



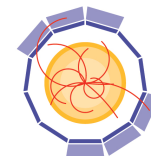
# SiPM temperature characterization for AHCAL adaptive power supply



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29 May 2013



**AIDA**

## Goal:

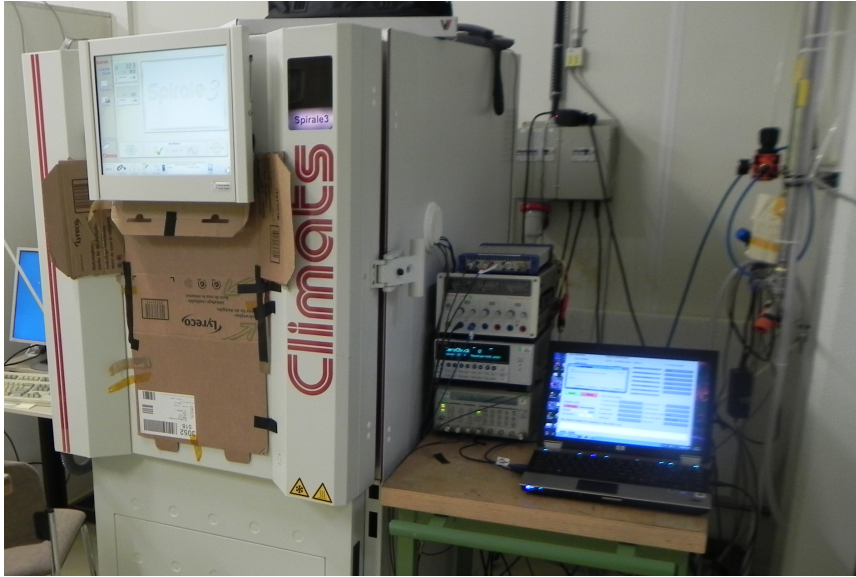
- Adaptive power supply for the SiPM bias voltage, regulating  $V_{\text{bias}}$  with varying temperature as to keep the gain constant.

## To develop this, we need:

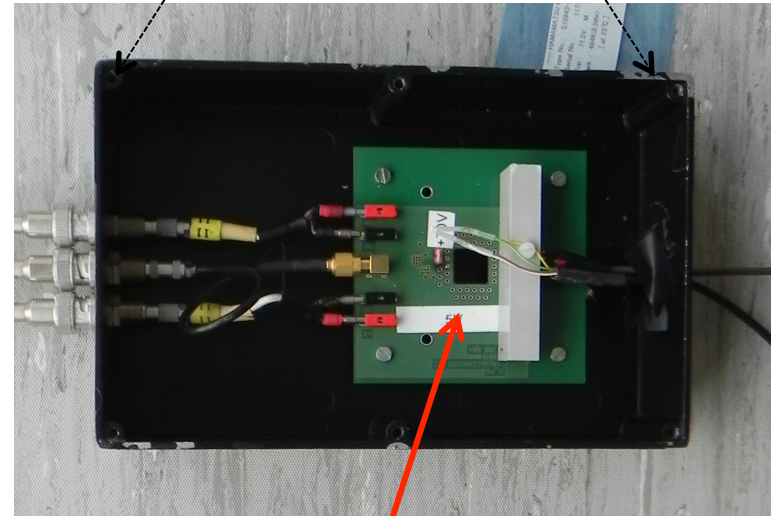
- To characterize SiPM gain as function of temperature.
  - Define voltage function ( $dV/dT$ ) to obtain constant gain.
- At the CERN LCD's lab for ECAL scintillator tile studies, set up equipment
  - Using PCB with preamp from MPI München T3B group & T3B DAQ.
- Move equipment to CERN Climate Chamber

## This talk, characterization of:

- Hamamatsu MPPCs (50  $\mu\text{m}$  pitch)
- CPTA SiPMs (40  $\mu\text{m}$  pitch)



- 'Climate Chamber'  
(Used for stress tests in CERN bondinglab)
  - Accurate to 0.1C.
- Digital oscilloscope readout by laptop
- LV and bias voltage supply
- Pulse generator for LED

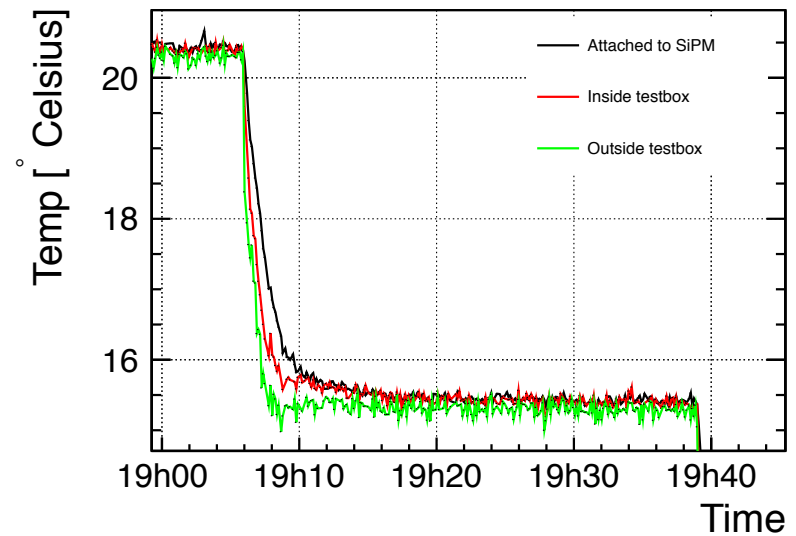
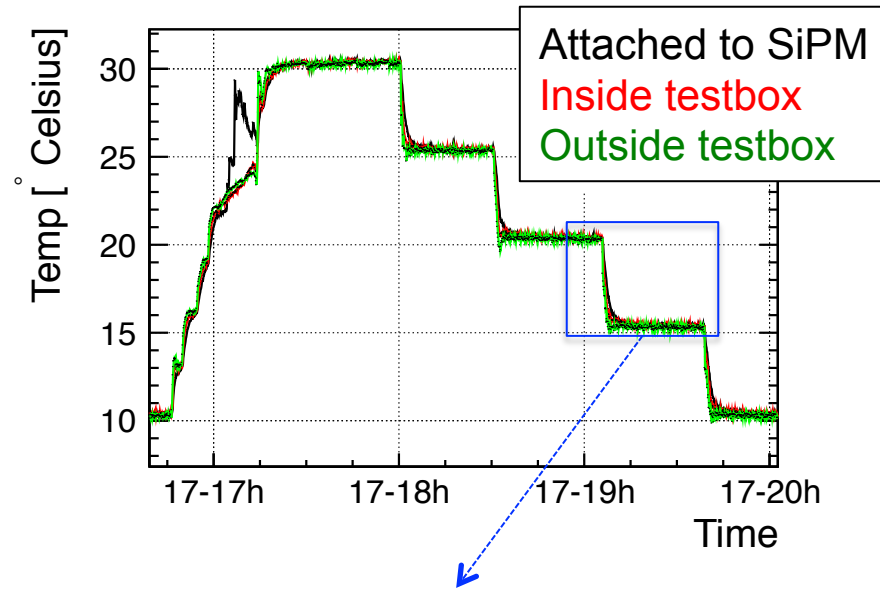


SiPM + preamp + T-sensor + LED

# Temperature measurement



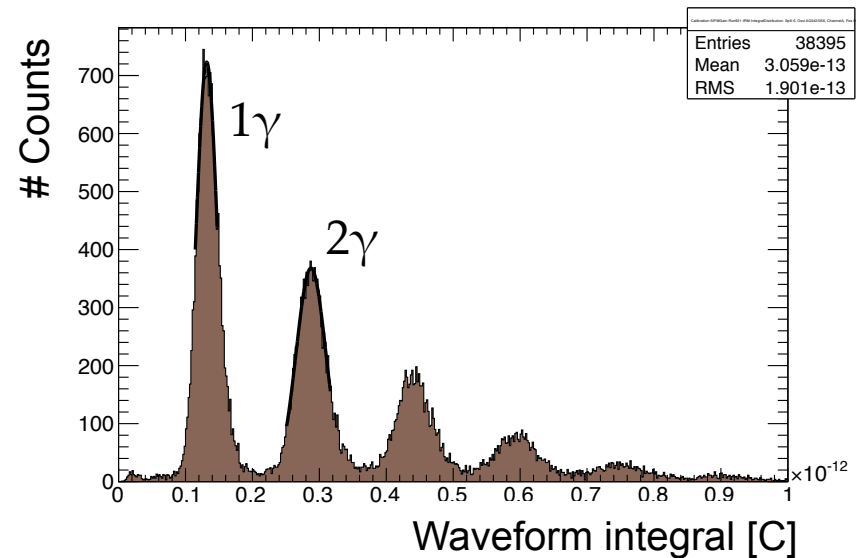
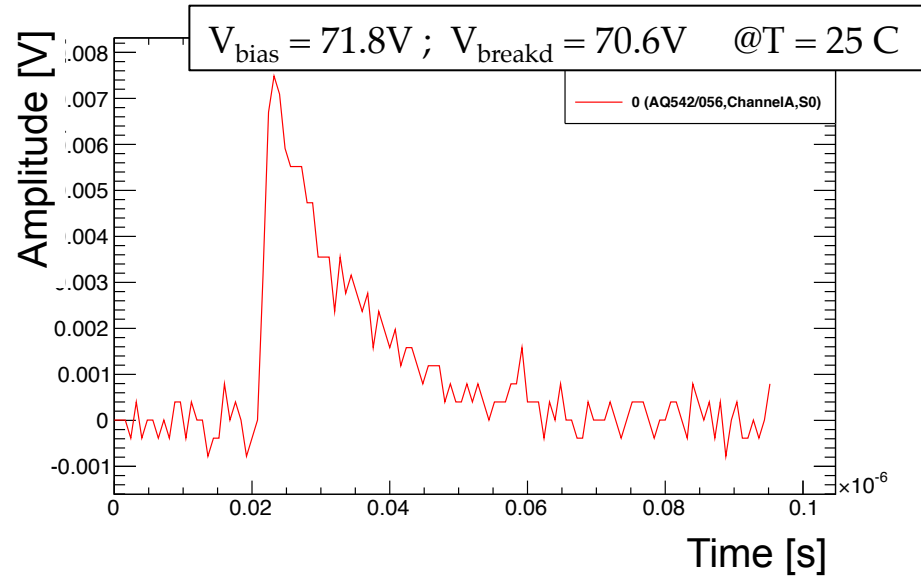
- 3 Pt1000 sensors:
  1. Coppertaped to backside of SiPM
  2. Inside black testbox
  3. Outside black testbox
  
- T set to 10, 15, 20, 25 & 30C.
  - $T_{\text{SiPM}} \sim T_{\text{SET}} + 0.4\text{C}$
  - Offset consistent over full range.

