D. Schulte for the phase stabilisation team

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#### Main to Drive Beam Tolerance

- Integrated simulations have been performed with PLACET and GUINEA-PIG of main linac, BDS and beam-beam
  - system is assumed to be perfectly aligned (to determine BDS bandwidth effect)
  - assuming target emittance at BDS
- $\bullet$  Resulting luminosity loss is about 2% for

$$\frac{\sigma_G}{G} \approx 1 \times 10^{-3}$$

and

$$\sigma_{\phi} \approx 0.3^{\circ}$$

$$\frac{\Delta \mathcal{L}}{\mathcal{L}} \approx 0.01 \left[ \left( \frac{\sigma_{\phi, coh}}{0.2^{\circ}} \right)^2 + \left( \frac{\sigma_{\phi, inc}}{0.8^{\circ}} \right)^2 + \left( \frac{\sigma_{G, inc}}{0.75 \cdot 10^{-3} G} \right)^2 + \left( \frac{\sigma_{G, inc}}{2.2 \cdot 10^{-3} G} \right)^2 \right]$$

• Main beam current needs to be stable to  $\approx 0.1 - 0.2\%$ 



#### Drive Beam Tolerances

• We can re-write the tolerance for the RF amplitude and phase as tolerance for the drive beam phase, current and bunch length

$$\frac{\Delta \mathcal{L}}{\mathcal{L}} \approx 0.01 \left[ \left( \frac{\sigma_{\phi, coh}}{0.2^{\circ}} \right)^2 + \left( \frac{\sigma_{\phi, inc}}{0.8^{\circ}} \right)^2 \right. \\ \left. + \left( \frac{\sigma_{I, coh}}{0.75 \times 10^{-3}I} \right)^2 + \left( \frac{\sigma_{I, inc}}{2.2 \times 10^{-3}I} \right)^2 \right. \\ \left. + \left( \frac{\sigma_{\sigma_z, coh}}{1.1 \times 10^{-2}\sigma_z} \right)^2 + \left( \frac{\sigma_{\sigma_z, inc}}{3.3 \times 10^{-2}\sigma_z} \right)^2 \right]$$

- We want to stabilise the parameters separately
  - drive beam phase
  - drive beam current
  - drive beam bunch length
- Phase tolerance is driving other tolerances
  - e.g. current errors can lead to phase errors

#### Drive Beam Compression and Phase Stabilisation Concept



#### Feedforward at Final Turn-Around

- Phase driven tolerance (DBA)
  - $\begin{array}{l} -\Delta I/I = 10^{-4} \Rightarrow \Delta I/I = \\ 2 \times 10^{-3} \end{array}$
  - $\begin{array}{rcl} -\Delta G/G &=& 1 \,\times\, 10^{-4} \,\Rightarrow \\ \Delta G/G &=& 1 \,\times\, 10^{-3} \end{array}$
  - $\begin{array}{rcl} -\Delta\Phi &=& 0.01^\circ \Rightarrow \Delta\Phi &=\\ & 0.035^\circ \end{array}$
- $\Rightarrow {\sf Current\ stability\ given\ by\ gradient\ in\ ML}$

(Timing reference: A. Andersson; phase monitor F. Marcellini, I. Syratchev; BC design A. Aksoy; loop design F. Stulle; kickers Ph. Burrows, M. Barns)



### Main Beam as Phase Reference



## External Phase Reference



#### Main Beam to Main Beam Phase Tolerance



• Shift of collision point with respect to waist

## Main Beam Phasing



- In central complex external timing reference assumed
- Along the main linac
  - distributed timing system
  - use of main beam as timing reference

