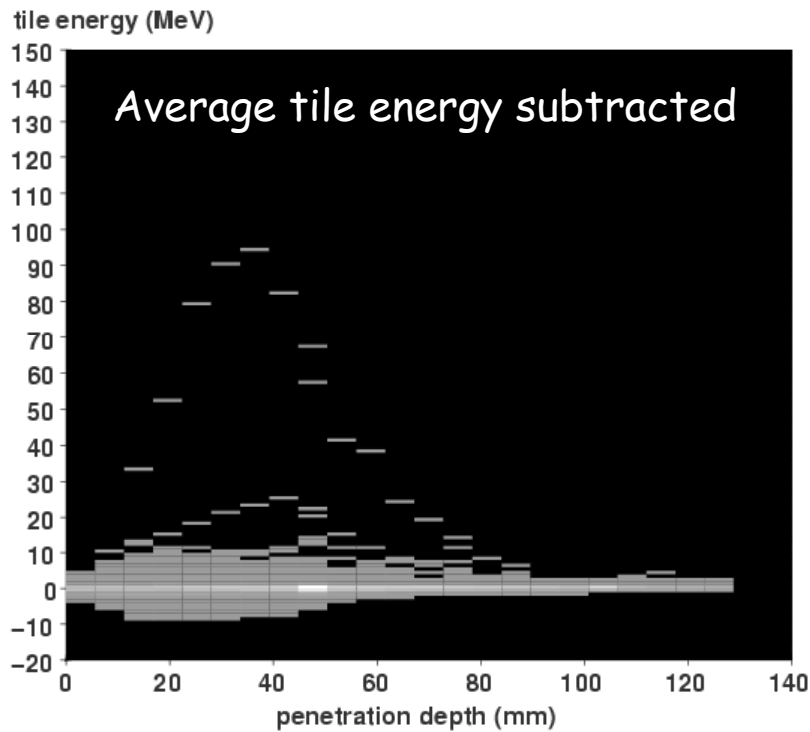
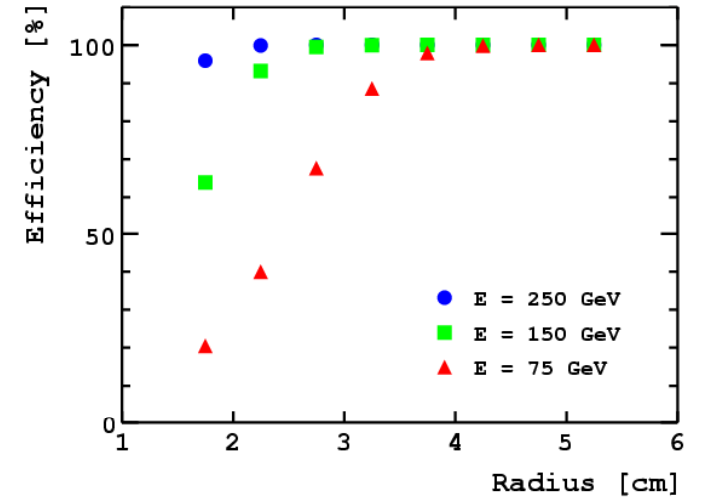
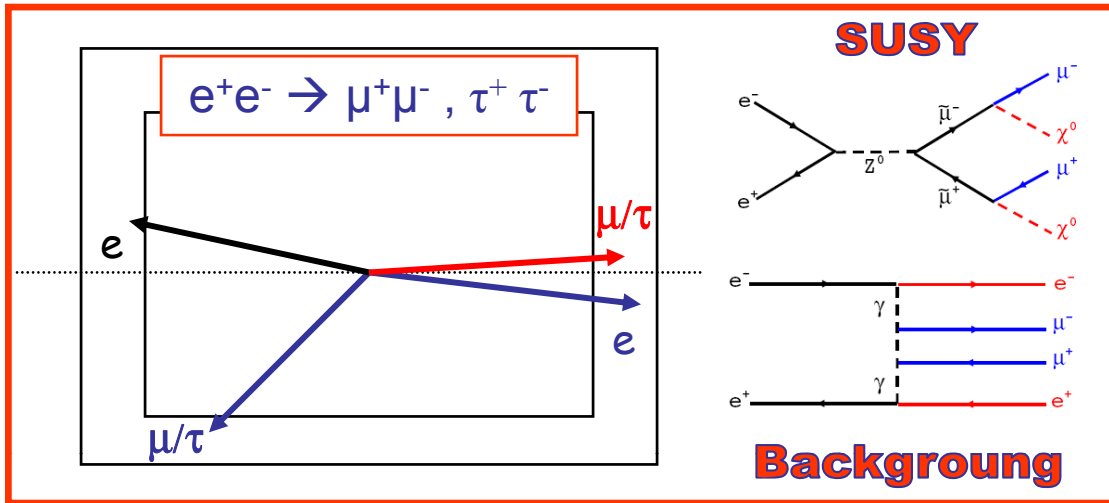
$$\begin{aligned} e^+e^- &\rightarrow \mu^+\mu^-, \tau^+\tau^- & \sigma &\sim 1.0 \cdot 10^3 \text{ fb} \\ &\rightarrow WW \end{aligned}$$

2. Some cuts based on event topology & kinematics help, but are not enough due to the high background cross-section.
3. Missing energy (the neutralino (LSP?)).
4. The difference between SUSY and the SM background is the final state electron.

## SUSY



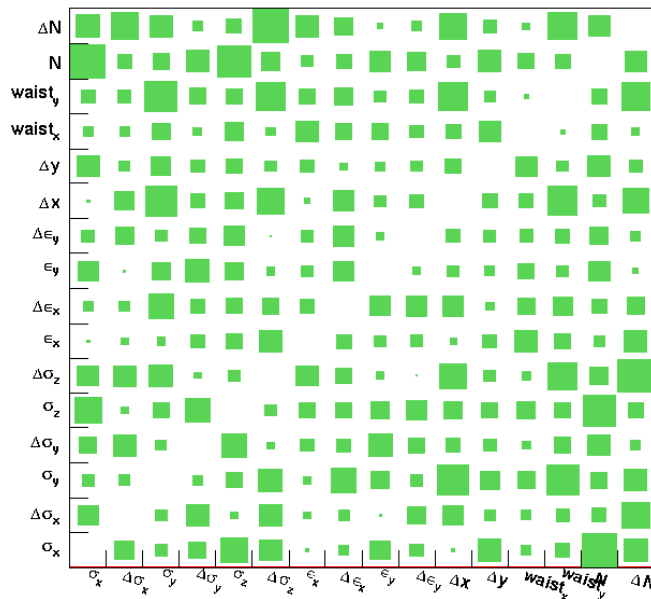
## Background



- **Beam parameters:**

- beam sizes ( $\sigma_x$ ,  $\sigma_y$  and  $\sigma_z$ )
- emittances ( $\epsilon_x$  and  $\epsilon_y$ )
- offsets ( $\Delta x$  and  $\Delta y$ )
- waist shifts ( $w_x$  and  $w_y$ )
- angles and rotation ( $\alpha_h$ ,  $\alpha_v$  and  $\phi$ )
- Particles per bunch ( $N_b$ )

BP correlations



- **Observables:**

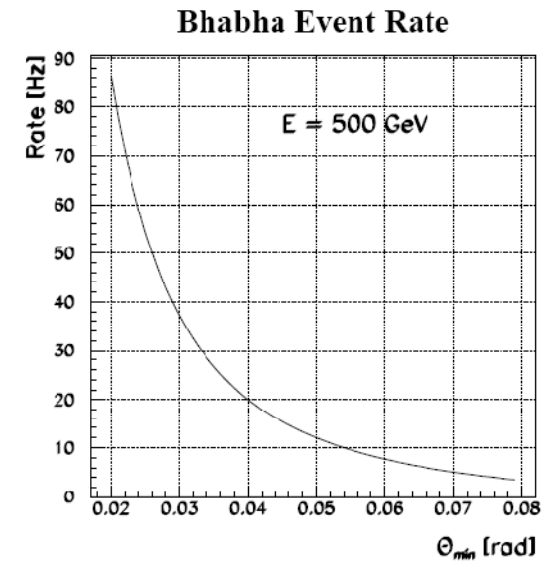
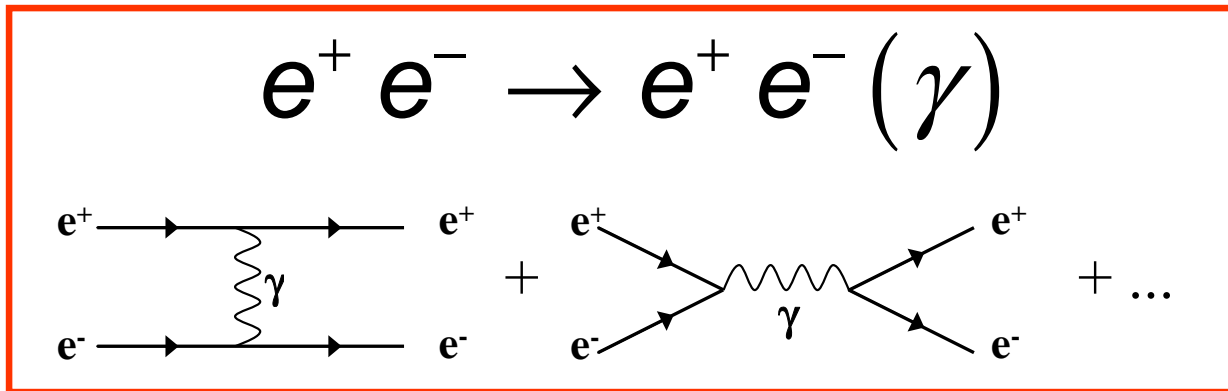
- total energy
- first radial moment
- thrust value
- angular spread
- $E(\text{ring} \geq 4) / E_{\text{tot}}$
- r- $\phi$  observables T1, T2
- $E / N$
- l/r, u/d, f/b asymmetries

## Moore Penrose Method

$$\begin{pmatrix} \text{Observables} \end{pmatrix} = \begin{pmatrix} \text{Observables} \\ \text{nom} \end{pmatrix} + \begin{pmatrix} \text{Taylor} \\ \text{Matrix} \end{pmatrix} \begin{pmatrix} \Delta \text{BeamPar}^* \end{pmatrix}$$

- Required precision is:  $\frac{\Delta L}{L} \sim 10^{-4}$  , GigaZ (hadronic Z decays)  $10^9 / \text{year}$   
 $\frac{\Delta L}{L} \sim 10^{-3}$  ,  $e^+ e^- \rightarrow W^+ W^-$   $10^6 / \text{year}$   
 $\frac{\Delta L}{L} \sim 10^{-3}$  ,  $e^+ e^- \rightarrow q^+ q^-$   $10^6 / \text{year}$

- Measure luminosity by counting the number of Bhabha events ( $N$ ):