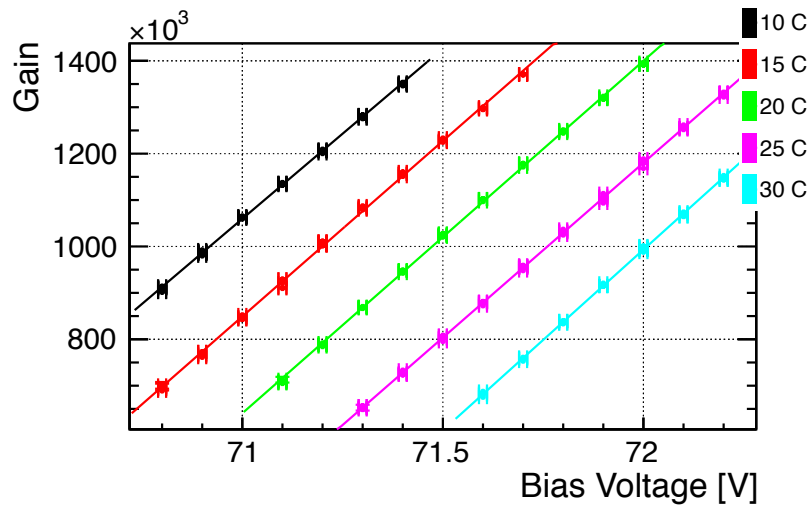


- 8bit ADC
- Sampling / 800ps
- Trigger on LED signal
  
- Using T3B analysis framework, integrate waveform

From 50k triggers:

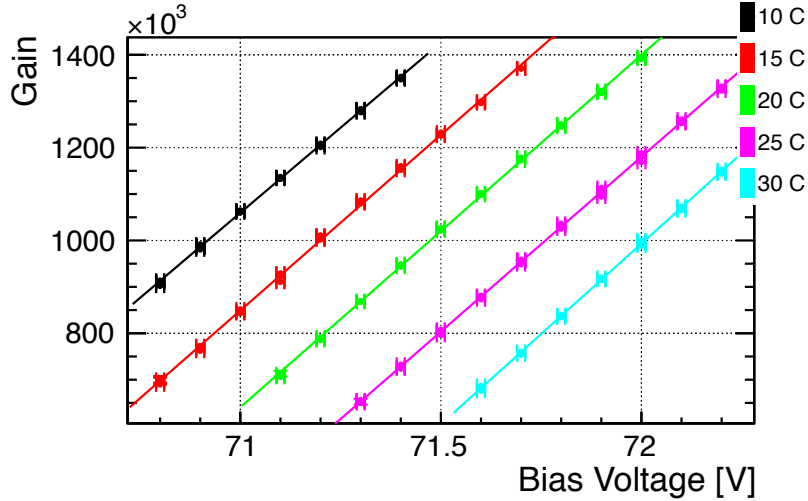
- Waveforms integrated  
→ wf identified by rising edge at 2.5 mV and falling edge at 0.4 mV.
- Fit each peak with gaussian dist.
- Extract gain from  $2\gamma - 1\gamma$  peak to  $\sim 1\%$  accuracy.  
(Pedestal is subtracted in analysis)





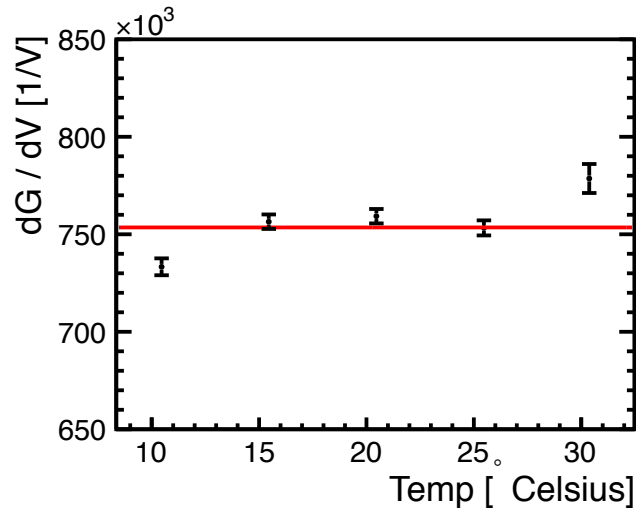
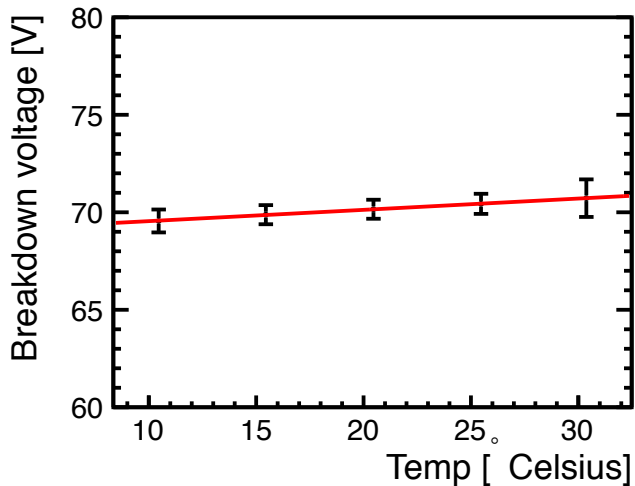
- Each entry is the gain extracted from 50k waveforms
- Uncertainty on gain calculation is from the uncertainty on the gauss' means.

- Measured at 5 different temperatures:
  - 10-30C, in steps of 5C.
- At each temperature, varied bias voltage in steps of 0.1V:
  - range varied, assuming  $dV/dT \sim 50 \text{ mV/K}$  (for constant gain)
- Took at least 5 measurements at each temperature and V point.

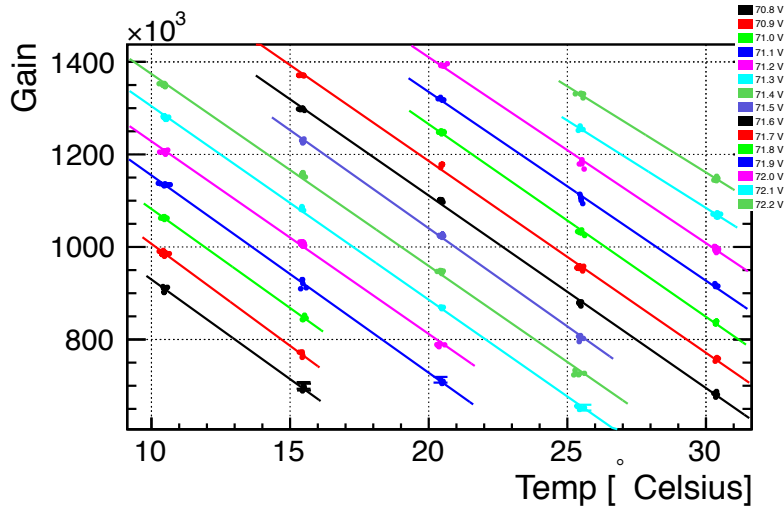


Assuming a linear dependency for Gain on V:

- Breakdown voltage increases linearly with temperature, as expected.
- Capacitance ( $=dG/dV$ ) should be independent of temperature: systematic effect is visible.



# Gain vs temperature for different V - MPPC (#11759)

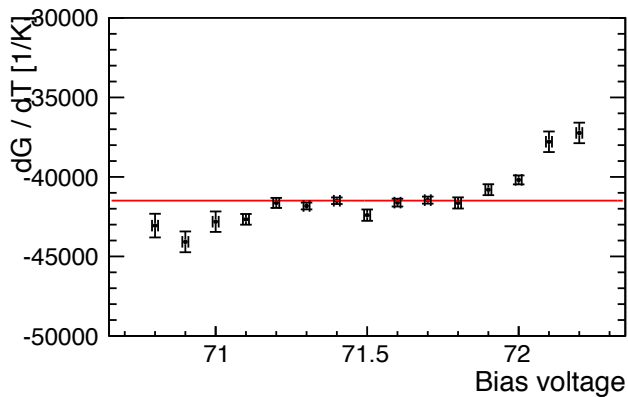


← Same data as previous slide

- For highest and lowest  $V_{bias}$ , accuracy of slopes decreases.

Different fitted slopes

For a constant gain, need  $dV / dT$ :



- Averaging the fitted slopes, and assuming as uncertainty the spread of slopes:

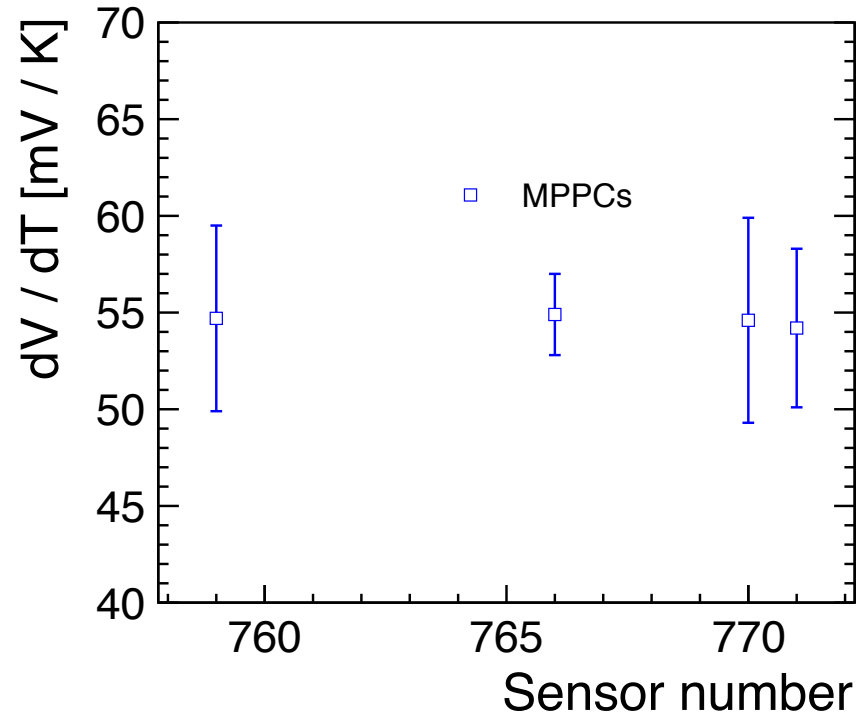
$$dV/dT = -av(dG/dT) / av(dG/dV)$$

$$= 54.7 \pm 4.8 \text{ mV / K}$$



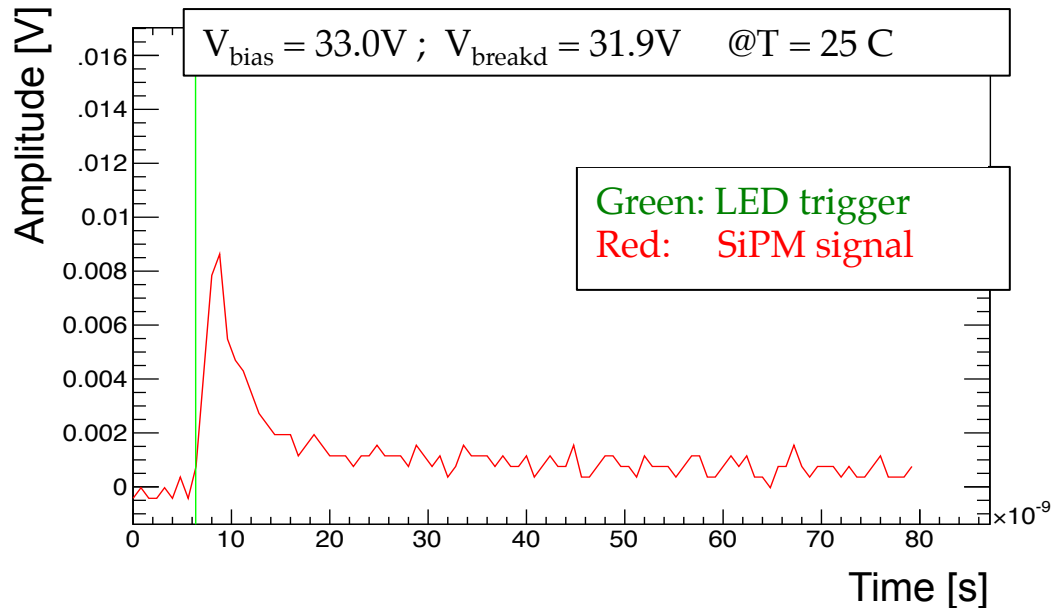
## Tested 4 MPPCs

- Determine for each
  - average  $dG/dT$
  - average  $dG/dV$   
(See backup slides)
- Calculate the voltage-temperature dependency for a constant gain →
- Results for all 4 sensors vary less than 1%.
  - Individual uncertainties are large as I have simply taken the spread in slopes as uncertainty.



# Photon spectrum for CPTA SiPM

- The same setup, now with CPTA SiPM
  - These come attached to tile  
(same sensor+tile as used in 2<sup>nd</sup> generation CALICE AHCAL prototype)
  - Wrapped in aluminum foil, LED shines at small hole in foil near SiPM



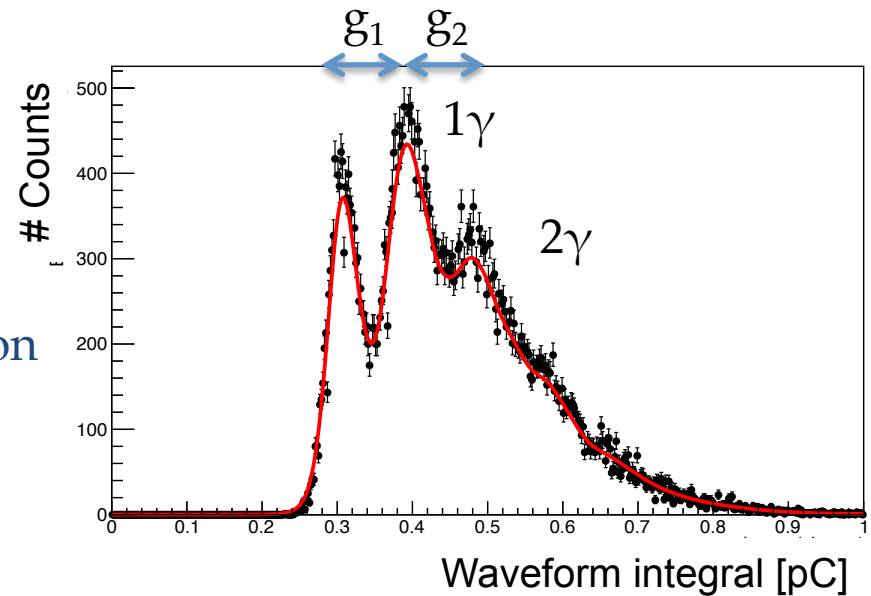
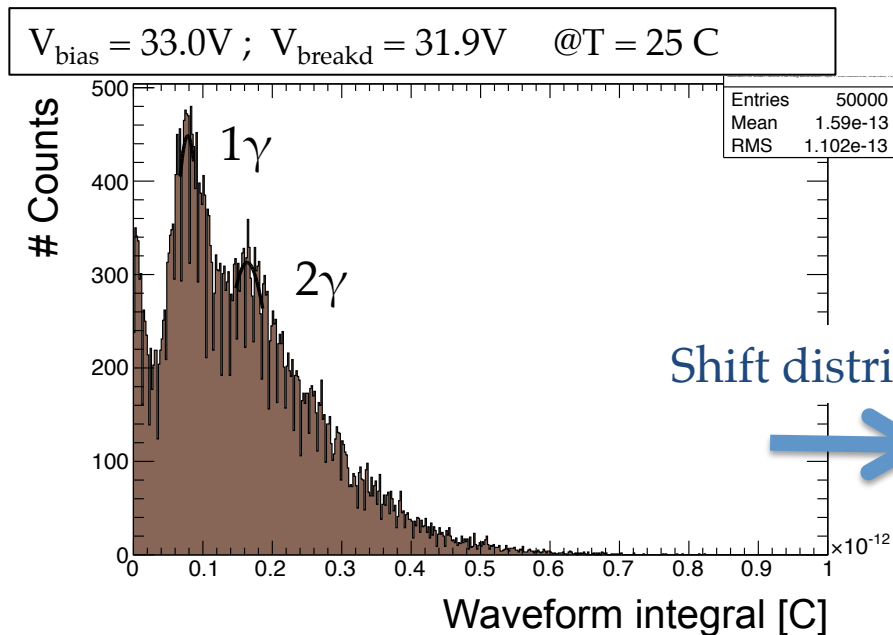
Signal is different than Hamamatsu MPPC

- Longer tail
  - Decomposition into single photon waveforms does not work.
- Integrate over full 80ns.

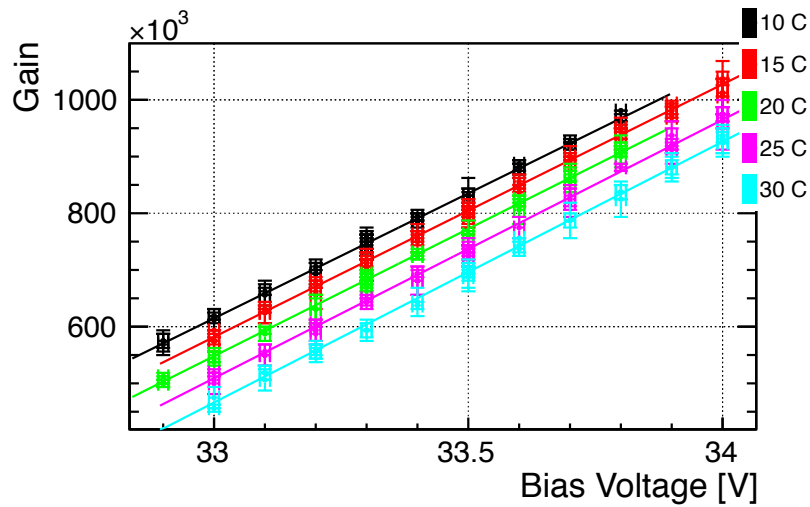
# Fitting p.d.f. to spectrum

Unfortunately the  $2\gamma$  peak is not always clear.

- Extract the gain by measuring the distance from pedestal peak to  $1\gamma$  peak.
- Use RooFit p.d.f.: models the distribution as a superposition of gaussians.
  - Only include measurements which result in at least 3 peaks.
  - Define uncertainty on gain to be difference between  $g_1$  and  $g_2$ .
  - Only include measurements with gain uncertainty  $< 4\%$ .

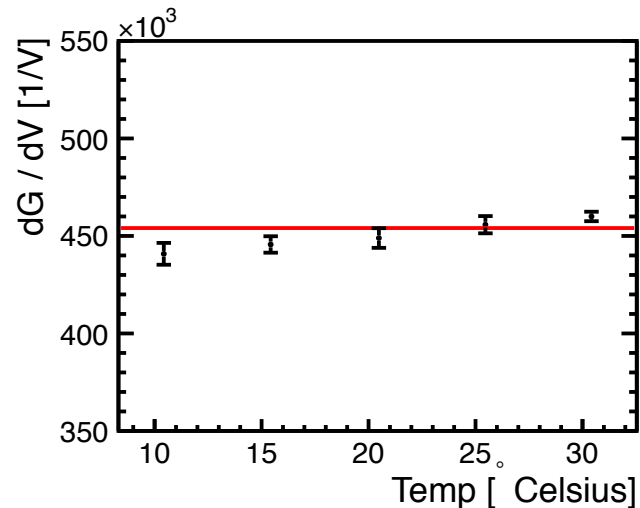
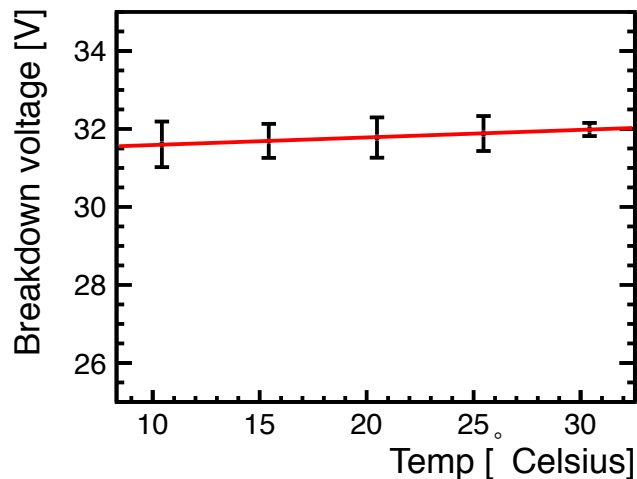


# Gain distribution – CPTA SiPM (#857)

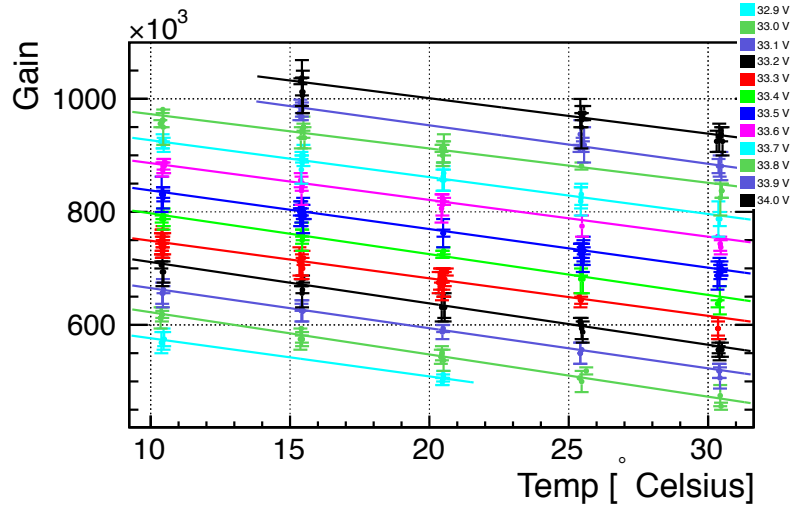


- Each entry is the gain extracted from 50k waveforms
- At 5 different temperatures, with varying bias  $V$  in steps of 0.1V
  - At least 5 measurements at each temperature and  $V$  point.