### Local Error Model



• Phase error at each point is independent of each other point

#### Simple Calculation for Local Control Error

- Let us assume that all errors are local
  - main beams have no phase jitter when going into transfer line
  - external timing system has the right signal in the fibers everywhere
- Local timing errors will occur due to
  - picking up the signal from the main beam
  - or picking up the signal from the fibers
  - error in controling the main beam bunch compressor RF
  - or error in controling the drive beam feed-forward
- $\Rightarrow$  In this case tightest tolerance comes from main beam error
  - $14 \,\mu m = 0.2^{\circ}$  lead to 1% luminosity loss due to incorrect main beam energy
  - tolerance on main to incoherent drive beam phase is more relaxed  $(0.8^{\circ})$

#### **Global Error Models**



• Timing error exists between each pair of points



- Timing of main beam is wrong with respect to reference time
- Timing of drive beam feedforward is correct for main beam

### Simple Calculation for Global Control Error

- The only error considered is
  - a phase jitter of the outgoing beam
  - or a random walk-like error of the external timing
- $\Rightarrow$  The jitter of the outgoing main beam can be  $0.4^{\circ} = 30 \,\mu m$ , limited by IP jitter
  - The total difference between the two ends of the BC timing references is  $\sigma \approx \sqrt{50}\sigma_{\phi}$ ,  $\sigma_{\phi}$  the RMS drift from one sector to the next
- $\Rightarrow \sigma_{\phi} \approx 4 \, \mu m \approx 0.05^{\circ}$  from IP jitter tolerance
  - On top will have phase errors between main and drive beam sectors, roughly doubling the luminosity loss
- $\Rightarrow \sigma_{\phi} \approx 3 \,\mu\mathrm{m} \approx 0.03^{\circ}$ 
  - at DESY  $\sigma_{\phi} \approx 3 \,\mu m$  has been achieved over  $300 \,m$ , not far

# Feedback and Tuning Strategy

- Feedback to deal with slow variations
- Path length tuning system for each turn-around
  - in drive beam and main beam
- Adjustment of path length from one drive beam turnaround to the next
- Similarly for the combiner rings, the delay loop and the drive beam accelerator complex
- $\Rightarrow$  Slow drifts of relative phasing of the beams do not appear to be an feasibility issue



# Sensitivity

- No active compensation assumed, each value results in  $\Delta \mathcal{L}/\mathcal{L} = 0.01$  or an energy jitter of 0.2% at linac entrance (external timing)
- Note: the tolerances will be tighter
- Energy jitter from damping ring:  $2 \times 10^{-4}$  (4 × 10<sup>-4</sup>) for main beam (external) timing reference
- Phase jitter from damping ring: 0.2° (0.35°) at 1 GHz
- Drive beam accelerator
  - $0.05^{\circ}$  at  $1 \,\text{GHz}$  klystron phase ( $0.035^{\circ}$  at  $3 \,\text{GHz}$  for average achieved, see A. Dubrowskiy)
  - $10^{-3}$  amplitude stability in drive beam accelerator (achieved, see A. Dubrowskiy)
- Phase error of first bunch compressor (BC1) at 4 GHz:
  - $0.08^{\circ}$  ( $0.14^{\circ}$  for main beam as timing reference
- Gradient error in booster linac (without energy feedforward):
  - $-1 \times 10^{-3}$
- BC2 phase jitter tolerance: 0.2° at 12 GHz
- drive beam current stability:  $0.75 \times 10^{-3}$  ( $0.6 \times 10^{-3}$  achieved, see G. Sterbini)

### **Conclusion**

- We have two options to provided a distributed phase reference system in the main linac
  - use the outgoing main beam
  - X-FEL-like system
  - or a combination
- Decision needs to be based on further input from hardware performance
  - both seem to not be too far
- We seem to have a concept for drive beam generation and transport complex that leads to acceptable tolerances
  - demonstration of hardware
  - $\Rightarrow$  close to becoming a performance and cost issue
    - ready for improvements (cost, performance)
    - e.g. one central feedforward
- The effective loop and transfer line lengths are measured and can be corrected with feedback
- We need to look further into effects within the drive beam accelerator pulse
- More work to be done

### Experiments in CTF3