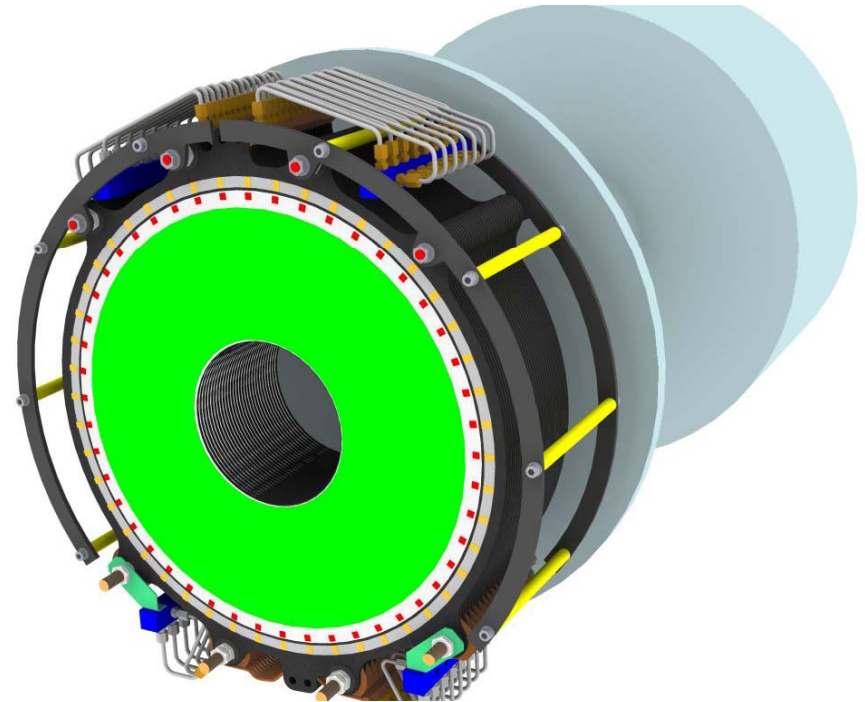
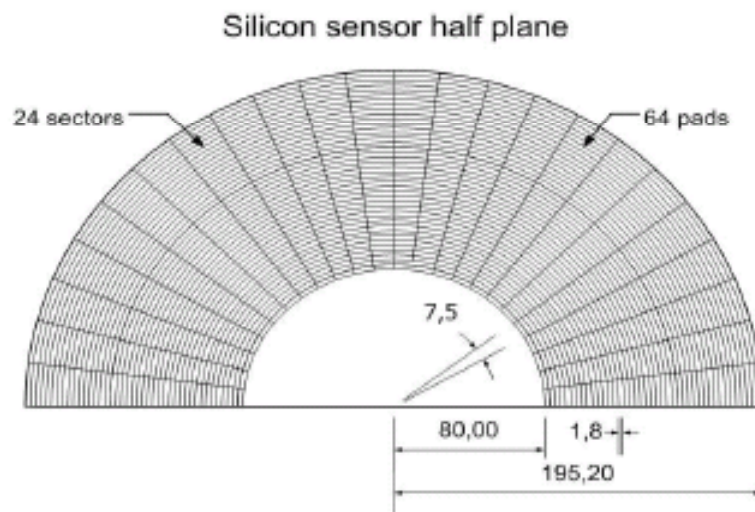
$$N = \frac{L}{\sigma} \quad \frac{d\sigma_{Bhabha}}{d\theta} \propto \frac{1}{\theta^3} \quad \frac{\Delta L}{L} = \frac{\Delta N}{N} = \frac{N_{rec} - N_{gen}}{N_{gen}} \Bigg|_{\theta_{\min}}^{\theta_{\max}} \quad 7$$

**1. Placement:**

- 2270 mm from the IP.
- Inner Radius - 80 mm
- Outer Radius - 190 mm

**2. Segmentation:**

- 48 sectors & 64 cylinders:  
Azimuthal Cell Size - 131 mrad
- Radial Cell Size - 0.8 mrad

**3. Layers:**

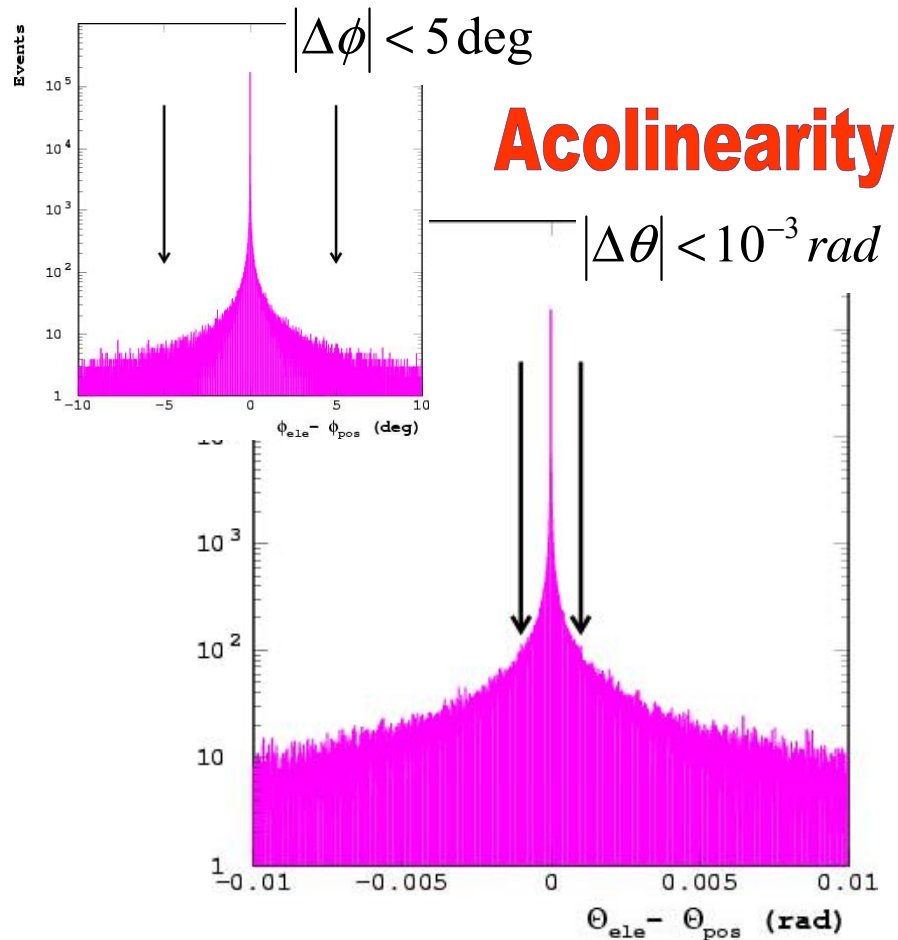
- Number of layers - 30
- Tungsten Thickness - 3.5 mm
- Silicon Thickness - 0.3 mm
- Elec. Space - 0.1 mm
- Support Thickness - 0.6 mm



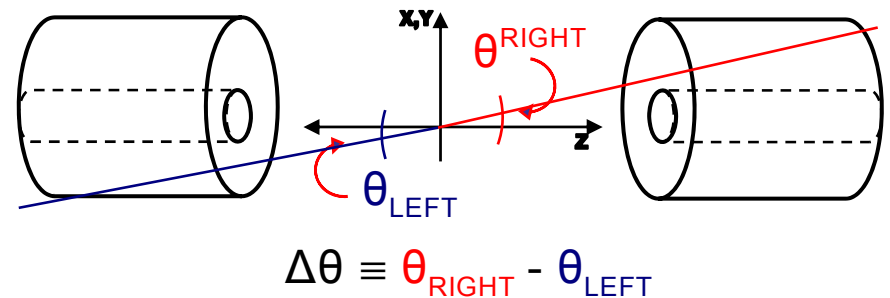
# LumiCal:

# Selection of Bhabha events

## Acoplanarity

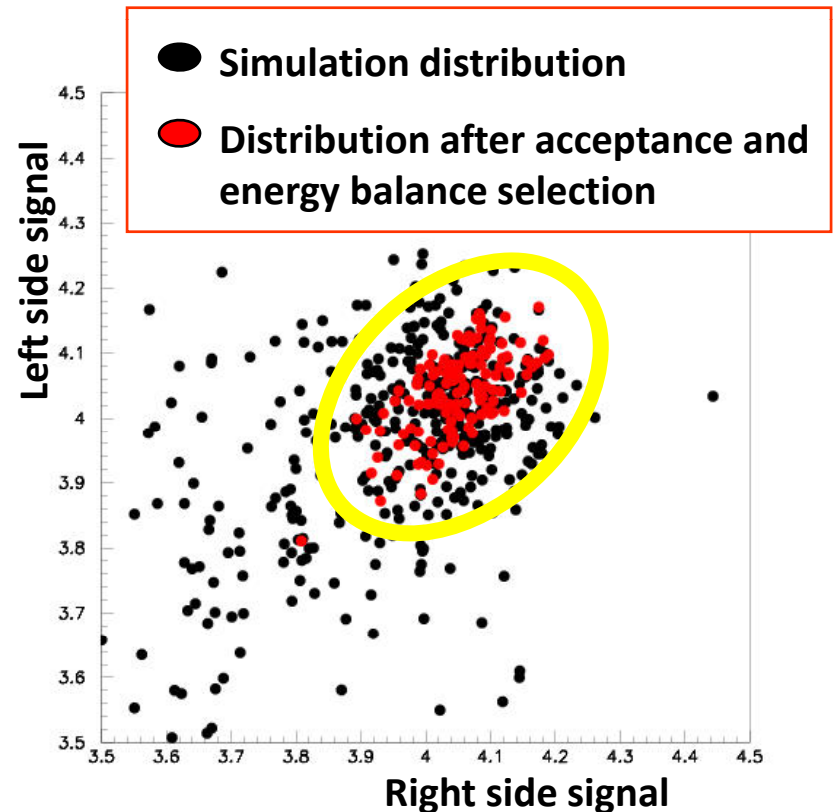


## Compare Angles



## Energy Balance

$$E_R - R_L < 0.1 \times \min(E_R, R_L)$$

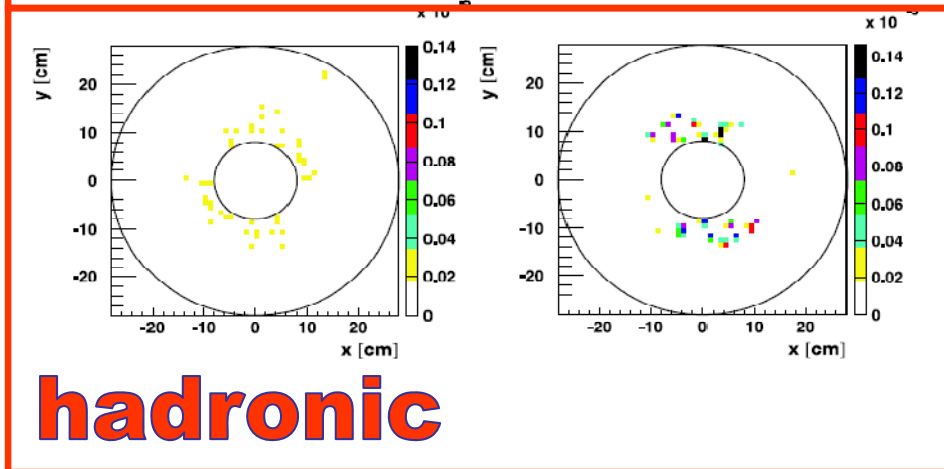
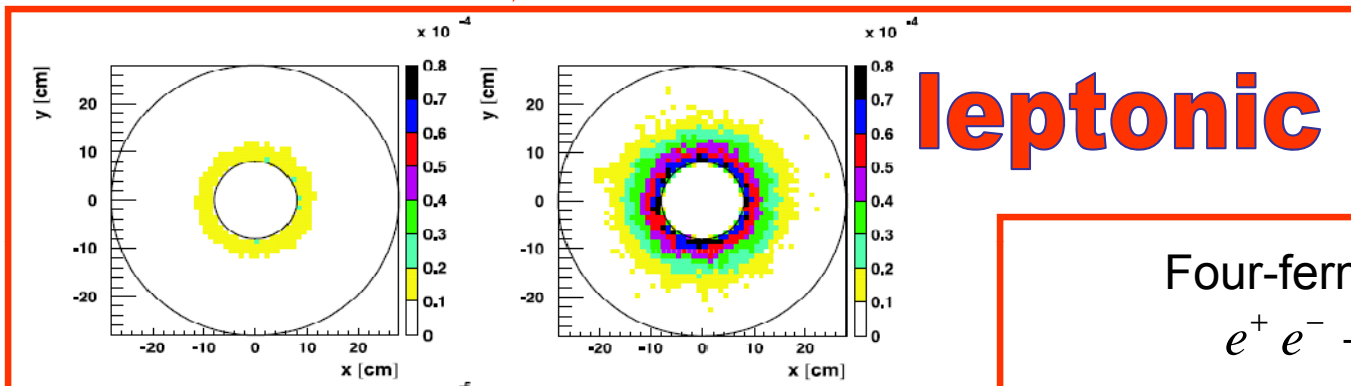