→ Systematic effect of  $dG/dV$  with temperature again visible



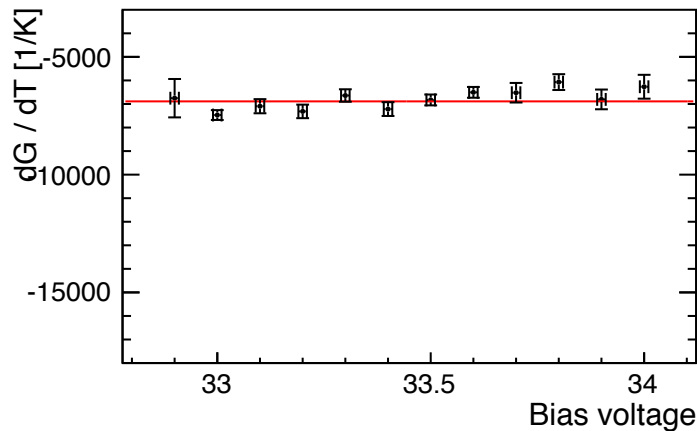
# Gain distribution – CPTA SiPM (#857)



← Same data, plotted as Gain vs T, for the different bias voltages set.

Different fitted slopes

For a constant gain, need  $dV / dT$ :



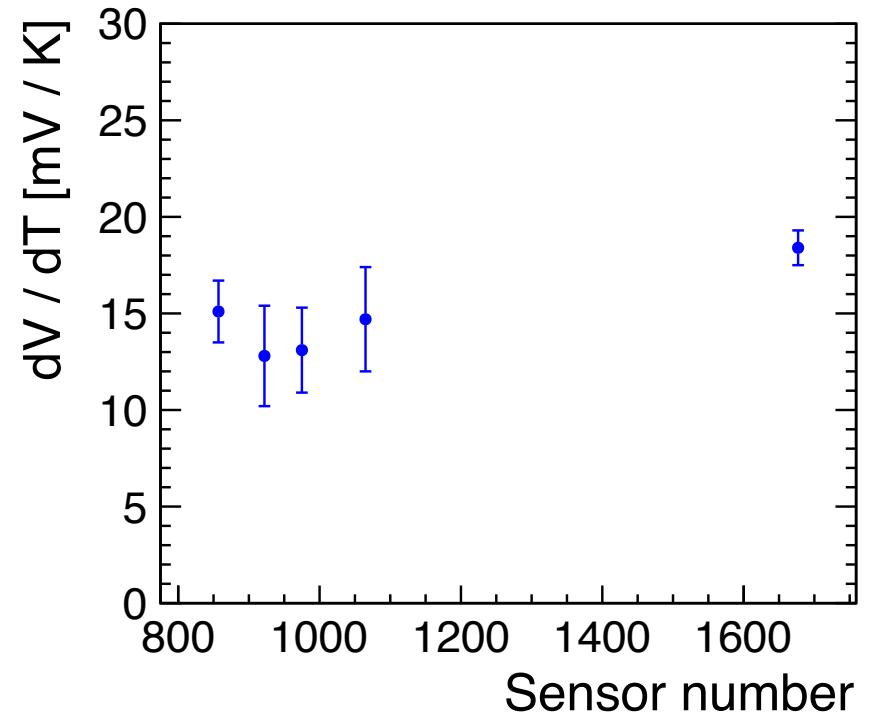
- Averaging the fitted slopes, and assuming as uncertainty the spread of slopes:

$$dV/dT = - \text{av}(dG/dT) / \text{av}(dG/dV)$$

$$= 15.1 \pm 1.6 \text{ mV / K}$$

# Results for several CPTA SiPMs

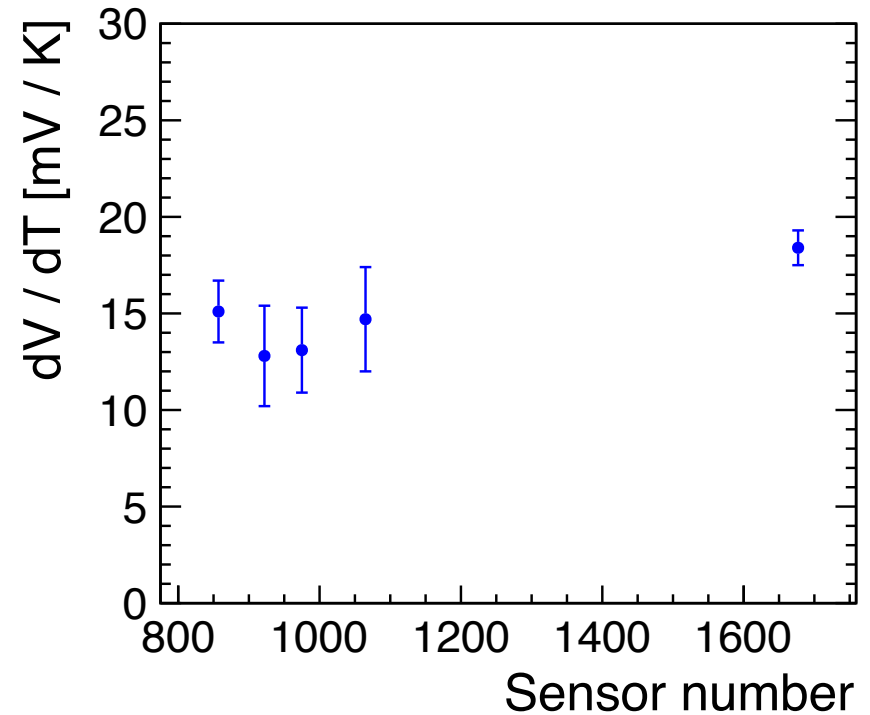
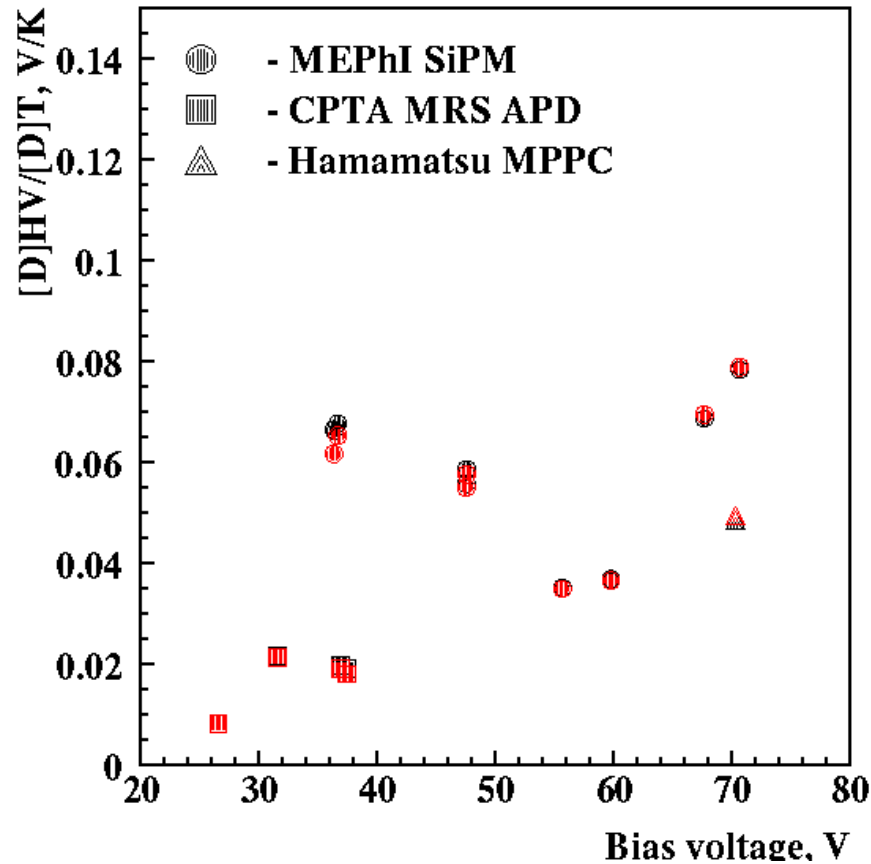
- Repeated the measurements on 5 different SiPM+tile
  - 4 are similar in gain
  - 1 (#1677) is different and has  $\sim 2x$  higher gain.
  - See backup slides for individual measurements.
- Variation between 4 similar SiPM is  $\sim 10\%$
- #1677 is easier to characterize, thanks to its higher gain.



# Results for several CPTA SiPMs

Results are in agreement with what can be expected.

- From Evgueny Tarkovsky:



Have a working setup to characterize gain-temperature dependence

- Works (almost) out of the box for the Hamamatsu MPPCs using T3B DAQ & analysis.
  - Gain defined by distance between  $1\gamma$ - and  $2\gamma$  peak
- CPTA SiPMs have different / longer signals
  - Gain can be determined using distance between pedestal and  $1\gamma$  peak
  - $dV/dT$  can be measured to  $\sim 10\%$ .
- Small dependency of capacitance on temperature
  - Need to figure out its origin.

*Many thanks to:*

*T3B: C. Soldner, L. Weuste, M. Szalay*

*LCD group: especially M. Benoit and S. Arfaoui*

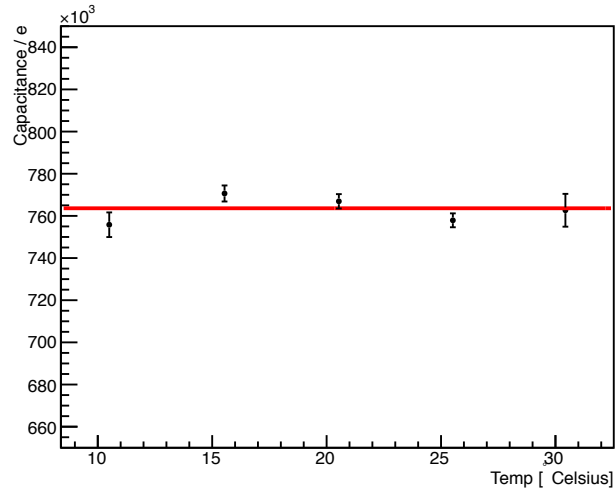
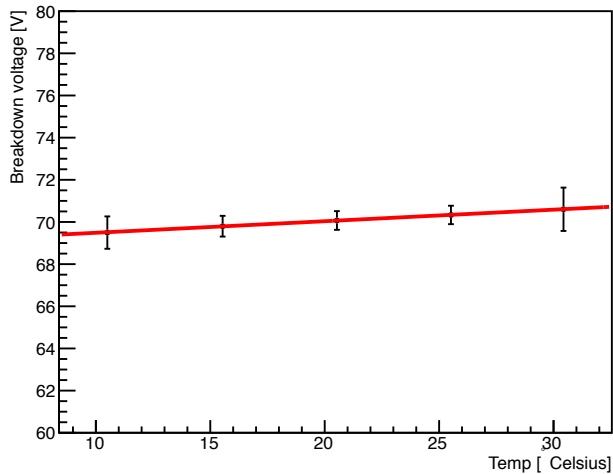
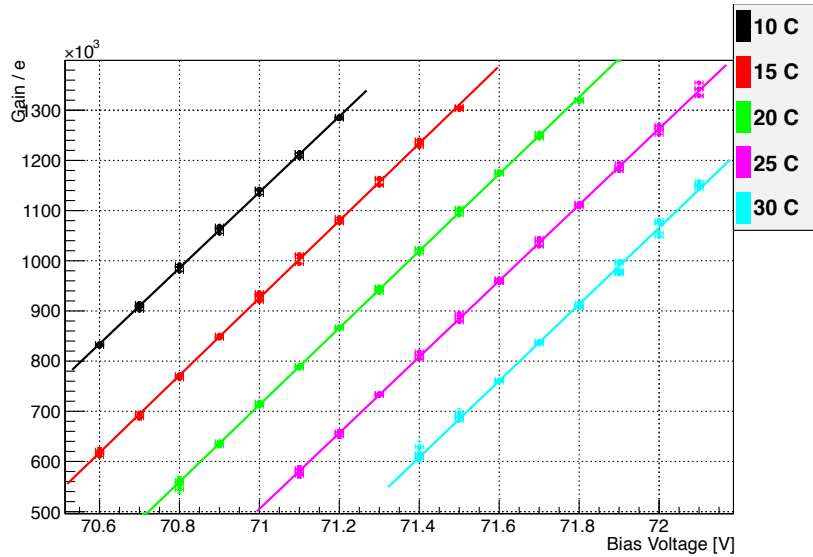


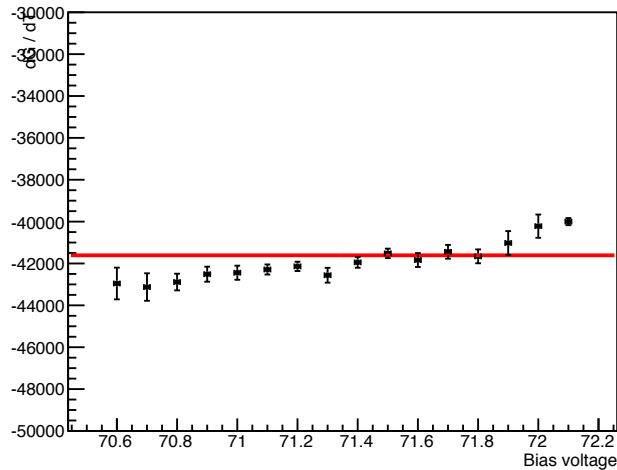
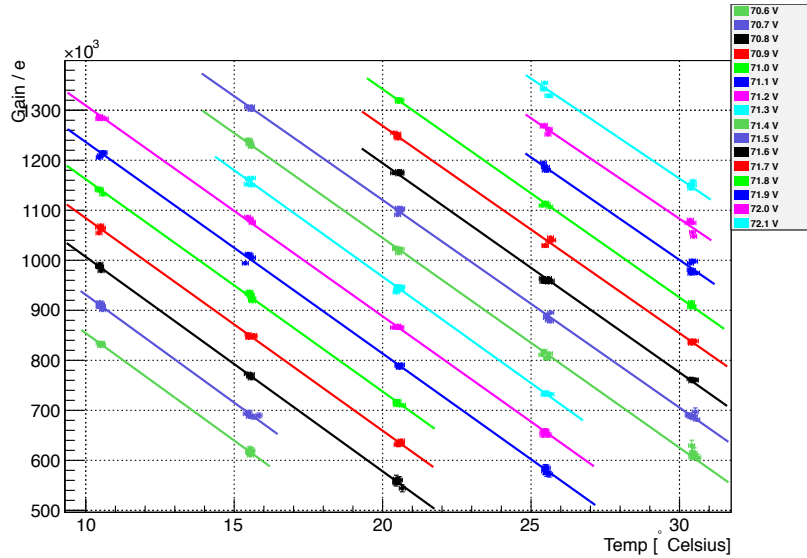


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# Backup

# Gain distribution - Hamamatsu MPPC (#11766)

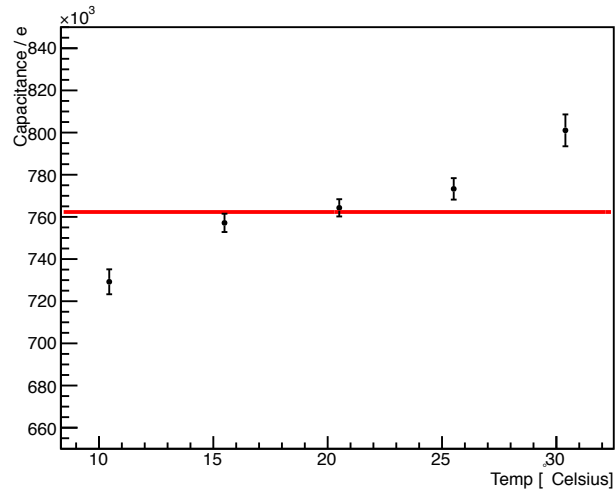
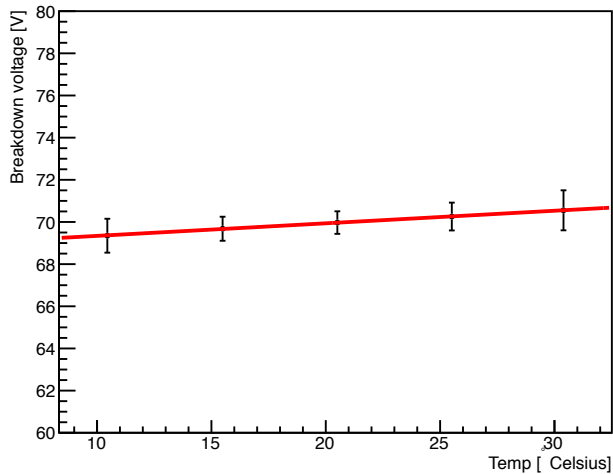
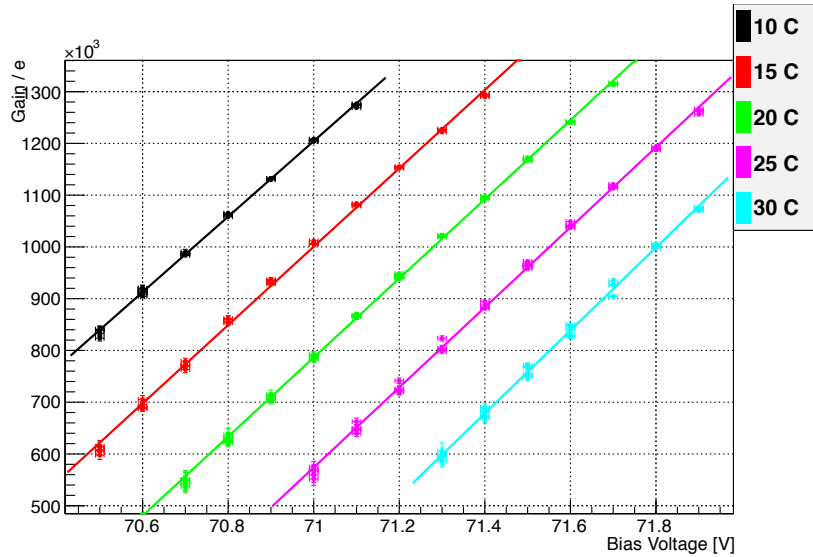




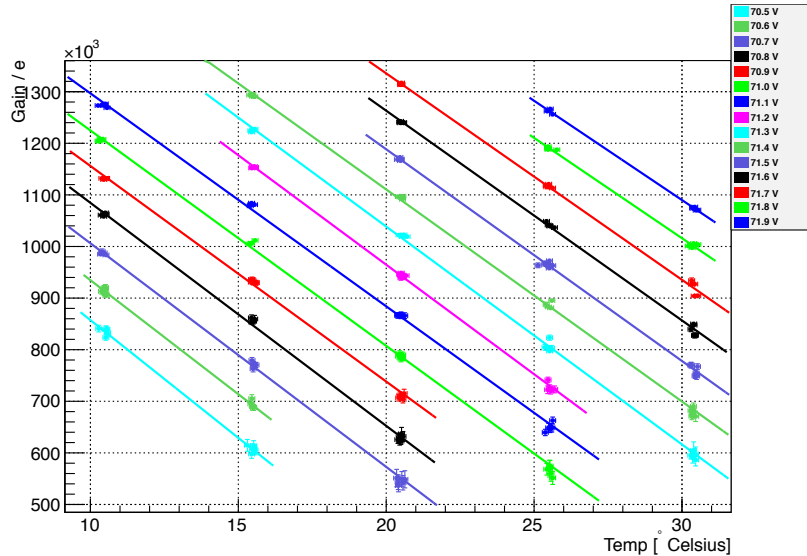
For a constant gain, need  $dV / dT$ :

- Averaging the fitted slopes, and assuming as uncertainty the spread of slopes:

$$\begin{aligned}
 \bullet \quad \text{av}(dV/dT) &= - \text{av}(dG/dT) / \text{av}(dG/dV) \\
 &= 54.9 \pm 2.1 \text{ mV} / \text{K}
 \end{aligned}$$



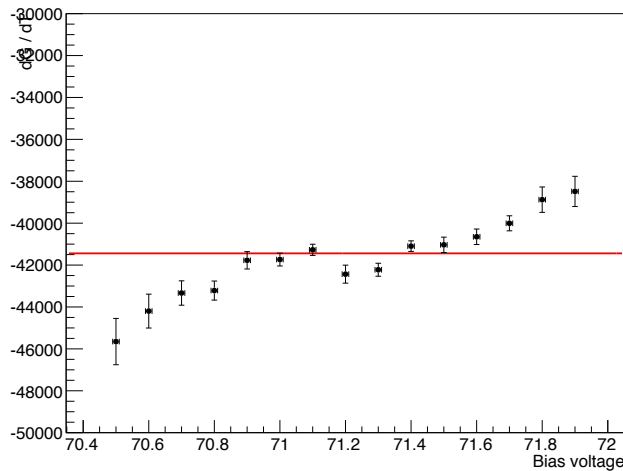
# Gain distribution - Hamamatsu MPPC (#11770)