# LumiCal:

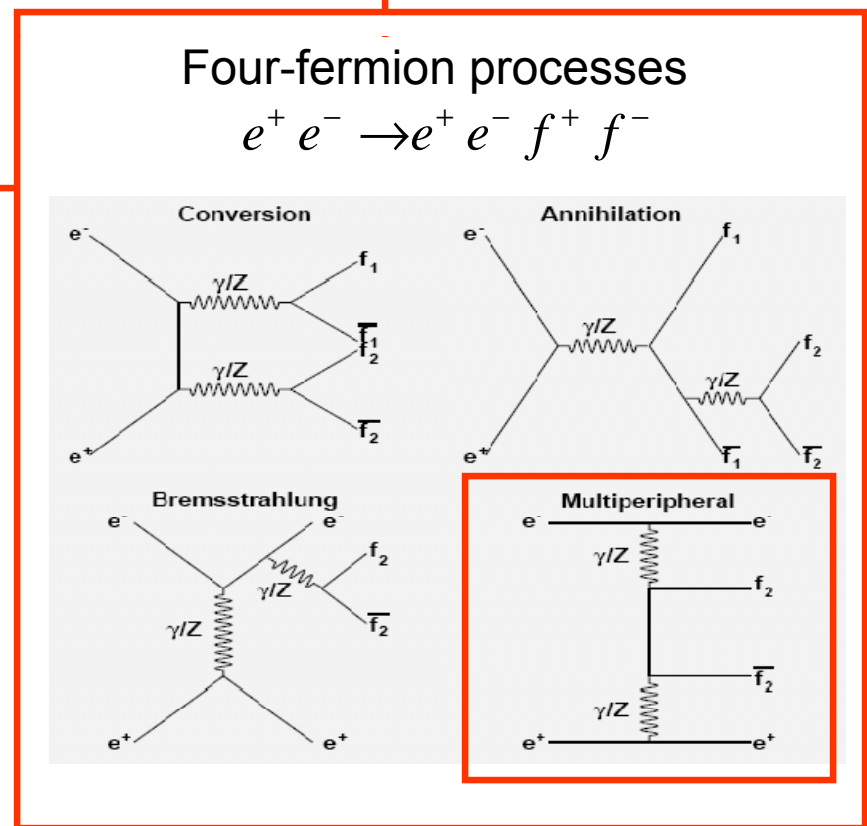
# Physics Background

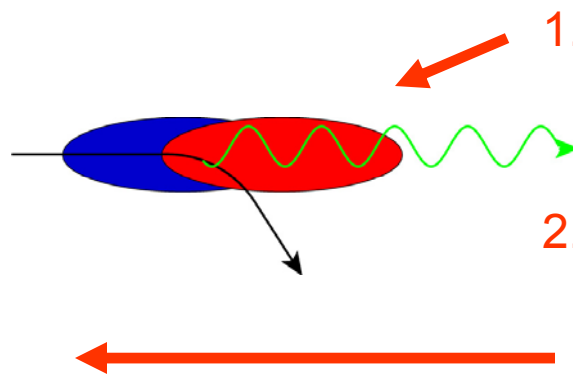
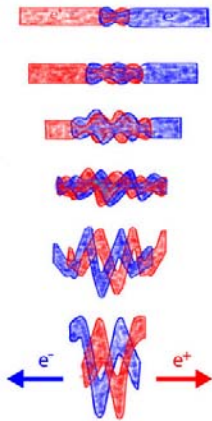
- Four-fermion processes are the main background, dominated by two-photon events (bottom right diagram).

**BEFORE**  $\Rightarrow$  **AFTER cut**

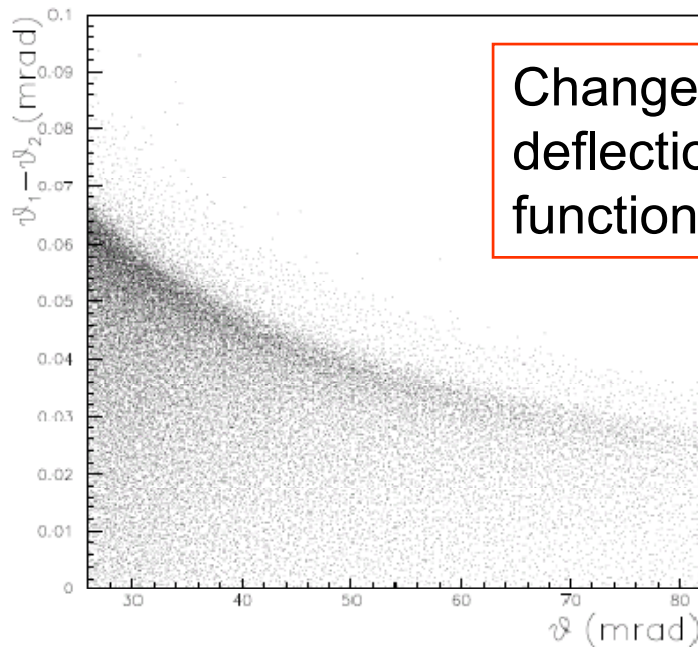


The cuts reduce the background to the level of  $10^{-4}$



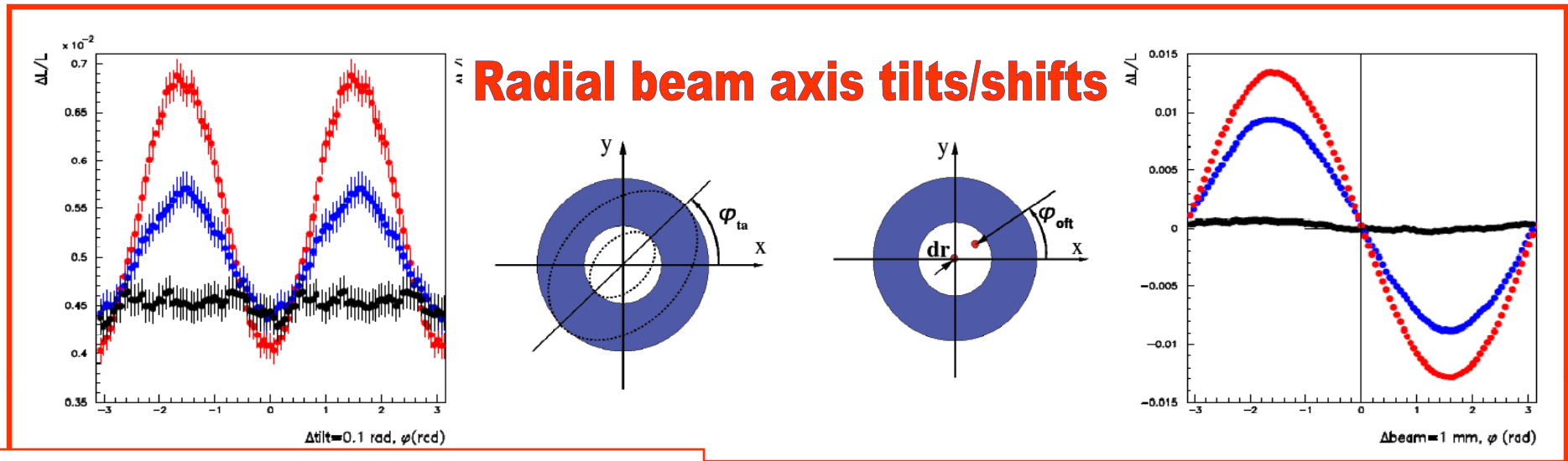


1. High beam-beam field ( $\sim kT$ ) results in energy loss in the form of synchrotron radiation (beamstrahlung).
2. Bunches are deformed by electromagnetic attraction: each beam acting as a focusing lens on the other.



Change in the final state polar angle due to deflection by the opposite bunch, as a function of the production polar angle.

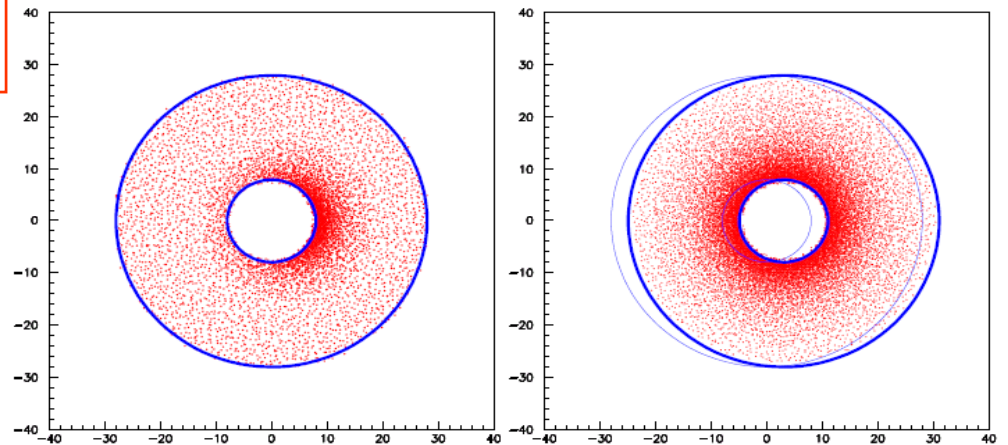
- Since the beamstrahlung emissions occur asymmetrically between  $e^+$  and  $e^-$ , the acolinearity is increased resulting in a bias (reduction) in the counting rate.



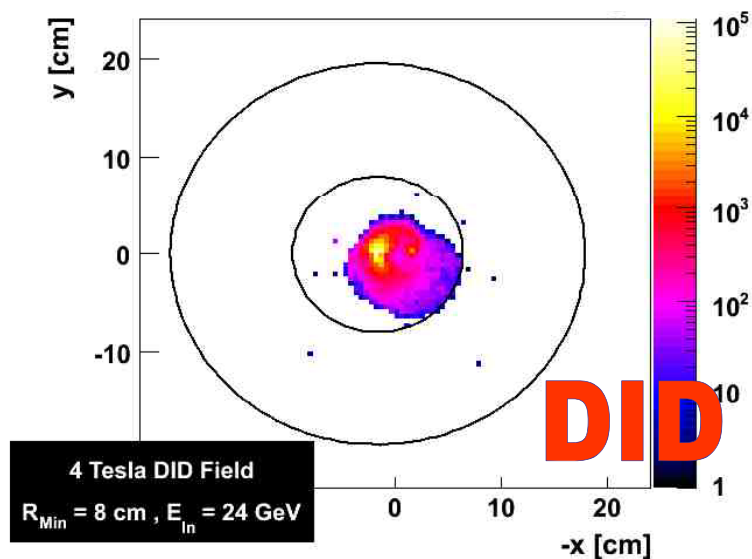
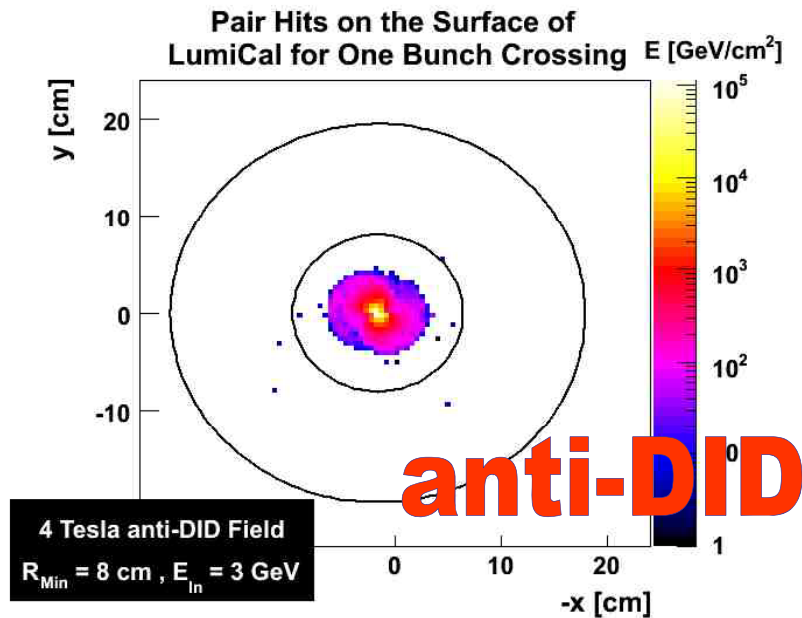
- **Headon**, 14,20 mrad X-angle outgoing beam
- **14 mrad** X-angle detector axis
- **20 mrad** X-angle detector axis

- Small tilts/shifts cause large  $\phi$ -dependant errors in the Luminosity measurement.
- Azimuthal symmetry is lost when LumiCal is placed along the detector axis

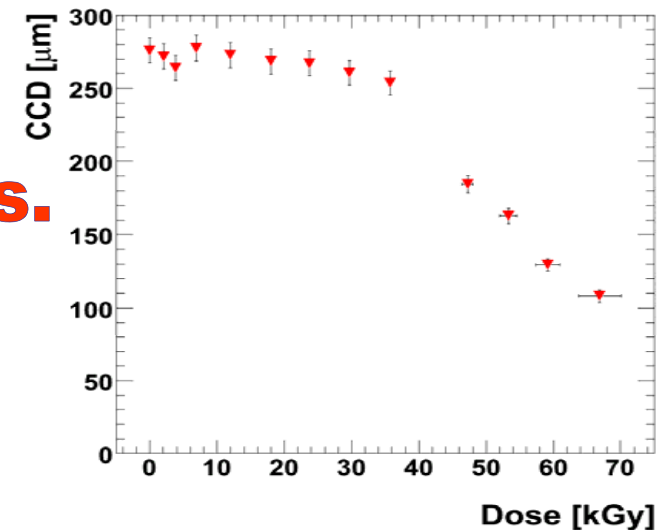
→ Choose the **outgoing beam** option.