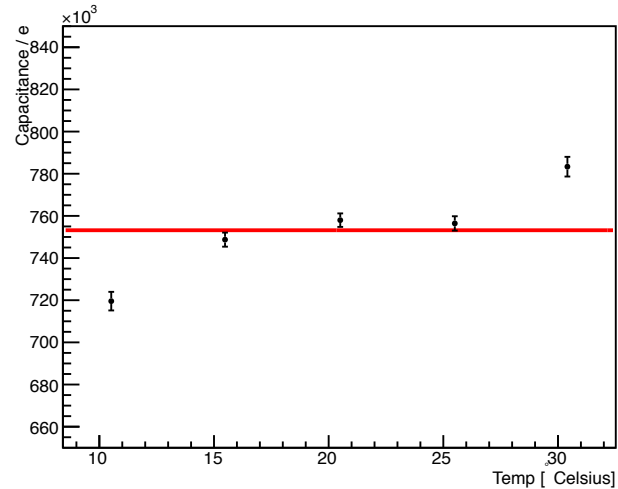
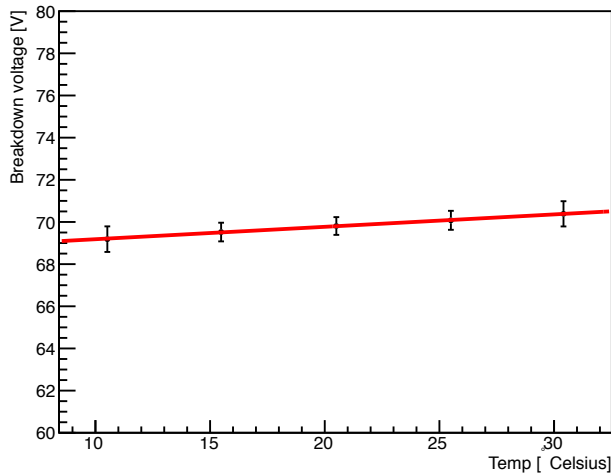
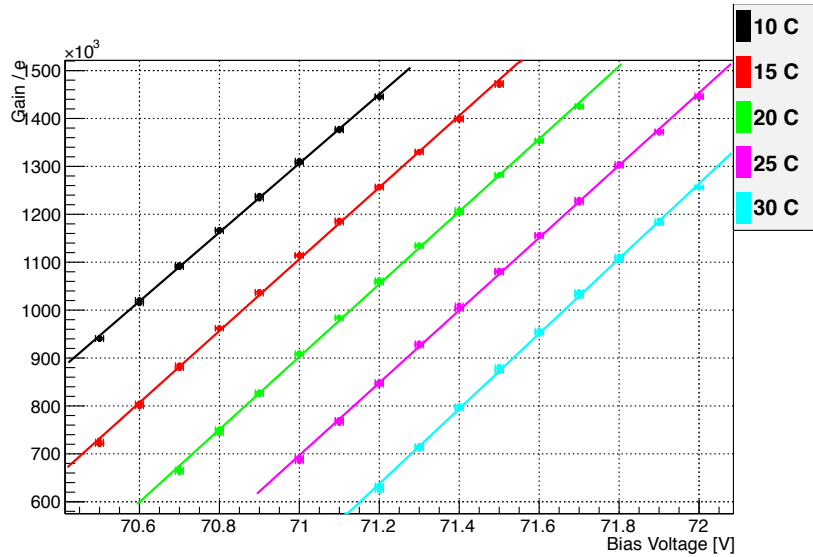


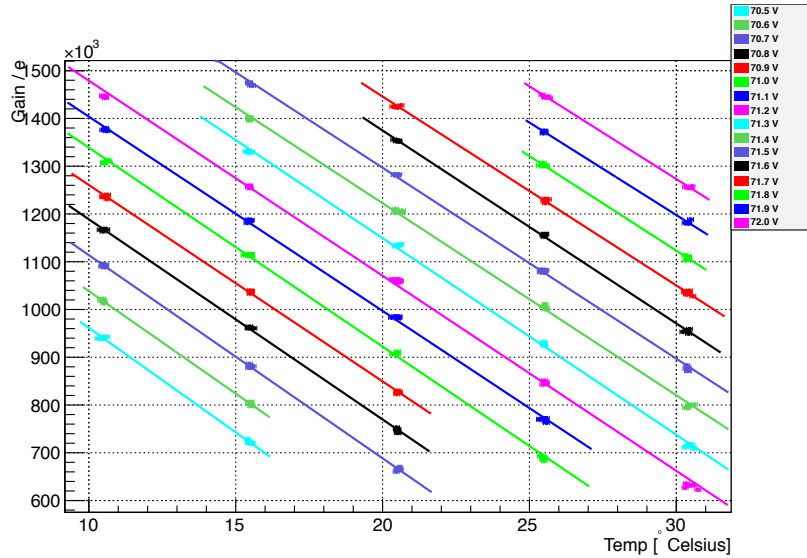
For a constant gain, need  $dV / dT$ :

- Averaging the fitted slopes, and assuming as uncertainty the spread of slopes:

$$\begin{aligned} \bullet \quad \text{av}(dV/dT) &= - \text{av}(dG/dT) / \text{av}(dG/dV) \\ &= 54.6 \pm 5.3 \text{ mV} / \text{K} \end{aligned}$$



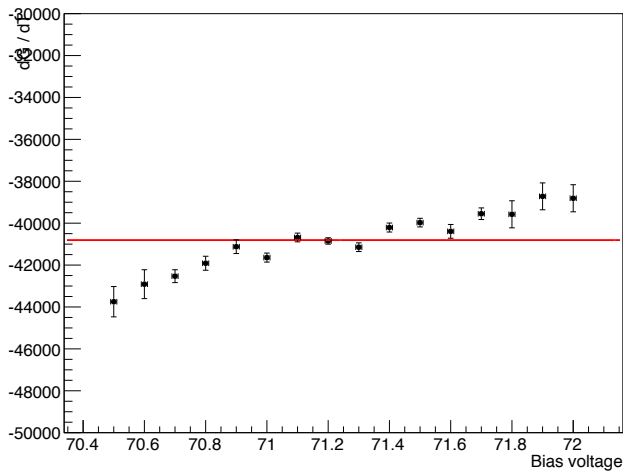


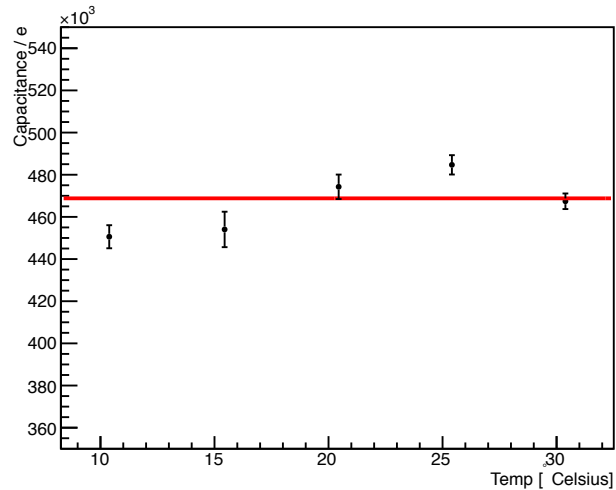
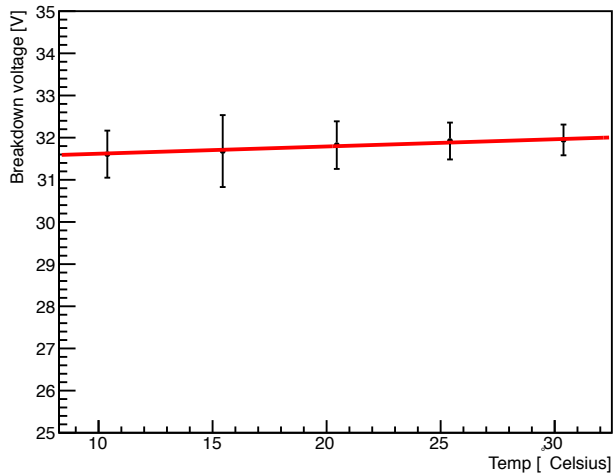
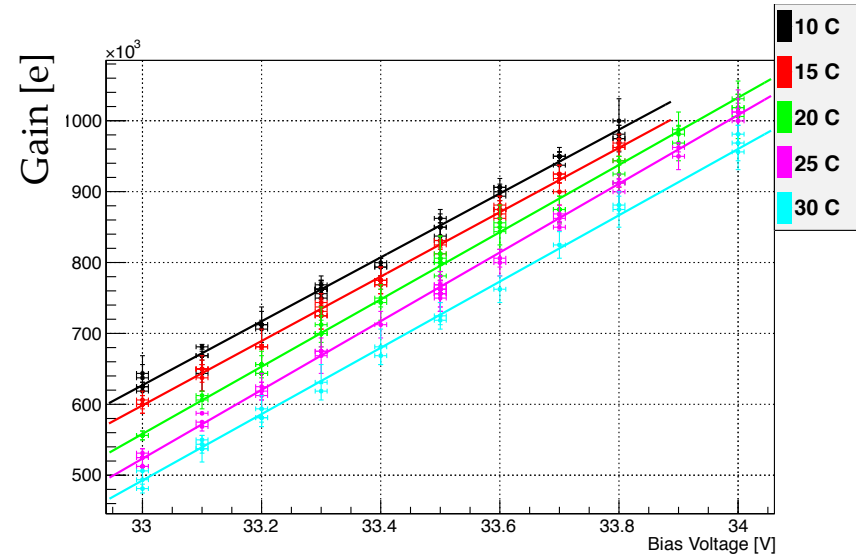


For a constant gain, need  $dV / dT$ :