**Detector axis** **Outgoing beam**



Radiation Hardness of Silicon

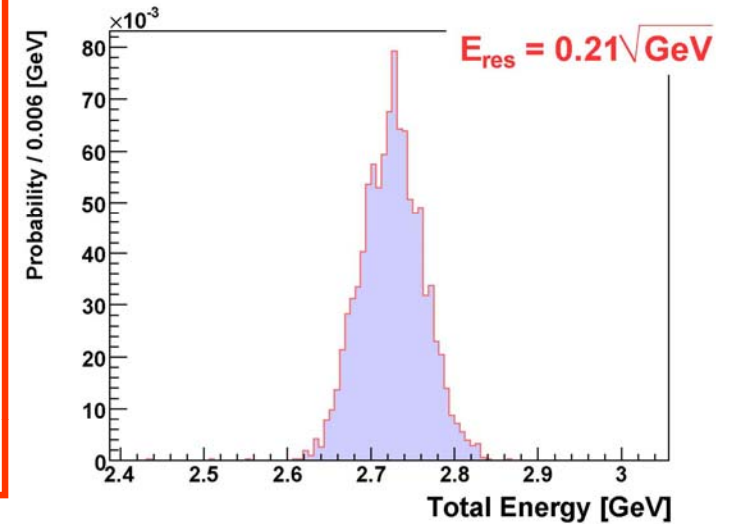
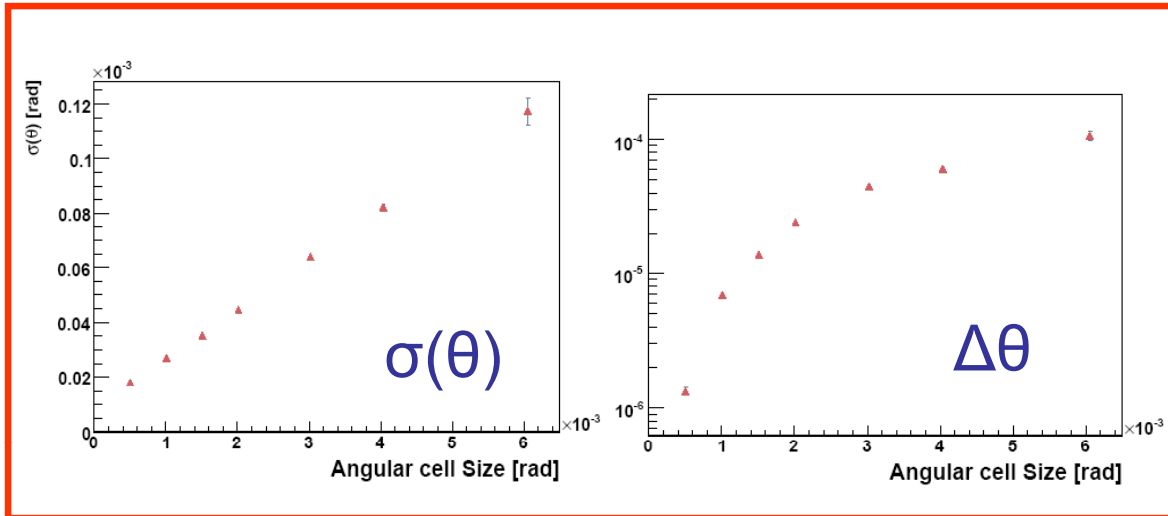


## CCD vs. Dose

- Negative effect of grazing LumiCal with the pair distribution:
  1. Radiation damage to the silicon sensors  $\sim O(\text{MGy}/\text{year})$ .
  2. Detrimental to the Luminosity measurement.
  3. Backscattering to the inner part of the detector.

# LumiCal:

# Detector Performance



Cell size [mrad]	# Radial divisions	$\sigma(\theta)$ [mrad]	$\Delta\theta$ [mrad]	$2 \cdot \Delta\theta / \theta_{min}$
0.5	96	$1.8 \cdot 10^{-2}$	$1.3 \cdot 10^{-3}$	$0.6 \cdot 10^{-4}$
0.8	64	$2.3 \cdot 10^{-2}$	$3.4 \cdot 10^{-3}$	$1.7 \cdot 10^{-4}$
1	48	$2.7 \cdot 10^{-2}$	$6.9 \cdot 10^{-3}$	$3.1 \cdot 10^{-4}$
1.5	32	$3.5 \cdot 10^{-2}$	$13.7 \cdot 10^{-3}$	$6.2 \cdot 10^{-4}$
2	24	$4.4 \cdot 10^{-2}$	$24 \cdot 10^{-3}$	$10.9 \cdot 10^{-4}$

$$\frac{\Delta L}{L} \approx \frac{2\Delta\theta}{\theta_{min}}$$

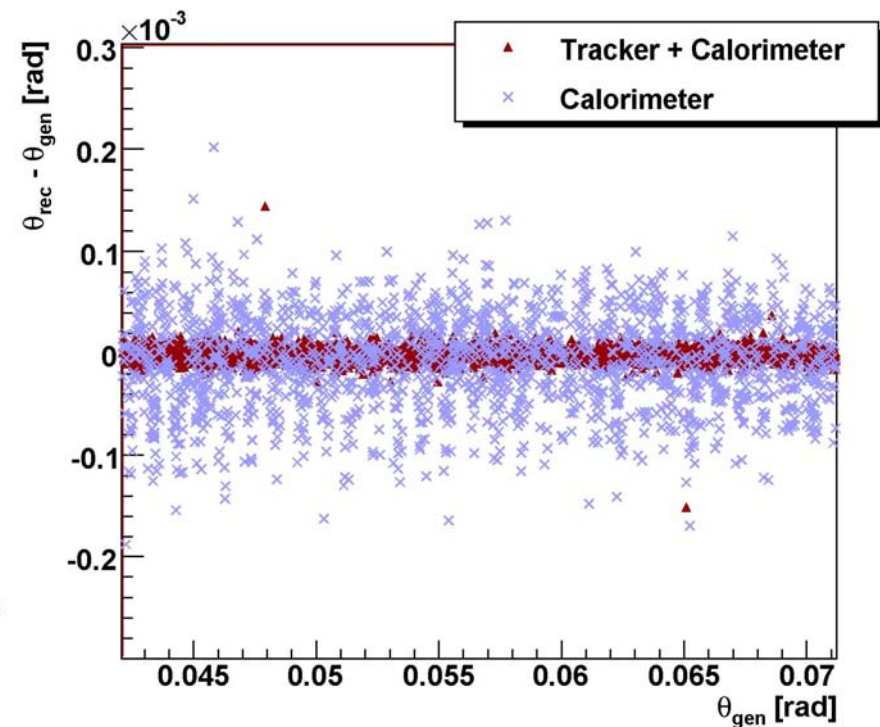
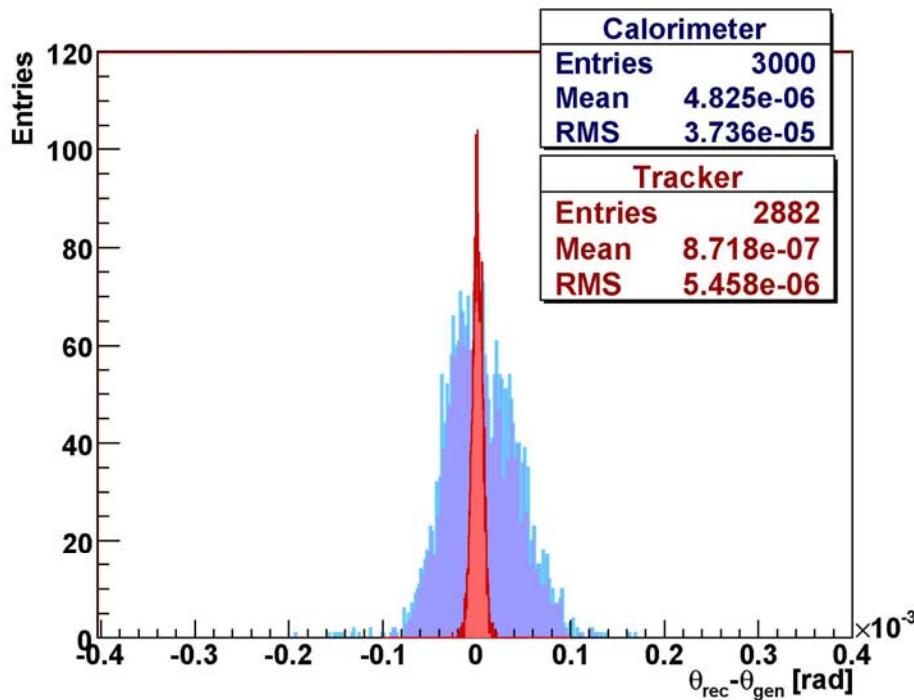
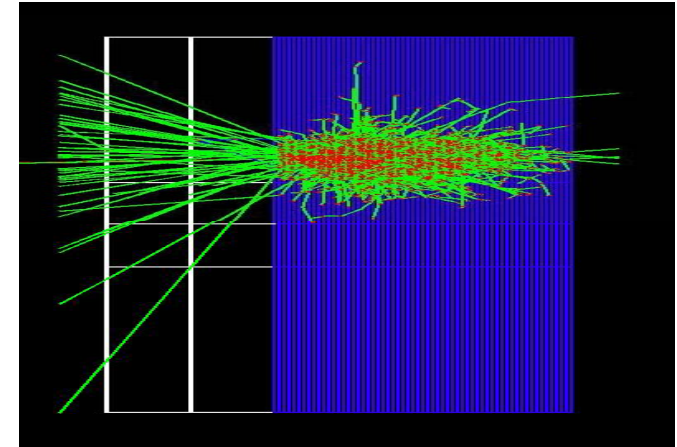
$$\sqrt{s} = 500 \text{ GeV}$$

$$L = 500 \text{ fb}^{-1}$$

$$\sigma = 1.23 \text{ nb}$$

$$\frac{\Delta N}{N} = 4 \cdot 10^{-5}$$

- **Tracker parameters** (still being optimized...):  
2 silicon layers, 5 cm gap between layers, 0.3 mm silicon thickness, 1000 azimuthal divisions ,  
1600 radial divisions.
- Use Tracker information to correct the  
Calorimeter reconstruction of the polar angle,  $\theta$ .