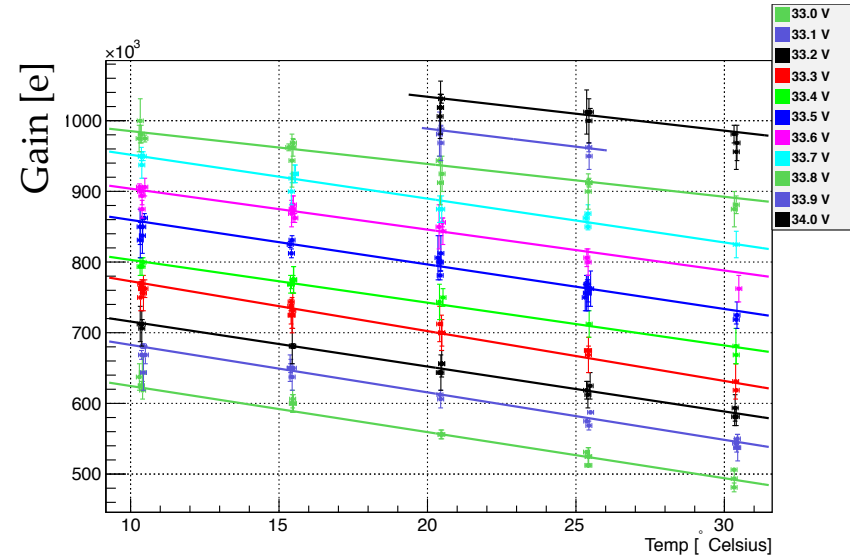
- Averaging the fitted slopes, and assuming as uncertainty the spread of slopes:

$$\begin{aligned} \text{av}(dV/dT) &= - \text{av}(dG/dT) / \text{av}(dG/dV) \\ &= 54.2 \pm 4.1 \text{ mV} / \text{K} \end{aligned}$$



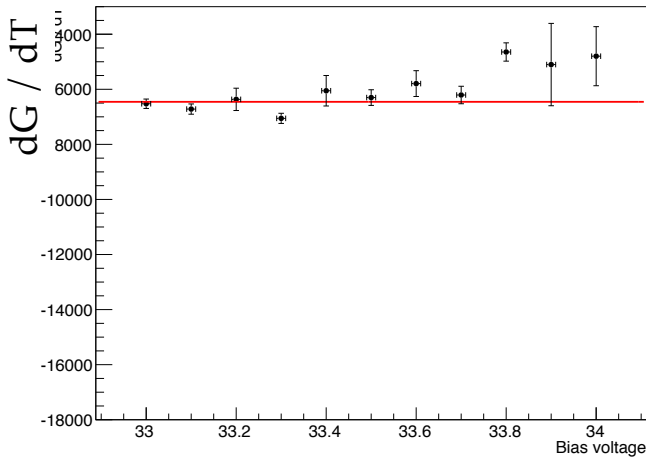






← Same data, plotted as Gain vs T, for the different bias voltages set.

Different fitted slopes



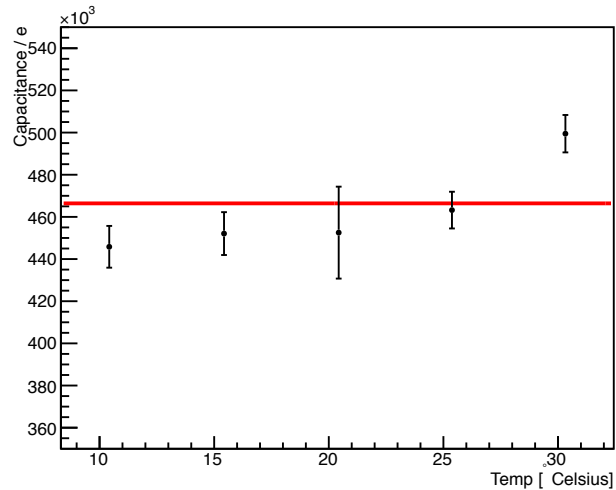
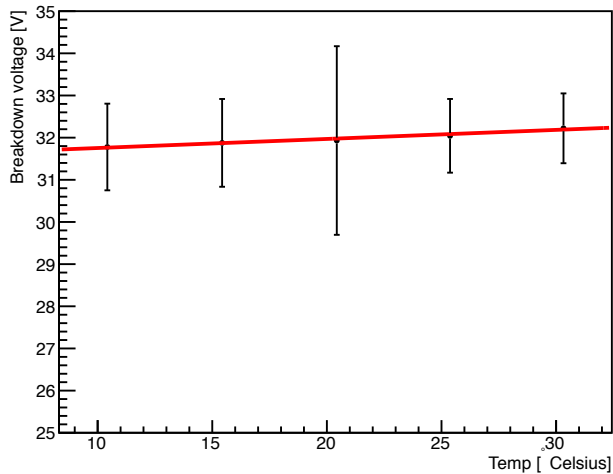
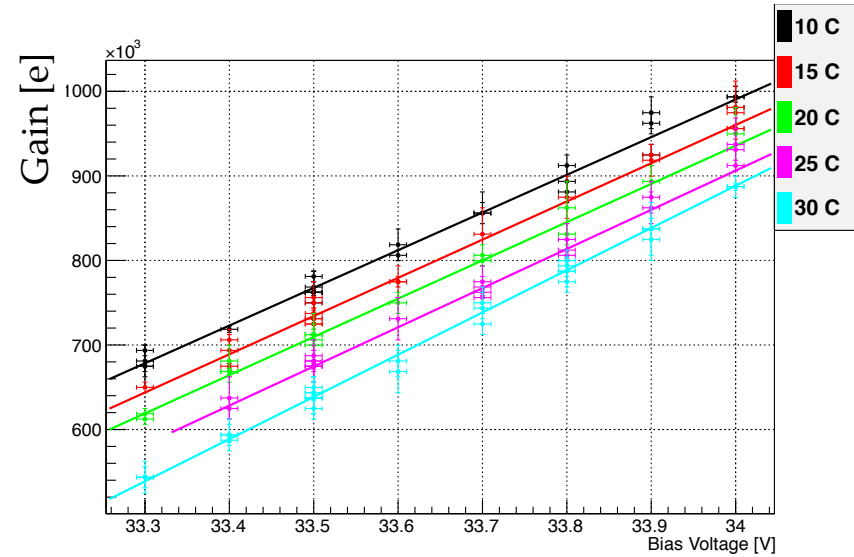
For a constant gain, need  $dV / dT$ :

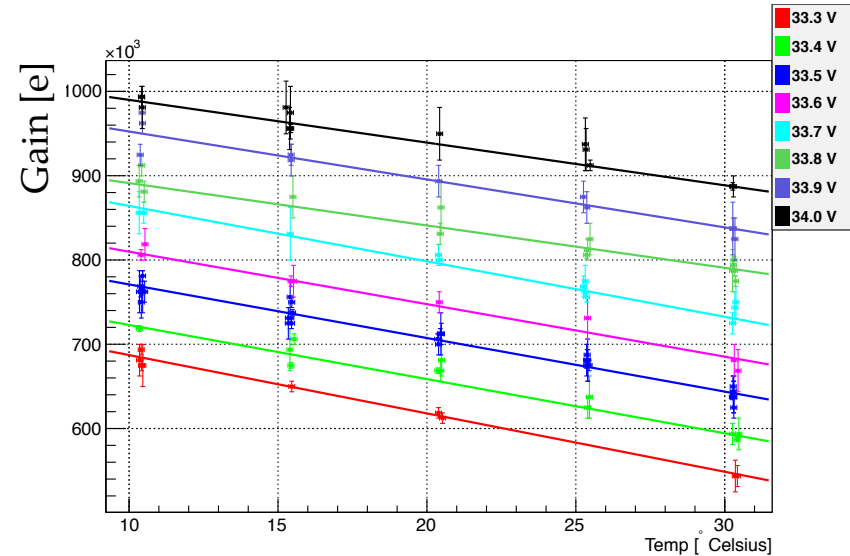
- Averaging the fitted slopes, and assuming as uncertainty the spread of slopes:

$$dV/dT = - \text{av}(dG/dT) / \text{av}(dG/dV)$$

$$= 12.8 \pm 2.6 \text{ mV} / \text{K}$$

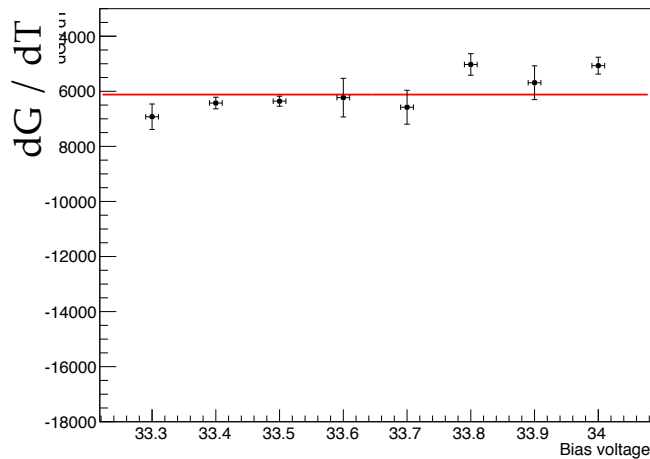
# Gain distribution - SiPM (#975)





← Same data, plotted as Gain vs T, for the different bias voltages set.

Different fitted slopes



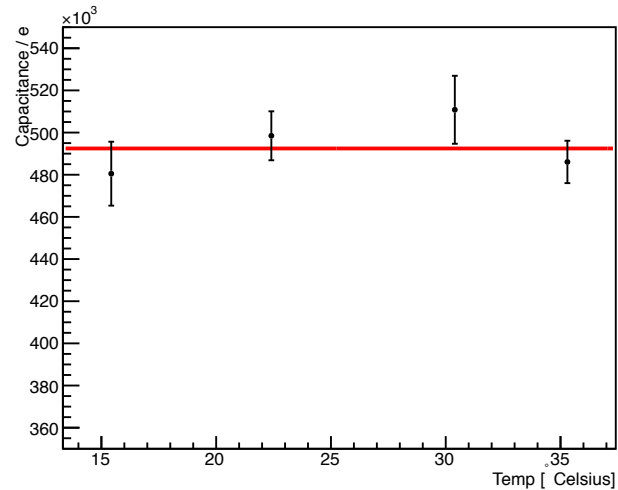
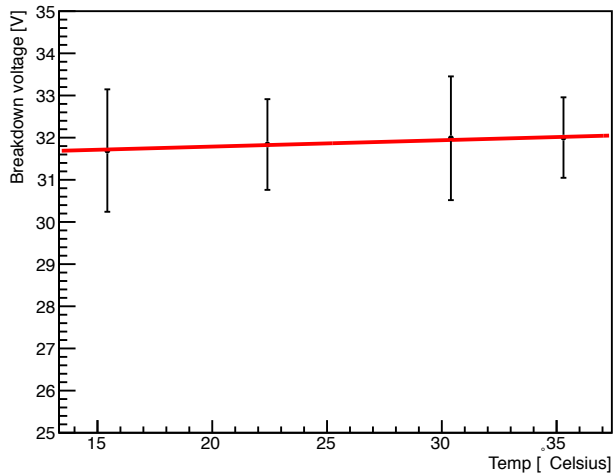
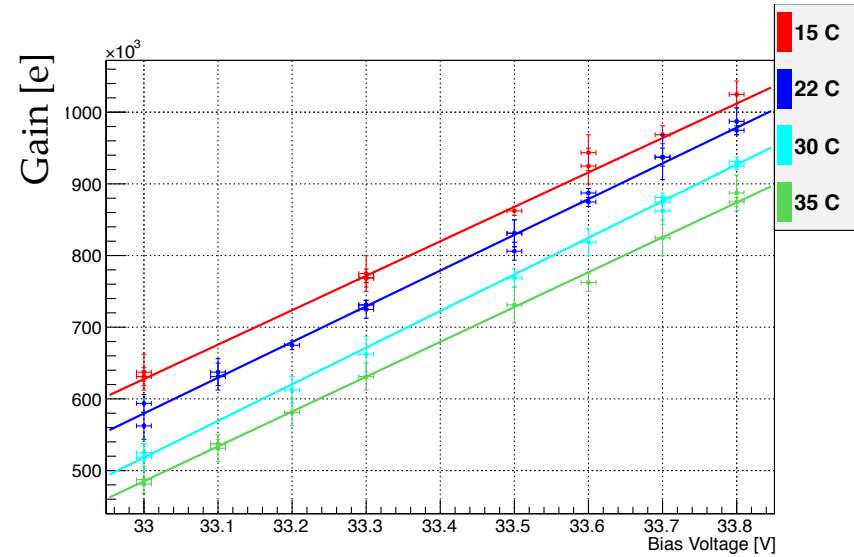
For a constant gain, need  $dV / dT$ :

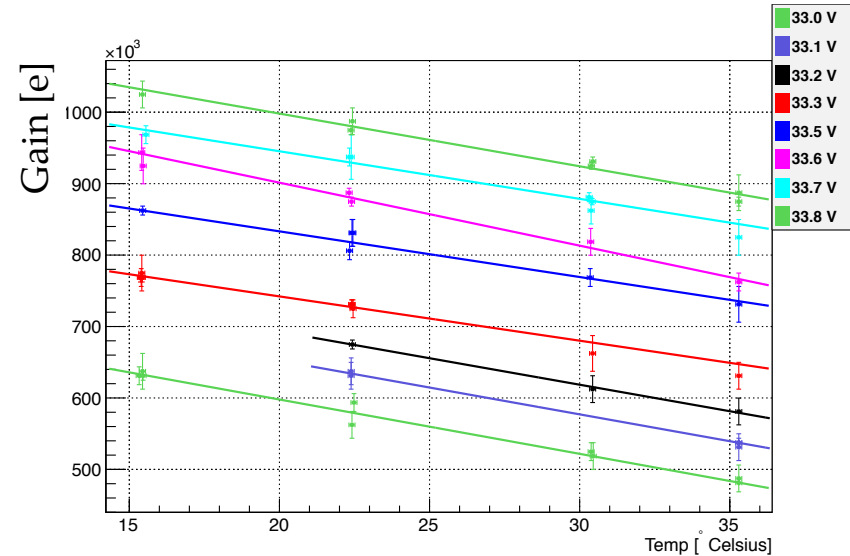
- Averaging the fitted slopes, and assuming as uncertainty the spread of slopes:

$$dV/dT = - \text{av}(dG/dT) / \text{av}(dG/dV)$$

$$= 13.1 \pm 2.2 \text{ mV / K}$$

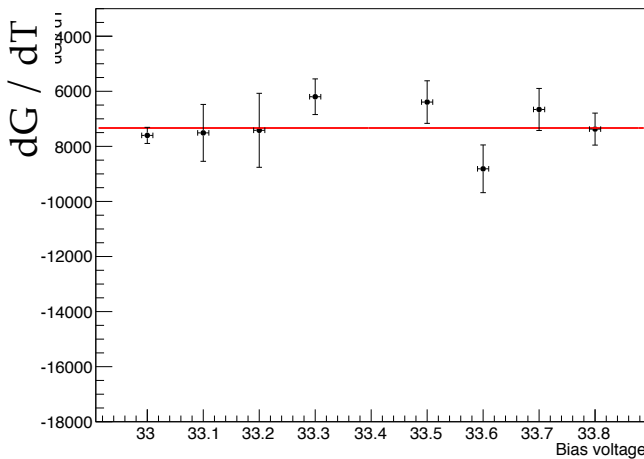
# Gain distribution - SiPM (#1065)





← Same data, plotted as Gain vs T, for the different bias voltages set.

Different fitted slopes

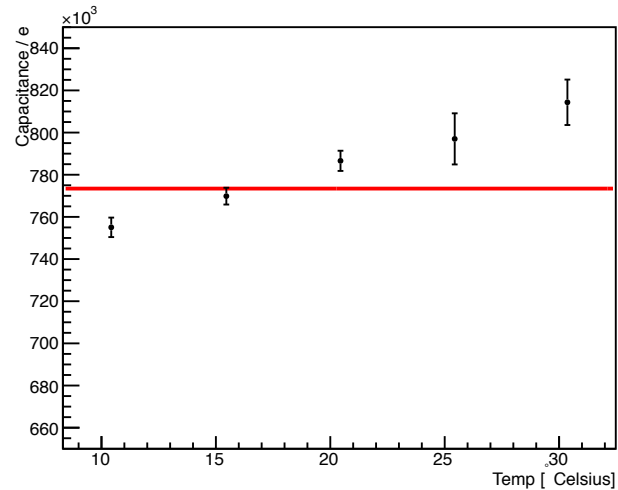
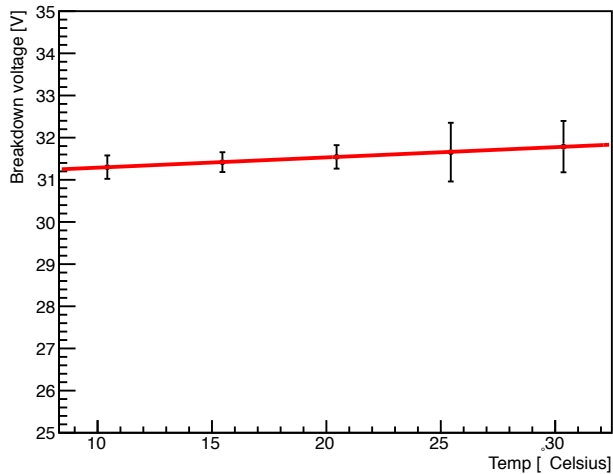
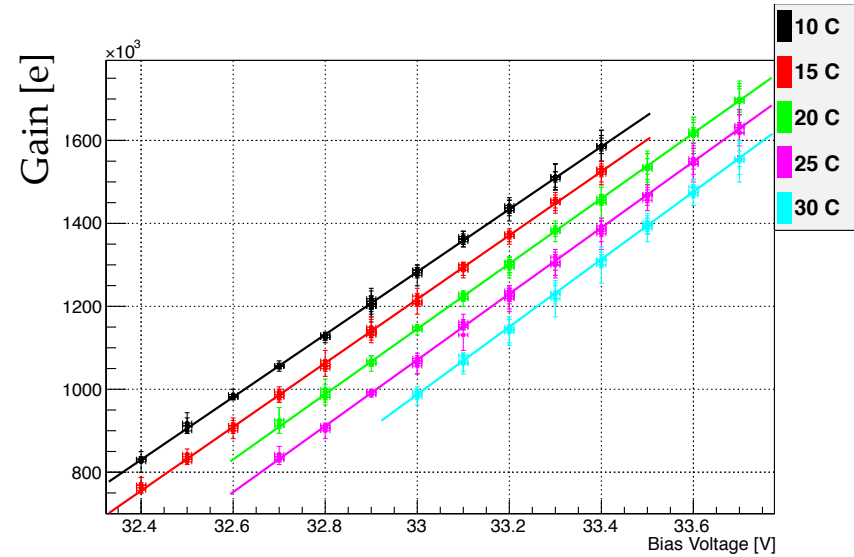


For a constant gain, need  $dV / dT$ :

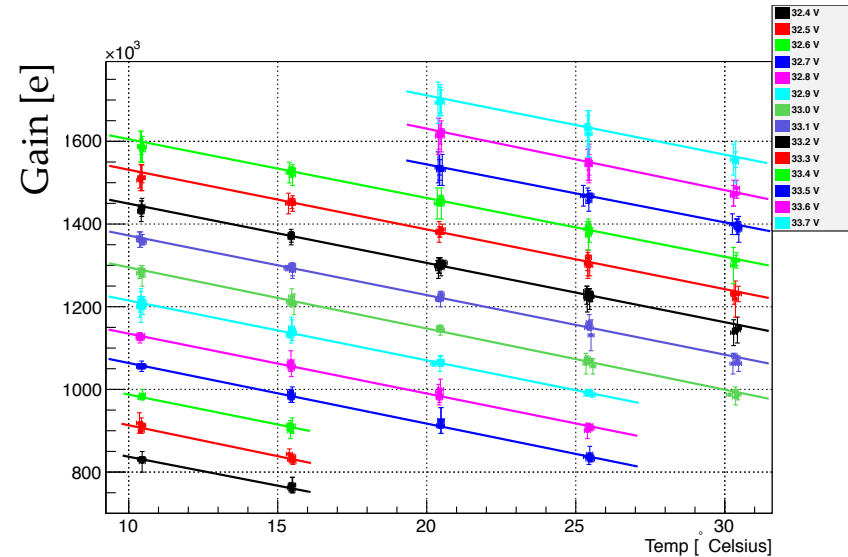
- Averaging the fitted slopes, and assuming as uncertainty the spread of slopes:

$$dV/dT = - \text{av}(dG/dT) / \text{av}(dG/dV)$$

$$= 14.7 \pm 2.7 \text{ mV / K}$$

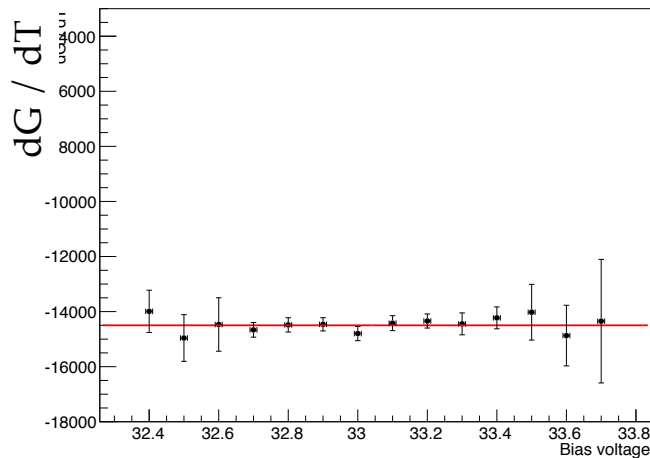


# Gain distribution - SiPM (#1677)



← Same data, plotted as Gain vs T, for the different bias voltages set.

Different fitted slopes



For a constant gain, need  $dV / dT$ :

- Averaging the fitted slopes, and assuming as uncertainty the spread of slopes:

$$dV/dT = - \text{av}(dG/dT) / \text{av}(dG/dV)$$

$$= 18.4 \pm 0.9 \text{ mV / K}$$