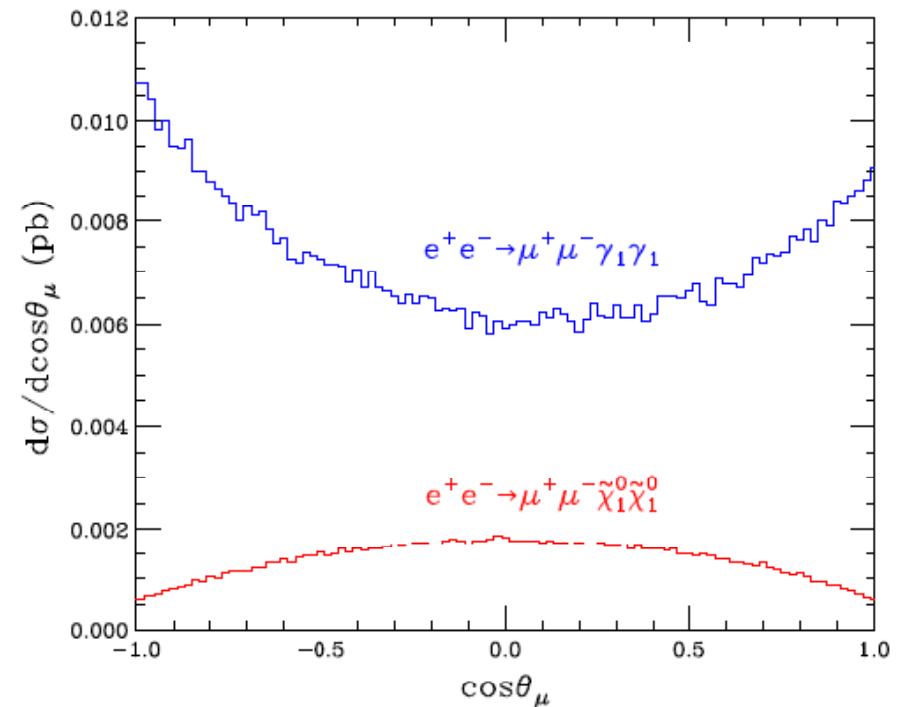
- Many physics studies demand the ability to detect muons (or the lack thereof) in the Forward Region.
- Example:** Discrimination between super-symmetry (SUSY) and the universal extra dimensions (UED) theories may be done by measuring the smuon-pair production process. The observable in the figure,  $\theta_\mu$ , denotes the scattering angle of the two final state muons.

$$\text{UED: } e^+ e^- \rightarrow \mu_1^+ \mu_1^- \rightarrow \mu^+ \mu^- \gamma_1 \gamma_1$$

$$\frac{d\sigma}{d\cos\theta} \sim 1 + \cos^2 \theta$$

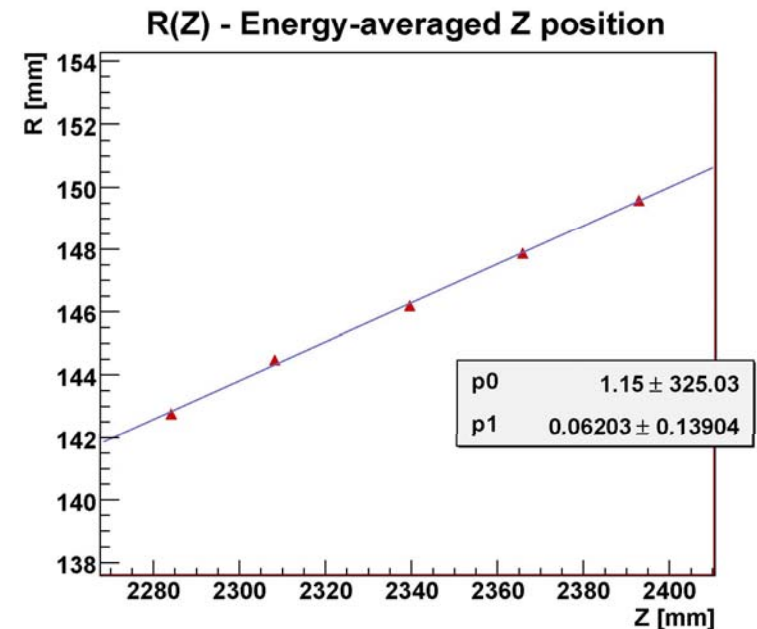
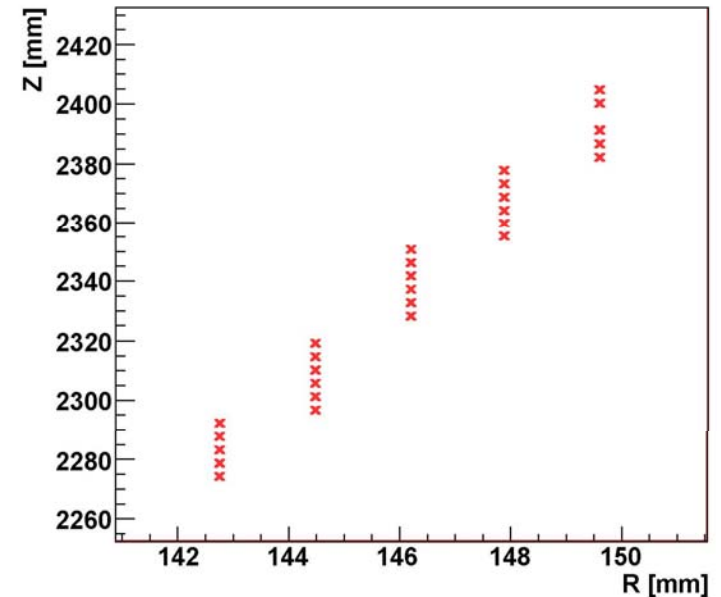
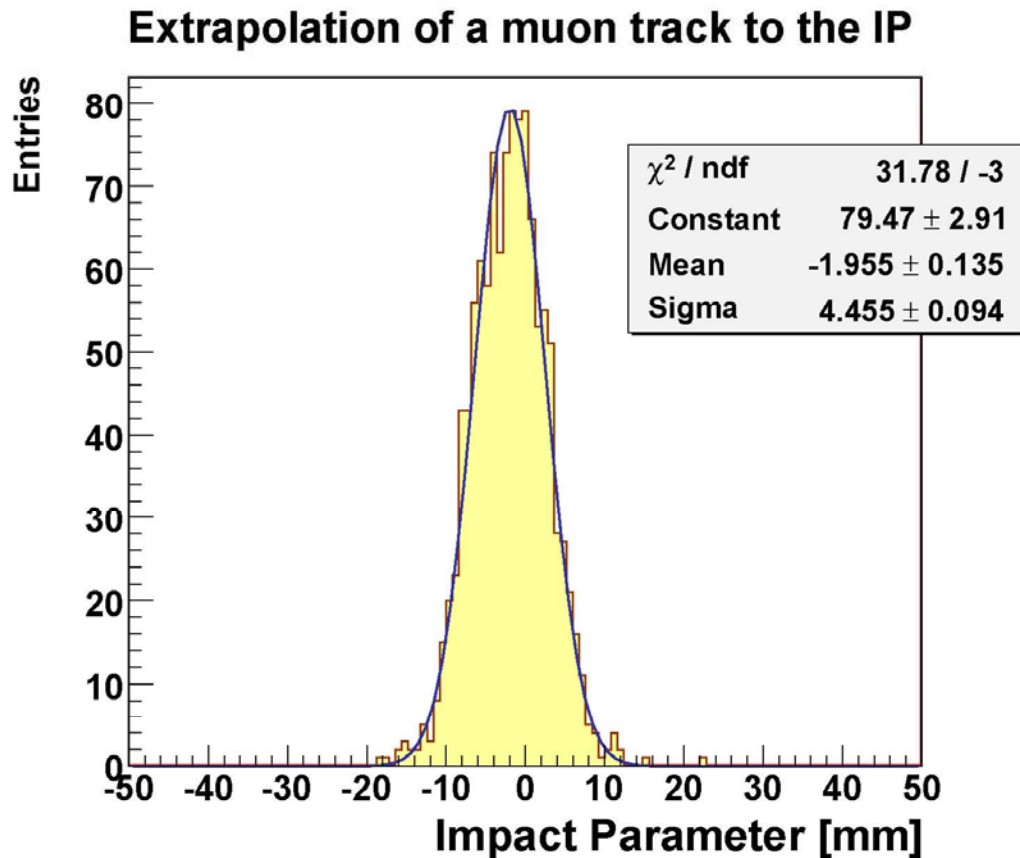
$$\text{SUSY: } e^+ e^- \rightarrow \tilde{\mu}^+ \tilde{\mu}^- \rightarrow \mu^+ \mu^- \tilde{\chi}_1^0 \tilde{\chi}_1^0$$

$$\frac{d\sigma}{d\cos\theta} \sim 1 - \cos^2 \theta$$

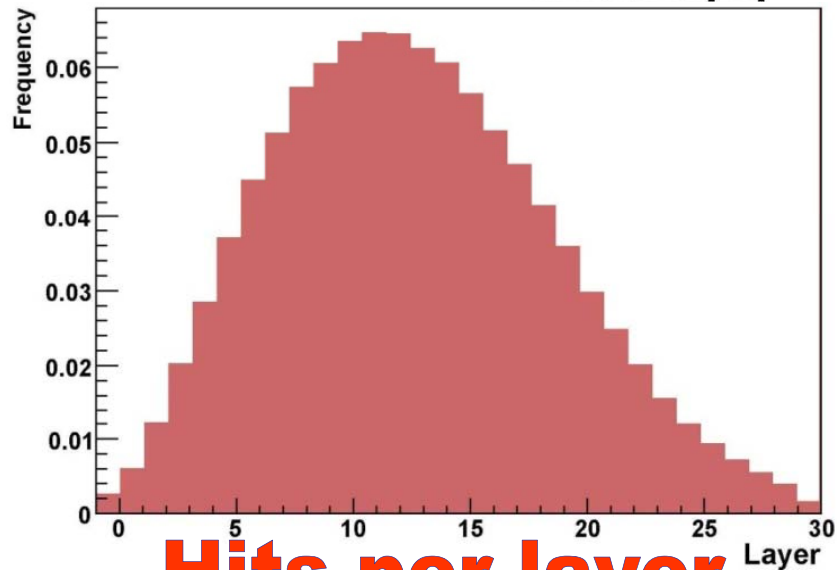
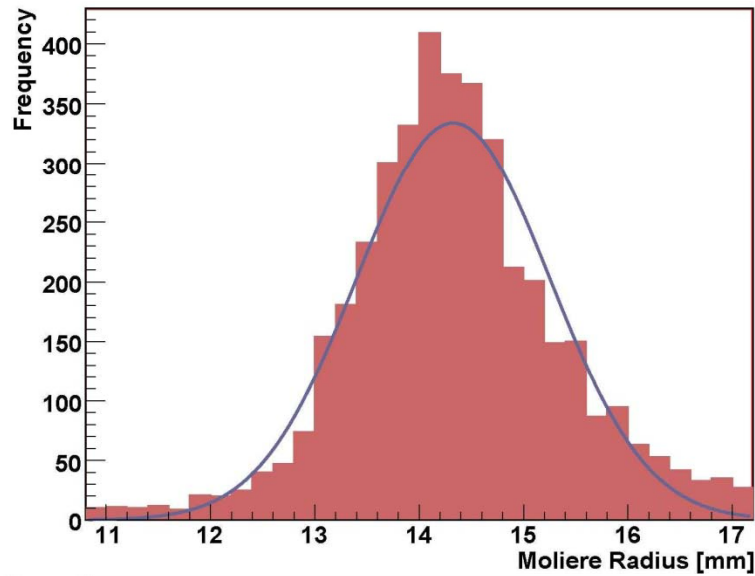




- Multiple hits for the same radius (non-zero cell size).
- After averaging and fitting, an extrapolation to the IP ( $z = 0$ ) can be made.

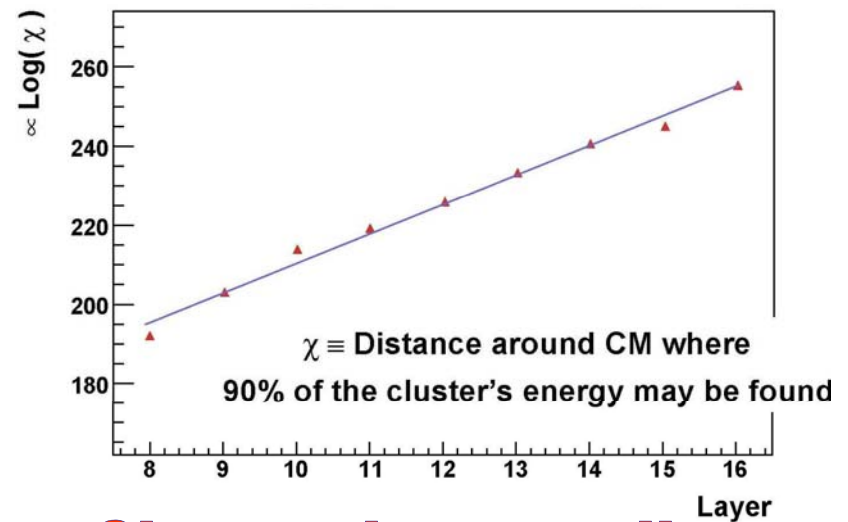
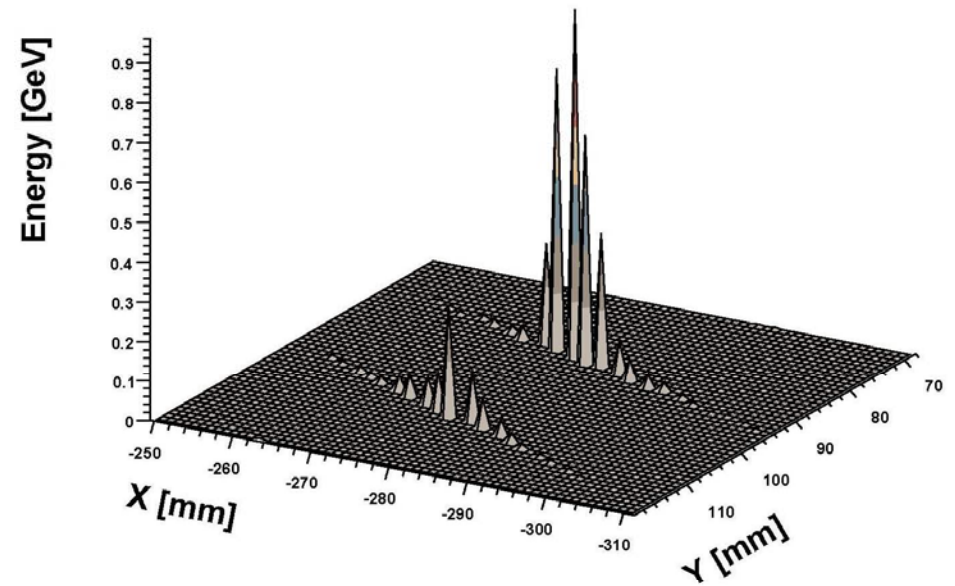


## Moliere radius



## Hits per-layer

## Double-shower energy profile



## Shower layer-radius

# LumiCal: Bhabha reconstruction - Clustering

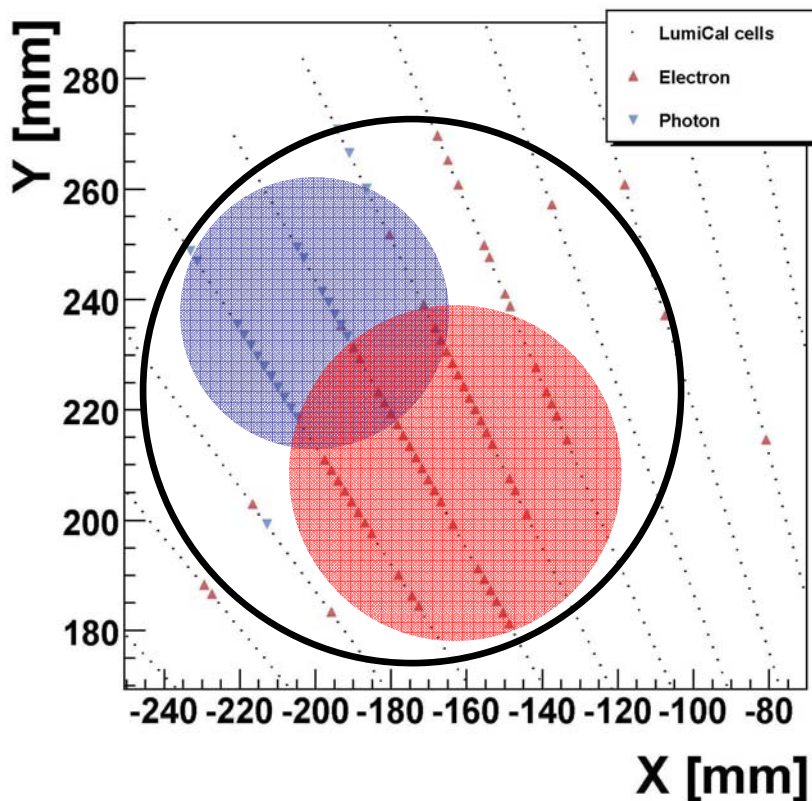
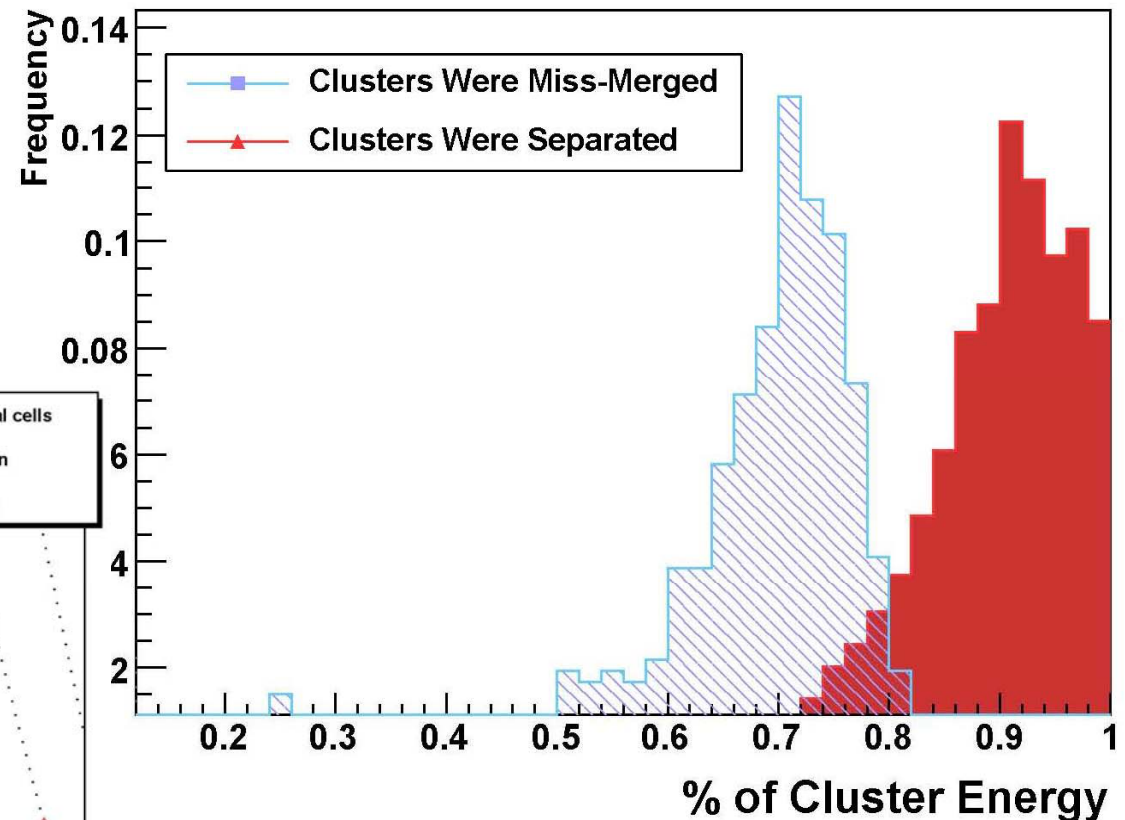
1. Perform initial 2D clustering in shower-peak layers.
2. Extrapolate “virtual cluster” CMs in non shower-peak layers, and build real clusters accordingly.
3. Build (global) 3D “super clusters” from all 2D layer clusters.
4. Check cluster properties (e.g. percentage of energy within a Molière Radius), and (attempt to) re-cluster if needed.
5. Correct cluster-energy distributions.

- Events were generated with **BHWIDE**(1.04) and simulated by **Mokka**(v06-05-p02) using **Geant4**(v4-09-00-patch-01). The super-driver LumiCalX of the LDC(00-03Rp) model was used to build LumiCal in Mokka.
- The clustering algorithm was written as a Marlin processor, using **Marlin**(v00-09-08).

# LumiCal: Clustering - Molière Radius corrections

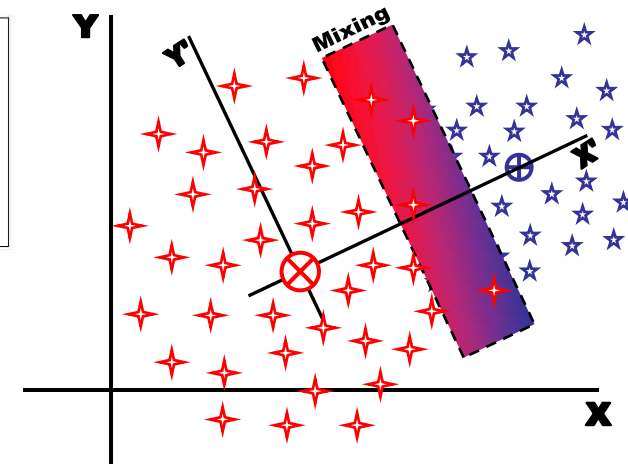
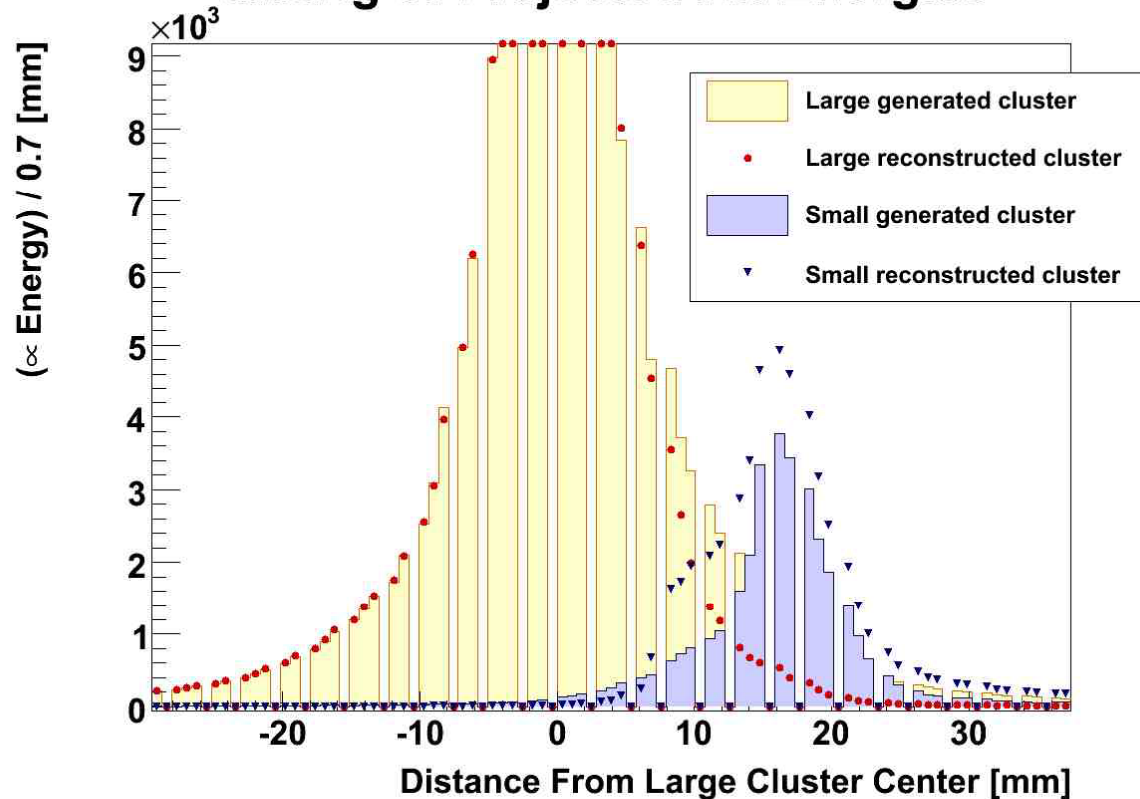
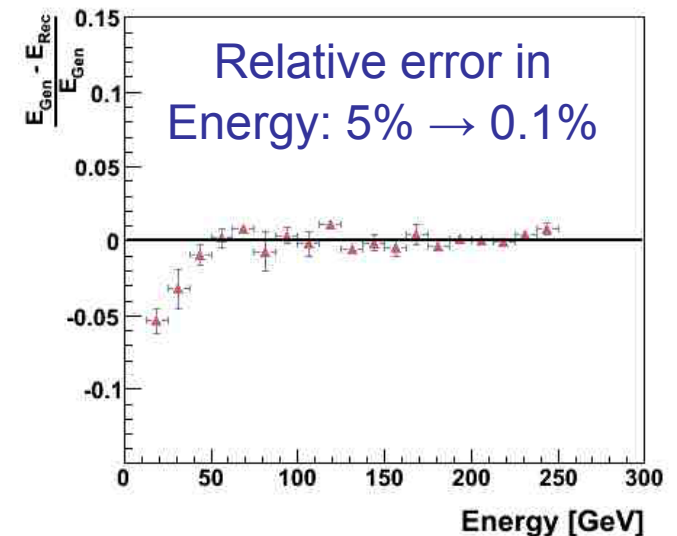
- Inside a cluster's Molière radius should be found ~90% of the cluster's total energy.

Percentage of Cluster Energy Within Its Moliere Radius



- Two clusters (blue & red full circle) are merged by mistake (black hallow circle).

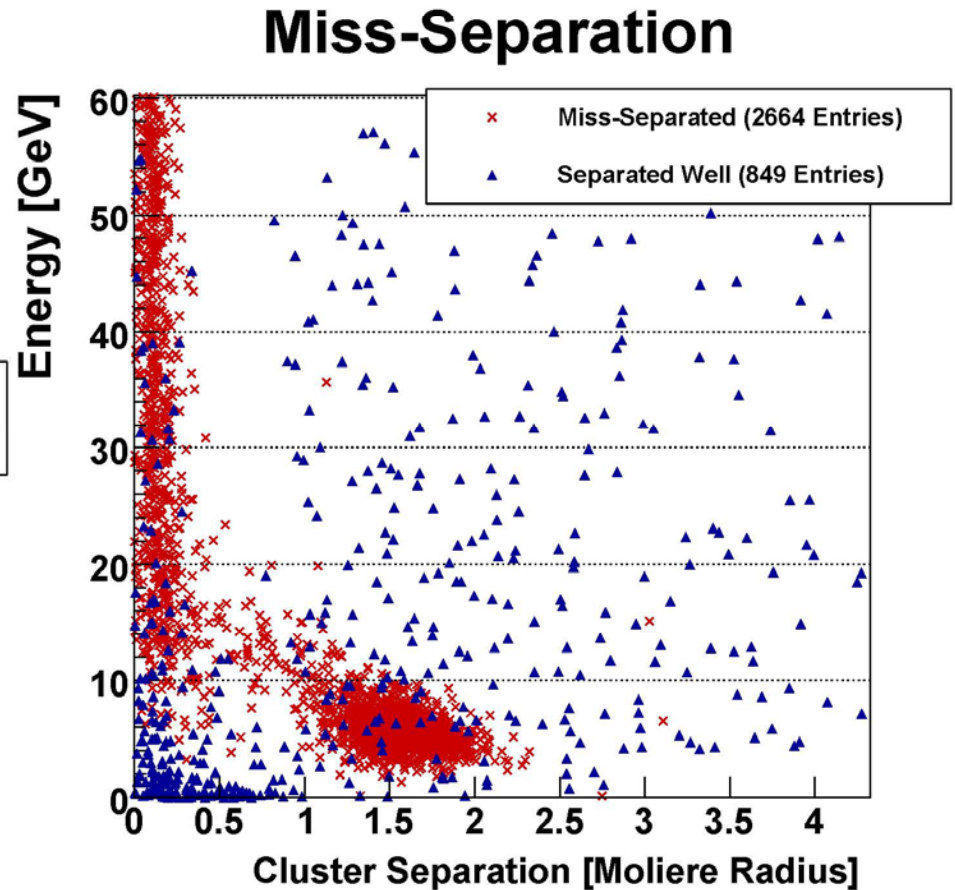
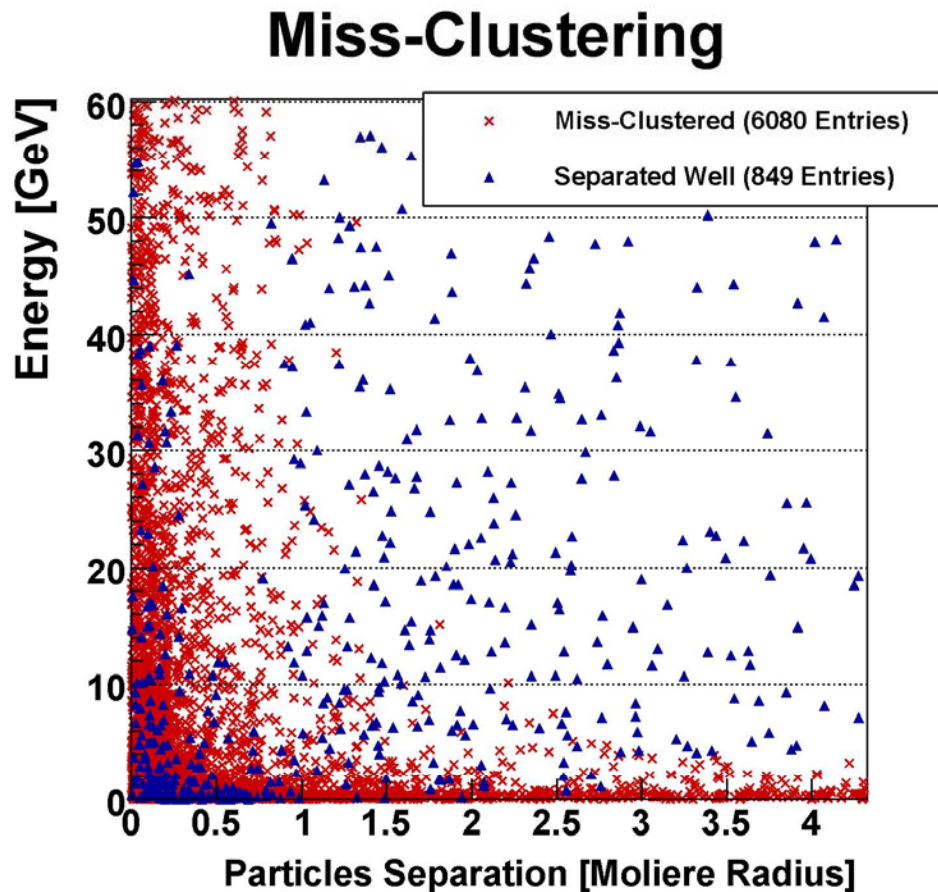
## Mixing of Projected Hit-Energies

 $\Delta(\text{Gen,Rec})$  Energy - Event-by-Event

- Hits from either cluster are projected into a coordinate system where the X-axis connects the two cluster centers.
- The difference between the reconstructed and generated clusters is apparent in the area where the two clusters are inter-mixed.

# LumiCal: Clustering – Algorithm performance

- Photons which were not found.



- Fake photons.

# LumiCal: Clustering – Algorithm performance

Cut		Photons which are available for reconstruction [%]	Relative errors		
Moliere radius [%]	Minimal Energy [GeV]		Miss Separating [%]	Miss Clustering [%]	Total error for 500 fb <sup>-1</sup>
75	20	5.4	$7.6 \cdot 10^{-2}$	15.5	$7.0 \cdot 10^{-5}$
75	25	4.7	$6.0 \cdot 10^{-2}$	15.7	$7.6 \cdot 10^{-5}$
150	20	4.5	$4.0 \cdot 10^{-2}$	0	$5.8 \cdot 10^{-7}$
100	20	5.3	$7.1 \cdot 10^{-2}$	3.8	$4.0 \cdot 10^{-5}$
100	25	4.6	$5.6 \cdot 10^{-2}$	4	$4.4 \cdot 10^{-5}$

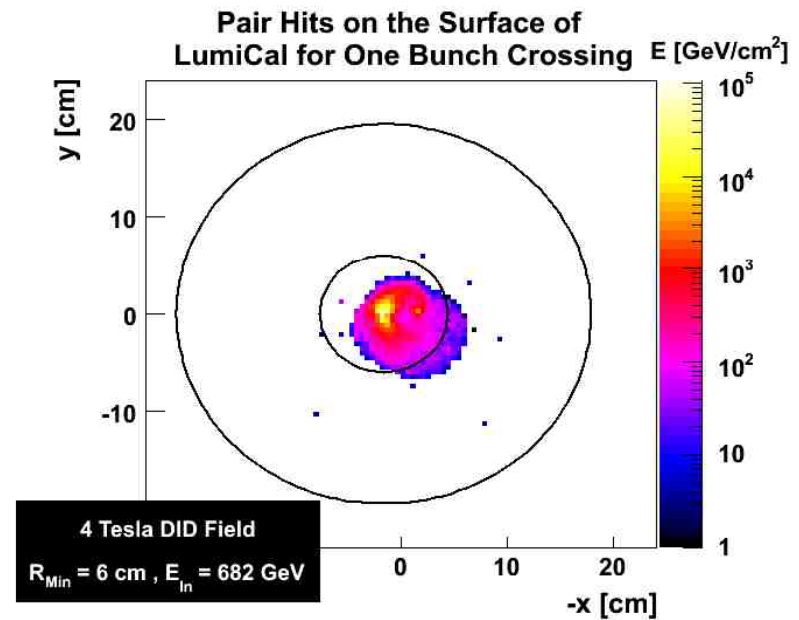
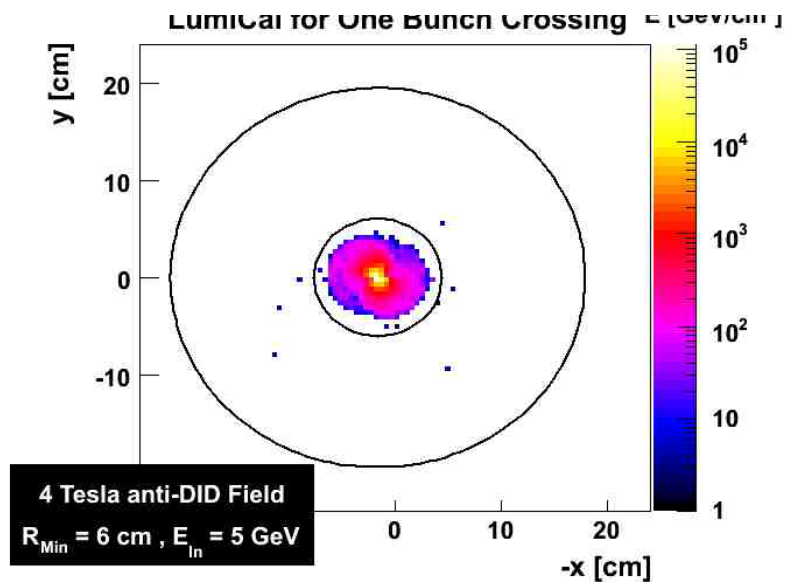
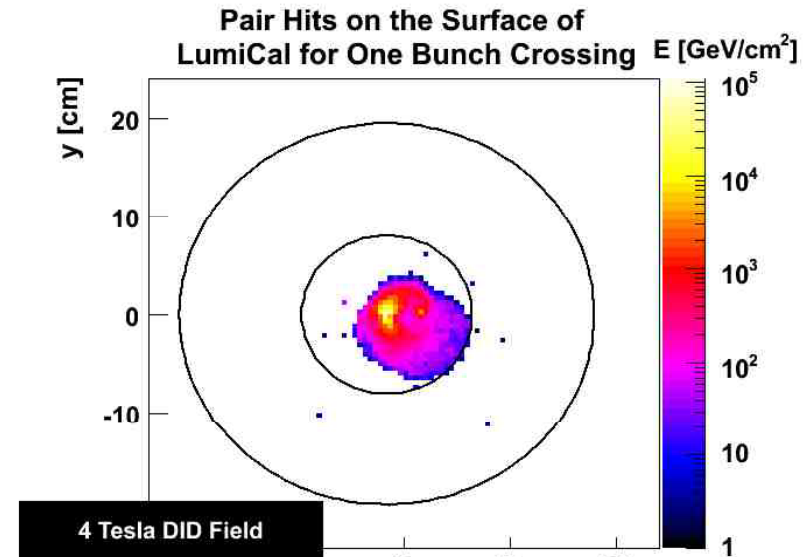
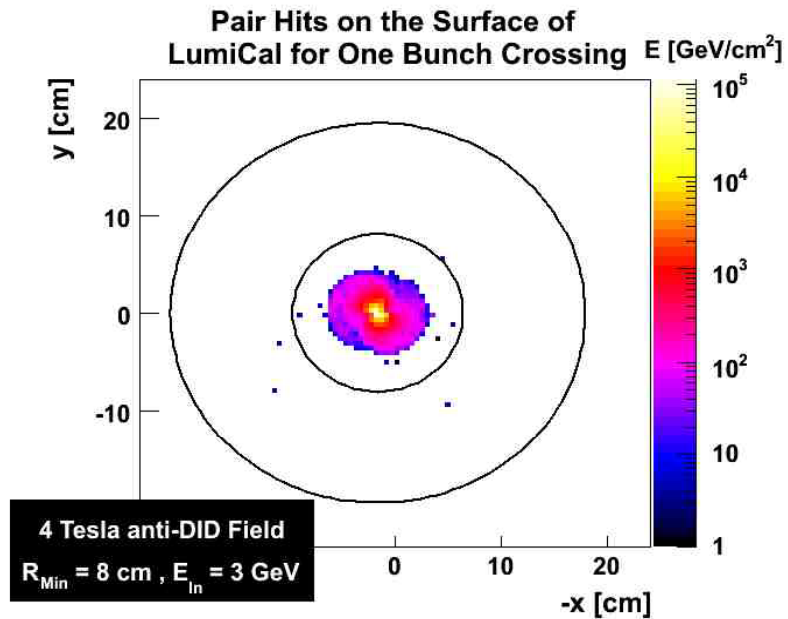
- Selection of different cuts on minimal cluster energy and on separation distance between the cluster pair results in different counting errors.

# EXTRA SLIDES



# LumiCal:

# Systematic Effects



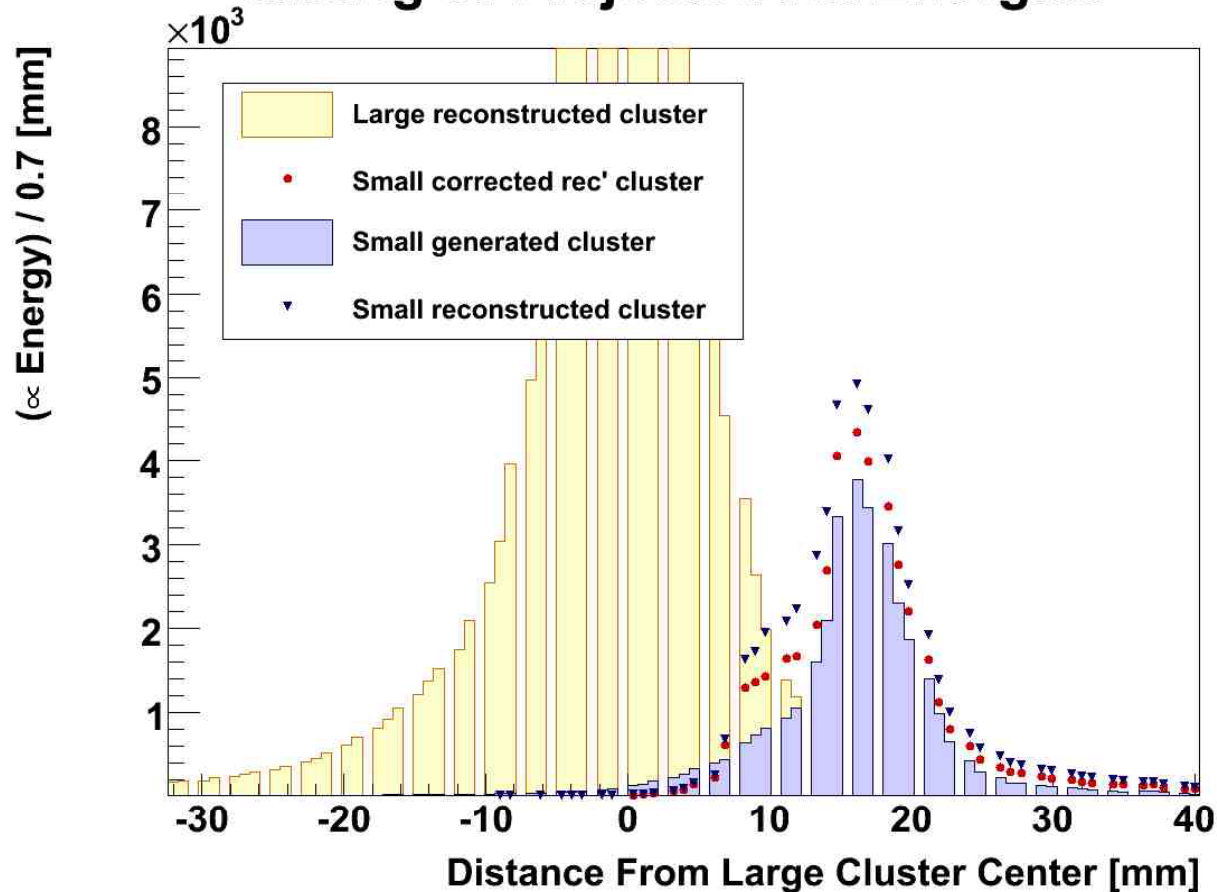
$R_{\min} \rightarrow R_{\max}$ [mm]	Fiducial volume		$\sigma_{\text{Bhabha}}$ [nb]	Relative Error	
	$\theta_{\min}$ [mrad]	$\theta_{\max}$ [mrad]		$\Delta N/N$	$2 \cdot \Delta\theta / \theta_{\min}$
60 → 170	33	59	2.58	$2.8 \cdot 10^{-5}$	$2.1 \cdot 10^{-4}$
70 → 180	37	64	1.98	$3.2 \cdot 10^{-5}$	$1.8 \cdot 10^{-4}$
80 → 190	41	69	1.23	$4 \cdot 10^{-5}$	$1.7 \cdot 10^{-4}$
90 → 200	50	74	0.86	$4.8 \cdot 10^{-5}$	$1.4 \cdot 10^{-4}$

- The **fiducial volume sets bounds that prevent leakage** through the sides and back of LumiCal, thus insuring shower containment.

$$\sqrt{s} = 500 \text{ GeV}, \quad L = \frac{N}{\sigma_{\text{Bhabha}}}$$

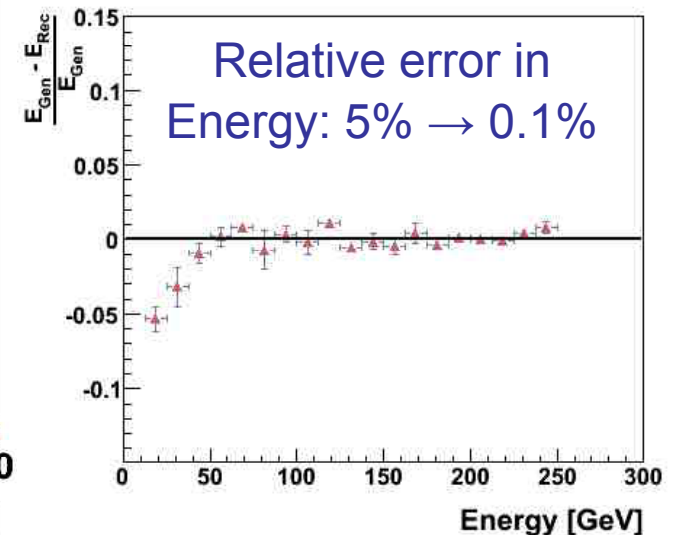
$L = 500 \text{ fb}^{-1}$

## Mixing of Projected Hit-Energies



- The relative error of the cluster energy for small-energy clusters is improved by a factor of 3.

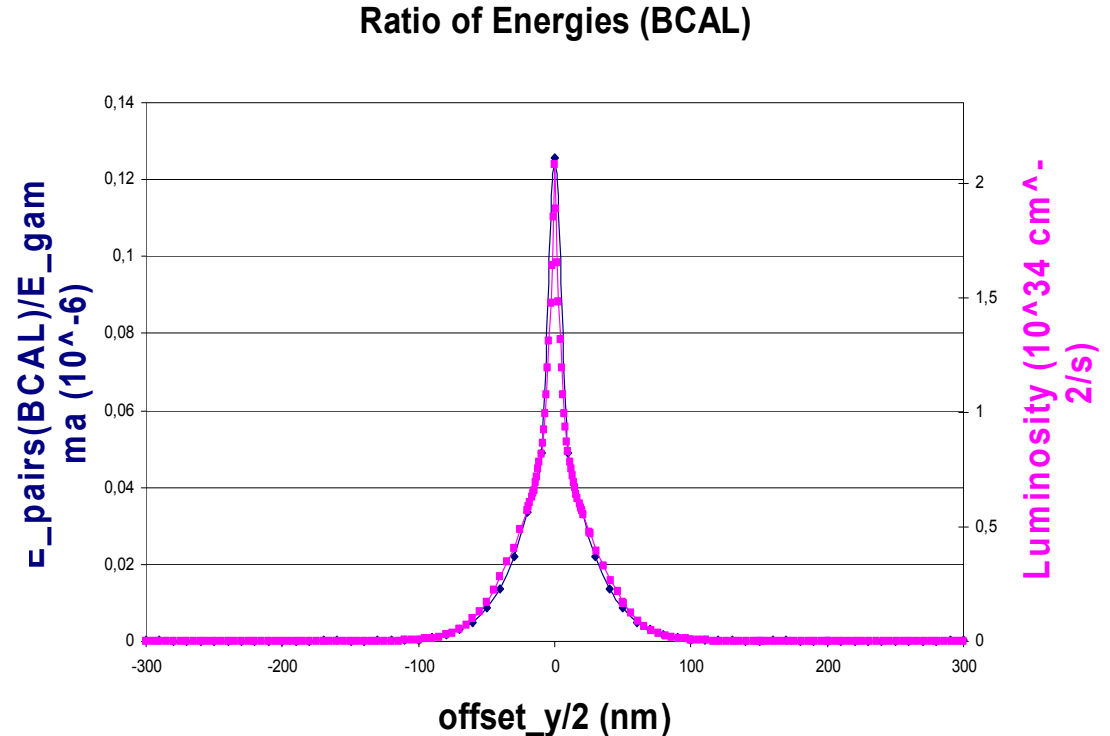
$\Delta(\text{Gen,Rec}) \text{ Energy} - \text{Event-by-Event}$



- The procedure:** Some of the energy from hits which are associated with the small-energy cluster is allocated to the high-energy cluster. Exactly how much is determined according to the energy distribution of the large-energy cluster on the left (negative) side, where the cluster inter-mixing is negligible.

- Use as much information about the collision as possible.
- BeamCal measures the energy of pairs originating from beamstrahlung.
- GamCal will measure the energy of the beamstrahlung photons.

- Define a robust signal proportional to the luminosity which can be fed to the feedback system.
- Ratio of  $E_{\text{pairs}}/E_{\text{gam}}$  vs  $\text{offset}_y$  is proportional to the luminosity.
- similar behaviour for  $\text{angle}_y$ ,  $\text{waist}_y$  ...



# LumiCal:

# Clustering – Algorithm performance

Cuts		Acceptance [%]	Purity [%]	Efficiency [%]
Moliere radius [%]	Minimal Energy [GeV]			
75	20	84	96	88
75	25	84	96	87
150	20	100	97	1.03
100	20	96	96	100
100	25	96	97	99

Cut		Photons which are available for reconstruction [%]	Relative errors		
Moliere radius [%]	Minimal Energy [GeV]		Miss Separating [%]	Miss Clustering [%]	Total error for 500 fb <sup>-1</sup>
75	20	5.4	$7.6 \cdot 10^{-2}$	15.5	$7.0 \cdot 10^{-5}$
75	25	4.7	$6.0 \cdot 10^{-2}$	15.7	$7.6 \cdot 10^{-5}$
150	20	4.5	$4.0 \cdot 10^{-2}$	0	$5.8 \cdot 10^{-7}$
100	20	5.3	$7.1 \cdot 10^{-2}$	3.8	$4.0 \cdot 10^{-5}$
100	25	4.6	$5.6 \cdot 10^{-2}$	4	$4.4 \cdot 10^{-5}$